

# Survival Analysis of the Effects of Health Insurance Status, Race, and Income on Diabetes Incidence

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## **Abstract**

## **Objective**

We examine the effects of health insurance status, race, income, on diabetes incidence in a racially and socioeconomically diverse sample of middle-aged American women.

## **Methods**

Using Kaplan-Meier survival curves and stratified Cox proportional hazards models, we estimate the effect of insurance status, race, and income, on diabetes incidence on a sample of 2,686 middle-aged women who participated in the Study of Women's Health Across the Nation between the years of 1996 and 2008.

## **Results**

Those with lower incomes tend to have higher risk for incident diabetes after adjusting for health insurance status, race, household income bracket, BMI, and age upon study entry. Black/African American and Hispanic women may be at especially high risk for incident diabetes after adjusting for other covariates. Uninsured women are at significantly higher risk for diabetes incidence after adjusting for race, BMI, and age upon study entry, but is not found to affect diabetes incidence after additionally adjusting for household income.

## **Discussion**

Findings for income and race reinforce existing literature, and provide evidence for additional investigation of diabetes incidence among Hispanic women. The role of health insurance status remains unclear and requires further research.

## **Introduction**

An estimated 11.3% of the adult population of the United States has been diagnosed with diabetes, a proportion that has steadily increased over time (National Diabetes Statistics Report | Diabetes | CDC, 2022). Diabetes represents a significant personal and public health crisis, in some cases resulting in disability and premature death (Beckles & Thompson-Reid, 2001). Diabetes is more prevalent during middle age; among those aged 45-65, 14.5% have been diagnosed with diabetes. Women represent 46% of all diagnosed diabetes cases in the U.S., warranting investigation of factors for diabetes incidence for aging women (Beckles & Thompson-Reid, 2001, National Diabetes Statistics Report | Diabetes | CDC, 2022).

Diabetes poses a particular health risk for Black, Indigenous, and People of Color (BIPOC) in the United States, with American-Indian, Alaskan Native, non-Hispanic Black, Hispanic, and Asian Americans experiencing higher rates of diabetes than White, non-Hispanic Americans (National Diabetes Statistics Report | Diabetes | CDC, 2022). Racial health disparities may be partially explained by additional social stressors among people of color which result in earlier health deterioration among BIPOC than their white counterparts (Geronimus et al, 2006; Chyu & Upchurch, 2011; Williams, 2012). BIPOC women may experience negative confounding health effects as a result of dual social stressors, with Black/African-American women experiencing significantly earlier health deterioration than Black/African-American men and among women of other racial minorities (Geronimus et al, 2006; Chyu & Upchurch). BIPOC women are at higher risk for onset of diabetes even after adjusting for physical and behavioral characteristics. In a prospective study of race and diabetes incidence among middle-aged women, Black, Hispanic, and Asian participants had 136%, 114%, and 43% higher diabetes incidence, over 10 years than whites, respectively. After adjusting for physical and behavioral characteristics, the hazard ratio increased for Asian women and decreased for Black women, indicating that, although the prevalence of diabetes in Asian American women is similar to White women, they may have the greatest inherent risk for diabetes (Ma et al., 2012).

Lack of health insurance poses a serious health risk for Americans, with study by Wilper et al suggesting that after adjusting for race, income, health status, smoking, alcohol-use, exercise, and BMI, adult Americans without health insurance were at a higher risk for death than uninsured Americans (2009). Insurance status varies by household income and in 2018, an estimated 9.3% of adults aged 45-64 were uninsured. Households with lower income are significantly more likely to be uninsured, and significantly less likely to have private health insurance than their higher income counterparts (Berchick, 2019). By race, non-Hispanic whites are least likely to be uninsured, followed by Asian, black, and Hispanic Americans (Berchick, 2019). Those without health insurance are less likely to receive adequate health services with regards to diabetes management (Doucette et al., 2017), but although BIPOC and low income persons disproportionately lack health insurance, there has been little research on the effects of race, income, and health insurance status on diabetes incidence.

Prevalence of diabetes in the United States has increased along with obesity rates (Weir & Jan, 2022). The World Health Organization defines class I, II, and III obesity as BMI between 30 and 34.99, BMI between 35 and 39.99, and BMI above 40 respectively (Weir & Jan, 2022). Obese (classes I and II) and severely obese individuals are at elevated risk for developing heart disease and type II diabetes than non-obese individuals (Narayan et al., 2007, Weir & Jan, 2022). Race, income, and many other social determinants of health confound the relationship between obesity and diabetes, with BIPOC and lower income groups experiencing higher rates of both obesity and diabetes (Hill-Briggs et al., 2020).

The presence of censored time-to event data motivates the use of survival analysis methods to investigate the associations of health insurance status, socioeconomic status, race, and BMI on diabetes incidence. Survival analysis allows researchers to assess the effect of factors of interest on the risk for event incidence using time-to-event data, which quantifies the time between an initial event and a subsequent event of interest (Machin et al., 2006, Kleinbaum & Klein, 2005).

Time-to event data differs from other types of continuous, numerical data in that it allows varying follow-up times across individuals. For example, one individual may experience the event of interest in three years, where another may experience the event in ten years, and another may not never experience the event during the span of the study (Machin et al., 2006, Kleinbaum & Klein, 2005). Such unobserved events are considered “censored” and differ from missing data in that censored individuals are not removed or imputed from the data set as their inclusion offer additional insight about event risk (Machin et al., 2006, Kleinbaum & Klein, 2005). The most common form of censoring is right censoring. There are three primary reasons an individual may be right-censored. First, the individual does not experience the event by the end study. Second, the individual withdraws from the study. Third, the individual is lost to follow-up (Kleinbaum & Klein, 2005). Other types of censoring, including ‘left-censoring’ which occurs when the true survival time is shorter than or equal to the observed survival time due to a delay in diagnosis of event, and ‘interval censoring’ which occurs when the true event incidence is unknown but observed within a certain time interval, are less common (Radke, 2003, Kleinbaum & Klein, 2005). Proper handling of censored data allows for a larger analytical sample, as censored individuals are not removed from the risk set. That is, even if an individual never develops diabetes, they are still considered ‘at risk’ for incidence over the course of the study (Machin et al., 2006, George et al., 2014).

Definition of the study start time must be carefully considered. For clinical trials start time is often the time of treatment randomization, however risk exposure is less clear for observational health studies (Machin et al., 2006). For analysis of long-term longitudinal observational data it is often more intuitive to use age as the time scale rather than the study duration. However, if the individuals enter the study at different ages, individuals are often stratified by birth-cohort, to control for the environmental effects that may contribute to event risk (Korn et al., 1997, Hurley,

2015). For example, an average individual born in 1950 may have healthier eating habits than an average individual born in 1960, resulting in lower risk for diabetes onset.

The present paper uses Kaplan-Meier curves to illustrate the relationship between health insurance status, race, and household income and diabetes risk among middle-aged American women, determines differences between survival curves using log-rank tests, then estimates hazard ratios using stratified Cox proportional hazards models.

