

LIGHT REFLECTION AND REFRACTION

Reflection of light

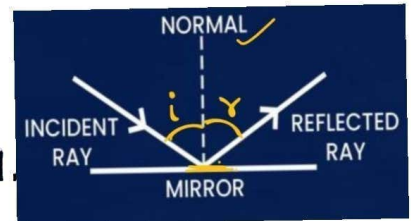
The Bouncing back of light when it hits a polished surface like mirror.

Laws of Reflection

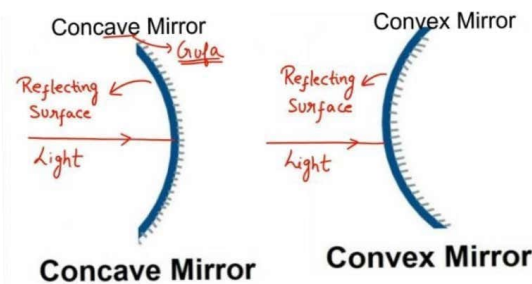
(i) $\angle i = \angle r$

Angle of Incidence = Angle of Reflection.

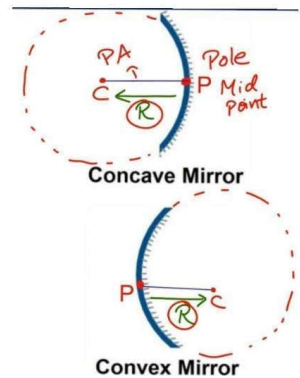
(ii) The incident ray, the reflected ray and the normal all lie in the same plane.



Spherical Mirrors :-



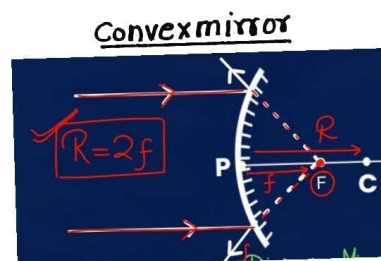
- Pole (P)
- Centre of Curvature (C)
- Principal Axis (PA)
- Radius of Curvature (R)



Principle Focus (F) and Focal length (f) :-



(converging mirror)



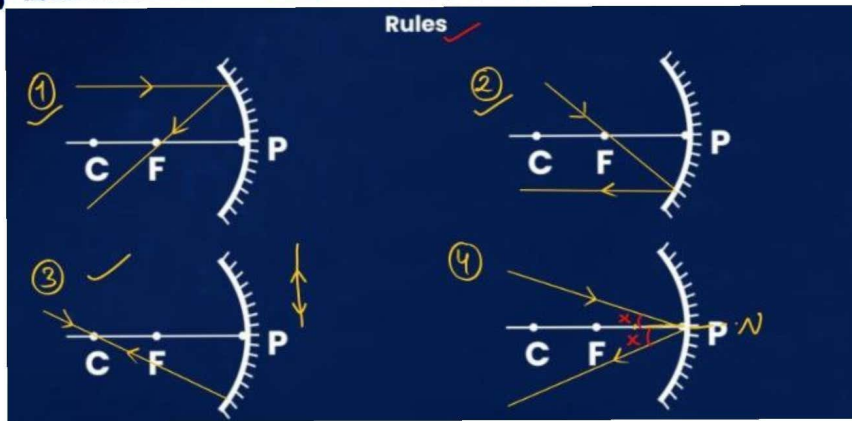
(Diverging mirror)

*For spherical mirror in our syllabus
 $R=2f$

Image formation and characteristics :-

- (1) Atleast two rays of light meet \rightarrow Image
- (2) if rays of light actually meet \rightarrow Real
- (3) if rays of light appear to meet \rightarrow Virtual

