# **Chapter-01**

### **Relation and Function**

#### **TYPES OF RELATIONS:**

- A relation R in a set A is called reflexive if  $(a, a) \in R$  for every  $a \in A$ .
- A relation R in a set A is called symmetric if (a1, a2) ∈ R implies that (a2, a1) ∈ R, for all a1,
  a2 ∈
- A relation R in a set A is called transitive if (a1, a2) ∈ R, and (a2, a3) ∈ R together imply that (a1
- all a1, a2, a3 ∈ A.

## **EQUIVALENCE RELATION**

• A relation R in a set A is said to be an equivalence relation if R is reflexive, symmetric and transitive.

## **Equivalence Classes**

- Every arbitrary equivalence relation R in a set X divides X into mutually disjoint subsets (Ai) called partitions or subdivisions of X satisfying the following conditions:
- All elements of Ai are related to each other for all i
- No element of Ai is related to any element of Aj whenever i ≠ j
- $Ai \cup Ai = X$  and  $Ai \cap Ai = \Phi$ ,  $i \neq j$ . These subsets  $((A_i))$  are called equivalence classes.
- For an equivalence relation in a set X, the equivalence class containing  $a \in X$ , denoted by [a], is the subset of X containing all elements b related to a.
  - \*\*Function: Arelation f: A  $\longrightarrow$  B is said to be a function if every clement of A is correlated to a

Unique element in B.

- \*Aisdomain
- \* Biscodomain