

INSPECTION OF THE AWM DATA SET AND ESTIMATION OF EUROZONE AGGREGATED MONEY/INFLATION

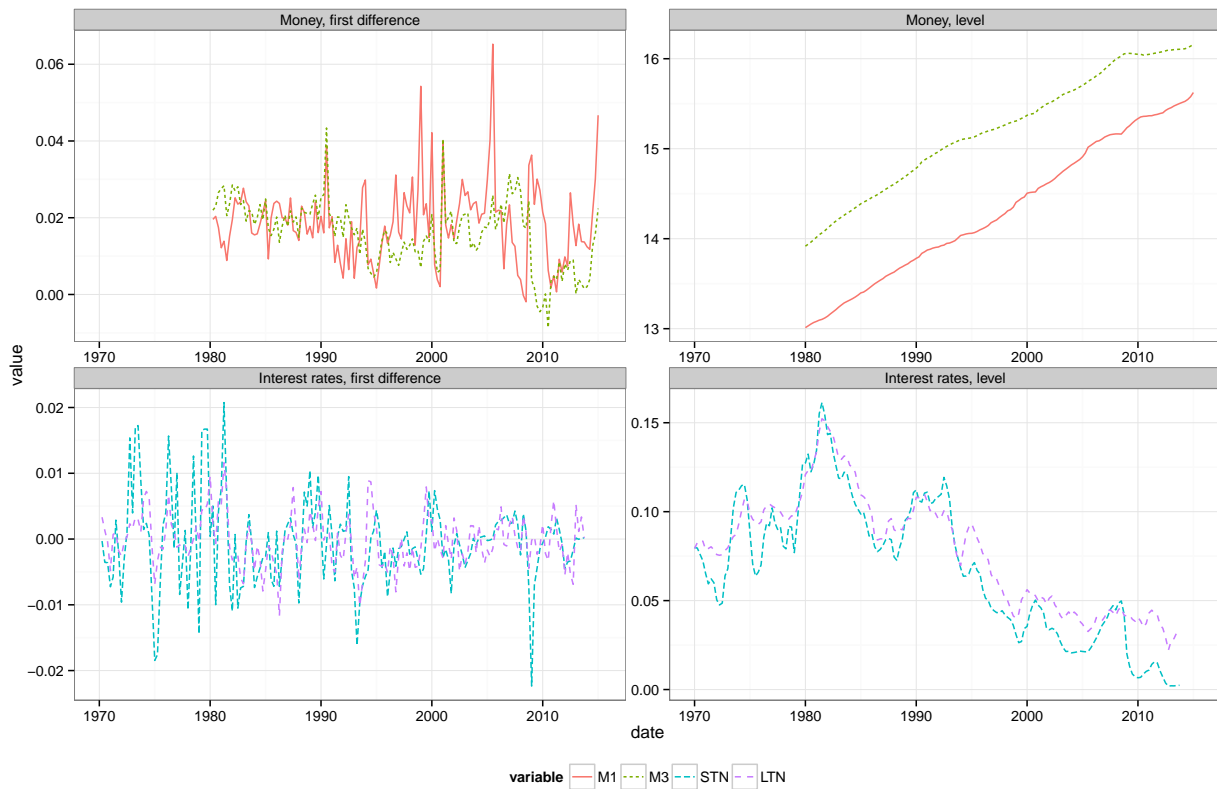
LAURENT CALLOT

```
## Loading required package: ggplot2
##
## Attaching package: 'dplyr'
##
## The following object is masked from 'package:stats':
##
##   filter
##
## The following objects are masked from 'package:base':
##
##   intersect, setdiff, setequal, union
```