## Methods

### *SWAN Dataset*

To investigate the association between health insurance status, race, and household income and diabetes incidence among middle-aged American women, we apply survival analysis methods to the Study of Women's Health Across the Nation (SWAN) dataset. This longitudinal observational study aims to "help scientists, health care providers, and women learn how mid-life experiences affect health and quality of life during aging," among middle-aged American women living in designated geographic areas including Inkster, Michigan; Hackensack, New Jersey; Chicago, Illinois; Ypsilanti, Michigan; Los Angeles, California; Pittsburgh, Pennsylvania; and Boston, Massachusetts (Sutton-Tyrell et al., 2014). Women spoke at least one of English, Japanese, Cantonese, and Spanish, and belonged to one of five target racial/ethnic groups including African American, Chinese American, Japanese American, Hispanic American, and Non-Hispanic White American. Between the years of 1994 and 2008, data were collected on various demographic, physical, medical, social, economic, and emotional characteristics during a baseline visit and 10 follow-up visits at medical centers in the designated regions. Of the 3302 women recruited into the study, 2245 were retained for their tenth follow-up visit. Although the New Jersey site is included in the study, data were not collected from the New Jersey site during the tenth visit (Sutton-Tyrell et al., 2014). The study is ongoing and now includes 16 follow-up visits with the original cohort with visit 17 in progress at the time of the present paper.

The analytical sample includes 2686 women who participated in SWAN between the years 1996 and 2008, did not have diabetes at baseline, and had records for age at all visits, health insurance status at baseline, race, household income at baseline, BMI at baseline, and diabetes status for at least one follow-up visit.

### *Diabetes Incidence*

Since diabetes status was not directly assessed during the baseline visit, baseline diabetes status was evaluated as whether the individual had been prescribed insulin by their doctor or other healthcare provider in the last month. Those

who were taking insulin at baseline were not included in the survival dataset since the event of interest had already occurred prior to study entry.

For visits 1 to 10, diabetes status was assessed with the question, "Since your last study visit, has a doctor, nurse practitioner or other health care provider told you that you had any of the following conditions or treated you for them?" and followed by a list of medical conditions, including diabetes. Possible responses included "Yes", "No", and "Don't Know".

From the analytical sample we evaluate time to diabetes occurrence. We use a chronological time-scale based on age rather than visit number, where time at baseline  $t = 0$  is the individual's age during the baseline study, because visits cover a two year period and the chronological time-scale enhances interpretability of results (Machin et al., 2006, Hurley, 2015). Incident diabetes was determined as the age at which the individual first reported a diabetes diagnosis since the last visit.

## ***Covariates***

### ***Health Insurance Status***

Health insurance status was assessed only during the baseline visit with the question "Which of the following categories best describes how you usually pay for your medical care?" with responses including prepaid private insurance, other private insurance, Medicare, Medicaid, military or veteran's administration-sponsored, no insurance, and other non-specified insurance (Sutton-Tyrell et al., 2010). Insurance status was binarized to evaluate differences in diabetes survival for insured and uninsured women. Individuals who reported having any of prepaid private insurance, other private insurance, Medicare, Medicaid, military or veteran's administration-sponsored, or other non-specified insurance were considered insured, while those who reported no insurance only were considered uninsured. Individuals who reported both no insurance and another form of insurance were considered of unknown insurance status and were excluded due to the very few response of this type.

### ***Race***

Race was assessed during a screening survey prior to the baseline study as African American, Chinese American, Japanese American, Hispanic American, or Non-Hispanic White American. Individuals were recorded as belonging to only one racial/ethnic group.

### ***Baseline Household Income***

Household income was assessed with the question, "What is your total family income (before taxes) from all

sources within your household in the last year?” with responses including “less than \$19,999”, “\$20,000 to \$49,999”, “\$50,000 to \$99,999”, “\$100,000 or more”, and “Don’t know”. Those who had no response or marked unknown were not included in the dataset.

### *Baseline BMI*

All physical measures were taken by a medical professional. Body Mass Index (BMI) was calculated as weight in kilograms divided by the square height in meters by a health. For comparison of obesity levels, continuous BMI is categorized into three groups: Not obese ( $BMI < 30$ ), obese ( $30 \leq BMI < 40$ ), and severely obese ( $BMI \geq 40$ ). The obese group includes class I and class II obesity and the severely obese group includes class III obesity as defined by the National Institute of Health and World Health Organization (Weir & Jan, 2022).

For each pair of covariates we conduct a Pearson’s Chi-Squared Test of Independence and calculate Cramer’s V to determine the strength of association between categorical variables (Cohen, 1988).

## ***Survival Models***

### ***Kaplan-Meier Curve***

Survival curves illustrate the incidence of diabetes over time, by plotting the cumulative proportion of participants who have not yet experienced the event over follow-up time in the study. Kaplan-Meier (K-M) curves are a non-parametric method of estimating a survival function  $S(t)$ , the probability that a random individual’s survival time  $T$  exceeds a specific time  $t$  (Kleinbaum & Klein, 2005, Machin et al., 2006). K-M estimates  $S(t)$  based on observed survival times and a risk set for each time  $t$ , defined as the number of individuals who have survived or remain uncensored up to  $t$ . The estimated K-M survival curve is defined by a step-wise function (1)

$$\begin{aligned}\hat{S}(t_j) &= \prod_{i=1}^j \hat{\Pr}(T > t_i | T \geq t_i) \\ &= \hat{S}(t_{j-1}) \times \hat{\Pr}(T > t_j | T \geq t_j)\end{aligned}\tag{1}$$

where  $\hat{S}(t_{j-1})$  is the probability of an individual surviving beyond a time  $t_{j-1}$ , defined by (2) times the conditional probability of surviving beyond time  $t$  given that the individual has survived up to time  $t$  (Kleinbaum & Klein, 2005, Machin et al., 2006).

$$\hat{S}(t_{j-1}) = \prod_{i=1}^{j-1} \hat{\Pr}(T > t_i | T \geq t_i) \quad (2)$$

K-M curves for multiple groups are compared using the log-rank test, which compares observed versus compares observed versus expected distributions of event time using a large sample chi-squared test. The test compares the null hypothesis that the distribution of event times are equal across all groups versus the alternative that event incidence between groups varies at least one time point during the study. The log-rank test statistic is commonly approximated by (3).

$$X^2 = \sum_{i=1}^G \frac{(O_i - E_i)^2}{E_i} \quad (3)$$

Under  $H_0$  the test statistic approximately follows a chi-squared distribution with  $G - 1$  degree of freedom, where  $G$  is the number of groups/survival curves being compared,  $O_i$  are observed event counts for each group  $i \in 1, G$  and  $E_i$  are the expected event counts for each group  $i \in 1, G$  (Kleinbaum & Klein, 2005). When the null hypothesis is rejected, we conduct post-hoc analyses to determine which differences are significant using pairwise log-rank tests with p-values adjusted using the Benjamini-Hochberg method to control the false discovery rate (FDR). This method is less conservative and offers more statistical power than other adjustment procedures, such as Bonferroni correction (Benjamini & Hochberg, 1995).

### **Cox Proportional Hazards Model**

The Cox proportional hazards model (CPH) is a semi-parametric model used to estimate a hazard function adjusted for several covariates. CPH estimates a hazard function of the form

$$h(t, \mathbf{X}) = h_0(t)e^{\sum_{i=1}^p \beta_i X_i} \quad (4)$$

where  $\mathbf{X}$  is the predictors  $X_1 \dots X_p$ ,  $h_0$  is the baseline hazard function, and  $\beta$  are the estimated coefficients for each of the predictors. The baseline hazard function is time-dependent while the predictors  $\mathbf{X}$  are assumed to be time-independent to satisfy the proportional hazards assumption (Kleinbaum & Klein, 2005). In this study, we assume that health insurance status, household income, and BMI are time-independent such that baseline measures are indicative of these measures across all visits of the study. To formally assess the proportional hazards assumption for CPH, we use a Goodness-of-Fit test based on the Schoenfeld residuals (Grambsch & Therneau, 1994).

