```
Lauren Fromm
404751250
CS 161
```

HW₆

```
1.
    a) \{x/A, y/B, z/C\}
    b) No unifier exists: \{y/G(x,x)\} \rightarrow x/A and x/B?
    c) \{x/A, y/A\}
    d) {x/John, y/John}
    e) No unifier exists: {x/y} -> x!=father(x)
2.
a)
Basic functions: food(a), likes(liker, likee), eats(eater, food), killed(killed, killer), alive(b)
John likes all kinds of food
(A x) (food(x) => likes(john,x))
Apples are food
food(apples)
Chicken is food
food(chicken)
Anything someone eats and isn't killed by is food
(A x) ((E y) ((eats(y,x) \& \sim killed(y, x) = > food(x)))
If you are killed by something, you are not alive
(A y, x) ((killed(y, x) => \sim alive(y)))
Bill eats peanuts and is still alive
(eats(bill, peanuts) & alive(bill))
Sue eats everything Bill eats
(A x) (eats(bill, x) => eats(Sue, x))
b)
(A x) (food(x) => likes(john,x))
(~food(x) | likes(john,x))
food(apples)
food(chicken)
```

```
(A x, y) (eats(y,x) \& \sim killed(y) => food(x))
\sim(eats(y,x) & \simkilled(y)) | food(x)
(\sim eats(y,x) \mid killed(y,x) \mid food(x))
(A y) (killed(y) => \sim alive(y))
(~killedy(y,x) | ~alive(y))
(eats(bill, peanuts) & alive(bill))
eats(bill,peanuts)
alive(bill)
(A x) (eats(bill, x) => eats(Sue, x))
(~eats(bill,x) | eats(Sue,x))
1.(~food(x) | likes(john,x))
2. food(apples)
3. food(chicken)
4. (\simeats(y,x) | killed(y,x) | food(x))
5. (\sim killed(y, x) \mid \sim alive(y))
6. eats(bill,peanuts)
7. alive(bill)
8. (~eats(bill,x) | eats(Sue,x))
C) John likes peanuts (likes(john,peanuts))
0. ~likes(john,peanuts)
9. ~food(peanuts)
                        0,1 {x/peanuts}
10. ~eats(y, peanuts) | killed(y, peanuts)
                                                  4,9 {x/peanuts}
11. killed(bill, peanuts)
                                 6, 11 {y/bill}
12. ~alive(bill)
                                 5, 11 {y/Bill, x/Peanuts}
13. alive(bill)
14. Contradiction
                                 12,13
```

Therefore we have proven John likes Peanuts through resolution.

D) What food does Sue eat?
Assume Sue does not eat any food
0. ~eats(Sue,x)
9. ~eats(bill,x)
0, 8
10. ~eats (bill, peanuts)
9 {x/peanuts}
11. Contradiction 10, 6

Therefore we have proven Sue eats all food.

```
E)
If you don't eat, you die.
If you die, you are not alive.
Bill is alive.
(A x,y) (\sim eat(y, x) => dead(y))
(A y) (dead(y) => \sim alive(y))
alive(Bill)
CNF:
(eat(y,x) \mid dead(y))
(~dead(y) | ~alive(y))
alive(Bill)
Given:
1.(~food(x) | likes(john,x))
2. food(apples)
3. food(chicken)
4. (\simeats(y,x) | killed(y,x) | food(x))
5. (\sim killed(y, x) \mid \sim alive(y))
6. (eat(y,x) | dead(y))
7. (~dead(y) | ~alive(y))
8. alive(Bill)
9. (~eats(bill,x) | eats(Sue,x))
What food does Sue eat?
0. ~eats(sue,x)
10. ~eats(bill,x)
                        0,9
```

11. dead(bill)

12. ~alive(bill)

13. Contradiction

Therefore we can still prove that Sue eats everything.

7, 11

8, 12

6,10 {y/bill}