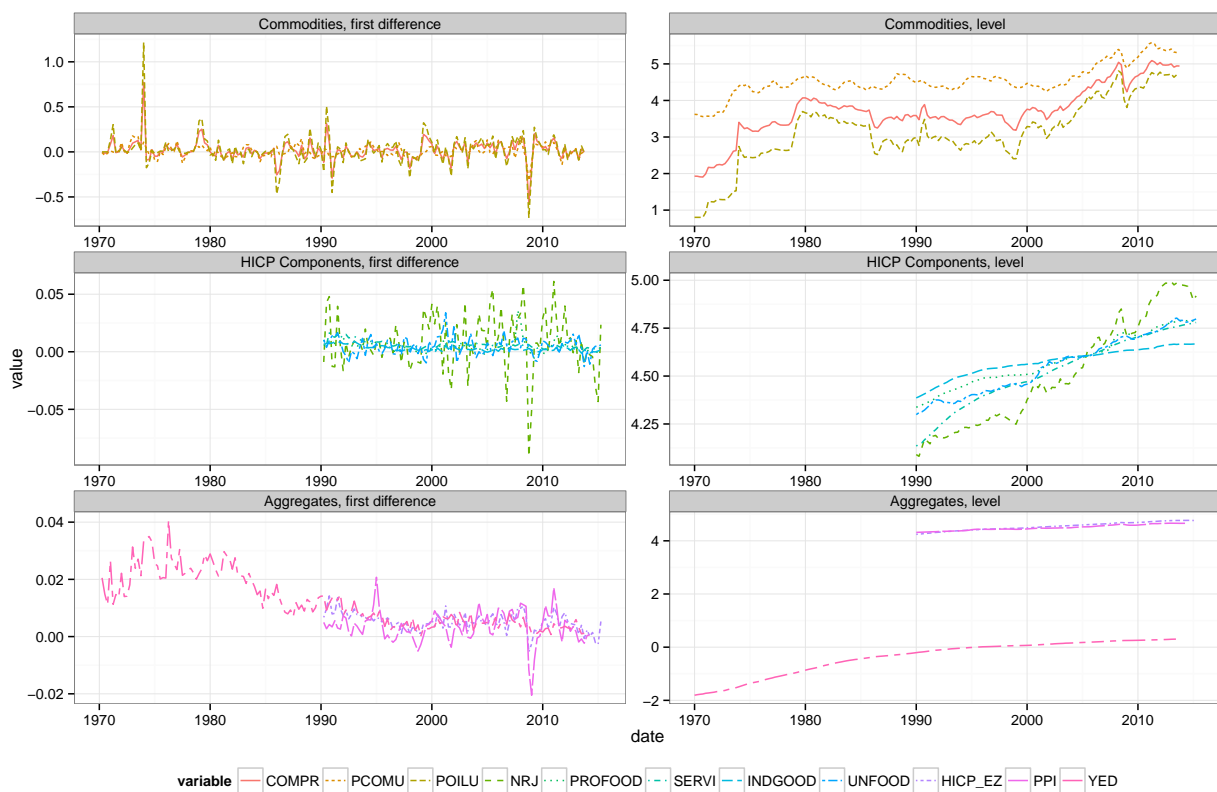
```
## [1] "YER"      "PCR"      "GCR"      "ITR"      "XTR"      "MTR"      "YED"
## [8] "PCD"      "GCD"      "ITD"      "XTD"      "MTD"      "YFD"      "YIN"
## [15] "WIN"      "GON"      "TIN"      "YFN"      "HICP"     "HEX"      "HEG"
## [22] "HICPSA"   "HEXSA"    "HEGWEI"   "CAN_YEN"  "NFN_YEN"  "LFN"      "LNN"
## [29] "UNN"      "URX"      "LEN"      "STN"      "LTN"      "COMPR"    "POILU"
## [36] "PCOMU"    "YWD"      "YWDX"     "YWR"      "YWRX"     "LPROD"    "ULC"
## [43] "WRN"      "SAX"      "EEN"      "EXR"      "LHO"      "LFI"      "M1"
## [50] "M3"       "ESI"      "LIB"      "PPI"      "DJES"     "PROFOOD"  "NRJ"
## [57] "HICP_EZ"  "UNFOOD"   "INDGOOD"  "SERVI"    "date"
```