Covariates that do not satisfy the proportional hazards assumption but must be controlled in the model are stratified. Adjusting by strata allows adjustment by such covariates by assuming separate baseline hazard functions  $h_{0g}$  for each of the  $k^{\text{th}}$  strata  $g$  (5). From stratified CPH models, hazard ratios can be obtained for covariates that satisfy the proportional hazards assumption, but not for the strata (Kleinbaum & Klein, 2005).

$$h_g(t, \mathbf{X}) = h_{0g}(t) e^{\sum_{i=1}^p \beta_i X_i} \quad (5)$$

Stratified CPH models further assume no interaction between the estimated coefficients  $\hat{\beta}$  and the strata; while baseline hazard functions differ between strata  $\hat{\beta}$  are equivalent across strata (Kleinbaum & Klein, 2005).

In this study, models were stratified by age by creating three age groups defined by age upon study entry equal to 42-45 ( $n_{42-45} = 1275$ ), 46-49 ( $n_{46-49} = 1117$ ), and 50-53 ( $n_{50-53} = 295$ ). Provided the sample size of each age group is sufficiently large, stratification results in no loss of parameter estimation precision versus adjusting by age as a confounding covariate in the CPH model, and is a well established method of adjustment to account for unknown environmental effects of birth year (Korn et al., 1997, Hurley, 2015). A Likelihood Ratio Test is used to assess the no-interaction assumption, by using a Chi-Squared Test of Deviance (with degrees of freedom equal to the difference in the number of estimated coefficients) to compare the stratified CPH model including an interaction between the strata and the covariates and the stratified CPH model excluding the interaction between the strata and the covariates (Kleinbaum & Klein, 2005). In this study, with  $p > 0.05$  for all models, all stratified CPH models satisfy the no-interaction assumption. No significant differences are found between the estimated coefficients for each strata.

### **Hazard Ratio**

The hazard ratio (HR) quantifies the relative risk of covariates on diabetes incidence. HR is defined by (6), where  $\hat{h}(t, \mathbf{X})$  is the estimated hazard function for one individual with  $p$  covariates  $\mathbf{X} = (X_1, X_2, \dots, X_p)$  and  $\hat{h}(t, \mathbf{X}^*)$  is the estimated hazard function for another individual with  $p$  covariates  $\mathbf{X}^* = (X_1^*, X_2^*, \dots, X_p)$ . The hazard function estimated by CPH has estimated coefficients  $\hat{\beta}$  (Klein & Kleinbaum, 2005).

$$\hat{HR}(t, \mathbf{X}, \mathbf{X}^*) = \frac{\hat{h}(t, \mathbf{X}^*)}{\hat{h}(t, \mathbf{X})} \quad (6)$$

$$= \exp\left[\sum_{i=1}^p \hat{\beta}_i (X_i^* - X_i)\right] \quad (7)$$

Although the stratified Cox proportional hazards model is assumed to have different baseline hazards for each strata, the estimated coefficients are the same across strata. Because HR is calculated without respect to baseline hazard (7), HR remains the same across strata if the covariates are the same. (Klein & Kleinbaum, 2005).

$\hat{HR} > 1$  indicates that an individual with covariates  $\mathbf{X}^*$  is at greater risk for the event at time  $t$  than an individual with covariates  $\mathbf{X}$ . Conversely,  $\hat{HR} < 1$  indicates that the individual with covariates  $\mathbf{X}^*$  is at lower risk for the event at time  $t$  than an individual with covariates  $\mathbf{X}$ .  $\hat{HR} = 1$  indicates no difference in the risk for the event (Klein & Kleinbaum, 2005).

In this study, we use HR to evaluate the effect of insurance status, race, BMI, and income, relative to several reference levels. The reference level for race is Non-Hispanic White, as this group has been shown to be at lower risk for incident diabetes; the reference level for insurance status is uninsured; the reference level for BMI group is  $BMI < 30$ , as lower BMI is associated with lower risk for incident diabetes; and the reference level for income is \$50,000-\$99,000 per year as this was the median and mode income level reported at baseline.

## Results

### *Study Population*

The SWAN study recruited 3,302 middle-aged American women of diverse racial and socioeconomic backgrounds to investigate health factors and outcomes over time. The analytical sample used in this study included 2,686 individuals recruited to the SWAN study, had baseline records for BMI, health insurance status, and annual household income, were not being treated for diabetes at baseline, and attended at least the first follow-up visit (Figure 1).

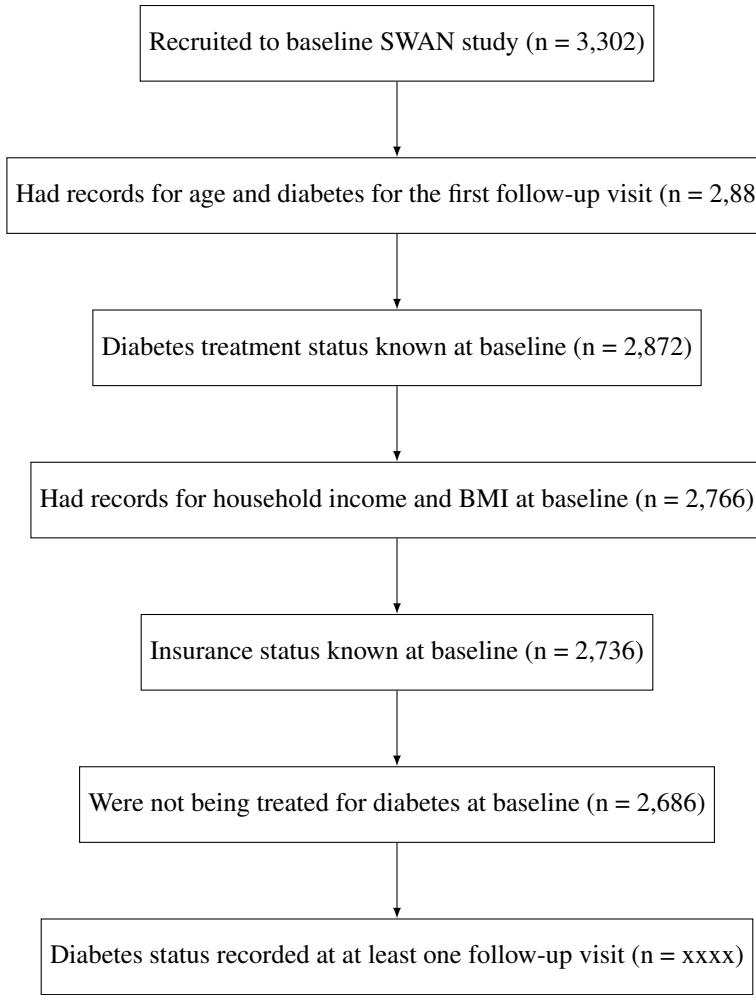


Figure 1: Formation of the analytical sample (n = 2,686)

## Demographics

The mean age upon study entry is 45.9, with 1275 women aged 42-45, 1117 women aged 46-49, and 294 women aged 50-53 (Figure #). At baseline, 171 women were insured and 2515 were uninsured. At study entry, 676, 233, 243, 195, and 1339 women reported their race as Black/African American, Chinese/Chinese American, Japanese-/Japanese American, Hispanic, and Non-Hispanic White respectively. At baseline, 338 women reported yearly household incomes less than \$20,000, 897 reported incomes between \$20,000 and \$49,000, 1025 reported incomes between \$50,000 and \$99,000, and 426 reported incomes greater than \$100,000. At baseline, 1860 had BMI less than 30, 640 had BMI between 30 and 40, and 186 had BMI greater than 40.

