

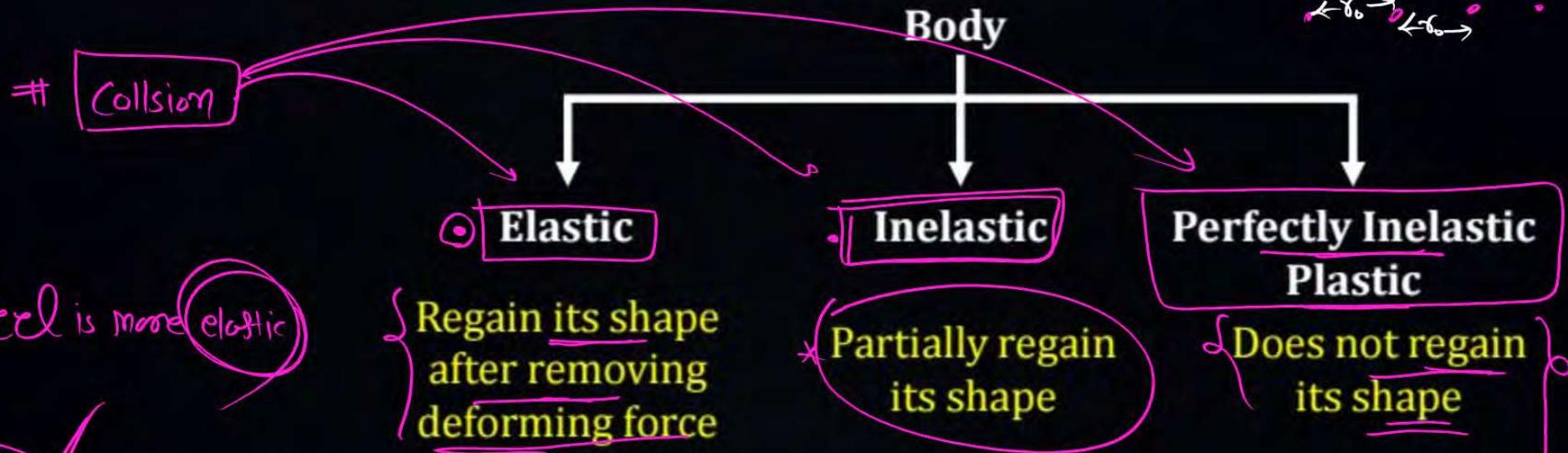


Rigid Body

A body in which distance between any two point remains same.

\rightarrow $\leftarrow F_0 \rightarrow F_0$ \downarrow
 Sintoonende
 force
 cyclisch fijn

No body is perfectly rigid practically.



Steel is more elastic

Rubber is more elastic than steel → false

Elasticity → Property due to which it regain its shape.

QUESTION

Given below are two statements : one is labelled as Assertion (A) and the other is labelled as Reason (R)

~~Assertion (A) : The property of body, by virtue of which it tends to regain its original shape when the external force is removed, is Elasticity.~~

~~Reason (R) : The restoring force depends upon the bonded inter atomic and inter molecular force of solid.~~

In the light of the above statements, choose the correct answer from the options given below :

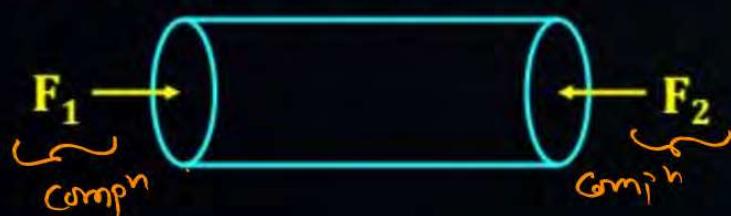
- 1** (A) is false but (R) is true
- 2** (A) is true but (R) is false
- 3** Both (A) and (R) are true and (R) is the correct explanation of (A)
- 4** Both (A) and (R) are true and (R) is not the correct explanation of (A)



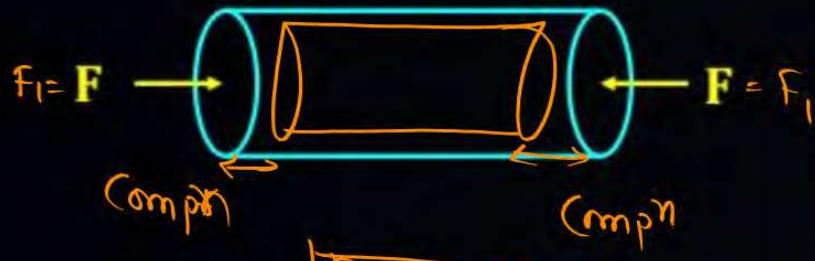
External Force

deforming

Compressive Force



Elongative Force

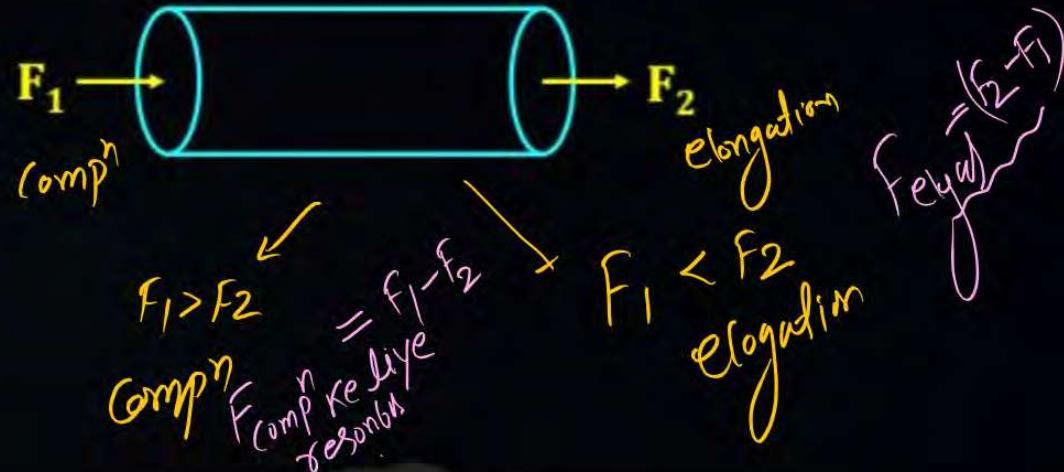


$$F_{net} = 0$$

compression (Δl) $\neq 0$

Balance force ($F_{net}=0$)
can change shape
of object

PW





F_{net} for compⁿ/elongation = 0

$$\sum \Delta l = 0$$

* $F_{\text{net}} = 2F$ and $\neq 0$

❖ Balance force can change shape and size of object:



(End =)

Elongation in both case

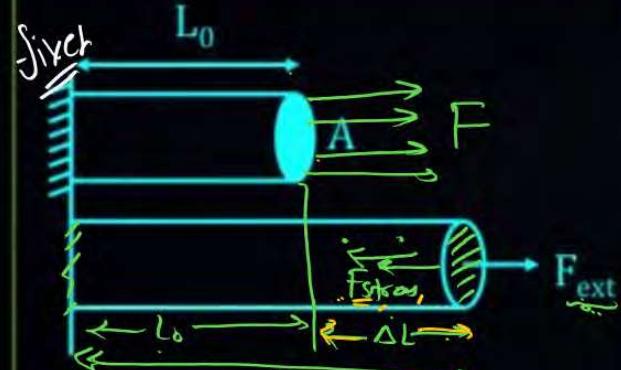
Δl_1

→ Same

Δl_2



Normal/Longitudinal Stress (only for solid)



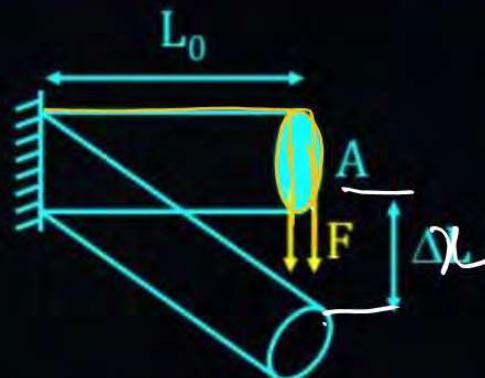
$$\left\{ \begin{array}{l} \text{Normal Stress (longitudinal)} = \frac{F_{\text{elastic}}}{A} \\ \text{Strain (normal)} = \left(\frac{\Delta L}{L_0} \right) \text{ unit less/dimensions} \end{array} \right.$$

Hooke's Law:

Stress \propto Strain

$$\boxed{\text{Stress} = \frac{\text{Strain}}{\text{Young's Modulus}}}$$

Tangential Stress/Shear (only for solid)



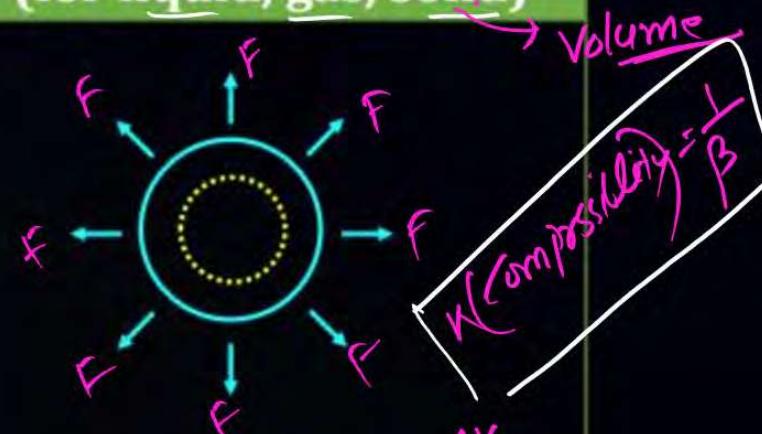
$$\text{Shear Stress} = \frac{F}{A}$$

$$\text{Shear Strain} = \theta = \frac{\Delta x}{L}$$

$$\text{Hooke's Law: } \frac{F}{A} = \eta \frac{\Delta x}{L}$$

↳ Modulus of rigidity

Volumetric Stress (for liquid, gas, solid)



