

B.Tech Third Year Mid-Semester Examination
Department: Computer Science and Engineering
Course Name: Compilers **Code: CS 346**
Full Marks-60 **Time: 2 hours**
Answer ALL the questions

Make reasonable assumption as whenever necessary. The notations carry the usual meanings. You can answer the question in any sequence. However the answers of all the components of any particular question should appear together.

1. Consider the following grammar for Boolean expressions:

$bexpr \rightarrow bexpr \text{ or } bterm \mid bterm$

$bterm \rightarrow bterm \text{ and } bfactor \mid bfactor$

$bfactor \rightarrow \text{not } bfactor \mid (bexpr) \mid \text{true} \mid \text{false}$

- (a) Eliminate left recursion from the grammar.
- (b) Compute FIRST and FOLLOW for all nonterminals of the resulting grammar.
- (c) Using the rules, construct a predictive parsing table for the grammar. (20)

2. Consider the CFG as follows: $S \rightarrow R$, $R \rightarrow RR$, $R \rightarrow R \mid R$, $R \rightarrow R^*$, $R \rightarrow \epsilon$, $R \rightarrow a$, $R \rightarrow (R)$
[Note that $|$ is a terminal symbol in the grammar].

LR(1) is a much stronger parsing algorithm than SLR(1). Would using an LR(1) parser instead of the SLR(1) parser resolve the ambiguities? Why or why not? Prove by generating all the canonical LR(1) item sets, and constructing the corresponding parsing table(s). (20)

3. (a). Draw a deterministic finite automata that accepts the set of all strings over $\{a, b\}^*$ that contain either **aba** or **bb** (or both) as substrings. (20)

- (b). Consider the following grammar fragment:

$stmt \rightarrow \text{if } expr \text{ then } stmt$

$\mid \text{if } expr \text{ then } stmt \text{ else } stmt$

$\mid \text{other}$

where **other** stands for other statements in the language.

Show that the grammar is ambiguous.