During the study duration, 274 of the 2,686 women had incident diabetes. The mean time to event was 6.9 years with a mean age at event of 53.3 (Figures ). Of those with incident diabetes, 65.13% are Hispanic and 20.50%

were Black/African American, whereas White, Chinese/Chinese American, and Japanese/Japanese American women, comprise just 8.16%, 8.88%, and 8.48% respectively (Table 1).

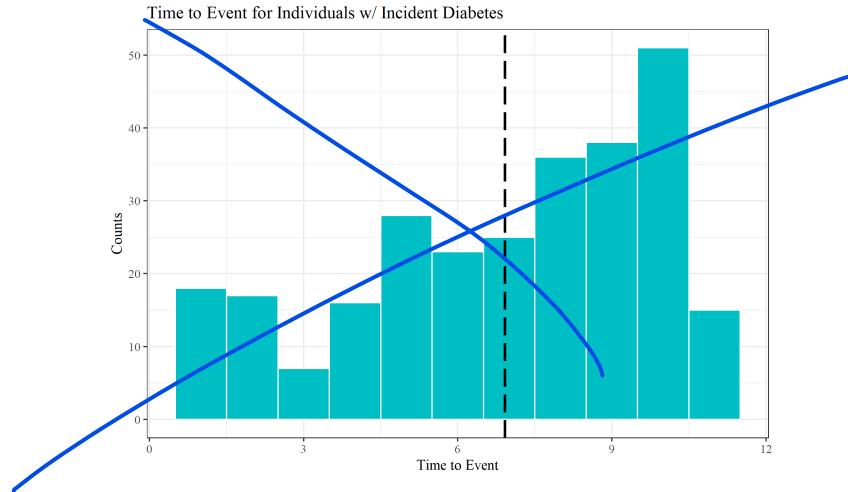


Figure 2: Time to event for women with incident diabetes ( $n = 274$ )

Dashed line indicates mean time to event (mean = 6.92)

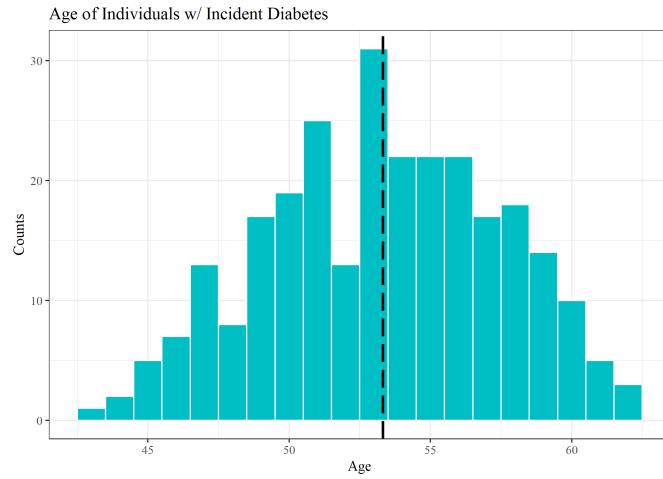


Figure 4: Age of women with incident diabetes ( $n = 274$ )

Dashed line indicates mean age at event (mean = 53.3)

Table 1: Incident Diabetes by Race

Race	Incident Diabetes within Racial Group n (%)
<i>Non-Hispanic White</i>	101 (8.16%)
<i>Black/African American</i>	115 (20.50%)
<i>Chinese/Chinese American</i>	19 (8.88%)
<i>Japanese/Japanese American</i>	19 (8.48%)
<i>Hispanic</i>	20 (65.13%)
<b>Column Totals</b>	<b>274 (10.20%)</b>

Using Pearson's Chi Squared Test, all pairs of covariates are found to be dependent. Race and insurance status have moderate-strong association ( $p < 0.001$  under  $\chi^2_4$ -distribution, Cramer's V = 0.323), race and yearly household income have moderate association ( $p < 0.001$  under  $\chi^2_{12}$ -distribution, Cramer's V = 0.268), race and BMI group have moderate association ( $p < 0.001$  under  $\chi^2_8$ -distribution, Cramer's V = 0.227), insurance status and household income have moderate-strong association ( $p < 0.001$  under  $\chi^2_3$ -distribution, Cramer's V = 0.390), insurance status and BMI group have a weak association ( $p < 0.001$  under  $\chi^2_2$ -distribution, Cramer's V = 0.071), and BMI group and household income have moderate-weak association ( $p < 0.001$  under  $\chi^2_6$ -distribution, Cramer's V = 0.147).

### ***Analysis of Diabetes Incidence using Kaplan-Meier Method***

We construct separate Kaplan-Meier curves for the effect of health insurance status on each of the age strata and use a log-rank test to detect significant differences between the observed survival curves. For those who entered the study between ages 42 to 45 and between ages 46 to 49 the risk for diabetes for those without insurance is significantly lower than for those with insurance ( $p = 0.0005$  for ages 42 to 45,  $p = 0.0001$  for ages 46-49). For women who entered the study between ages 50 and 53, there is no significant difference in diabetes incidence for those with insurance versus those without ( $p = 0.3$ ) (Figures 4, 5, 6).

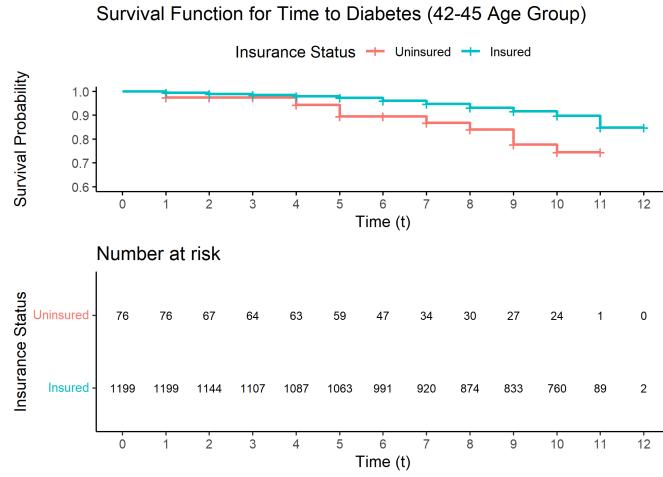


Figure 6: Kaplan-Meier curve for diabetes incidence by insurance status among women aged 42-45 ( $n = 1275$ , Log-Rank Test  $p = 0.0005$ )