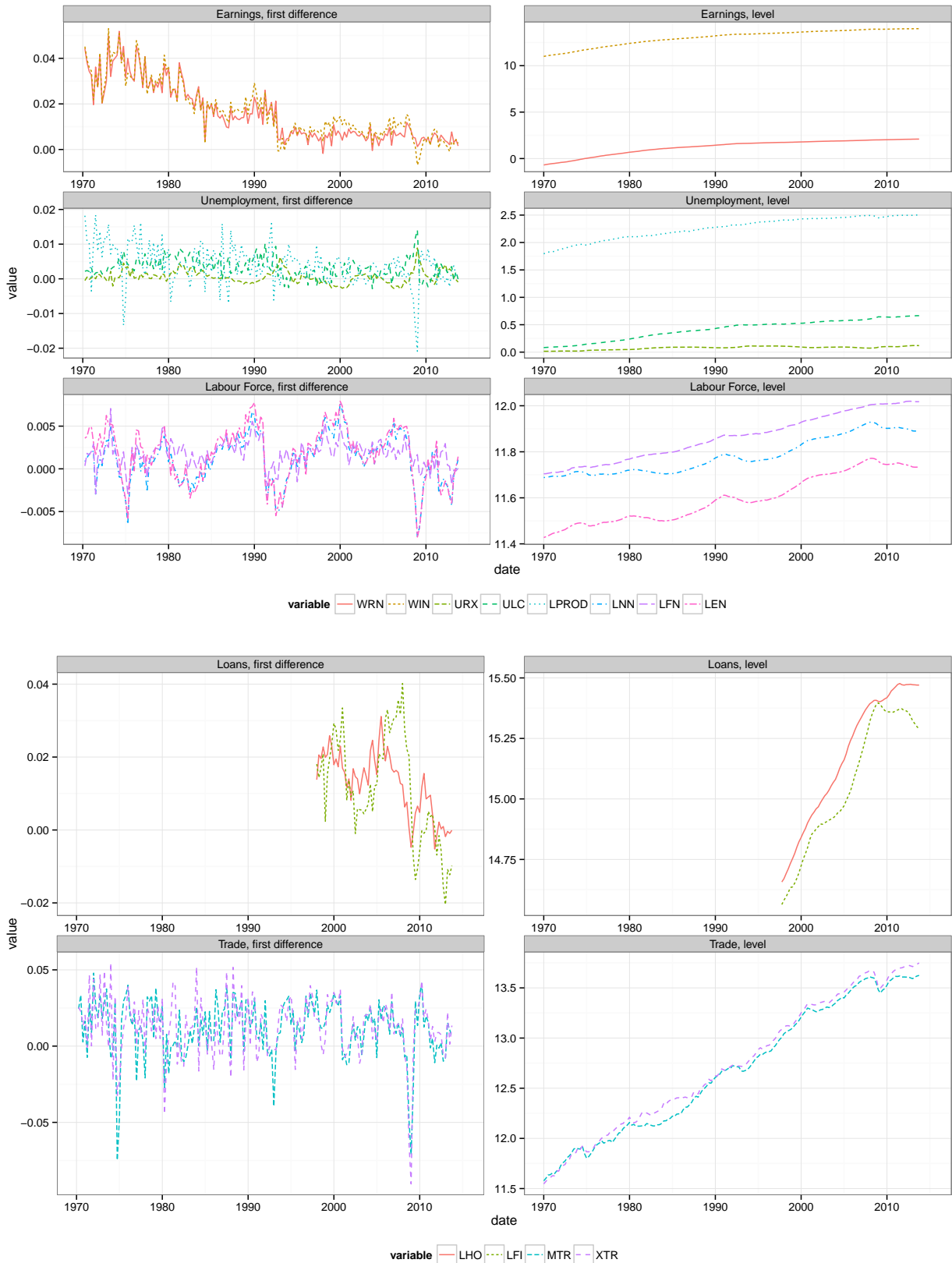
In this document we estimate models for money demand and inflation on aggregated Eurozone data following Bårdsen et al. (2005)

1. VISUALISATION OF THE DATA



Strong seasonal effect in M1, M3 seems better behaved.