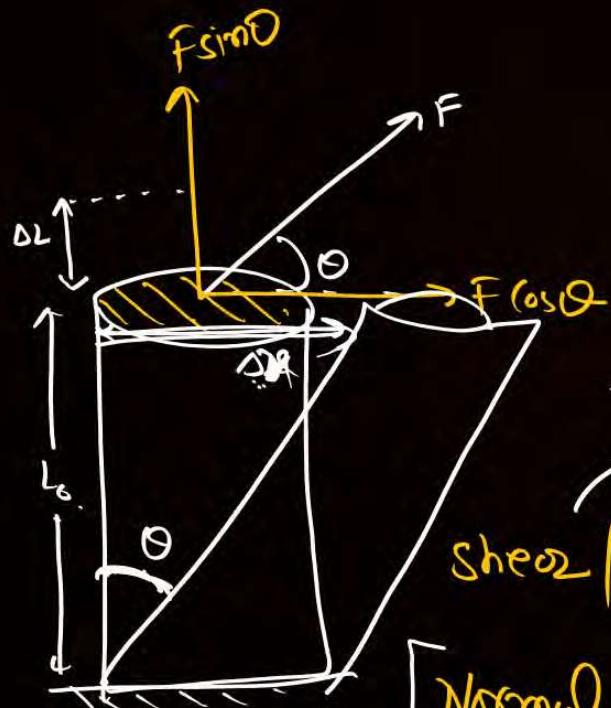
$$\text{Volumetric Strain} = \frac{\Delta V}{V}$$

$$\text{Volumetric Stress} = \frac{F}{A}$$

$$\boxed{\frac{F}{A} = -\beta \frac{\Delta V}{V}}$$

↳ Bulk modulus

$$\boxed{\text{Strain} \propto \text{stress}}$$



$$\text{Shear strain } (\theta) = \frac{\Delta \eta}{L_0}$$

$$\text{Shear / tangent stress} = \frac{F \cos \theta}{A} \quad \checkmark$$

$$\begin{aligned} \text{Normal stress} &= \frac{F \sin \theta}{A} \\ \text{Normal strain} &= \frac{\Delta L}{L_0} \end{aligned}$$

QUESTION



Dimensions of stress are:

[2020]

- 1 $[ML^0T^{-2}]$
- 2 $[ML^{-1}T^{-2}]$ Ans
- 3 $[MLT^{-2}]$
- 4 $[ML^2T^{-2}]$

$$\text{Stress} = \frac{F}{A} = \frac{ML^{-2}}{L^2} = m^{-1} T^{-2}$$

Young modulus (γ)

$$\text{Stress} = \gamma \text{ Strain}$$

(modulus of rigidity)

dim. less

$$\text{Energy density} = \frac{E}{\text{Volume}}$$

stress

Young Modulus (modulus of rigidity)
Pressure

$$\frac{1}{2} \text{ Stress} \times \text{Strain} = \frac{B^2}{2m} = \frac{1}{2} \epsilon E^2$$

QUESTION**Correct pair is****1****Change in shape - Longitudinal strain** X**2****Change in volume - Shear strain** X**3****Change in length - Bulk strain** X**4****Reciprocal of Bulk modulus - Compressibility**

Ans (A)

QUESTION

11T-2024



Match List-I with List-II :

	List-I		List-II
(A)	A force that restores an elastic body of unit area to its original state $\text{Stress} = \frac{F}{\text{Area}} = 1$	(I)	Bulk modulus
(B)	Two equal and opposite forces parallel to opposite faces	(II)	Young's modulus
(C)	Forces perpendicular everywhere to the surface per unit area same everywhere	(III)	Stress
(D)	Two equal and opposite forces perpendicular to opposite faces	(IV)	Shear modulus

Choose the correct answer from the options given below :

- 1 (A)-(IV), (B)-(II), (C)-(III), (D)-(I)
- 2 (A)-(III), (B)-(IV), (C)-(I), (D)-(II)
- 3 (A)-(II), (B)-(IV), (C)-(I), (D)-(III)
- 4 (A)-(III), (B)-(I), (C)-(II), (D)-(IV)

QUESTION

The physical quantity that has the same dimensional formula as pressure is:

- 1 Coefficient of viscosity
- 2 Force
- 3 Momentum
- 4 Young's modulus of elasticity

MR* NEET

$$\underline{Stress} = \gamma \underline{Strain}$$

Hooke ka Law

$$\frac{F}{A} = \gamma \frac{\Delta L}{L}$$

$$A \times \frac{F}{A} = \gamma \frac{\Delta L}{L} \times A$$

$$\frac{F}{A^2} = \frac{\gamma \Delta L}{\text{Volume}}$$

1D physical \rightarrow quantity

$$\frac{F}{\pi r^2} = \gamma \frac{\Delta L}{L}$$

(*)

$$\frac{F}{A} = \gamma \frac{L_f - L_i}{L_i}$$

QUESTION

If the length of a wire is made double and radius is halved of its respective values. Then, the Young's modulus of the material of the wire will: [JEE Mains-2022]

1 Remains same ✓ (\rightarrow Prop of Solid)

2 Become 8 times its initial value

3 Become 1/4 of its initial value

4 Become 4 times its initial value

$$L_f = 2 L_0$$

$$\Delta L = 2L_0 - L_0 = L_0$$

$$\gamma = \frac{\gamma}{2}$$

QUESTION

The ratio of radii of two wires of Young modulus same is 2 : 1. If these wires are stretched by equal force, the ratio of stresses produced in them is

- 1** 2 : 1
- 2** 1 : 2
- 3** 1 : 4 ✓
- 4** 4 : 1

$$\frac{\gamma_1}{\gamma_2} = \frac{2}{1}$$

$$\text{Stress} = \frac{F}{n \gamma^2}$$

$$\frac{\text{Stress}_1}{\text{Stress}_2} = \frac{F \gamma_2^2}{\gamma_1^2 \cdot F} = \frac{1}{4}$$

QUESTION

A wire of length L area of cross section A is hanging from a fixed support. The length of the wire changes to L_1 when mass M is suspended from its free end. The expression for Young's modulus is:

(2020)

(NEET)

1 $\frac{Mg(L_1 - L)}{AL}$

2 $\frac{MgL}{AL_1}$

3 $\frac{MgL}{A(L_1 - L)}$ ✓

4 $\frac{MgL_1}{AL}$

$$\left\{ \frac{F}{A} = Y \frac{\Delta L}{L} \right\}$$

$$Y = \frac{FL}{A \Delta L} = \frac{MgL}{A(L_1 - L)}$$



QUESTION



The following four wires are made of the same material. Which of these will have the largest extension when the same tension is applied?

[MR*] (2013)

1 Length = 300 cm, diameter = 3 mm $\left(\frac{300}{9}\right)$

$$D=2\gamma \\ \gamma=\frac{D_1}{2}$$

2 ✓ Length = 50 cm, diameter = 0.5 mm $\frac{50}{(0.25)^2} = \frac{50 \times 4}{1}$

$$\frac{F}{A} = \gamma \frac{\Delta l}{l}$$

3 Length = 100 cm, diameter = 1 mm $\frac{100}{(0.5)^2}$

$$\Delta l = \frac{(F/A)l}{\gamma}$$

4 Length = 200 cm, diameter = 2 mm $\frac{200}{(1)^2} = \frac{200}{1} = 200$

$$\Delta l \propto \left(\frac{l}{\gamma^2}\right) = \frac{l}{(D/2)^2}$$

$$\boxed{\Delta l = \frac{l}{D^2}}$$

$$\gamma = 2 \text{ nm}$$

QUESTION

$$\left\{ \frac{F}{A} = \gamma \frac{\Delta l}{l} \right\}$$

$$A = 10^{-4} \text{ m}^2$$

$$2 \text{ cm} = 10^{-2} \text{ m}$$



The force required to stretch a wire of cross section 1 cm² to double its length will be: (Given Young's modulus of the wire = $2 \times 10^{11} \text{ N/m}^2$) [JEE Mains-2022]

1 $1 \times 10^7 \text{ N}$

2 $1.5 \times 10^7 \text{ N}$

3 $2 \times 10^7 \text{ N}$

4 $2.5 \times 10^7 \text{ N}$

$$\frac{F}{A} = \gamma \frac{\Delta l}{l}$$

$$F = 10^{-4} \times 2 \times 10^{11} \left(\frac{l_f}{l_0} \right)$$
$$= 2 \times 10^7$$

$$\Delta l = l_f - l_0$$

$$l_f = 2 l_0$$

QUESTION

Two wires are made of the same material and have the same volume. The first wire has cross-sectional area A and the second wire has cross-sectional area $3A$. If the length of the first wire is increased by Δl on applying a force F , how much force is needed to stretch the second wire by the same amount? [MR*] (2018) (NEET)

- 1 4 F
- 2 6 F
- 3 9 F
- 4 F

$$\frac{F}{A} = \gamma \frac{\Delta l}{l}$$
$$F = \gamma A \frac{\Delta l}{l}$$

γ = constant
 A_1 & A_2 are same
Volume is same

QUESTION**H/W****PW**

A 100 m long wire having cross-sectional area $6.25 \times 10^{-4} \text{ m}^2$ and Young's modulus is 10^{10} Nm^{-2} is subjected to a load of 250 N, then the elongation in the wire will be

[JEE Mains-2023]

 $\frac{F}{A}$

A

- 1 $6.25 \times 10^{-3} \text{ m}$
- 2 $4 \times 10^{-4} \text{ m}$
- 3 $6.25 \times 10^{-6} \text{ m}$
- 4 $4 \times 10^{-3} \text{ m}$

$$\frac{F}{YA} = \Delta l$$

QUESTION



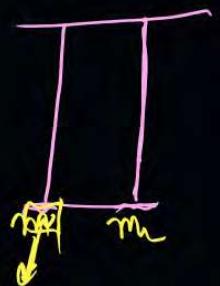
The Young's modulus of steel is twice that of brass. Two wires of same length and of same area of cross section, one of steel and another of brass are suspended from the same roof. If we want the lower ends of the wires to be at the same level then the weights added to the steel and brass wires must be in the ratio of:

(2015 Re)

- 1 1 : 1
- 2 1 : 2
- 3 2 : 1
- 4 4 : 1

$$\gamma_s = 2 \gamma_b$$

$l, A \rightarrow \text{same}$
 $\Delta l = \text{same}$



$$\frac{F}{A} = \frac{\gamma(l)}{l}$$

$$\frac{F_s}{F_b} = \frac{\gamma_s}{\gamma_b} = \frac{2\gamma_b}{\gamma_b}$$

➤ Value of η , γ and β for perfectly elastic body is infinite.