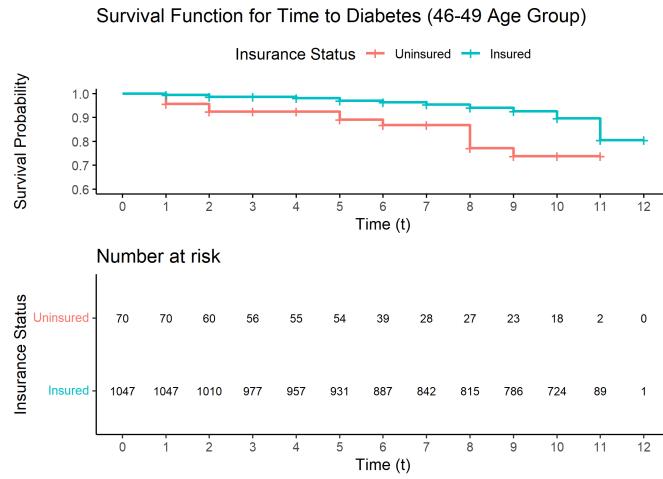


Figure 7: Kaplan-Meier curve for diabetes incidence by insurance status among women aged 46-49 ( $n = 1117$ , Log-Rank Test  $p = 0.0001$ )

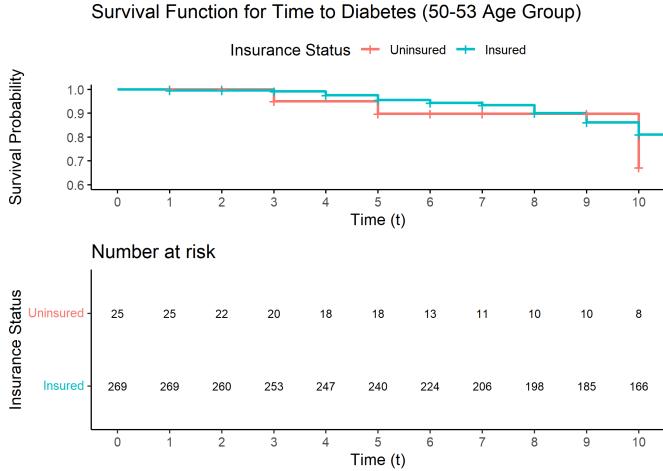


Figure 8: Kaplan-Meier curve for diabetes incidence by insurance status among women aged 50-53 ( $n = 294$ , Log-Rank Test  $p = 0.3$ )

We construct separate Kaplan-Meier curves for the effect of race on diabetes incidence for each of the age groups and use a log-rank test to detect significant differences between the observed survival curves. For all age groups, diabetes incidence significantly differs by race ( $p < 0.0001$  for ages 43-46,  $p < 0.0001$  for ages 46-49,  $p < 0.0001$  for ages 50-53). Post-hoc analysis of estimated survival curves using pairwise log-rank tests with Benjamini-Hochberg (BH) adjusted p-values among women who entered the study aged 42-45 finds significant differences between Black-/African American women and Non-Hispanic White women, Hispanic and Non-Hispanic White women, and Hispanic and Chinese/Chinese American women. For women who entered the study at ages 46-49, we find significant differences between Black/African American women and Non-Hispanic White women, Black/African American women and Chinese/Chinese American women, Black/African American women and Japanese/Japanese American women, Hispanic women and Chinese/Chinese American women, and Hispanic women and Japanese/Japanese American women. For women who entered the study aged 50-53, we find significant differences between Black/African American women and Non-Hispanic White women, Hispanic women and Non-Hispanic White women, and Hispanic women and Japanese/Japanese American women (Table 3).

Table 2: Pairwise Comparisons of Diabetes Incidence by Race for Each Age Group

Race	Non-Hispanic White (p-values)			Black/African American (p-values)			Chinese/Chinese American (p-values)			Japanese/Japanese American (p-values)		
Age Group	42-45	46-49	50-53	42-45	46-49	50-53	42-45	46-49	50-53	42-45	45-49	50-53
Black/African American	0.001**	<0.001***	0.002**									
Chinese/Chinese American	0.856	0.435	0.016*	0.054	0.007**	0.318						
Japanese/Japanese American	0.856	0.222	0.216	0.082	0.001**	0.208	0.856	0.687	0.706			
Hispanic	<0.001***	0.014*	0.003**	0.069	0.433	0.176	0.012*	0.041	0.208	0.054	0.001**	0.041*

\* <0.05

\*\* <0.01

\*\*\* <0.001

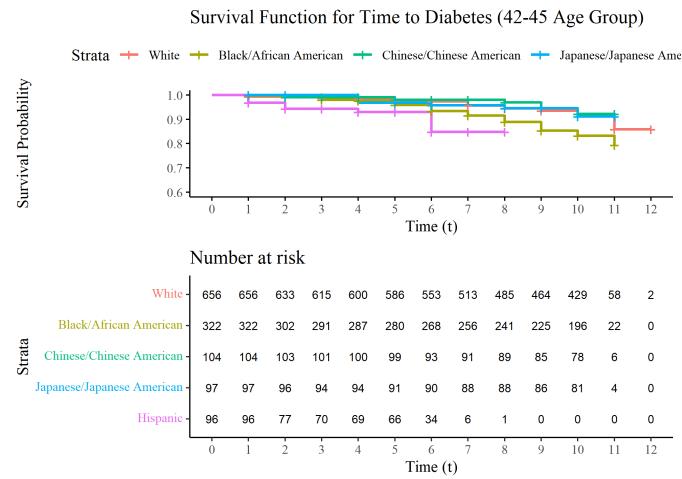


Figure 9: Kaplan-Meier curve for diabetes incidence by race among women aged 42-45 ( $n = 1275$ )

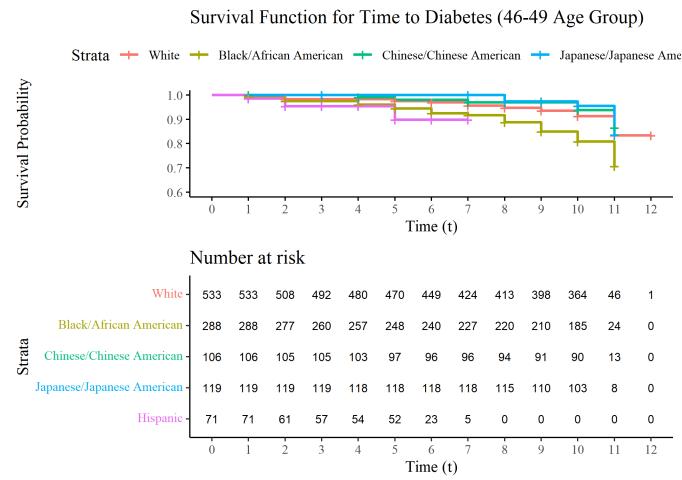


Figure 10: Kaplan-Meier curve for diabetes incidence by race among women aged 46-49 ( $n = 1117$ , Log-Rank Test  $p < 0.0001$ )

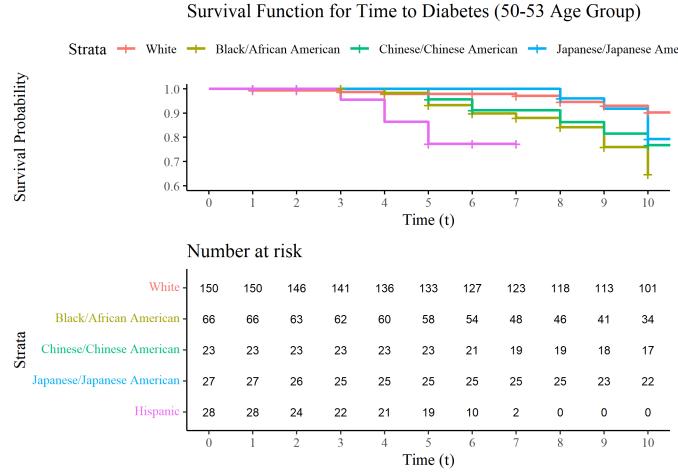


Figure 11: Kaplan-Meier curve for diabetes incidence by race among women aged 50-53 ( $n = 294$ , Log-Rank Test  $p < 0.0001$ )

For all age groups, diabetes incidence significantly differs by baseline BMI group ( $p < 0.0001$  for ages 43-46,  $p < 0.0001$  for ages 46-49,  $p < 0.0001$  for ages 50-53). Across all age groups, higher BMI groups appear to experience a faster decline in survival probability. For women who began the study aged 42-45, post-hoc analysis using pairwise log-rank tests with BH-adjusted p-values show that higher BMI groups experience significantly higher diabetes incidence than those in lower brackets. For women who entered the study between ages 46 and 49, women with BMI less than 30 have significantly lower diabetes incidence than those with BMI between 30 and 40 and those with BMI greater than 40. Among those who entered the study aged 50-53, those with BMI greater than 40 have significantly higher diabetes incidence than those with BMI 40 or less (Table 4).