2. MONEY DEMAND FUNCTION

Bårdsen et al. (2005) estimates a money demand function on AWM data from 1980:4 to 1997:2. The equation is based on a model from Coenen and Vega (2001) and it includes lagged and contemporaneous variables as well as an error correction term. It has the form:

$$\Delta(\widehat{m-p})_t = \alpha_0 + \alpha_1 \Delta \Delta y_t + \alpha_2 \frac{\Delta RS_t + \Delta RS_{t-1}}{2} + \alpha_3 \Delta RL_{t-1} \\ + \alpha_4 \frac{\Delta pan_t + \Delta pan_{t-1}}{2} + \alpha_5 emc_{t-2}, \\ emc_t = (m-p)_t + \beta_1 y_t + \beta_2 \Delta pan_t + \beta_3 (RL - RS)_t.$$

It is a co-integration relation taken from references in (Bårdsen et al., 2005, p. 152). RL and RS are the short and long rates from the AWM, y_t the log of real GDP, and Δpan is the annualized change in the GDP deflator.

Let's try to estimate some variation of it. We do not include an ECM term for starters, and the GDP deflator isn't in the data yet.

```
##
## Call:
## lm(formula = dmp ~ L1_dmp + ddy + LD0_YED + LD1_YED + LD2_YED +
##       LD0_STN + LD1_STN + LD2_STN + LD0_LTN + LD1_LTN + LD2_LTN,
##       data = cbind(awm, LD))
##
## Residuals:
##          Min           1Q       Median           3Q          Max
## -0.0139268 -0.0033644 -0.0005169  0.0031606  0.0287833
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)  0.002267   0.001769   1.282  0.20358
## L1_dmp       0.625006   0.083996   7.441 9.39e-11 ***
## ddy         0.078849   0.140051   0.563  0.57499
## LD0_YED     -0.131912   0.217594  -0.606  0.54606
## LD1_YED      0.049565   0.238232   0.208  0.83571
## LD2_YED      0.101564   0.219890   0.462  0.64540
## LD0_STN      0.235471   0.376657   0.625  0.53362
## LD1_STN     -0.452479   0.356601  -1.269  0.20812
## LD2_STN      0.478643   0.344373   1.390  0.16837
## LD0_LTN     -1.273155   0.276552  -4.604 1.52e-05 ***
## LD1_LTN      0.994704   0.307420   3.236  0.00176 **
## LD2_LTN      0.087609   0.306684   0.286  0.77586
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.006173 on 81 degrees of freedom
## (89 observations deleted due to missingness)
## Multiple R-squared:  0.5167, Adjusted R-squared:  0.451
## F-statistic: 7.871 on 11 and 81 DF, p-value: 4.064e-09
## Call:
## lassovar(dat = var1, lags = 4)
##
## Model estimated equation by equation
## Selection criterion: BIC
## Estimator: Lasso
## Deterministics: intercept.
## Dimensions: T = 91 N = 5
##
## Total number of variables selected:24 (24% of candidates)
##
```

```