Image Formation - Concave Mirror



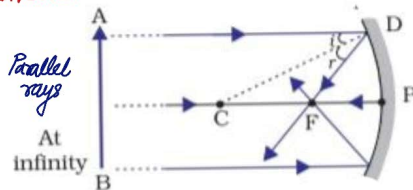
object at ∞

characteristics:-

- Image at Focus
- Real, Inverted, Highly diminished

Point size

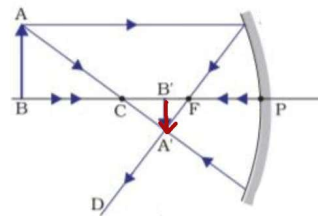
Real
Inverted



object Beyond C

characteristics:-

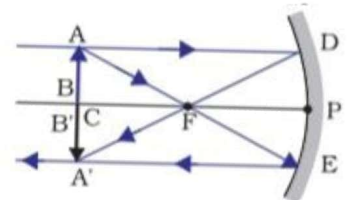
- Image between C and F
- Real, Inverted, Diminished



object at C

characteristics:-

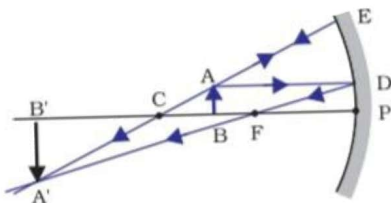
- Image at C
- Real, Inverted, same size



Object between C & F

characteristics:-

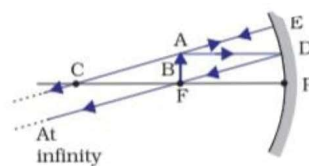
Image beyond C
Real, Inverted, Magnified



object at F

characteristics:-

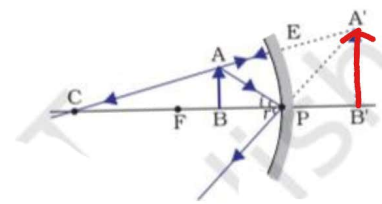
Image at ∞
Real, Inverted,
Highly Magnified



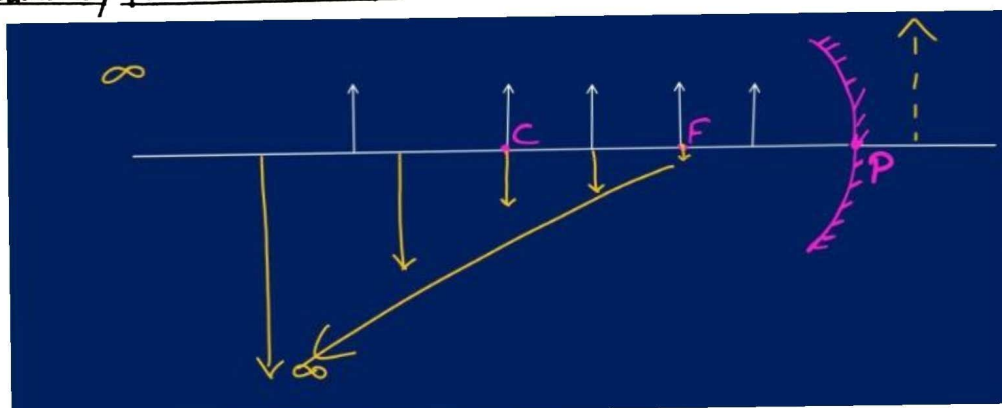
object between F and P

characteristics:-

Image behind the mirror.
Virtual, Erect, Magnified
(upright)

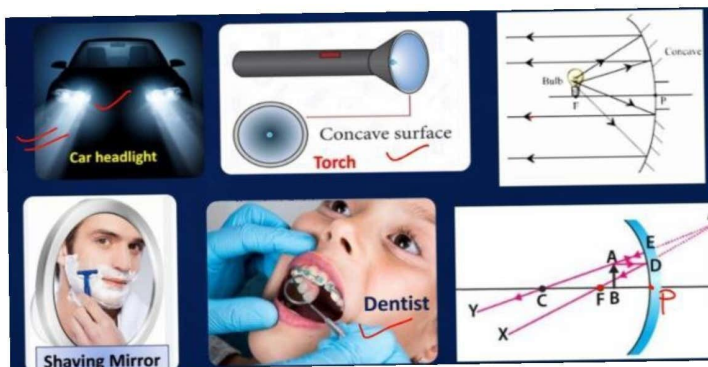


Summary for Concave Mirror :-



Position of the object	Position of the image	Size of the image	Nature of the image
At infinity	At the focus F	Highly diminished, point-sized	Real and inverted
Beyond C	Between F and C	Diminished	Real and inverted
At C	At C	Same size	Real and inverted
Between C and F	Beyond C	Enlarged	Real and inverted
At F	At infinity	Highly enlarged	Real and inverted
Between P and F	Behind the mirror	Enlarged	Virtual and erect