Table 3: Pairwise Comparisons of Diabetes Incidence by Baseline BMI for Each Age Group

Baseline BMI	BMI <30 (p-values)			BMI 30-40 (p-values)			
	Age Group	42-45	46-49	50-53	42-45	46-49	50-53
<b>BMI 30-40</b>		<0.001***	<0.001***	0.093*			
<b>BMI 40+</b>		<0.001***	<0.001***	<0.001***	<0.001***	0.059	0.003**

\*  $<0.05$

\*\*  $<0.01$

\*\*\*  $<0.001$

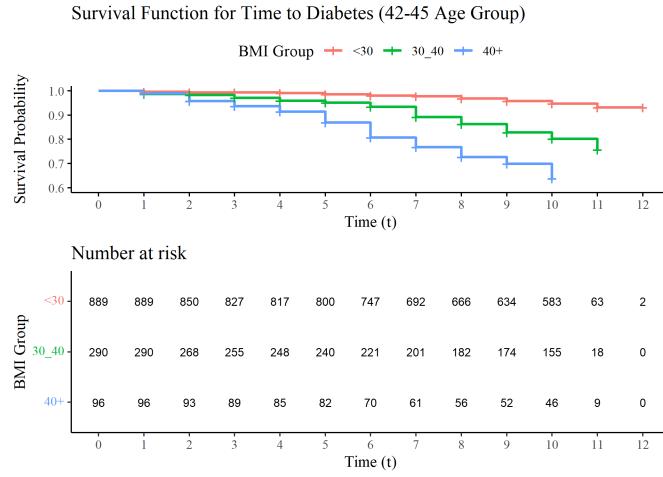


Figure 12: Kaplan-Meier curve for diabetes incidence by BMI among women aged 42-45 ( $n = 1275$ , Log-Rank Test  $p < 0.0001$ )

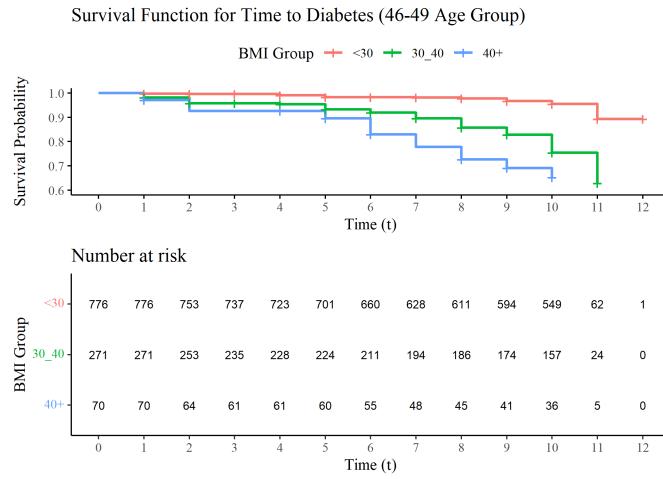


Figure 13: Kaplan-Meier curve for diabetes incidence by BMI among women aged 46-49 ( $n = 1117$ , Log-Rank Test  $p < 0.0001$ )

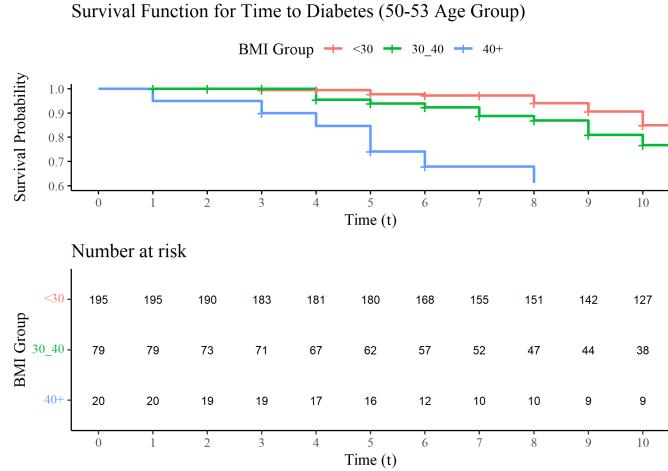


Figure 14: Kaplan-Meier curve for diabetes incidence by BMI among women aged 50-53 ( $n = 294$ , Log-Rank Test  $p < 0.0001$ )

We construct separate Kaplan-Meier curves for the effect of baseline household income for each of the age groups and use a log-rank test to detect significant differences between the observed survival curves. For all age groups, survival curves significantly differ by household income ( $p < 0.0001$  for ages 43-46,  $p < 0.0001$  for ages 46-49,  $p = 0.0002$  for ages 50-53) (Figures 13, 14, 15). Post-hoc analysis using pairwise log-rank tests with BH-adjusted p-values show that, among women who began the study aged 42-45, lower income brackets experience diabetes significantly higher diabetes incidence than their higher income counterparts in all cases except for going from the \$20,000-49,000 income bracket to the \$50,000-99,000 income bracket. For women who entered the study aged 46-49, lower income brackets experience significantly higher diabetes incidence than their higher income counterparts in all cases except when going from the \$50,000-99,000 income bracket to the \$100,000 or greater income bracket. For women who entered the study aged 50-53, those with incomes <\$20,000 experience higher diabetes incidence than those with incomes greater than or equal to \$50,000, with no significant differences found between other income brackets (Table 5).

Table 4: Pairwise Comparisons of Diabetes Incidence by Baseline Yearly Household Income for Each Age Group

Baseline Yearly Household Income (Thousands of Dollars)	Income <20 (p-values)			Income 20-49 (p-values)			Income 50-99 (p-values)			
	Age Group	42-45	46-49	50-53	42-45	46-49	50-53	42-45	46-49	50-53
Income 20-49		0.002**	0.001**	0.078						
Income 50-99		<0.001***	<0.001***	<0.001***	0.066	0.021*	1.000			
Income 100+		<0.001***	<0.001***	<0.001***	<0.001***	0.007**	0.148	0.002**	0.220	0.241

