

Mobile Robotics, Reinforcement Learning and Deep Reinforcement Learning for Mobile Robots

Material based on Reinforcement Learning: an Introduction, 2nd Edition [sect. 5.1-5.3, 6.1-6.3, 6.5], Reinforcement Learning course offered by Prof. Pascal Poupart at Univ. of Waterloo

Summary

Mobile
Robotics,
Reinforce-
ment

Learning and
Deep Rein-
forcement
Learning for
Mobile
Robots

- Introduction to Reinforcement Learning
- Deep Reinforcement Learning
- Deep Q Network
- DQN for Mapless Navigation

Reinforcement Learning: relationships with MDPs

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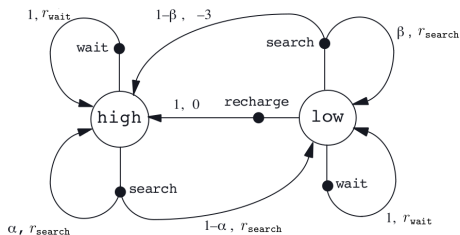
Guide an MDP without knowing the dynamics

- do not know which states are good/bad (no $R(s, a)$)
- do not know where actions will lead us (no $T(s, a, s')$)
- hence we must **try out** actions/states and collect the reward

Recycling robot example: RL

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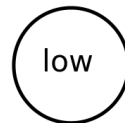
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Planning



search
wait



recharge
search
wait

Learning

To use a model or not to use a model ?

- Model-Based methods try to **learn a model**
 - + avoid repeating bad states/actions
 - + fewer execution steps
 - + efficient use of data
- Model-Free methods try to **learn Q-function and policy** directly
 - + simplicity, no need to build and use a model
 - + no bias in model design

Q-Learning: pseudo-code

Algorithm 1 Tabular Q-Learning

- 1: Initialize $Q(s, a)$ arbitrarily
 - 2: Initialize s {observe current state}
 - 3: **loop**
 - 4: Select and execute action a
 - 5: Observe new state s' receive immediate reward r
 - 6: $Q(s, a) = Q(s, a) + \alpha[r + \gamma \max_{a'} Q(s', a') - Q(s, a)]$
 - 7: update state $s \leftarrow s'$
 - 8: **end loop**
-

◇ ϵ -greedy: choose best action most of the time, but every once in a while (with probability ϵ) choose randomly amongst all action (with equal probability)

Deep Reinforcement Learning: key points

- ◇ For many real world domains we can not explicitly represent key functions for RL ($\pi(s)$, $V(s)$, $Q(s, a)$)
- ◇ We can try to approximate them
 - Linear approximation
 - Neural Network approximation
 - Deep RL
- ◇ Deep Q Network approximates $Q(s, a)$ with a DNN

Gradient Q-Learning

- ◇ approximate $Q(s, a)$ with a parametrized function $Q_{\mathbf{w}}(s, a)$
- ◇ Minimize squared error between estimate and target
 - Estimate $Q_{\mathbf{w}}(s, a)$
 - Target: $r(s, a, s') + \gamma \max_{a'} Q_{\mathbf{w}}(s', a')$

◇ squared error:

$$Err(\mathbf{w}) = (Q_{\mathbf{w}}(s, a) - r(s, a, s') - \gamma \max_{a'} Q_{\mathbf{w}}(s', a'))^2$$

◇ gradient:

$$\frac{\partial Err(\mathbf{w})}{\partial \mathbf{w}} = 2(Q_{\mathbf{w}}(s, a) - r(s, a, s') - \gamma \max_{a'} Q_{\mathbf{w}}(s', a')) \frac{\partial Q_{\mathbf{w}}(s, a)}{\partial \mathbf{w}}$$

(Scalar 2 is a constant factor and not important for update)