➤ η and γ is not defined for fluid (liquid and gas)

➤ $\beta_{\text{solid}} > \beta_{\text{liquid}} > \beta_{\text{gas}}$

➤ Young modulus may increase or decrease by adding impurities.

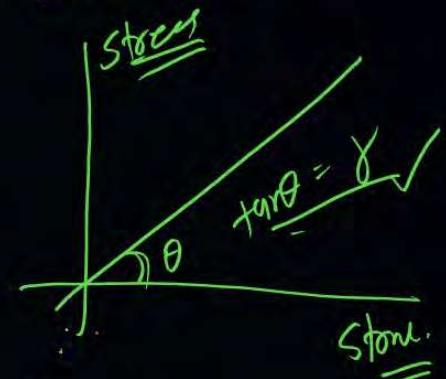
➤ Slope of stress to strain curve is modulus of elasticity

➤ Young Modulus $\propto \frac{1}{\text{Temperature}} \propto \text{Slope}$

$$\frac{F}{A} \rightarrow \gamma = \frac{\Delta L}{L}$$

$$\gamma = m \text{strain}$$

$$\text{Stress} = (\text{strain})$$



QUESTION

Select the incorrect statement about Bulk modulus of elasticity.

- 1** It is defined for solids, liquids and gases. ✓
- 2** $B_{\text{solid}} > B_{\text{liquid}} > B_{\text{gas}}$ ✓
- 3** The bulk of gas is different for different processes. ✓
- 4** Almost for all materials, the bulk modulus increases with the rise in temperature (Wrong)

QUESTION

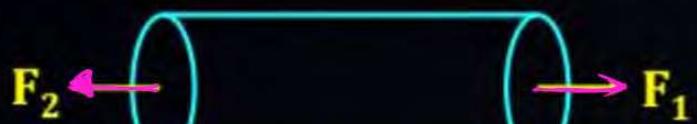


With rise in temperature, the Young's modulus of elasticity

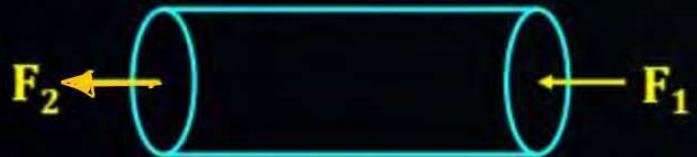
- 1** changes erratically
- 2** decreases ✓
- 3** increases
- 4** remains unchanged

QUESTION

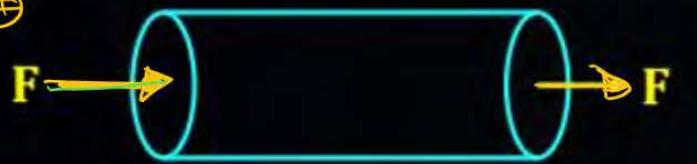
Find elongation in different case



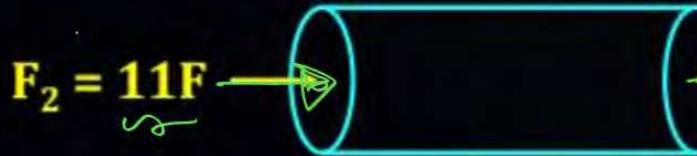
$$\Delta l = \left(\frac{F_1 + F_2}{2} \right) \frac{L}{A\gamma}$$



$$\Delta l = \left(\frac{F_1 - F_2}{2} \right) \frac{L}{A\gamma}$$

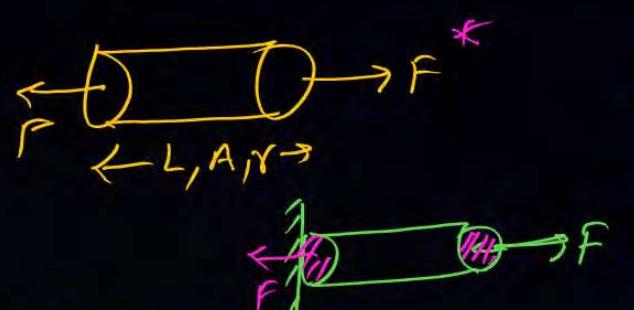


$$\Delta l = 0$$



$$F_2 = 11F$$

$$F_1 = 3F$$



$$\Delta l = \left(\frac{F+F}{2} \right) \frac{L}{A\gamma}$$

$$\boxed{\Delta l = \frac{FL}{A\gamma}}$$



$$\Delta l = \left(\frac{11F - 3F}{2} \right) \frac{L}{A\gamma}$$

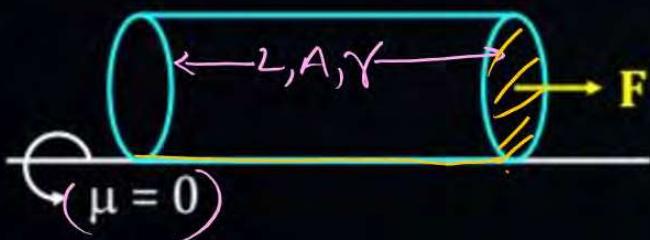
$$\Delta l = \frac{4PL}{A\gamma}$$

QUESTION



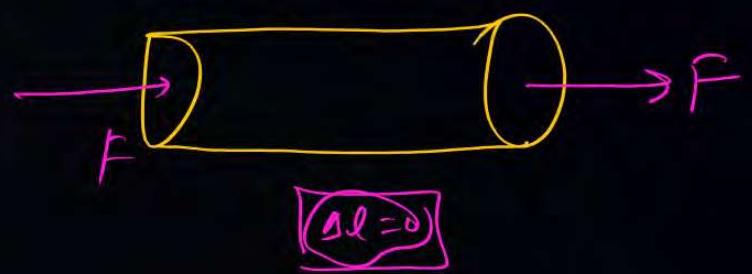
Rod (M, L, γ)

Find elongation object placed on smooth surface.



$$\Delta l = \left(\frac{F+0}{2} \right) \frac{L}{A\gamma}$$

$$\Delta l = \frac{FL}{2A\gamma}$$



$$\Delta l = \left(\frac{F_1+F_2}{2} \right) \frac{L}{A\gamma}$$



Bulk Modulus in Different Process

Isobaric Process

P = constant

$$\underline{\Delta P = 0}$$

$$\beta = -\frac{\Delta P}{\Delta V/V} = 0$$

Isochoric Process

V = constant

$$\Delta V = 0$$

$\beta = \text{Infinite}$

Isothermal

T = constant

PV = constant

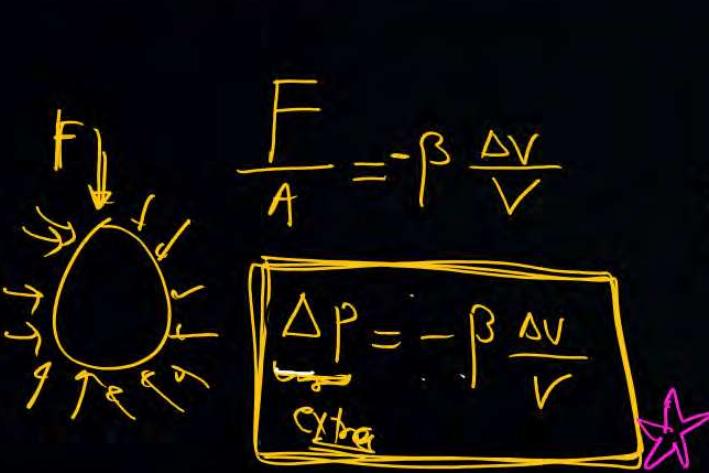
$$\beta = P = \frac{\Delta P}{\frac{P_0}{V_0}}$$

Adiabatic Process

$$Py^r = \text{constant}$$

$$\beta = \gamma P$$

P \rightarrow adiabatic $p = \text{const}$



QUESTION



If a rubber ball is taken at the depth of 200 m in a pool, its volume decreases by 0.1%. If the density of the water is $1 \times 10^3 \text{ kg/m}^3$ and $g = 10 \text{ m/s}^2$, then the volume elasticity will be

1 10^8

2 2×10^8

3 10^9

4 2×10^9

$$\frac{\Delta V}{V} \times 100 = 0.1$$

$$\frac{\Delta V}{V} = \frac{0.1}{100}$$

$$\beta = \frac{\Delta P}{\frac{\Delta V}{V}} = \frac{\rho g h}{\frac{1}{100}} = 10^3 \times 10 \times 200 \times 10^3 = 2 \times 10^9$$