\*  $<0.05$

\*\*  $<0.01$

\*\*\*  $<0.001$

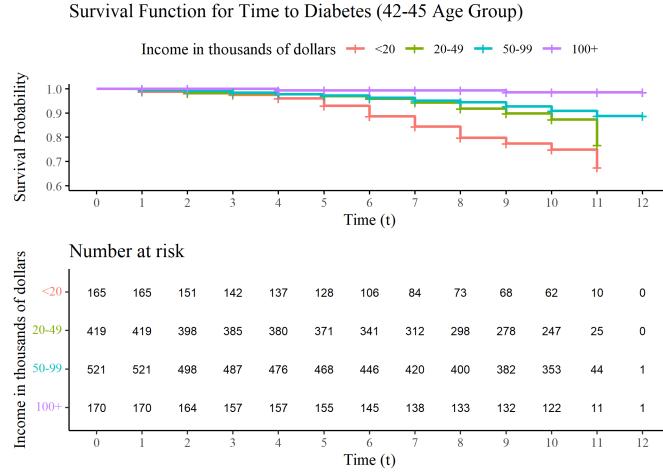


Figure 15: Kaplan-Meier curve for diabetes incidence by income among women aged 42-45 ( $n = 1275$ , Log-Rank Test  $p < 0.0001$ )

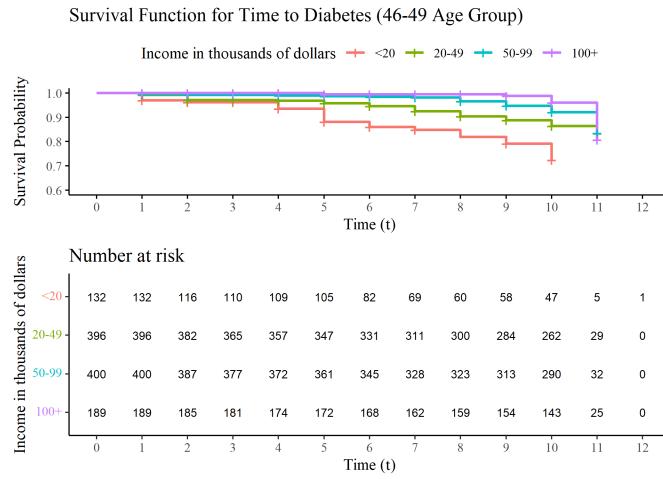


Figure 16: Kaplan-Meier curve for diabetes incidence by income among women aged 46-49 ( $n = 1117$ , Log-Rank Test  $p < 0.0001$ )

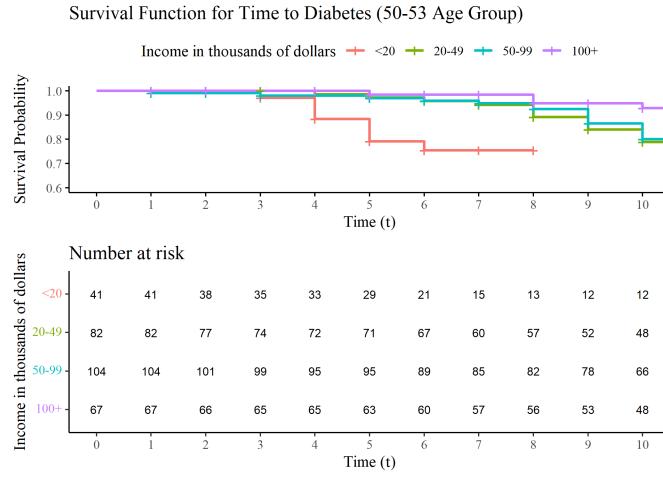


Figure 17: Kaplan-Meier curve for diabetes incidence by income among women aged 50-53 ( $n = 294$ , Log-Rank Test  $p = 0.0002$ )

### ***Analysis of Diabetes Incidence Using Stratified Cox Proportional Hazards Models***

Using Cox proportional hazards (CPH) model stratified by age upon study entry, middle-aged American women with health insurance are found to be at 62.5% lower risk for incident diabetes than those without insurance, adjusted only for age of study entry (HR = 0.375, p-value  $<0.001$ ). Using a Goodness-of-Fit test of the Schoenfeld Residuals, we find that health insurance status meets the proportional hazards assumption ( $p = 0.2$ ) and no interaction is found between health insurance and the age strata ( $p = 0.581$ ) (Model A in Table 6).

We proceed to a larger CPH model including all covariates (Model B in Table 6). we find that, after adjusting for race, baseline household income, baseline BMI group, and age group, the effect of insurance status on diabetes survival is not significant ( $p = 0.182$ ). All other covariates significantly affect diabetes incidence, with Black/African American, Chinese/Chinese American, Japanese, Japanese American, and Hispanic women at 44.7%, 71.8%, 73.1%, and 173.7% higher risk, respectively, for incident diabetes than White women, after adjusting for insurance status, baseline household income, baseline BMI, and age upon study entry. Women with household incomes less than \$20,000 per year are at 81.5% higher risk for incident diabetes than women with household incomes between \$50,000 and \$99,000, and women with household incomes \$100,000 or more are at 49.0% lower risk for incident diabetes than those with incomes \$50,000 to \$99,000 after adjusting for insurance status, race, baseline BMI, and age upon study entry. After adjusting for insurance status, race, baseline household income, and age upon study entry, women in higher BMI groups are at significantly greater risk for incident diabetes with women with BMI between 30 and 40 at 266.6% greater risk for diabetes and those with BMI grater than 40 at 593.2% greater risk for diabetes compared to those with BMI less than 30. A Goodness-of-Fit test of the Schoenfeld residuals shows that all covariates meet the

proportional hazards assumption ( $p > 0.05$  for all covariates), although household income nearly violates proportional hazards ( $p = 0.063$ ). No interaction is found between the covariates and the strata ( $p = 0.329$ ).

As insurance status was not significant in the Model B, we investigate a model including all covariates except insurances status (Model C in Table 6). Black/African American, Chinese/Chinese American, Japanese, Japanese American, and Hispanic women at 43.6%, 68.7%, 72.5%, and 196.5% higher risk for incident diabetes than White women, after adjusting for baseline household income, baseline BMI, and age upon study entry. Those with household incomes less than \$20,000 at 92.8% greater risk for incident diabetes than those with household incomes between \$50,000 and \$99,000, and women in the highest household income bracket at 48.2% lower risk than those with household incomes between \$50,000 and \$99,000 after adjusting for race, baseline BMI and age upon study entry. After adjustment for race, household income, and age upon study entry, women with BMI between 30 and 40, and women with BMI greater than 40 are at 265.9% and 592.9% greater risk for incident diabetes, respectively. All covariates meet the proportional hazards assumption ( $p > 0.05$  for all covariates), although household income nearly violates the proportional hazards assumption ( $p = 0.058$ ). No interaction is found between the age strata and the model covariates ( $p = 0.228$ ).

