

# CSL302: Compiler Design

## Lexical Analysis

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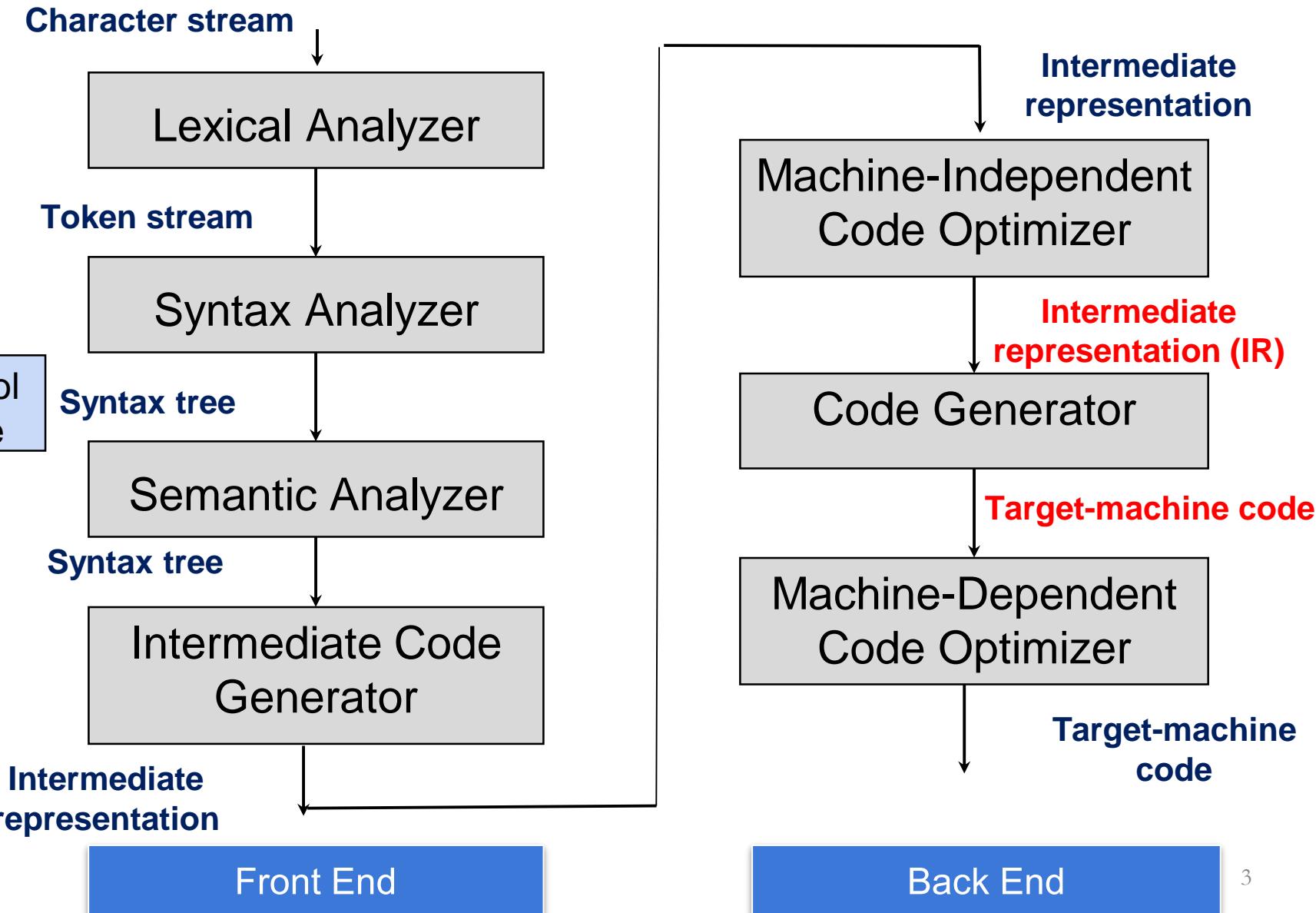
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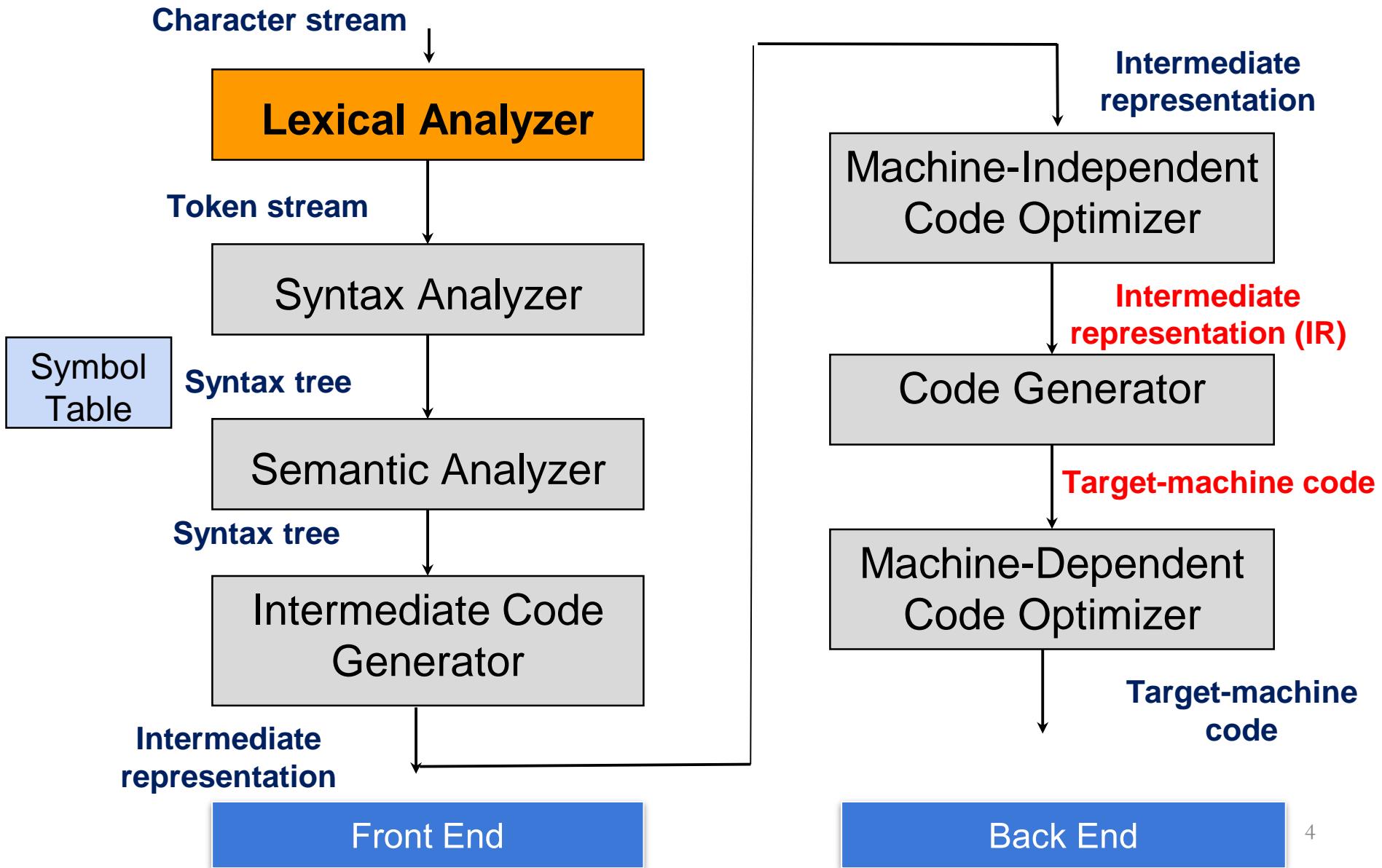
# Acknowledgement