JEE-2025

$$\Delta P = -\beta \left(\frac{\Delta V}{V} \right)$$

QUESTION

The bulk modulus of a spherical objects is 'B'. If it is subjected to uniform pressure 'P', the fractional decrease in radius is:

(2017-Delhi)

NEET

1 $\frac{B}{3P}$

2 $\frac{3P}{B}$

3 $\frac{P}{3B}$

4 $\frac{P}{B}$

$$\# V = \left(\frac{4}{3}\pi R^3\right)$$

error am

$$\rightarrow \frac{\Delta V}{V} = 3\left(\frac{\Delta R}{R}\right)$$

$$\Delta P = \beta \frac{\Delta V}{V}$$

$$\Delta P = \beta 3\left(\frac{\Delta R}{R}\right)$$

$$\Delta P = \beta \frac{\Delta V}{V}$$

$$\frac{\Delta V}{V} = \frac{\Delta P}{\beta}$$

$$\frac{P}{3B} = \frac{\Delta R}{R}$$

QUESTION



The approximate depth of an ocean is 2700 m. The compressibility of water is $45.4 \times 10^{-11} \text{ Pa}^{-1}$ and density of water is 10^3 kg/m^3 . What fractional compression of water will be obtained at the bottom of the ocean? [MR*] (2015)

NEET

1 1.0×10^{-2}

$$K = \frac{1}{\beta} = 45.4 \times 10^{-11} \quad P = \rho gh$$

2 1.2×10^{-2}

3 1.4×10^{-2}

4 0.8×10^{-2}

$$(Pgh K) = \left(\frac{\Delta V}{V} \right)$$

$$\frac{\Delta P}{\beta} = \frac{\Delta V}{V}$$

$$\frac{454}{27} = \frac{3178}{12258} \cdot 2$$

$$\frac{\Delta V}{V} = \frac{3}{10} \times 10^{-11} \times 2700 \times 10^{-11} \times 45.4$$

$$= 2.7 \times 10^{-5}$$

QUESTION

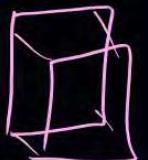


A cube of metal is subjected to a hydrostatic pressure of 4 GPa. The percentage change in the length of the side of the cube is close to (Given bulk modulus of metal, $B = 8 \times 10^{10}$ Pa) [JEE Mains-2020]

- 1** 0.6
- 2** 20
- 3** 1.67
- 4** 5

$$\cancel{11/\omega} = \cancel{4 \times 10^9 \text{ Pa}}$$

$$P = 4 \times 10^9 \text{ Pa}$$



$$P = \beta \times 3 \frac{\Delta l}{l}$$

$$\cancel{100 \lambda \frac{\Delta l}{l}} = 1.6 + \cancel{10^9 \times 10^{-10}}$$

$$\frac{\Delta l}{l} = \frac{P}{3\beta} = \frac{4 \times 10^9}{3 \times 8 \times 10^{10}} = \frac{10^9}{6 \times 10^{10}}$$

$$V = l^3$$

$$\frac{\Delta V}{V} = \frac{3 \Delta l}{l}$$

$$= \frac{1}{6 \times 10} \times 10^{-2} = 1.67 \times 10^{-2}$$

QUESTION

H/W



The bulk modulus of a liquid is $3 \times 10^{10} \text{ Nm}^{-2}$. The pressure required to reduce the volume of liquid by 2% is:

[JEE Mains-2022]

- 1 $3 \times 10^8 \text{ Nm}^{-2}$
- 2 $9 \times 10^8 \text{ Nm}^{-2}$
- 3 $6 \times 10^8 \text{ Nm}^{-2}$
- 4 $12 \times 10^8 \text{ Nm}^{-2}$

$$\beta \times \frac{\Delta V}{V} = 2$$
$$\frac{\Delta V}{V} = \frac{2}{\beta}$$

$$\Delta P = \beta \frac{\Delta V}{V}$$
$$= 3 \times 10^{10} \times \frac{2}{100}$$
$$= 6 \times 10^8$$

QUESTION

H/W



The increase in pressure required to decrease the volume of a water sample by 0.2% is $P \times 10^5 \text{ Nm}^{-2}$. Bulk modulus of water is $2.15 \times 10^9 \text{ Nm}^{-2}$. The value of P is _____.

JEE-2025

- 1** 107.5
- 2** 232.5
- 3** 43
- 4** 430

Same question ✓

QUESTION

HJW



The volume contraction of a solid copper cube of edge length 10 cm, when subjected to a hydraulic pressure of 7×10^6 Pa, would be mm³. (Given bulk modulus of copper = 1.4×10^{11} N m⁻²)

(JEE - 2025)

- 1** 200 mm³
- 2** 100 mm³
- 3** 198 mm³
- 4** 50 mm³

HJW
S³ → 3^b

QUESTION

(H/W)



The fractional compression $\left(\frac{\Delta V}{V}\right)$ of water at the depth of 2.5 km below the sea level is _____ %. Given, the Bulk modulus of water = $2 \times 10^9 \text{ N m}^{-2}$, density of water = 10^3 kg m^{-3} , acceleration due to gravity = $g = 10 \text{ ms}^{-2}$.

(JEE-2025)

1 1.25

2 1.0

3 1.25 ✓ $\times 10^{-2}$

4 1.0

$$\frac{\Delta V}{V} = \frac{P}{B}$$

$$= \frac{\rho gh}{B} = \frac{10^3 \times 10 \times 2.5 \times 10^3}{2 \times 10^9} \times 10^{-2}$$

$$= \frac{1.25}{102}$$

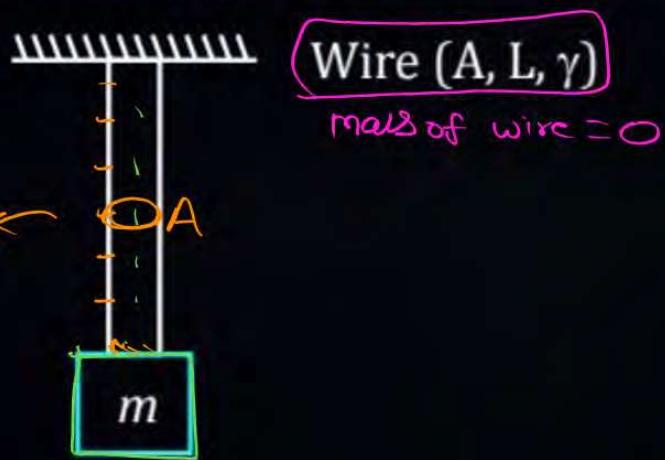
$$h = 2.5 \times 10^3 \text{ m}$$

$$B = 2 \times 10^9$$

$$P = \rho gh$$

(NEET)

Elongation in a massless wire due to attached weight



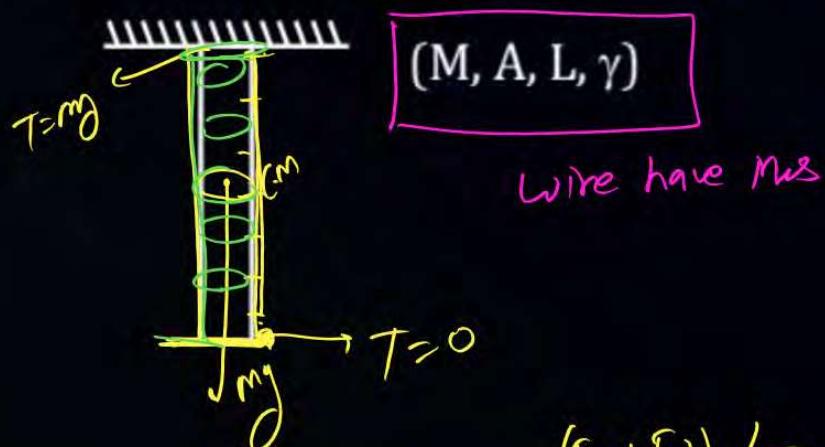
$$\Delta l = \frac{F l}{A \gamma}$$

Ans

$$\Delta l = \frac{mg l}{A \gamma}$$

NEET ~ 2020

Elongation in a massive rod, due to its own weight



$$\Delta l = \left(\frac{F_1 + F_2}{2} \right) \frac{L}{A \gamma}$$

$$\Delta l = \frac{mgL}{2A\gamma}$$

QUESTION

PW

Let a wire be suspended from the ceiling (rigid support) and stretched by a weight W attached at its free end. The longitudinal stress at any point of cross-sectional area A of the wire is:

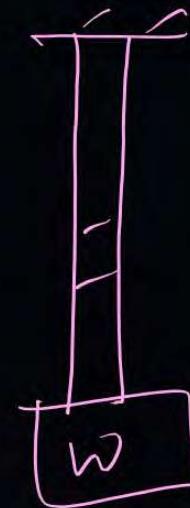
(2023)

1 Zero

2 $\frac{2W}{A}$

3 $\frac{W}{A}$ \rightarrow $W_{\text{ext weight}}$ ✓

4 $\frac{W}{2A}$



QUESTION

A rod of uniform cross sectional area A and length L has a weight W . It is suspended vertically from a fixed support. If Young's modulus for rod is Y , then elongation produced in rod is