Table 5: Hazard Ratios Estimated by Cox Proportional Hazards Models Stratified by Age Group

Covariate	Model A HR (p-value)	Model B HR (p-value)	Model C HR (p-value)	Model D HR (p-value)
Insurance Status				
<i>Insured</i>	0.375 (<0.001)***	0.741 (0.182)		0.581 (0.013)*
Race				
<i>Black/African American</i>		1.447 (0.009)**	1.4361 (0.011)*	1.652 (<0.001)***
<i>Chinese/Chinese American</i>		1.718 (0.038)*	1.687 (0.045)*	1.782 (0.026)*
<i>Japanese/Japanese American</i>		1.731 (0.035)*	1.725 (0.037)*	1.599 (0.071)
<i>Hispanic</i>		2.737 (<0.001)***	2.965 (<0.001)***	3.632 (<0.001)***
Yearly Household Income (Thousands of Dollars)				
<i>&lt;20</i>		1.815 (0.001)**	1.928 (<0.001)***	
<i>20-49</i>		1.246 (0.136)	1.257 (0.120)	
<i>100+</i>		0.510 (0.015)*	0.508 (0.014)*	
BMI				
<i>30-40</i>		3.666 (<0.001)***	3.659 (<0.001)***	3.924 (<0.001)***
<i>40+</i>		6.932 (<0.001)***	6.929 (<0.001)***	7.931 (<0.001)***

\* significant at  $<0.05$

\*\* significant at  $<0.01$

\*\*\* significant at  $<0.001$

To investigate which covariate makes insurance status insignificant, three sub-models of Model B were investigated

which included insurance status and one other covariate, along with age strata. For the sub-model with insurance status and race, both covariates remain significant ( $p = 0.003$  for insurance status and  $p < 0.05$  for at least one racial group, and the proportional hazards assumption is met. For the sub-model model with insurance status and household income, we find that income doesn't meet the proportional hazards assumption when adjusted only for insurance status ( $p = 0.027$ ), so income was included as a strata. In a sub-model with age and income strata, insurance is found to have an insignificant effect on diabetes incidence ( $p = 0.158$ ). In the sub-model with insurance and BMI group as covariates, both covariates meet the proportional hazards assumption ( $p > 0.05$  for insurance status and at least one BMI group) and both covariate are significant ( $p < 0.05$  for insurance status and at least one BMI group).

Since insurance status was found to be insignificant after adjustment for yearly household income, we investigate a CPH model that includes insurance status, race, and BMI group, stratified by age upon study entry (Model D in Table 6). After adjustment for race, household income, and BMI group, those with insurance are at 41.9% lower risk for incident diabetes than those without insurance ( $p = 0.013$ ). Black/African American, Chinese/Chinese American, and Hispanic women are at significantly greater risk for incident diabetes with risks 65.2%, 78.2%, and 263.2% greater risks respectively compared to White women after adjusting for insurances status, BMI group, and age group upon study entry. Japanese/Japanese American women were not found to significantly differ from White women in diabetes incidence. After adjusting for insurance status, race, and age group, women with BMI between 30 and 40 and women with BMI greater than 40 are at 292.4% and 693.1% greater risk for incident diabetes, respectively. The proportional hazards assumption was met for all covariates and no interaction was found between the covariates and the age strata.

## Discussion

The aim of this study was to evaluate the effects of insurance status, race, yearly household income, and BMI on diabetes incidence among a racially and socioeconomically diverse sample of middle-aged American women, motivated by the increasing prevalence of diabetes in the United States. Using survival analysis models, this study provides insight into the long-term effects of the aforementioned socioeconomic factors, especially health insurance status, which remains understudied in existing literature.

Although women with insurance were shown to have significantly lower risk for incident diabetes than uninsured women when adjusted for race, BMI, and age upon study entry, health insurance status was not found to significantly affect diabetes incidence after adding yearly household income as a covariate. Lack of significance after adjustment and the dependence of all covariates may indicate that health insurance status is indicative of several socioeconomic factors, especially yearly household income, as lower income households are more likely to be uninsured (Berchick, 2019).

Investigation of race as a risk factor for incident diabetes suggest that Black/African American and Hispanic women may be particularly at risk for diabetes. Kaplan-Meier estimated survival curves for Black/African American women and Hispanic women don't significantly differ from each other across each age group, although both curves significantly differ from White women, and, in some cases, Chinese/Chinese American and Japanese/Japanese American women. Chinese/Chinese American and Japanese/Japanese American women tended towards similar levels of risk for incident diabetes as White women, as estimated by Kaplan-Meier curves. However, in CPH models, after adjusting for health insurance status, yearly household income, BMI group, and age upon study entry, all race groups are at significantly higher risk for incident diabetes than their White counterparts. Hispanic women may be particularly at risk, at nearly 3 times greater risk for incident diabetes than White women after adjustment for insurance status, household income, BMI group, and age upon study entry. As Hispanic Americans, followed closely by Black Americans, are more likely to be uninsured than other racial groups, and uninsured individuals are less likely to receive adequate care for diabetes management (Berchick, 2019, Doucette et al., 2017), higher diabetes incidence may pose compounding health effects for Hispanic and Black/African American middle-aged women.

For all models, those with lower household incomes tend to be at higher risk for incident diabetes. Although income and race are closely linked, we find that women with incomes less than \$20,000 may be at higher risk for incident diabetes and those with incomes greater than \$100,000 may be at lower risk for incident diabetes compared to those with yearly incomes \$50,000 to \$99,000, after adjusting for insurance status, race, BMI, and age upon study entry. This agrees with previous findings that lower income is associated with higher risk for incident diabetes, even after adjusting for race (Beckles & Thompson-Reid, 2001, Lee et al., 2011, Duan et al., 2022). The effect of income on diabetes may be explained by other socioeconomic or environmental factors not directly examined in this study, such as access to healthy food, economic stress, access to public outdoor spaces (parks, sidewalks, etc.), and familial or social behaviors.

The strength of the present study lies in the use of survival analysis methods to evaluate longitudinal effects and account for drop-out over the course of the study. The use of both parametric Kaplan-Meier methods and semi-parametric stratified Cox proportional hazards models offer insight into risk factors for incident diabetes. A large, racially and socioeconomically diverse analytical sample of 2,686 women enrolled in the SWAN study lends strength to the analysis. Further, few studies examine the effect of insurances status on long-term health outcomes, in particular diabetes, which has become a major health crisis in recent decades.

However, certain limitations must be considered. Despite the large sample size, certain groups were underrepresented in the study and affected number at risk over time. Hispanic women were particularly poorly represented in the analytical sample, and due to drop-out over time, the number of at risk Hispanic women is reduced to zero before the full duration of the study. Hazard ratios for Hispanic women were particularly high, indicating that further research

is needed for this group. In this study, individuals were either insured or uninsured, which does not permit in-depth investigation of different types of insurance in the United States. Different types of insurance coverage are associated with differing success in diabetes management, so examining several levels of insurance may provide greater insight into how insurance coverage affects diabetes incidence (Piette et al., 2004). Further, although this study uses baseline records of insurances status, yearly household income, and BMI as indicators for the full duration of the study, these factors are likely to change over time, especially during middle age as women change careers and make lifestyle changes.

Significantly elevated risk for incident diabetes among Black/African American middle-aged women, even after adjusting for insurance status, yearly household income, BMI, and age upon study entry indicates that, despite economic and simple indicators for health status, these women face other factors not explored in this study. Future research should investigate socioeconomic, environmental, and health as they affect diabetes incidence among women. Although health insurance may serve as an important indicator of socioeconomic status and disease management there remains little investigation on the affect of health insurance status on diabetes incidence. Future research should examine types of insurance and their effects on risk for incident diabetes.

In conclusion, the present study reinforces existing literature that incident diabetes is associated with lower incomes, higher BMI, and is more prevalent in BIPOC women than White women. We expand upon these studies by examining the role of insurance status in diabetes incidence, the effects of which remain poorly understood in the literature.

In conclusion, the present study reinforces and expand upon existing literature by examining the role of insurance status, race, yearly household income, and BMI on diabetes incidence, and suggest that lower household income groups and Black/African American and Hispanic middle-aged women may be at greater risk for incident diabetes after adjusting for insurance status, race, household income, and BMI. The effect of health insurance status on diabetes incidence in women remains unclear and warrants further investigation.

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## **Appendix**