Uses of Concave Mirror



To concentrate sunlight to produce heat
 ↓
 solar Furnace

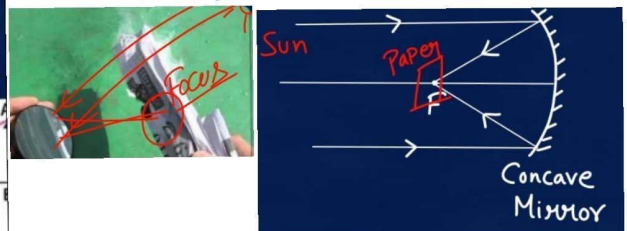
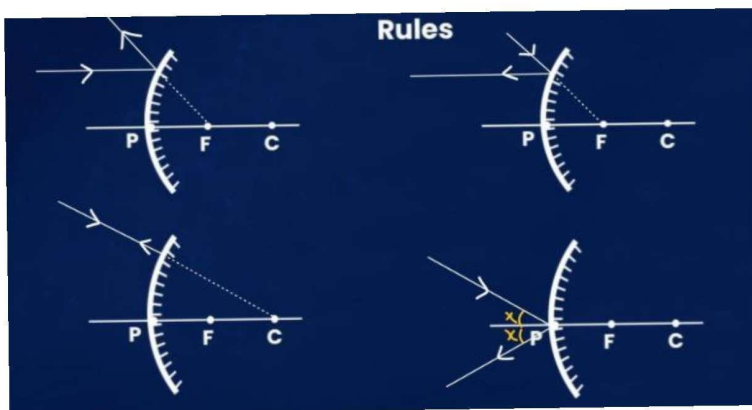
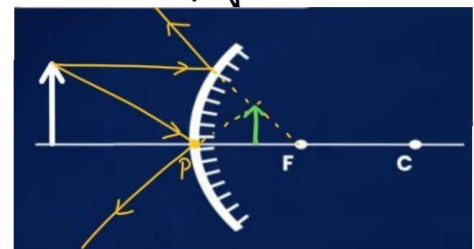


Image Formation: convex Mirror



object at finite distance
 (anywhere except ∞)

Image between F and P
 virtual, erect, Diminished,
 Upright



Use of Convex Mirror

▲ Rear-View mirrors



- (1) Upright / Erect Image
- (2) Wider field of View

summary - convex and Concave Mirror :-

★ Concave Mirror

Inverted

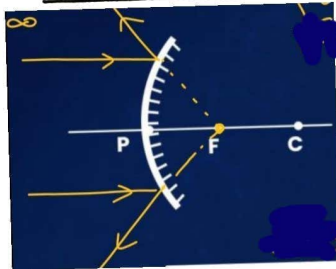
Erect/Virtual
upright,
Enlarged

(seedhi + Badi image)

★ Convex Mirror

only Erect, Virtual
Diminished
(seedhi or chotti image)

Object at ∞ :-



virtual
Upright
Erect

characteristics :-

- Image at F
- Virtual, Erect, Highly Diminished Point Size

Learn Convex

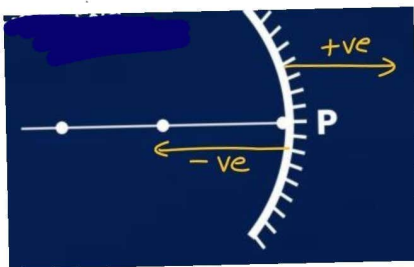
Position of the object	Position of the image	Size of the image	Nature of the image
At infinity	At the focus F, behind the mirror	Highly diminished, point-sized	Virtual and erect
Between infinity and the pole P of the mirror	Between P and F, behind the mirror	Diminished	Virtual and erect

Sign Convention

(1) All distances are measured from pole.

