Single rolls bets involve betting on the next roll of the dice only. The following table lists single roll bets.

| Bet 2 (snake eyes) or 12 (boxcar) | Probability $\frac{1}{36}$ | Odds 35:1 | Payout 30:1 | Expected Value $\frac{1}{36}(30) + \frac{35}{36}(-1)$ = -0.14 |
|---|----------------------------|--------------|------------------------------------|--|
| 3 or 11 (yo-leven) | $\frac{2}{36}$ | 34:2 | 15:1 | $\begin{array}{l} \frac{2}{36}(15) + \frac{34}{36}(-1) \\ =11 \end{array}$ |
| Hi-Lo (2 or 12) | $\frac{2}{36}$ | 34:2 | 15:1 | $\begin{array}{l} \frac{2}{36}(15) + \frac{34}{36}(-1) \\ =11 \end{array}$ |
| Craps (2,3,or 12) | $\frac{4}{36}$ | 32:4 | 7:1 | $\begin{array}{l} \frac{4}{36}(7) + \frac{32}{36}(-1) \\ =11 \end{array}$ |
| C and E (bet 1/2 on craps,1/2 on yo) | <u>6</u> 36 | 30:6 | 3:1 on craps, 7:1 on 11 | $= \frac{4}{36}(3) + \frac{2}{36}(7) + \frac{30}{36}(-1)$ =11 |
| Horn (2,3,11,12) | $\frac{6}{36}$ | 30:6 | 27:4 on 2,12, 3:1 on 3,11 | $\begin{array}{l} \frac{2}{36}(\frac{27}{4}) + \frac{4}{36}(3) + \frac{30}{36}(-1) \\ =13 \end{array}$ |
| Any seven | <u>6</u> 36 | 30:6 | 4:1 | $\begin{array}{l} \frac{6}{36}(4) + \frac{30}{36}(-1) \\ =17 \end{array}$ |
| Field (2,3,4,9,10,11,12) | <u>16</u> 36 | 20:16 | 1:1 on 3,4,9,10,11, 2:1 on 2,12 | $\begin{array}{l} \frac{14}{36}(1) + \frac{2}{36}(2) + \frac{20}{36}(-1) \\ =06 \end{array}$ |

Multiroll bets are played out over several rolls of the dice.

Place bets: bet that a given sum will be rolled before a sum of seven is rolled.

Hardway bets: bet that you will roll doubles of a given sum before you will roll a seven or you roll the sum the "easy way", i.e., not doubles.

| Bet Place 4/10 | Probability $\frac{3}{3+6}$ | Odds 6:3 | Payout 9:5 | Expected Value $\frac{3}{9}(\frac{9}{5}) + \frac{6}{9}(-1)$ |
|-----------------------|-----------------------------|-------------|---------------|---|
| Place 5/9 | $\frac{4}{4+6}$ | 6:4 | 7:5 | $=07$ $\frac{4}{10}(\frac{7}{5}) + \frac{6}{10}(-1)$ $=04$ |
| Place 6/8 | $\frac{5}{5+6}$ | 6:5 | 7:6 | $\frac{5}{11}(\frac{7}{6}) + \frac{6}{11}(-1)$ |
| Hardway 4/10 | $\frac{1}{3+6}$ | 8:1 | 7:1 | $=02$ $\frac{1}{9}(7) + \frac{8}{9}(-1)$ |
| Hardway 6/8 | $\frac{1}{5+6}$ | 10:1 | 9:1 | $=11$ $\frac{1}{11}(9) + \frac{10}{11}(-1)$ |
| Pass/Come | $\frac{244}{495}$ | 251:244 | 1:1 | =09 01 |
| Don't Pass/Don't Come | 949 1980 | 976:949 | 1:1 | 01 |

Craps Project

Name:

1. Neatly fill in the following table.

| Type of Bet | Money on bet | Payout | Expected Value | Win? | * * |
|----------------|--------------|--------|----------------|------|--------|
| 1. 2. 3. | | | V + | | 2 - |
| 3. 4 | | | | • | |
| 5 | | | | | |
| 6 | | | | | |
| 7 | | | | | |
| 8 | | | | | |
| 9 | | | | | |
| 10 | | | | | ÷ |
| 11 | | | | | |
| 12 | | | | | |
| 13 | | | | | |
| 14 | | | | | |
| 15 | | | | | |
| 16 | | | | | |
| 17 | | | | | |
| 18 | | | | | |
| 19 | | | | | |
| 20 | | | | | |

2. Add the total expected value column and add the actual earnings column. Compare these two quantities and explain their meaning.

(Show me pach fraction)

A pass bet wins if the first roll is a 7 or 11. It loses if the first roll is a 2,3, or 12. It wins if the first roll is rolled again before a 7 is rolled. Fill in the following steps to find the expected value of a pass bet.

- 1. Find P(7 or 11 on the first roll). (Answer: 0.222)
- 2. Find the probability that the first roll is rolled again before a 7 is rolled. To find this probability, first find the following:

P(4 on first roll)*P(4 again before a 7 is rolled)= (Answer: $\frac{3}{36} * \frac{3}{3+6} = 0.0278$)

P(5 on first roll)*P(5 again before a 7 is rolled)=
(Answer: 0.0444)

P(6 on first roll)*P(6 again before a 7 is rolled)=
(Answer: 0.0631)

P(8 on first roll)*P(8 again before a 7 is rolled)=

P(9 on first roll)*P(9 again before a 7 is rolled)=

P(10 on first roll)*P(10 again before a 7 is rolled)=

- 3. Add all of the quantities in part 1 and part 2 to find P(winning).
- 4. Subtract 1-P(winning) to find the probability of losing.
- 5. The payout of a pass bet is 1:1. Thus evaluate $P(\text{winning})^*(\$1) + P(\text{losing})^*(\$1)$ to find the expected value of the pass bet.