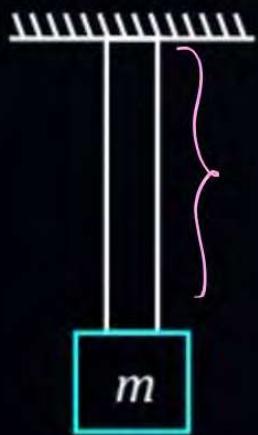
1 $\frac{WL}{YA}$

2 $\frac{WL}{2YA}$

3 $\frac{WL}{4YA}$

4 $\frac{3WL}{4YA}$



QUESTION**Wire (M, A, L, γ)****Find elongation in wire.**

$$\Delta l = \underbrace{\frac{mgL}{A\gamma}}_{\text{extensile}} + \underbrace{\frac{Mg L}{2A\gamma}}_{\text{own weight}} = \frac{gL}{A\gamma} \left(m + \frac{m}{2} \right) \Delta$$

QUESTION



Copper of fixed **volume V** is drawn into wire of length l . When this wire is subjected to a constant force F , the extension produced in the wire is D_1 . Which of the following graphs is a straight line? (2014)

1

Δl versus $1/l$



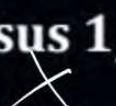
2

Δl versus l^2



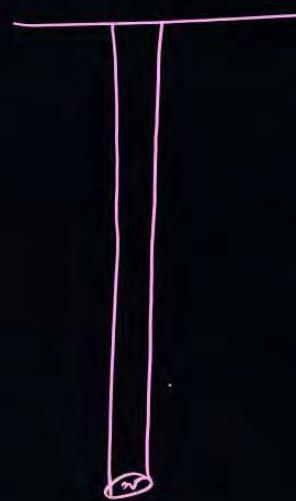
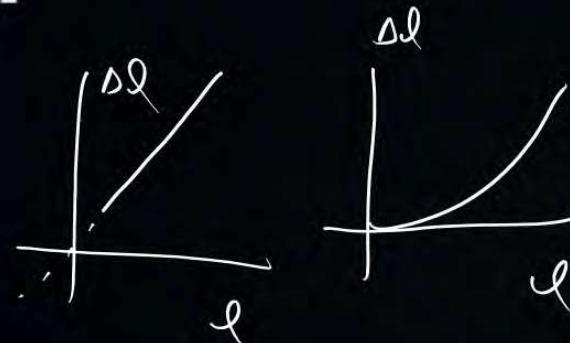
3

Δl versus $1/l^2$



4

Δl versus l^3



$$\Delta l = \frac{Fl}{A\gamma} = \frac{mg l}{2A\gamma}$$

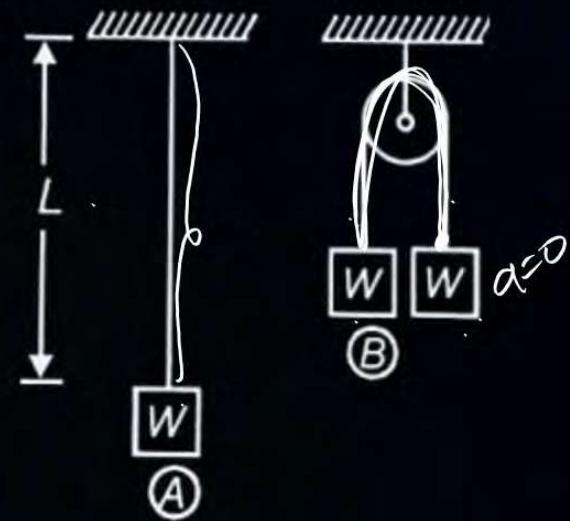
$$\Delta l = \frac{mg l}{2A\gamma} \times \left(\frac{l}{l} \right)$$

$$(\Delta l \propto l^2) \quad \Delta l = \frac{mg l^2}{2 \cdot \text{Volume} \cdot \gamma}$$

QUESTION

If in case A, elongation in wire of length L is l , then for same wire elongation in case B will be

- 1 $4l$
- 2 $2l$
- 3 l
- 4 $l/2$



QUESTION

NEET - 2019



Two wires of diameter 0.25 cm, one made of steel and other made of brass are loaded as shown in the figure. The unloaded length of the steel wire is 1.5 m and that of brass is 1.0 m. Young's modulus of steel is 2.0×10^{11} Pa and that of brass is 1.0×10^{11} Pa. Compute the ratio of elongations of steel and brass wires.

$$\frac{\Delta l_{\text{steel}}}{\Delta l_{\text{brass}}} = ?$$

- 1 0.8
- 2 1.25 ✓
- 3 1
- 4 0.5

$$\Delta l_s = \frac{F l}{A Y}$$

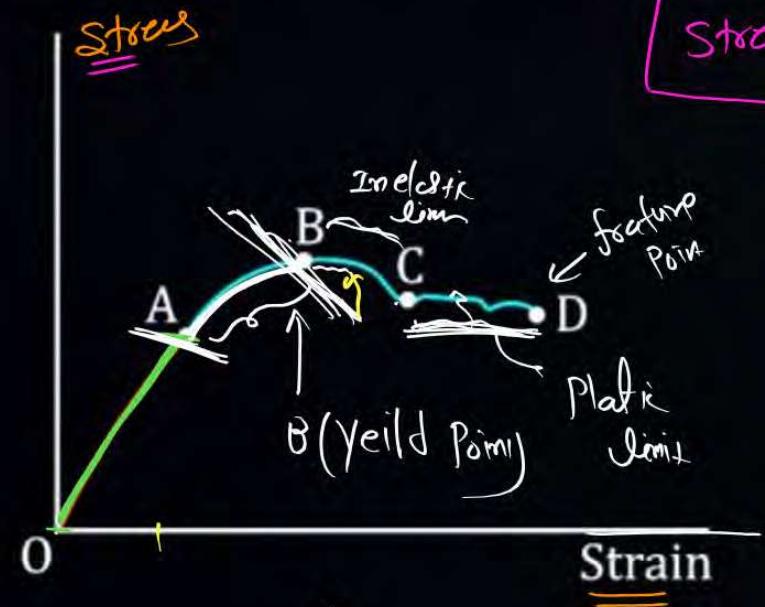
~~$$= \frac{10^9 (1.5)}{A \cdot 2 \times 10^{11}}$$~~

~~$$\Delta l_B = \frac{6g (1)}{A \times 1 \times 10^{11}}$$~~





Stress – Strain – Curve



$$\text{Stress} = \sqrt{\text{strain}}$$

$$\frac{\text{Stress}}{\text{Strain}} = \sigma_{\text{tan}}(\theta) = \sqrt{\text{Strain}}$$

OA → Proportion limit
Hooke's law (no yield) ✓

$(CD)_{lg}$ → Ductile
 $(CD)_{sm}$ → Brittle metals

$A \rightarrow B$ (elastic limit)
→ Shape



	OA	AB	BC	CD
Region name	Proportional Limit	Elastic Limit	Inelastic	Plastic Region
Hooks चाचा →	Valid ✓	Not valid ✓	Not valid ✓	No ✓
Elastic force ↗	Conservative ✓	Conservative ✓	Non-conservative ✓	Non-conservative ✓
Shape →	Compt. Region ✓	Compt. Region ✓	(Partial region)	(No region)



QUESTION

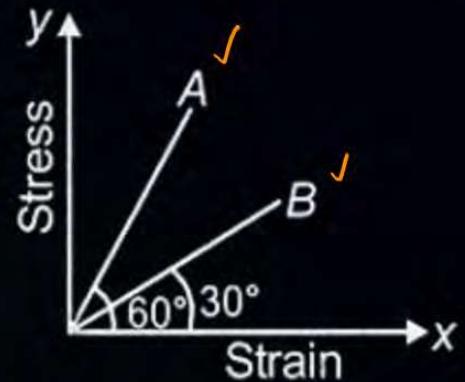
The stress versus strain graph for wires of two materials A and B are as shown in the figure. If Y_A and Y_B are the Young's moduli of the materials, then

1 $Y_B = 2Y_A$

2 $Y_A = 3Y_B$ ✓

3 $Y_B = 3Y_A$ ✗

4 $Y_A = Y_B$ ✗



$$\frac{Y_A}{Y_B} = \frac{\tan 60^\circ}{\tan 30^\circ} = \frac{\sqrt{3}}{1}$$

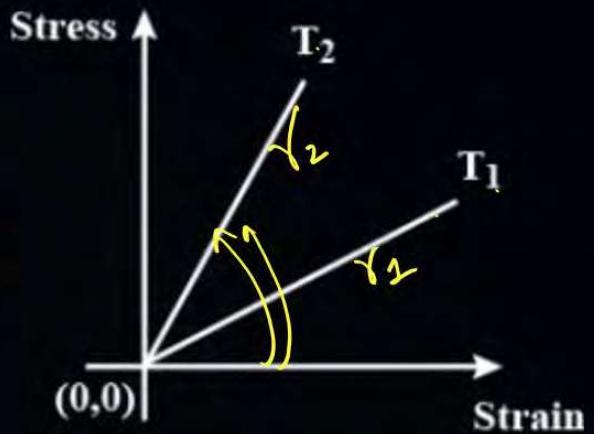
$$\frac{\sqrt{A}}{\sqrt{B}} = \frac{3}{1}$$

QUESTION

Figure shows graph between stress and strain for a uniform wire at two different temperatures. Then

- 1 $T_1 > T_2$
- 2 $T_2 > T_1$
- 3 $T_1 = T_2$
- 4 None of these

$\propto \frac{1}{\text{Stress}} \propto \text{slope}$



QUESTION



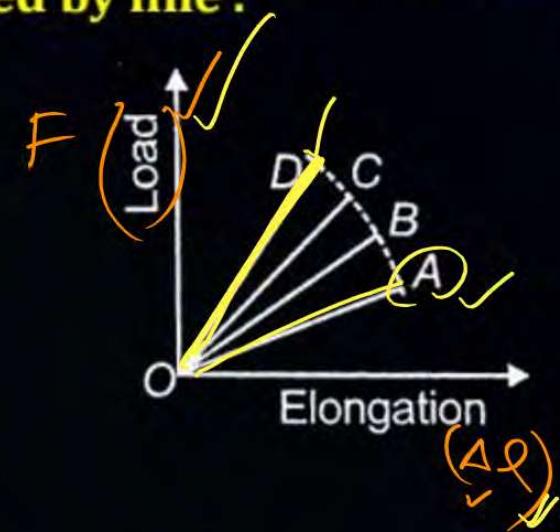
The load versus elongation graph for four wires of same length and the same material is shown in figure. The (thinnest wire) is represented by line .