(2) \rightarrow +x axis
 \leftarrow -x axis

(3) $h = +ve$
 $h = -ve$



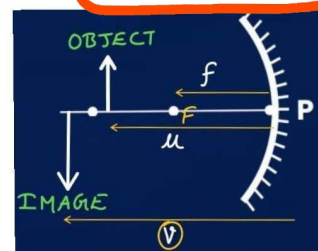
Mirror formula

$$\frac{1}{f} = \frac{1}{v} + \frac{1}{u}$$

u = object distance
 v = Image distance

Note

$u \rightarrow -ve$ Always
 $f \rightarrow +ve$ convex
convex $\rightarrow +$



Magnification (m)

$$m = \frac{h_i}{h_o}$$

$$m = \frac{v}{u}$$

Magnification(m) and Nature of image :-

$$m = \frac{h_i}{h_o}$$

$$h_i = m \times h_o$$

$$m = 2$$

$$h_i = 2 \times h_o$$

$$m = 3$$

$$h_i = 3 \times h_o$$

$$m = -4$$

$$h_i = -4 \times h_o$$

$m_{\text{value}} > 1$
magnified

$$m = \frac{1}{2} (0.5)$$

$$h_i = \frac{1}{2} h_o$$

$m_{\text{value}} < 1$
Diminished

$$m = -\frac{1}{3} (-0.3)$$

$$h_i = -\frac{1}{3} h_o$$

$$m = -2$$

$$h_i = -2 h_o$$

$\uparrow_o \downarrow_i$ Inverted

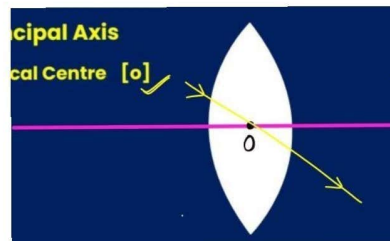
$$m = +3$$

$$h_i = +3 h_o$$

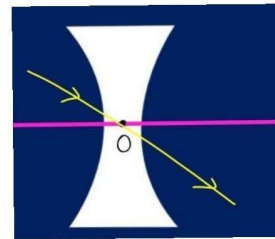
$\uparrow_o \uparrow_i$ Erect

Spherical lenses :-

Principal axis
Optical Centre [O]



convex lens
(Thick in middle)

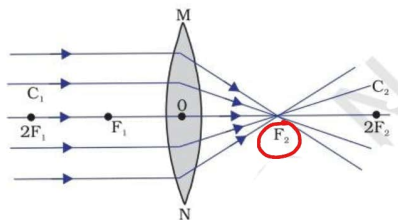


Concave lens
(Thin in middle)

Principal Focus(F) and Focal length(f)

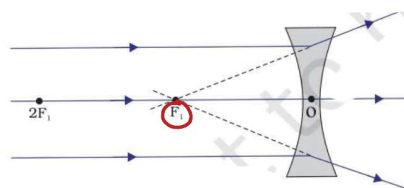
(1) convex lens

Note: They have two F
 F_1 and F_2 due to
curved surfaces



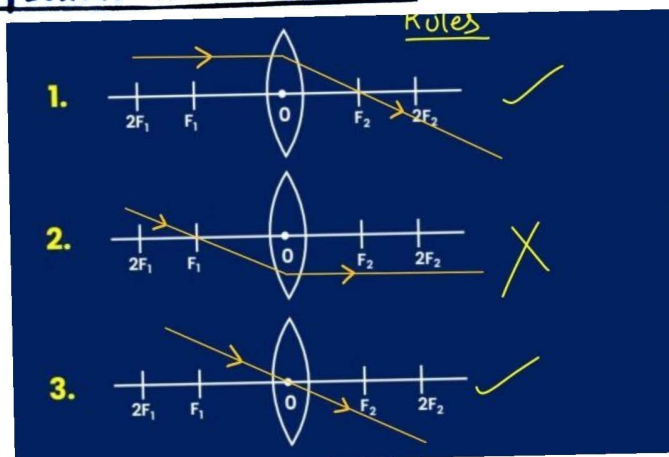
converging lens

(2) Concave lens



Diverging lens

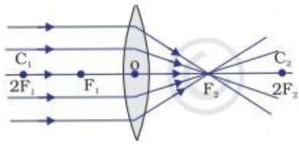
image formation → convex lens



object at ∞

characteristics of image :-

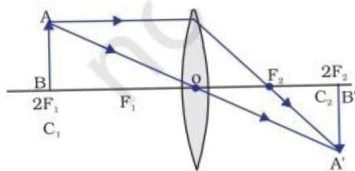
- Image at F_2
- Real, Inverted, Highly Diminished Point size