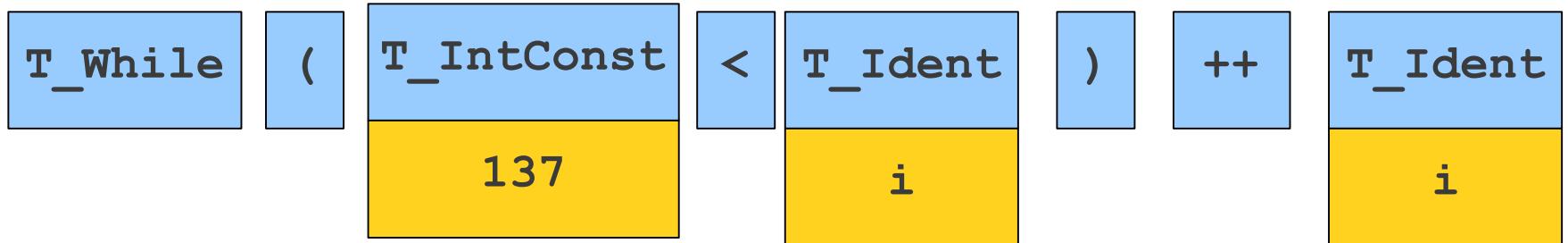
- References for today's slides
  - *Stanford University:*
    - <https://web.stanford.edu/class/archive/cs/cs143/cs143.1128/>
  - *Lecture notes of Prof. Amey Karkare (IIT Kanpur) and Late Prof. Sanjeev K Aggarwal (IIT Kanpur)*
  - *Suggested textbook for the course*