## Model summary statistics:
##              Lambda non-zero      resid var
## dmp          0.0006152253          8 3.582759e-05
## LD0_HICPSA   0.0003189406          5 1.125704e-05
## LD0_STN      0.0003510535          5 3.303019e-06
## LD0_LTN      0.0005579283          3 6.698120e-06
## LD0_YED      0.0005798616          3 9.937294e-06
##
## Deterministics not included in the non-zero count.
##              [,1]          [,2]          [,3]          [,4]
##              0.002393135  5.436049e-05 0.001316101 0.003241236
## 1L_dmp        0.286298712  0.000000e+00 0.000000000 0.000000000
## 1L_LD0_HICPSA 0.319321350  3.663569e-01 0.000000000 0.000000000
## 1L_LD0_STN    0.000000000  0.000000e+00 0.169700299 0.157986792
## 1L_LD0_LTN    0.000000000  2.510268e-01 0.024828531 0.167309399
## 1L_LD0_YED    0.000000000  2.714280e-01 0.000000000 0.000000000
## 2L_dmp        0.143163044  0.000000e+00 0.000000000 0.000000000
## 2L_LD0_HICPSA 0.000000000  0.000000e+00 0.000000000 0.000000000
## 2L_LD0_STN    0.205863360  0.000000e+00 0.330066519 0.000000000
## 2L_LD0_LTN    0.056964304 -1.811029e-01 0.064911077 0.000000000
## 2L_LD0_YED    0.000000000  0.000000e+00 0.000000000 0.000000000
## 3L_dmp        0.149968856  0.000000e+00 0.000000000 0.000000000
## 3L_LD0_HICPSA 0.147444355  0.000000e+00 0.000000000 0.000000000
## 3L_LD0_STN    0.000000000  0.000000e+00 0.111954516 0.000000000
## 3L_LD0_LTN    0.000000000  0.000000e+00 0.000000000 0.079333452
## 3L_LD0_YED    0.000000000  0.000000e+00 0.000000000 0.000000000
## 4L_dmp        0.000000000  0.000000e+00 0.000000000 0.000000000
## 4L_LD0_HICPSA 0.073580614  0.000000e+00 0.000000000 0.000000000
## 4L_LD0_STN    0.000000000  0.000000e+00 0.000000000 0.000000000
## 4L_LD0_LTN    0.000000000 -1.632442e-01 0.000000000 0.000000000
## 4L_LD0_YED    0.000000000  0.000000e+00 0.000000000 0.000000000
##
##              [,5]
##              -0.0007433915
## 1L_dmp        0.0000000000
## 1L_LD0_HICPSA 0.0000000000
## 1L_LD0_STN    0.0000000000
## 1L_LD0_LTN    0.0000000000
## 1L_LD0_YED    0.2452826133
## 2L_dmp        0.0000000000
## 2L_LD0_HICPSA 0.0000000000
## 2L_LD0_STN    0.0000000000
## 2L_LD0_LTN    0.0000000000
## 2L_LD0_YED    0.0000000000
## 3L_dmp        0.0000000000
## 3L_LD0_HICPSA 0.0000000000
## 3L_LD0_STN    0.0000000000
## 3L_LD0_LTN    0.0000000000
## 3L_LD0_YED    0.0000000000
## 4L_dmp        0.0000000000
## 4L_LD0_HICPSA -0.0803712461
## 4L_LD0_STN    0.0000000000
## 4L_LD0_LTN    0.0000000000
## 4L_LD0_YED    -0.0523508099