object at $2F_1$

characteristics of image :-

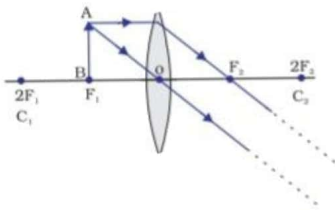
- Image at $2F_2$
- Real, Inverted, same size



object at F_1

characteristics of image :-

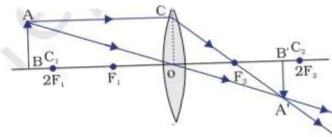
- Image at ∞
- Real, Inverted, Highly magnified



object Beyond $2F_1$

characteristics of image :-

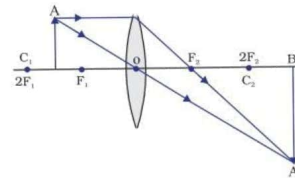
- Image between F_2 and $2F_2$
- Real, Inverted, Diminished



object Between $2F_1$ & F_1

characteristics of image :-

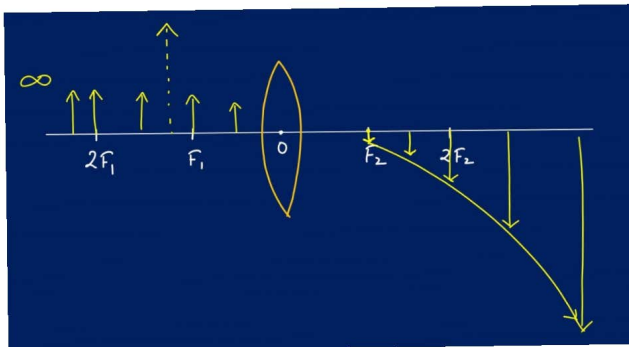
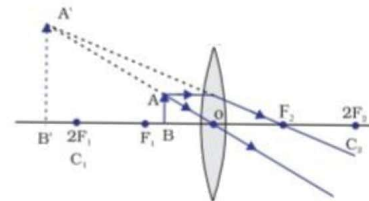
- Image Beyond $2F_2$
- Real, Inverted, Magnified



object Between F_1 & O

characteristics of image :-

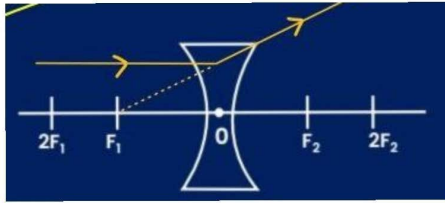
- Image on same side of object
- Virtual, erect, Magnified



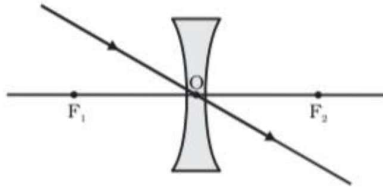
Position of the object	Position of the image	Relative size of the image	Nature of the image
At infinity	At focus F_2	Highly diminished, point-sized	Real and inverted
Beyond $2F_1$	Between F_2 and $2F_2$	Diminished	Real and inverted
At $2F_1$	At $2F_2$	Same size	Real and inverted
Between F_1 and $2F_1$	Beyond $2F_2$	Enlarged	Real and inverted
At focus F_1	At infinity	Infinitely large or highly enlarged	Real and inverted
Between focus F_1 and optical centre O	On the same side of the lens as the object	Enlarged	Virtual and erect

Image Formation → Concave lens

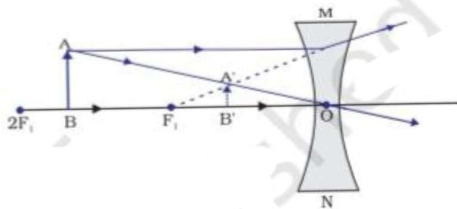
(i)