Gradient Q-Learning Algorithm

Algorithm 2 Gradient Q-Learning

- 1: Initialize weights \mathbf{w} randomly in $[-1, 1]$
 - 2: Initialize s {observe current state}
 - 3: **loop**
 - 4: Select and execute action a
 - 5: Observe new state s' receive immediate reward r
 - 6: $\frac{\partial \text{Err}(\mathbf{w})}{\partial \mathbf{w}} = (Q_{\mathbf{w}}(s, a) - r - \gamma \max_{a'} Q_{\mathbf{w}}(s', a')) \frac{\partial Q_{\mathbf{w}}(s, a)}{\partial \mathbf{w}}$
 - 7: update weights $\mathbf{w} \leftarrow \mathbf{w} - \alpha \frac{\partial \text{Err}(\mathbf{w})}{\partial \mathbf{w}}$
 - 8: update state $s \leftarrow s'$
 - 9: **end loop**
-

Non-Convergence of Non-linear gradient Q-Learning

- ◇ Non-linear approximation of $Q(s,a)$, $Q(s,a) \approx g(\mathbf{x}; \mathbf{w})$
- ◇ **gradient Q-Learning may not converge**
- ◇ Issue:
 - we update the weights to reduce error for a specific experience (i.e., a specific (s,a)) **but** by changing the weights we may end up changing the $Q(s,a)$ potentially everywhere.

Mitigating divergence

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◇ Two main approaches to **mitigate** divergence:

- 1 experience replay
- 2 use two different networks
 - Q-network
 - Target network

Experience replay

- ◇ Store previous experiences (i.e., (s, a, s', r)) and use them at each step
 - Store previous (s, a, s', r) in a dedicated memory buffer
 - At each step sample a mini-batch from this buffer and use the mini-batch to update the weights
- ◇ Benefits
 - 1 reduces correlation between successive samples (increase stability)
 - 2 reduces number of interaction with the environment (increase data efficiency)

Target Network

◇ Maintain a separate **target** network and update this network periodically (not with every experience)

- Q-network $Q_{\mathbf{w}}(s, a)$
- Target network $Q_{\overline{\mathbf{w}}}(s, a)$

◇ repeat for every (s, a, s', r) in the mini-batch update the Q-network

- $\mathbf{w} \leftarrow \mathbf{w} - \alpha_t (Q_{\mathbf{w}}(s, a) - r - \gamma \max_{a'} Q_{\overline{\mathbf{w}}}(s', a')) \frac{\partial Q_{\mathbf{w}}(s, a)}{\partial \mathbf{w}}$

◇ update the target network

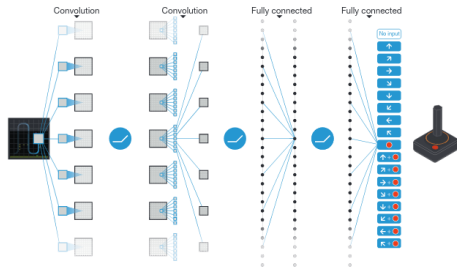
- $\overline{\mathbf{w}} \leftarrow \mathbf{w}$

Deep Q Network

◇ Human-level control through deep reinforcement learning (V. Mnih et al., Nature 2015)

◇ Gradient Q-Learning

- Deep neural networks to approximate $Q(s,a)$
- Experience Replay and Target network