# Compiler Design



# Compiler Design





w	h	i	l	e		(	1	3	7	<		i	)	\n	\t	+	+	i	;
---	---	---	---	---	--	---	---	---	---	---	--	---	---	----	----	---	---	---	---

```
while (137 < i)
      ++i;
```

# Goals of Lexical Analysis

- Convert from physical description of a program into sequence of tokens.
  - Each token represents one logical piece of the source file – a keyword, the name of a variable, etc.
- Each token is associated with a lexeme.
  - The actual text of the token: “137,” “int,” etc.
- Each token may have optional attributes.
  - Extra information derived from the text – perhaps a numeric value.
- The token sequence will be used in the parser to recover the program structure.

# Choosing Tokens

# What Tokens are Useful Here?

```
for (int k = 0; k < myArray[5]; ++k)
    { myArray[k]++;
}
```

# What Tokens are Useful Here?

```
for (int k = 0; k < myArray[5]; ++k)
    {   myArray[k]++;
}
for           {
int           }
=             ;
(             <
)             [ 
++            ]
```

**Identifier**

**IntegerConstant**

# Choosing Good Tokens

- Very much dependent on the language.
- Typically:
  - Give keywords their own tokens.
  - Give different punctuation symbols their own tokens.
  - Group lexemes representing identifiers, numeric constants, strings, etc. into their own groups.
- Discard irrelevant information (whitespace, comments)

# Tokens

TOKEN	INFORMAL DESCRIPTION	SAMPLE LEXEMES
<b>if</b>	characters i, f	if
<b>else</b>	characters e, l, s, e	else
<b>comparison</b>	< or > or <= or >= or == or !=	<=, !=
<b>id</b>	letter followed by letters and digits	pi, score, D2
<b>number</b>	any numeric constant	3.14159, 0, 6.02e23
<b>literal</b>	anything but ", surrounded by "'s	"core dumped"

# Associating Lexemes with Tokens

# Lexemes and Tokens

- Tokens give a way to categorize lexemes by what information they provide.
- Some tokens might be associated with only a single lexeme:
  - Tokens for keywords like **if** and **while** probably only match those lexemes exactly.
- Some tokens might be associated with lots of different lexemes:
  - All variable names, all possible numbers, all possible strings, etc.

# Sets of Lexemes

- Idea: Associate a set of lexemes with each token.
  - We might associate the “number” token with the set { 0, 1, 2, ..., 10, 11, 12, ... }
  - We might associate the “string” token with the set { "", "a", "b", "c", ... }
  - We might associate the token for the keyword **while** with the set { **while** }.

# How to describe tokens?

- Potentially infinite lexemes
- Programming language tokens can be described by regular languages
- Regular languages
  - Are easy to understand
  - There is a well understood and useful theory
  - They have efficient implementation
- Regular languages have been discussed in great detail in the “Theory of Computation” course

# How to specify tokens

- Regular definitions
  - Let  $r_i$  be a regular expression and  $d_i$  be a distinct name
  - Regular definition is a sequence of definitions of the form
$$d_1 \rightarrow r_1$$
$$d_2 \rightarrow r_2$$
$$\dots$$
$$d_n \rightarrow r_n$$
  - Where each  $r_i$  is a regular expression

# Examples

- Identifier

letter → a| b| ...|z| A| B| ...| Z

digit → 0| 1| ...| 9

identifier → letter(letter|digit)\*

# Examples

- Email address

cse@iitbihilai.ac.in

Write regular expression!