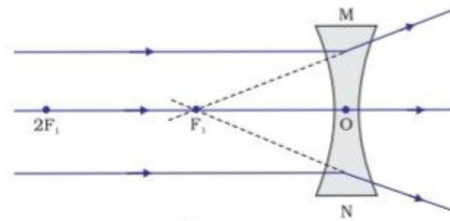
(ii)



object at infinite distance
(anywhere except ∞)



object at ∞



characteristics of image

- Image between F_1 & O
- Virtual, Erect, Diminished

characteristics of image

- Image at F_1
- Virtual, Erect, Highly Diminished
↓
pointsize

Position of the object	Position of the image	Relative size of the image	Nature of the image
At infinity	At focus F_1	Highly diminished, point-sized	Virtual and erect
Between infinity and optical centre O of the lens	Between focus F_1 and optical centre O	Diminished	Virtual and erect

summary of convex and Concave lens

convex lens
 ↓
 Inverted
 ↓
 Erect/upright magnified

Concave lens
 ↓
 Erect/Upright
 Diminished
 (seedhi + chotti)

Sign Convention, Lens formula and Magnification

- (1) Here all distances are measured from O [Optical Centre]
- (2) Rest all same rule for sign.

$$\frac{1}{f} = \frac{1}{v} - \frac{1}{u}$$

$$m = \frac{v}{u}$$

$$m = \frac{h_i}{h_o}$$

$u \rightarrow -ve$
 convex $\rightarrow +ve$
 $f = +ve$
 same rule

Power of a lens :-

- Ability of a lens to converge or Diverge Rays of light.
- it is defined as Reciprocal of focal length.

$P = \frac{1}{f}$
 Unit Diapetre (D)
 always in metre
 $\frac{cm}{100}$

convex lens $\rightarrow +ve$
 $f \rightarrow +ve$
 $P \rightarrow +ve$

Power of combination

$$P = P_1 + P_2 + \dots$$

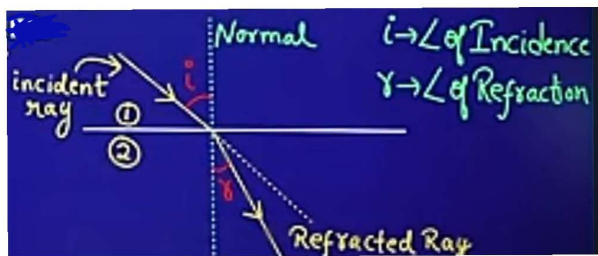
$$P = \frac{1}{f_1} + \frac{1}{f_2} + \dots$$

$f_1, f_2 \rightarrow$ in metres

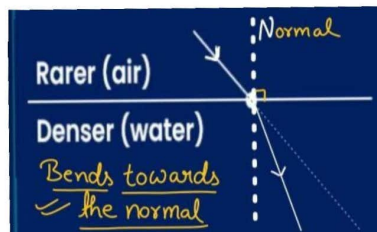
Refraction of light :-

The bending of light ray when it travels from one medium to another
 cause of refraction?

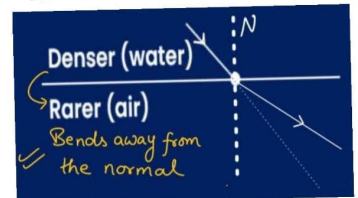
Refraction occurs because light travel with different speed in different medium



Rarer to Denser Medium



Denser to Rarer Medium



No change in medium
 No Bending

\star Denser \rightarrow Jisme speed of light
 कम है।

Refractive Index (R.I)

$(n) \rightarrow$ kitna

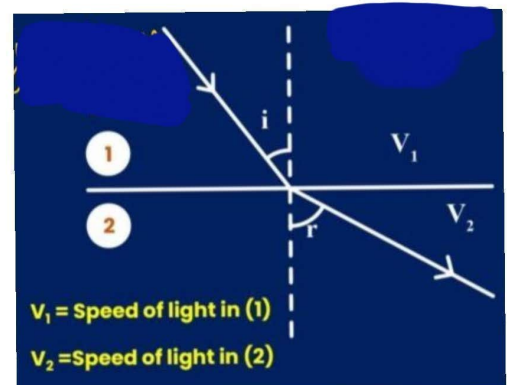
Dense ??
 [Optically]

R.I of 2 w.r.t 1

$$n_{12} = \frac{n_2}{n_1} = \frac{v_1}{v_2}$$

$$n_{wg} = \frac{n_g}{n_w} = \frac{v_w}{v_g}$$

$$n_{yx} = \frac{n_x}{n_y} = \frac{v_y}{v_x}$$



Absolute Refractive Index (R.I) :-

When 1st medium is Air, 2nd medium is any medium.