- 1 OC
- 2 OD
- 3 OA ✓
- 4 OB

$$\frac{F}{A} = \gamma \frac{\Delta l}{l}$$

$$\text{slope} = \left(\frac{F}{\Delta l} \right) = \frac{A \times F}{l}$$

Jump



QUESTION

The stress-strain graphs for two materials A and B are shown in figure. The graphs are drawn to the same scale. Select the correct statement

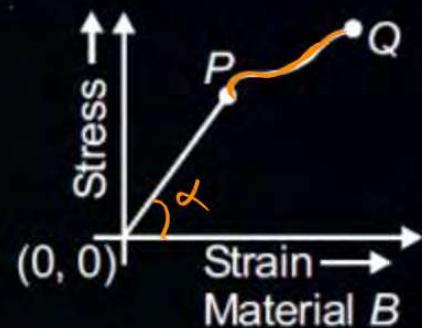
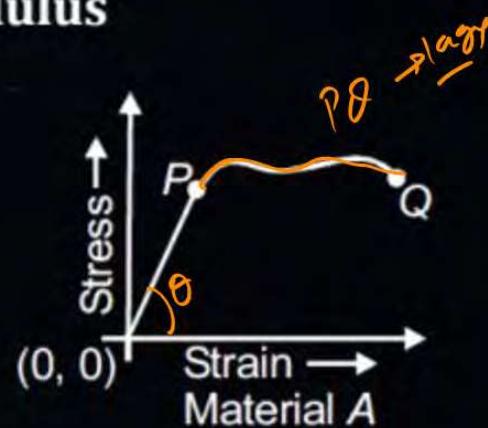
1 Material A has greater Young's Modulus

2 Material A is ductile

3 Material B is brittle

4 All of these

$A \varphi (\gamma)$



$$\theta > \alpha$$

QUESTION



The stress-strain curves are drawn for two different materials X and Y. It is observed that the ultimate strength point and the fracture point are close to each other for material X but are far apart for material Y. We can say that materials X and Y are likely to be (respectively) [Odisha NEET 2019]

- 1 Ductile and brittle
- 2 Brittle and ductile
- 3 Brittle and plastic
- 4 Plastic and ductile

D(B₀e_{ur})

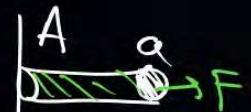
X → B₀e_{ur}
Y → ductile



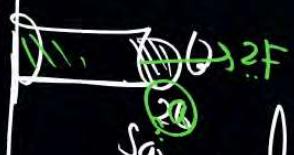
Breaking Force and Breaking Stress



Break force \propto area



Break force = σArea



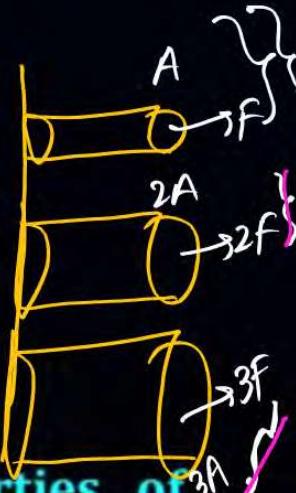
Same material
(Break stress)

Breaking Force \propto Area

$$F = \sigma A$$

$$\sigma = F/A$$

→ **Breaking stress properties of material does not depends on area.**

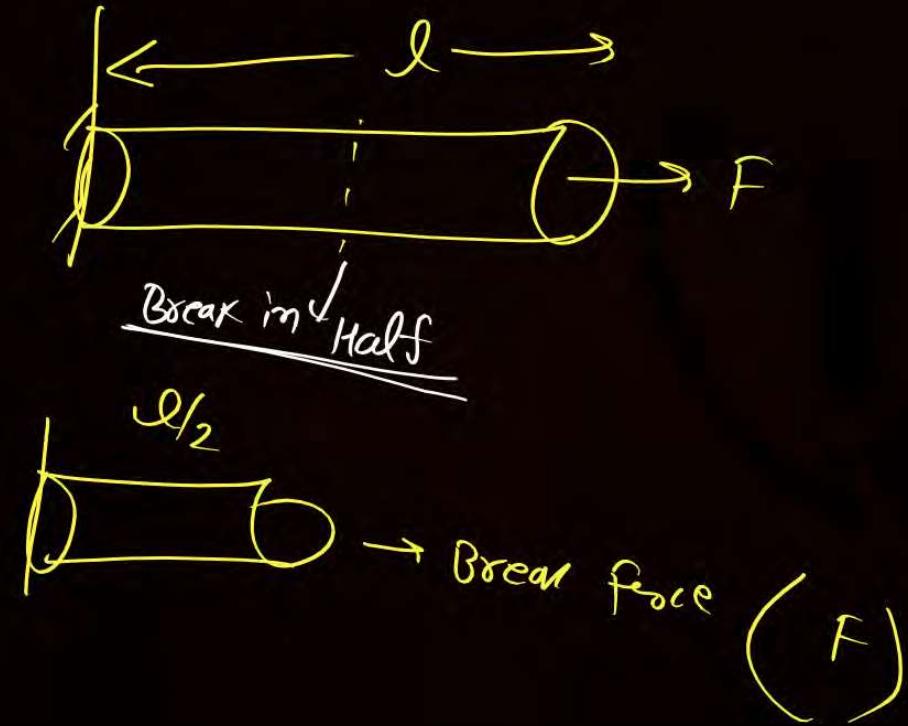


QUESTION

A force F is needed to break a copper wire having radius R . The force needed to break a copper wire of radius $2R$ will be:

- 1 $F/2$
- 2 $2F$
- 3 $4F$
- 4 $F/4$

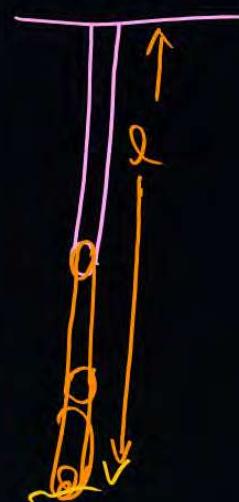
$$F \propto \text{Area} = \pi(R^2)$$



QUESTION

The breaking stress of aluminium is $7.5 \times 10^7 \text{ N m}^{-2}$. The greatest length of aluminium wire that can hang vertically without breaking is
(Density of aluminium is $2.7 \times 10^3 \text{ kg m}^{-3}$)

- 1 $283 \times 10^3 \text{ m}$
- 2 $28.3 \times 10^3 \text{ m}$
- 3 $2.83 \times 10^3 \text{ m}$
- 4 $0.0283 \times 10^3 \text{ m}$



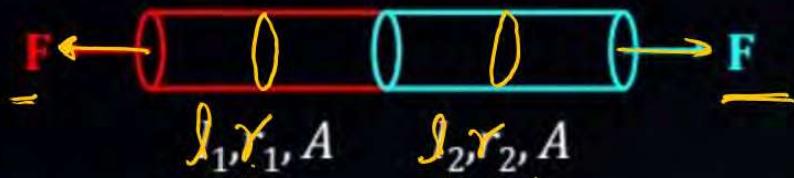
$$\text{stress} = \frac{(mg)}{A}$$

$$\text{stress} = \frac{\sigma A L g}{A}$$

$$L_{\max} = \frac{\text{stress}}{\rho g}$$

$$= \frac{7.5 \times 10^7}{2.7 \times 10^3 \times 10}$$

Series Combination of Rod



Stress same, elongation different

$$\gamma_{eq} = \frac{2r_1 r_2}{r_1 + r_2}$$

$$\Delta l = \Delta l_1 + \Delta l_2$$

MR Rule

Poisson ratio \times

Parallel Combination



Same Elongation /Strain,
(different stress)

$$r_q = \frac{r_1 + r_2}{2}$$

Parallel Rule



$$F = F_1 + F_2$$

Not given for
(NEET)

QUESTION

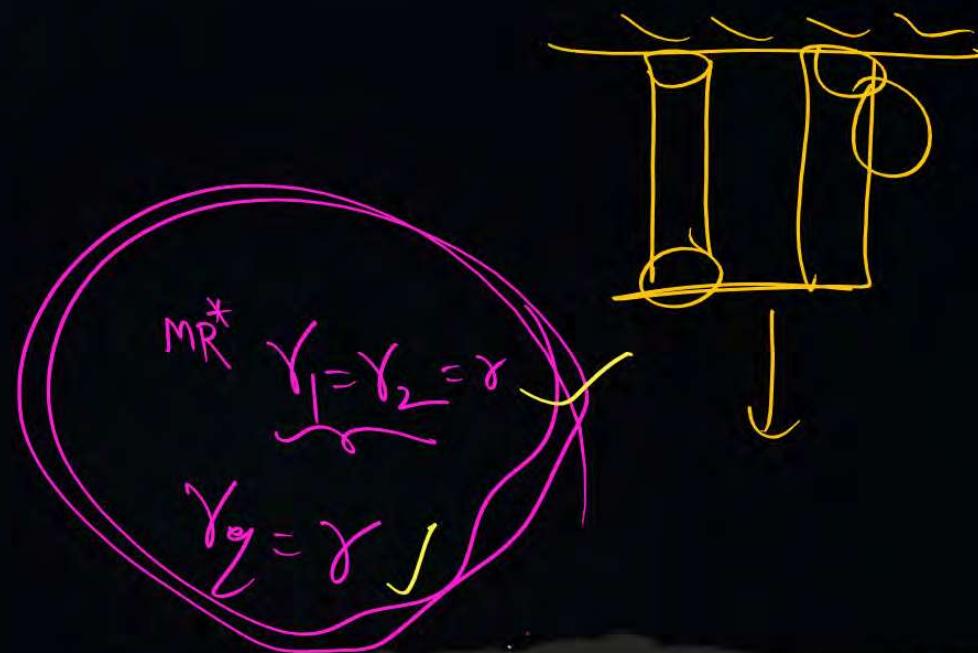
Wires of equal length and cross-sectional area are suspended as shown in figure. Their Young's moduli are Y_1 and Y_2 , respectively. The equivalent Young's moduli will be

1 $Y_1 + Y_2$

2 $\frac{Y_1 Y_2}{Y_1 + Y_2}$

3 $\frac{Y_1 + Y_2}{2}$ ✓

4 $\sqrt{Y_1 Y_2}$



QUESTION



A copper wire and a steel wire of the same diameter and length are connected end to end. A force is applied, which stretches their combined length 1 cm. The two wires will have

series

↓ elongate → diff.