# Examples

- Email address

cse@iitbihilai.ac.in

- $\Sigma = \text{letter} \cup \{@, .\}$
- letter  $\rightarrow a | b | \dots | z | A | B | \dots | Z$
- name  $\rightarrow \text{letter}^+$
- address  $\rightarrow \text{name '@' name '.' name ':' name}$

# Regular expressions in specifications

- Regular expressions describe many useful languages
- Regular expressions are only specifications; implementation is still required
- Given a string  $s$  and a regular expression  $R$ , does  $s \in L(R)$  ?
- Solution to this problem is the basis of the lexical analyzers
- Goal: Partition the input into tokens

1. Write a regular expression for lexemes of each token
  - number -> digit<sup>+</sup>
  - identifier -> letter(letter|digit)<sup>+</sup>
2. Construct R matching all lexemes of all tokens
  - $R = R_1 + R_2 + R_3 + \dots$
3. Let input be  $x_1 \dots x_n$ 
  - for  $1 \leq i \leq n$  check  $x_1 \dots x_i \in L(R)$
4.  $x_1 \dots x_i \in L(R) \quad x_1 \dots x_i \in L(R_j)$  for some j
  - smallest such j is token class of  $x_1 \dots x_i$
5. Remove  $x_1 \dots x_i$  from input; go to (3)

- The algorithm gives priority to tokens listed earlier
  - Treats “**if**” as keyword and not identifier
- How much input is used? What if
  - $x_1 \dots x_i \in L(R)$
  - $x_1 \dots x_j \in L(R)$
  - Pick up the longest possible string in  $L(R)$
  - The principle of “maximal munch”
  - **do/double**
- Regular expressions provide a concise and useful notation for string patterns

# Examples

IF → if

ELSE → else

DO → do

DOUBLE → double

identifier → letter(letter|digit)\*

letter → a| b| ...|z| A| B| ...| Z

digit → 0| 1| ...| 9

COMP\_OP → >|<|=|<=|==|!=

ARITH\_OP → +|-|\*|/

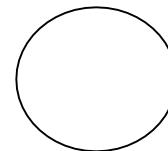
# Recognizing Regular Expressions

# Transition Diagrams

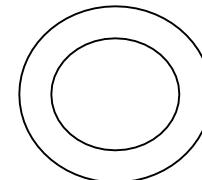
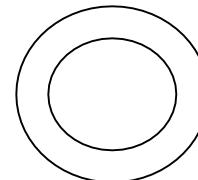
- Regular expressions are declarative specifications
- Transition diagram is an implementation
- A transition diagram consists of
  - An input alphabet belonging to  $\Sigma$
  - A set of states  $S$
  - A set of transitions  $\text{state}_i \rightarrow^{input} \text{state}_j$
  - A set of final states  $F$
  - A start state  $n$
- Transition  $s1 \rightarrow^a s2$  is read:  
in state  $s1$  on input  $a$  go to state  $s2$
- If end of input is reached in a final state then accept
- Otherwise, reject