◇ above human-level performance in many Atari video games

Deep Q Network sketch of algorithm

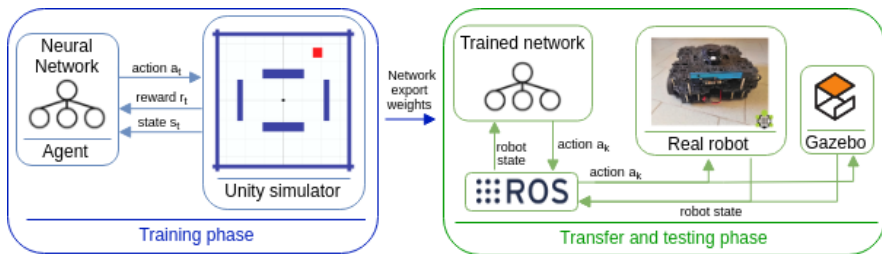
Algorithm 3 DQN

- 1: Initialize weights \mathbf{w} and $\overline{\mathbf{w}}$ randomly in $[-1, 1]$
- 2: Initialize s {observe current state}
- 3: **loop**
- 4: Select and execute action a
- 5: Observe new state s' receive immediate reward r
- 6: Add (s, a, s', r) to experience buffer
- 7: Sample mini-batch MB of experiences from buffer
- 8: **for** $(\hat{s}, \hat{a}, \hat{s}', \hat{r}) \in MB$ **do**
- 9:
$$\frac{\partial \text{Err}(\mathbf{w})}{\partial \mathbf{w}} = (Q_{\mathbf{w}}(\hat{s}, \hat{a}) - \hat{r} - \gamma \max_{\hat{a}'} Q_{\overline{\mathbf{w}}}(\hat{s}', \hat{a}')) \frac{\partial Q_{\mathbf{w}}(\hat{s}, \hat{a})}{\partial \mathbf{w}}$$
- 10: update weights $\mathbf{w} \leftarrow \mathbf{w} - \alpha \frac{\partial \text{Err}(\mathbf{w})}{\partial \mathbf{w}}$
- 11: **end for**
- 12: update state $s \leftarrow s'$
- 13: every c steps, update target: $\overline{\mathbf{w}} \leftarrow \mathbf{w}$
- 14: **end loop**

DRL for robotics, sim to real

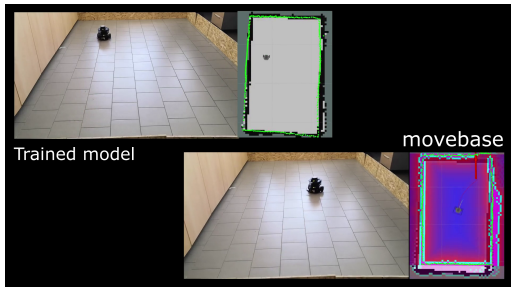
Acting in the real environment is difficult/dangerous

- train in a synthetic environment



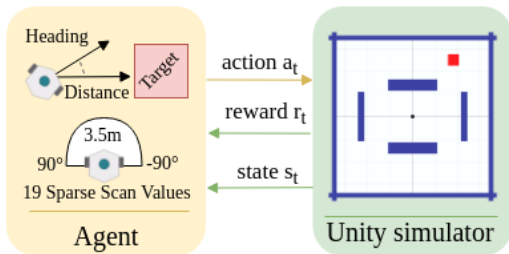
DRL for robotics, continuous approaches and mapless navigation

- ◇ Most DRL approaches considers continuous action space
 - Proximal Policy Optimization (PPO)
 - Policy Gradient (DDPG)
- ◇ Continuous approaches are time-consuming compared to discrete action space (e.g., DQN)
- ◇ **Mapless Navigation**: Navigate in the environment, avoiding obstacles, without a map
 - laser scans and target heading as input
 - angular velocities as output
 - dense reward (i.e., distance from target)



Discrete DRL for mapless navigation

Proper discretization of the action space and the use of DQN can result in a significantly shorter training time (from 20 hours to 1 hour), maintaining comparable performance.



Deep RL: current trends

- ◇ Formal verification of DRL models
 - ensure the learned model respect safety properties
- ◇ Transfer of Learning/Curricula learning
 - ToL: train the model in an environment and deploy in another one
 - Curricula Learning: learn a difficult task by training on a series of simpler tasks
- ◇ DRL for robotics
 - Adaptation to environment is critical but interacting with the environment is difficult, expensive and potentially dangerous.
- ◇ MADRL
 - A set of agents/robots that learn at the same time in the same environment

- **PPO**: Schulman et al. (2017) Proximal Policy Optimization
- **DDPG**: Lillicrap et al. (2015) Continuous control with deep reinforcement learning
- **Mapless**: Tai et al. (2017) “Virtual-to-real deep reinforcement learning: Continuous control of mobile robots for mapless navigation”