Steel ↗ h.

- 1 Different stresses and strains X
- 2 The same stress and strain X
- 3 The same strain but different stresses
- 4 The same stress but different strains ✓

$A_2 (y)$

QUESTION



A wire can sustain a weight of 15 kg. If it cut into four equal parts, then each part can sustain a weight

1 5 kg

2 45 kg

3 15 kg

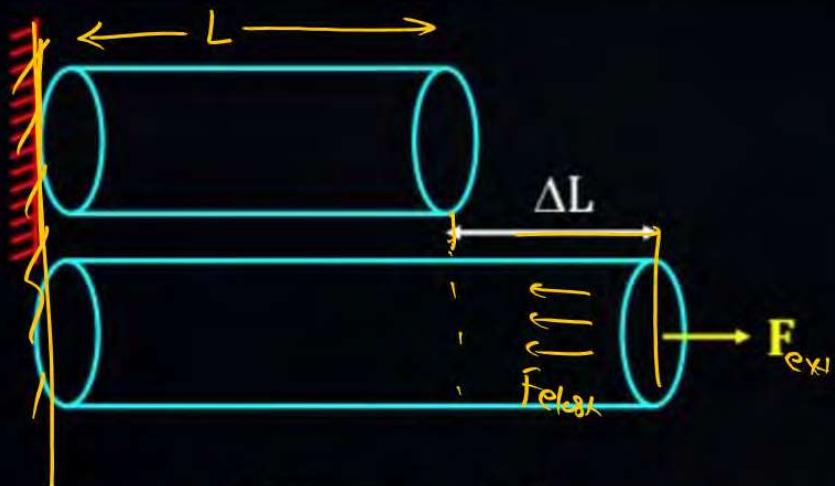
4 30 kg



AN ✓



Elastic Potential Energy



Work done by elastic force from elongate 0 to ~~to~~ ΔL

$$\text{Work} = \frac{1}{2} F \Delta L = \text{Stored Potential Energy}$$

$$\text{Work} = \frac{1}{2} F \Delta L$$

by Elas.

\int_{fixed}^x

❖ MR* → Dimension of Stress, Energy density, Young modulus is same



MR dim come

$$E = \frac{1}{2} F \Delta l^*$$

divided by (AL) both sides

$$\frac{E}{AL} = \frac{1}{2} \frac{F}{A} \times \frac{\Delta l}{L}$$

Energy density $V = \frac{1}{2} \text{ stress} \times \text{strain}$

$F \rightarrow$ Plastic force = F_{el}

$\Delta l = \text{elongation}$

total energy
 $(AL) V = \frac{1}{2} \text{ stress} \times \text{strain} \times AL$

$V = \frac{1}{2} \text{ stress} \times \text{strain}$

Hook's Stiffness = $\gamma \text{ strain}$

$V = \frac{1}{2} \gamma (\text{strain})^2$

$V = \frac{1}{2} \frac{(\text{stress})^2}{\gamma}$

$$U = \frac{1}{2} \text{ stress} \times \text{str}$$

$$U = \frac{1}{2} \frac{(\text{stress})^2}{\gamma}$$

$$U = \frac{1}{2} (\text{stress})^2 \gamma$$

QUESTION

A wire 2 m in length suspended vertically stretches by 10 mm when mass of 10 kg is attached to the lower end. The elastic potential energy gain by the wire is (take $g = 10 \text{ m/s}^2$)

1 0.5 J



2 5 J

3 50 J

4 500 J

$$F = mg$$

$$V = \frac{1}{2} mg (\Delta l)$$

$$\therefore \frac{1}{2} \times \underline{10 \times 10 \times 10} \sim$$

$$= \frac{1}{2} = 0.5 \text{ J}$$

QUESTIONNEET → 2021

When a block of mass M is suspended by a long wire of length L , the length of the wire becomes $\underline{\underline{L + l}}$. The elastic potential energy stored in the extended wire is:

1 $\frac{1}{2}MgL$

$$\Delta l = l$$

2 Mgl

3 MgL

4 $\frac{1}{2}Mgl$

$$E = \frac{1}{2}mg l$$

A)

QUESTION

When a uniform metallic wire is stretched the lateral strain produced in it is β . If v and Y are the Poisson's ratio and Young's modulus for wire, then elastic potential energy density of wire is

1 $\frac{Y\beta^2}{2}$

2 $\frac{Y\beta^2}{2v^2}$

3 $\frac{Yv\beta^2}{2}$

4 $\frac{Yv^2}{2\beta}$

$$\sigma = \frac{\Delta R}{R} = \frac{(\Delta l)}{l}$$

lateral strain
logitiver

H/V

$U = \frac{1}{2} (\text{strain}) \times \text{stress}$

QUESTION

Energy stored per unit volume in a stretched wire having Young's modulus Y and stress ' σ ' is

1 $\frac{Y\sigma}{2}$ ~~X~~

2 $\frac{\sigma^2 Y}{2}$ ~~X~~

3 $\frac{\sigma^2}{2Y}$ ~~✓~~

4 $\frac{\sigma}{2Y}$ ~~X~~

dimⁿ \rightarrow

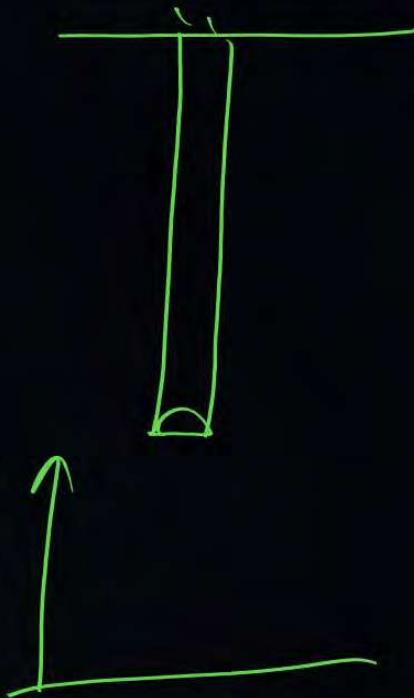
QUESTION

H/W



A 5 metre long wire is fixed to the ceiling. A weight of 10 kg is hung at the lower end and is 1 metre above the floor. The wire was elongated by 1 mm. The energy stored in the wire due to stretching is:

- 1 Zero
- 2 0.05 joule ✓
- 3 100 joule
- 4 500 joule



$$\begin{aligned}E &= \frac{1}{2} \times 10 \times 10^{-3} \\&= 5 \times 10^{-2}\end{aligned}$$

QUESTION

If E is the energy stored per unit volume in a wire having Young's modulus of the material Y, then stress applied is:

1 $\sqrt{2EY}$ ✓

2 $2\sqrt{EY}$

3 $\frac{1}{2}\sqrt{EY}$

4 $\frac{3}{2}\sqrt{EY}$

$$E = \frac{\sigma_{\text{str}}^2}{2Y}$$

$$\sigma_{\text{str}} = \sqrt{2EY}$$



Elongation and Compression



B/H core

Magnal
3 DEM



With elastic regime (A torus)
(A oste) X

✓

X

✓

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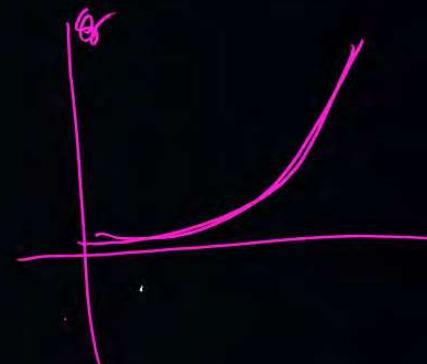
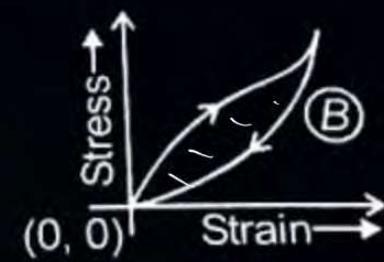
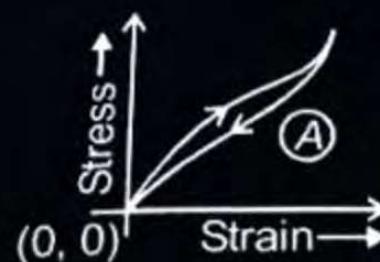
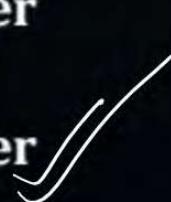
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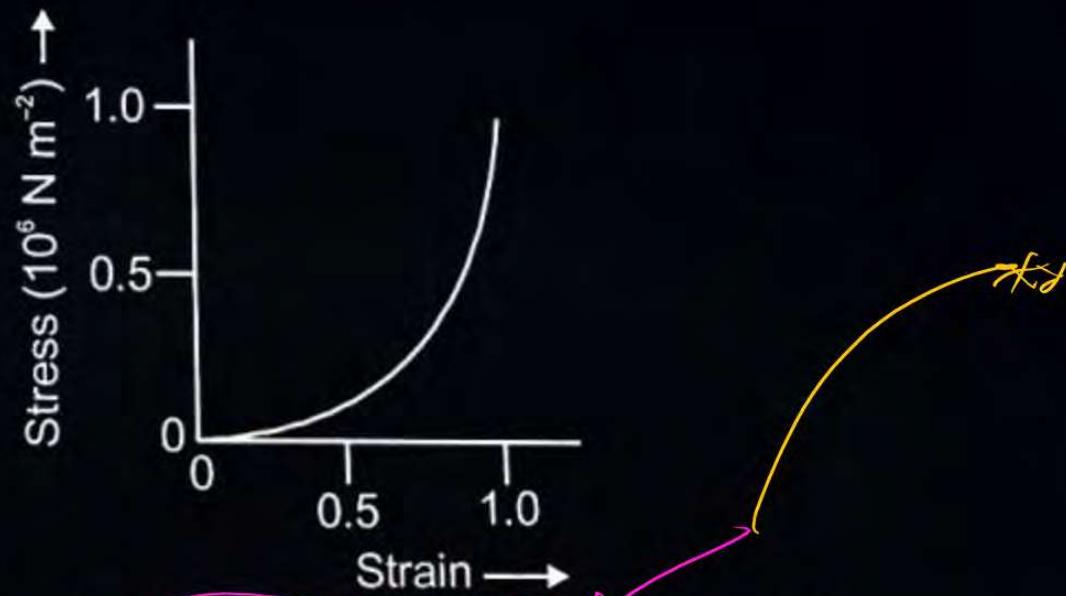
✓

QUESTION

Two different types of rubber are found to have the stress-strain curves as shown. Then

- 1** A is suitable for shock absorber
- 2** B is suitable for shock absorber
- 3** B is suitable for car tyres
- 4** None of these

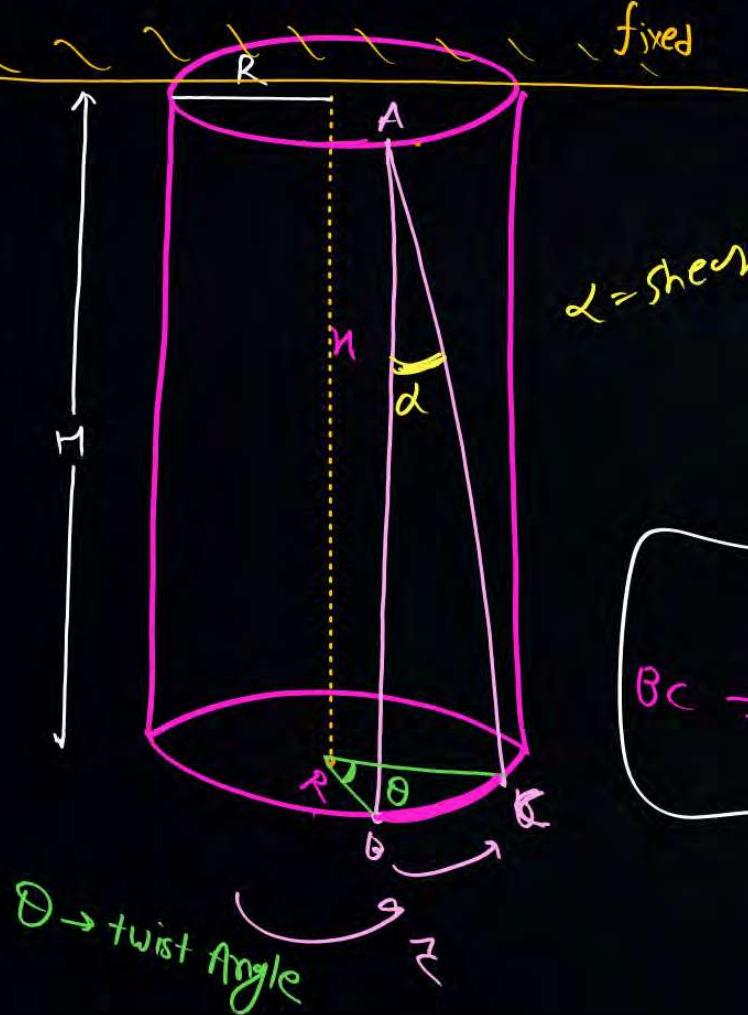




Stress-strain curve for the elastic tissue of Aorta the large tube
(vessel carrying blood from the heart).

❖ Relation between Shear Angle and Twist Angle

(Not for NEET)



$$\alpha = \text{Shear Angl}$$

$$\text{Angl}^{\circ}$$

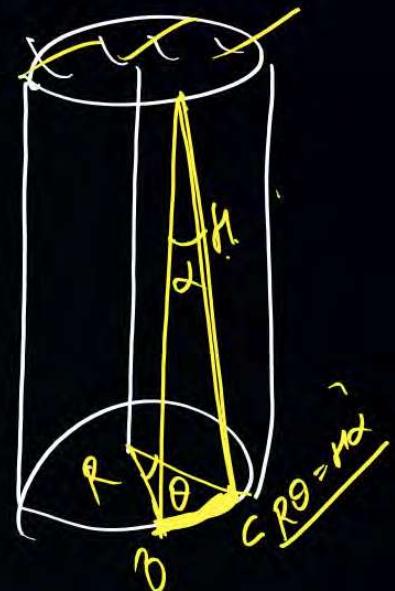
$$BC = R\theta = H\alpha$$

↓ ↓

twist Angl shear Angl

$$V = \frac{1}{2} C \theta^2$$

↑
torsional



$$CR\theta = HD$$

QUESTION



Two equal and opposite forces each of magnitude F is applied along a rod of transverse sectional area A . The normal stress to a section PQ inclined to transverse section is

1 $\frac{F \sin \theta}{A}$

$\sigma_{\text{normal}} (\text{logit})$



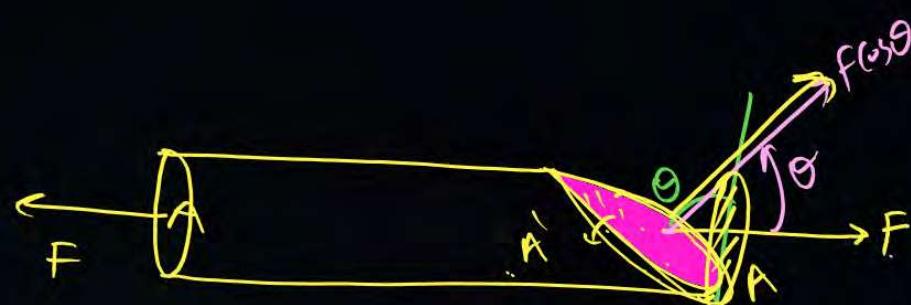
2 $\frac{F}{A} \cos \theta$

3 $\frac{F}{2A} \sin 2\theta$

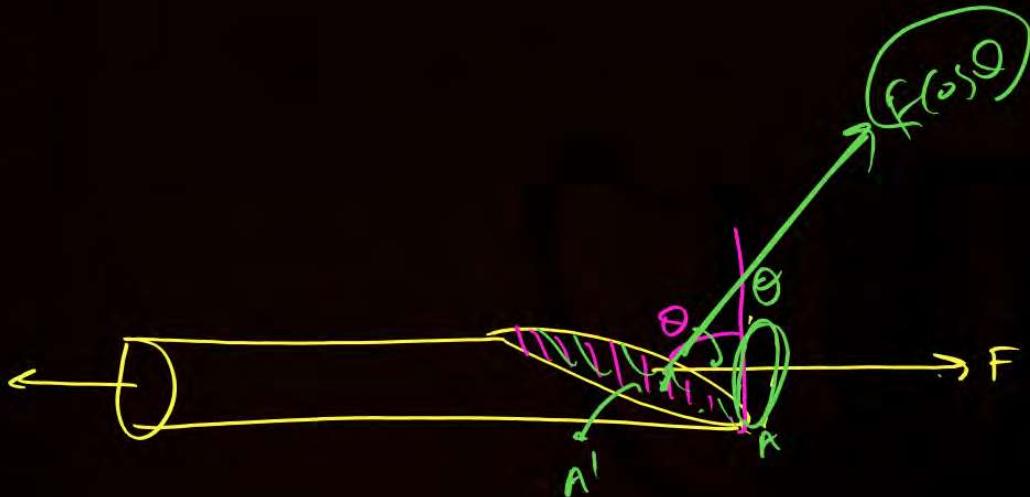
4 $\frac{F}{A} \cos^2 \theta$

A_1

$$\begin{aligned} A \cos \theta &= A' \\ A' &= A \frac{\cos \theta}{\cos \theta} \end{aligned}$$



$$\text{Stress} = \frac{f \cos \theta}{A'} = \frac{F \cos \theta}{A'} = \frac{F \cos \theta}{A \cos \theta} = \frac{F}{A}$$



PW

$$\begin{aligned}
 \text{Stress} &= \frac{F \cos \theta}{A'} \\
 &= \frac{F \cos \theta}{A / \cos \theta} \\
 &= \frac{F \cos^2 \theta}{A}
 \end{aligned}$$

$$A' \cos \theta = A$$

$$A' = \frac{A}{\cos \theta}$$