R.I of glass w.r.t air

$$n_{ag} = \frac{n_g}{n_a} = \frac{v_a}{v_g}$$

$$n_a \approx 1$$

$$v_a = c$$

$$n_g = \frac{v_a}{v_g}$$

$$n_g = \frac{c}{v_g}$$

R.I of water w.r.t air

$$n_{aw} = \frac{n_w}{n_a} = \frac{v_a}{v_w}$$

$$n_a \approx 1$$

$$v_a \rightarrow c$$

$$n_w = \frac{c}{v_w}$$

Ab RI
medium
x

$$n_x = \frac{c}{v_x}$$

Ab R.I of Gudiya

$$n_{AG} = \frac{n_G}{n_A} = \frac{v_A}{v_G}$$

$$n_G = \frac{c}{v_G}$$

$$n_A \approx 1$$

$$v_A \rightarrow c$$

$$n_G = \frac{c}{v_G}$$

Concept building :-

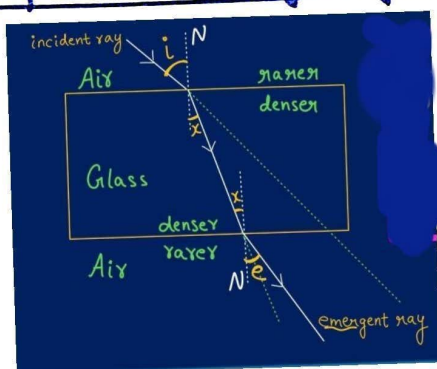
R.I of glass is 1.5

R.I of water is 1.33

- Which is more dense? \rightarrow Glass
- In which light travels faster \rightarrow water
- find relation between v_g and v_w .

$$n_{wg} = \frac{n_g}{n_w} = \frac{v_w}{v_g}$$

Refraction through a glass slab :-



To remember

- ① emergent ray is parallel to incident ray.
- ② $\angle e = \angle i$

Laws of Refraction :-

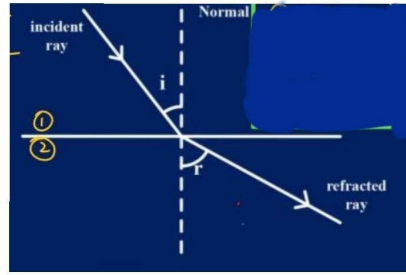
- ① The incident ray, Normal and the refracted ray lies on the same plane.
- ② The ratio of sine of Angle of incidence to the sine of angle of refraction remains for a given pair of media.

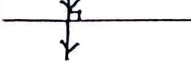
Snell's law :-

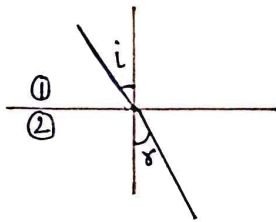
$$\frac{\sin i_1}{\sin r_1} = \frac{\sin i_2}{\sin r_2}$$

$$\frac{\sin i}{\sin r} = \text{constant}$$

$i \rightarrow \text{change}$ i_1, r_1
 $r \rightarrow \text{change}$ i_2, r_2



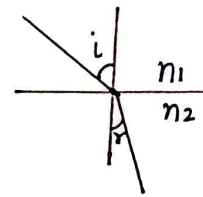
No Bending
 ① Medium same
 ② 



$$\frac{\sin i}{\sin r} = \text{constant} = n_{12}$$

$i, r \rightarrow \text{change}$

$$\frac{\sin i}{\sin r} = n_{12}$$



$$n_1 \sin i = n_2 \sin r$$

$$\frac{\sin i}{\sin r} = \frac{n_2}{n_1} = n_{12}$$