# Object Query Language

**Typing** 



### Name resolution

#### Name resolution order:

- 1. variable;
- 2. property;
- 3. query name;
- 4. name from the schema.

```
class Person {
    . . .
};

class Car {
    person: Person;
    . . .
};

name Persons : set <Person>;

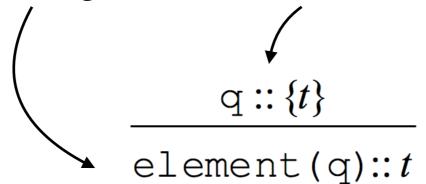
define person as . . .;

select . .
    from person in Persons,
        auto in MyCVars
where auto.person = . . .
```

## Typing rules

Rules are read like this:

The following is true if the condition holds



## Rule examples

#### Casting:

$$\underline{q :: c', c \le c' \text{ arba } c \ge c'}$$

$$(c) q :: c$$

#### Property extraction:

$$\frac{q :: t, t \leq [a : t']}{q \cdot a :: t'}$$

Sum:

$$\frac{q_1 :: int, q_2 :: int}{q_1 + q_2 :: int}$$

## Rule examples

#### Another sum:

$$q_1 :: t_1, q_2 :: t_2, \{real\} \subseteq \{t_1\} \cup \{t_2\} \subseteq \{int, real\}$$

$$q_1 + q_2 :: real$$

#### Calling a method:

$$\underline{\mathbf{q}} :: c$$
,  $\mathbf{m} : (c, t_1, \dots, t_n) \rightarrow t$ ,  $\forall i = 1, n$   $\underline{\mathbf{q}}_1 :: t'_i, t'_i \leq t_i$   $\underline{\mathbf{q}} \cdot \mathbf{m} (\underline{\mathbf{q}}_1, \dots, \underline{\mathbf{q}}_n) :: t$ 

#### Structure constructor:

$$\forall i = \overline{1, n} \quad q_i :: t_i$$

$$struct(a_1 : q_1, ..., a_n : q_n) :: [a_1 : t_1, ..., a_n : t_n]$$



### Rule examples

#### Iterator:

```
 \begin{aligned} & \mathbf{q}_{1} :: col(t_{1}), \ \mathbf{q}_{2} :: [t_{1}] \to col(t_{2}), \ \dots, \ \mathbf{q}_{n} :: [t_{1}, \dots, t_{n-1}] \to col(t_{n}), \\ & \mathbf{p} :: [t_{1}, \dots, t_{n}] \to bool, \ \mathbf{q} :: [t_{1}, \dots, t_{n}] \to t \\ & \mathbf{x}_{1} :: t_{1}, \dots, \mathbf{x}_{n} :: t_{n}, \\ & \left( \text{select } \mathbf{q}[\mathbf{x}_{1}, \dots, \mathbf{x}_{n}] \right) \\ & \text{from } \mathbf{x}_{1} \text{ in } \mathbf{q}_{1}, \ \mathbf{x}_{2} \text{ in } \mathbf{q}_{2}[\mathbf{x}_{1}], \dots, \mathbf{x}_{n} \text{ in } \mathbf{q}_{n}[\mathbf{x}_{1}, \dots, \mathbf{x}_{n-1}] \\ & \text{where } \mathbf{p}[\mathbf{x}_{1}, \dots, \mathbf{x}_{n}] \end{aligned}
```

## Typing tree

## Run-time typing errors

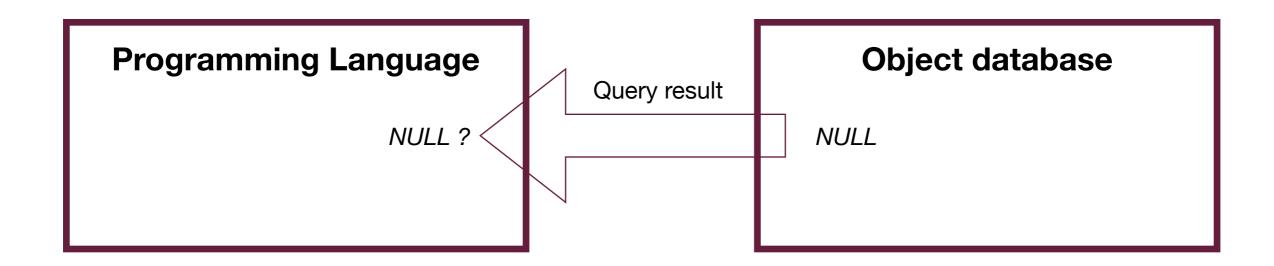
Regardless query typing, run-time errors still exists:

- operations min, max, avg, sum, etc with empty set;
- operation element with a set having more than one element;
- division by zero;
- index out of bounds with arrays, lists, strings...;
- wrong casting;
- accessing properties of nil.



### NULL value issue

Is there a *NULL* value in the Programming Language (*NULL* != *nil*)



## Attribute specialisation issue

```
( \forall i \in [1, n], n \le m : t_i \le t'_i ) \Rightarrow [a_1 : t_1, ..., a_m : t_m] \le [a_1 : t'_1, ..., a_n : t'_n]
```

```
class A {
  x: { myBool: boolean }
};
method set x to true:boolean in class A {
    if(this.x.myBool == False) {
        this.x = {myBool:true};
        return true;
    else return false;
};
class B extends A {
  x: { myBool: boolean, myInt: int }
};
method read_x_int:integer in class B {
    return this.x.myInt
};
```

All is well here...

... but this query breaks it all:

```
select b.read_x_int()
  from b in Some-B-Objects-Set
where b.set x to true();
```

So no attribute specialisation is allowed in practice



## Covariation vs. Contrvariation

```
class Point {
 x: real,
 y: real
};
class ColorPoint extends Point {
 c: string // x and y inherited from Point
};
method equal (p:Point):boolean
                    in class Point
{
  return ((this.x == p.x) && (this.y == p.y));
};
method equal (p:ColorPoint):boolean
                    in class ColorPoint
{
    return ( (this.x == p.x) &&
             (this.y == p.y) &&
             (this.c == p.c) )
};
```

All is well here...

#### ... but then let's add this:

#### ... and write a query:

```
(new Point()).break_it(new ColorPoint())
```

## Covariation vs. Contravariation

```
Class C method \mathbf{m} : \mathbf{A} \to \mathbf{B}

V
Class c method \mathbf{m} : \mathbf{a} \to \mathbf{b}
```

It is safe to use method **c:m** instead of **C:m**, if:

- c:m can accept same arguments as C:m (a ≥ A)
- any code expecting results from C:m will accept results from c:m ( B ≥ b )



## Covariation vs. Contravariation

Class C method  $\mathbf{m}: \mathbf{A} \to \mathbf{B}$   $\forall \qquad \qquad \qquad \mathsf{N} \mathsf{IV} \qquad \qquad \qquad \qquad \mathsf{Contravariation}$ Class c method  $\mathbf{m}: \mathbf{a} \to \mathbf{b}$ 

Class C method  $\mathbf{m} : \mathbf{A} \to \mathbf{B}$ practical

Class c method  $\mathbf{m} : \mathbf{a} \to \mathbf{b}$ Class c method  $\mathbf{m} : \mathbf{a} \to \mathbf{b}$ 