# Pictorial Notation

- A state



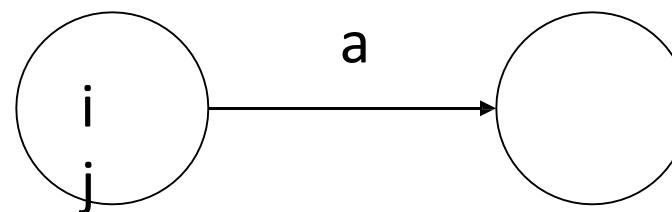
- A final state



- Transition



- Transition from state i to state j on an input a



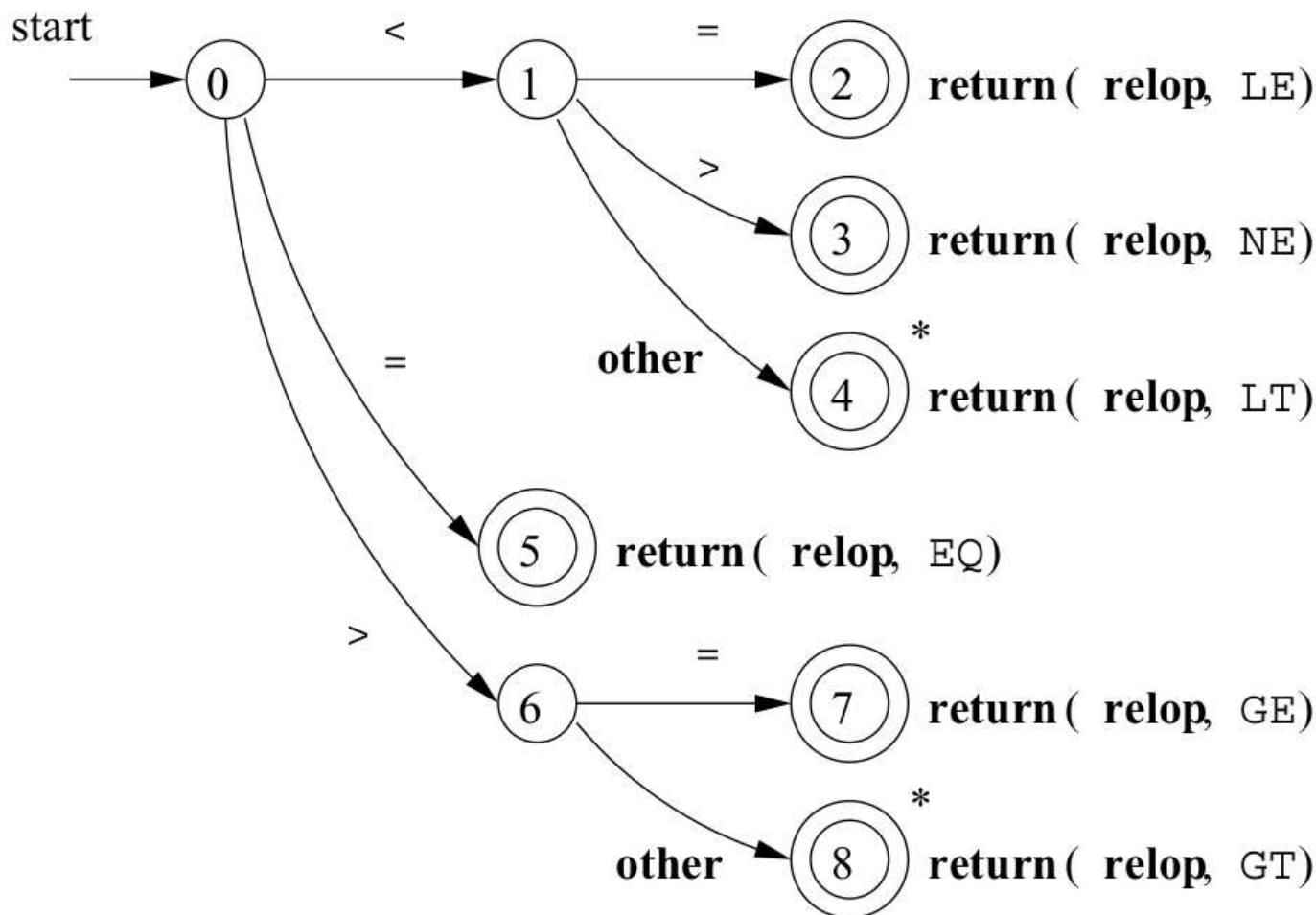
# Transition Diagram for relop

- Draw the transition diagram for recognizing the relation operators ( $<=$ ,  $>=$ ,  $<>$ )

# Transition Diagram for *relop*

- Draw the transition diagram for recognizing the relation operators ( $<$ ,  $\leq$ ,  $\neq$ ,  $=$ ,  $>$ ,  $\geq$ )

# Transition Diagram for *relop*

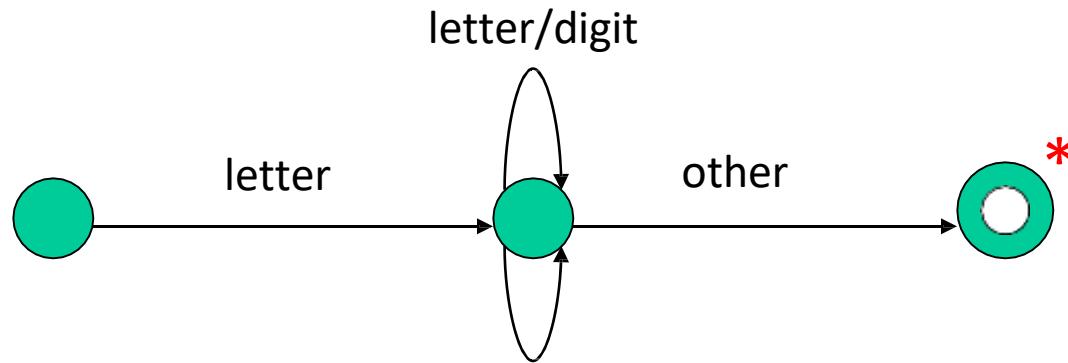


# How to Recognize Tokens

- Consider

$\text{id} \rightarrow \text{letter}(\text{letter}|\text{digit})^*$

# Transition diagram for identifier



# Questions?