```

Some models in levels:

```

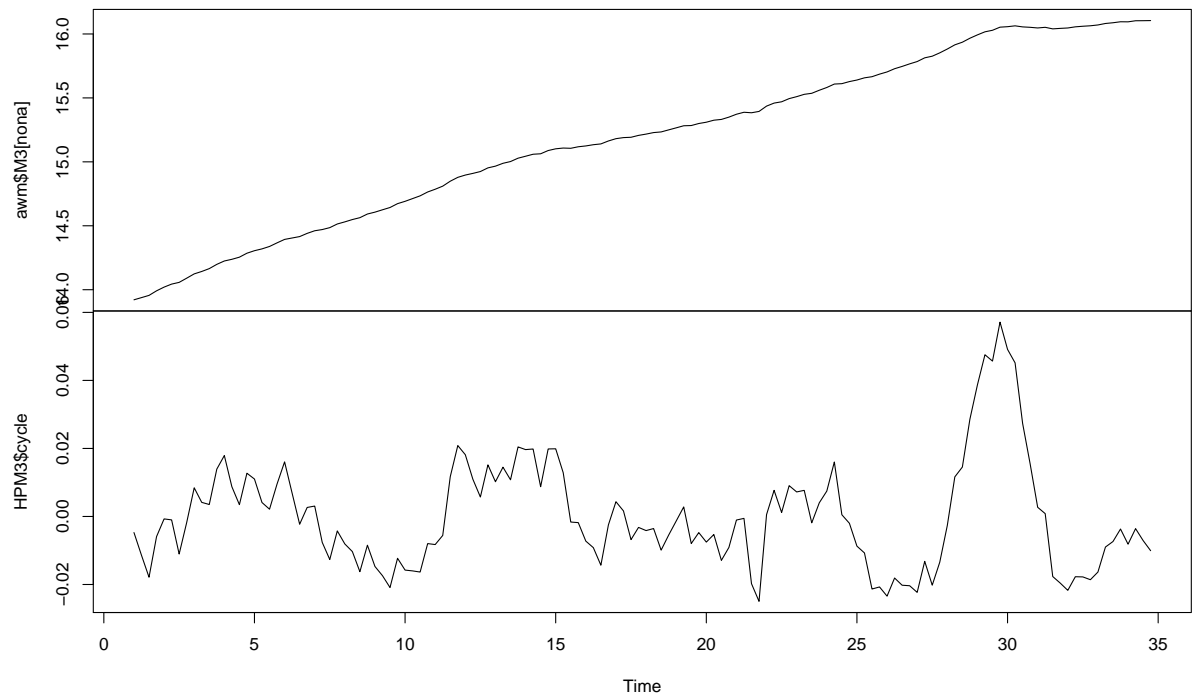
##
## Call:
## lm(formula = mp ~ YER + STN + LTN, data = awm)

```

```
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -0.11779 -0.03585 -0.00800  0.03598  0.15127
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -25.0117      1.8767  -13.327  < 2e-16 ***
## YER          2.5007      0.1291   19.364  < 2e-16 ***
## STN         -1.8992      0.6127   -3.100  0.00257 **
## LTN          4.3620      1.0428    4.183  6.56e-05 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.06377 on 92 degrees of freedom
## (80 observations deleted due to missingness)
## Multiple R-squared:  0.9441, Adjusted R-squared:  0.9423
## F-statistic: 517.8 on 3 and 92 DF,  p-value: < 2.2e-16
##
##              [,1]
##              1.3388037179
## 1L_dat        0.8765929977
## STN           0.0000000000
## LTN           0.0000000000
## YER           0.0003278016
## LDO_HICPSA    0.0000000000
##
##              [,1]      [,2]      [,3]      [,4]
##              -1.1960265  0.042599060  0.18303063  0.76113369
## 1L_mp          0.9257880 -0.003811509  0.000000000  0.000000000
## 1L_STN         0.0000000  0.945491666  0.04670236 -0.10497598
## 1L_LTN         0.0000000  0.005022450  0.85051184 -0.06335923
## 1L_YER         0.1407295  0.000000000 -0.01241340  0.94748692
## 1L_LDO_HICPSA  0.0000000  0.504065809  0.43919307  0.33430108
##
##              [,5]
##              0.0008704405
## 1L_mp          0.0000000000
## 1L_STN         0.0000000000
## 1L_LTN        -0.0246811771
## 1L_YER         0.0000000000
## 1L_LDO_HICPSA  0.3564794659
```

Totally different from the relation in JAE/Baardsen, but then again the modes are totally difference as well.

as.matrix(cbind(awm\$M3[nona], HPM3\$cycle))



REFERENCES

- Bårdsen, G., Ø. Eitrheim, E. S. Jansen, and R. Nymoen (2005). *The econometrics of macroeconomic modelling*. Oxford University Press Oxford.
- Coenen, G. and J.-L. Vega (2001). The demand for m3 in the euro area. *Journal of Applied Econometrics* 16(6), 727–748.