# Intermediate Representation Code Generation

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# MiniRISC

# Language for our Next Steps

**MiniRISC**: A simplified RISC Assembly for programming our abstract machine.

- Simple operations over integers and registers
- commands for reading and writing values on the memory

We assume that everything is an integer:

- integers
- boolean values
- memory addresses

We also assume an infinite amount of registers (for the language)

# The Role of MiniRISC for our Project

## We use MiniRISC as

- Our target language
- Our intermediate representation via its control-flow graph

The other difference between the intermediate representation and the target language is the run-time environment:

- In the IR we will assume an infinite amount of registers
- For the target code, they will be limited

# A RISC Assembly

MiniRISC program: labelled blocks (lists of instructions)

MiniRISC instructions:

where I is a label, r is a register, n is an integer

# RISC Architecture

We have two memories

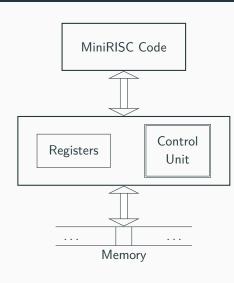
- Registers  $\sigma_R : R \longrightarrow \mathbb{Z}$
- RAM  $\sigma_M : \mathbb{Z} \longrightarrow \mathbb{Z}$

(R are registers)

We also assume a function

- Code  $-\xi:L\longrightarrow C^*$
- Special label: main (where the computation starts)
- Special registers
  - in for user input
  - out for user output

(L are labels, C are commands)



## **Semantics**

# **Program**

$$\frac{\langle \xi, \xi(\mathsf{main}), \sigma_R[\mathsf{in} \mapsto \mathsf{input}], \sigma_M \rangle \longrightarrow^* \langle \xi, \epsilon, \sigma_R', \sigma_M' \rangle}{\langle \xi, \sigma_R, \sigma_M, \mathsf{input} \rangle \longrightarrow \sigma_R'(\mathsf{out})}$$

$$\overline{\langle \xi, \text{nop} \cdot b, \sigma_R, \sigma_M \rangle} \longrightarrow \langle \xi, b, \sigma_R, \sigma_M \rangle$$

$$\frac{n = \sigma_R(r_1) \text{ op } \sigma_R(r_2)}{\langle \xi, (brop \ r_1 \ r_2 \Rightarrow r_3) \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, b, \sigma_R[r_3 \mapsto n], \sigma_M \rangle} \text{ brop}$$

Where op is the operator corresponding to brop

- add, sub, mult are as expected
- and and less require encoding boolean values as integers
  - 0 for false
  - 1 for true

$$\frac{n' = \sigma_R(r_1) \text{ op } n}{\langle \xi, (biop \ r_1 \ n \ \Rightarrow \ r_2) \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, b, \sigma_R[r_2 \mapsto n'], \sigma_M \rangle} \text{ biop}$$

$$\frac{n = \sigma_R(r_1)}{\langle \xi, (\text{copy } r_1 \Rightarrow r_2) \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, b, \sigma_R[r_2 \mapsto n], \sigma_M \rangle} \text{ copy}$$

$$\frac{n = not(\sigma_R(r_1))}{\langle \xi, (\text{not } r_1 \Rightarrow r_2) \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, b, \sigma_R[r_2 \mapsto n], \sigma_M \rangle} \text{ not}$$

#### Where

- addI, subI, multI are as expected
- andI requires encoding boolean values as integers

$$\frac{n = \sigma_{M}(\sigma_{R}(r_{1}))}{\langle \xi, (\text{load } r_{1} \Rightarrow r_{2}) \cdot b, \sigma_{R}, \sigma_{M} \rangle \longrightarrow \langle \xi, b, \sigma_{R}[r_{2} \mapsto n], \sigma_{M} \rangle} \text{ load}$$

$$\frac{\langle \xi, (\text{loadI } n \Rightarrow r) \cdot b, \sigma_{R}, \sigma_{M} \rangle \longrightarrow \langle \xi, b, \sigma_{R}[r \mapsto n], \sigma_{M} \rangle}{\langle \xi, (\text{store } r_{1} \Rightarrow r_{2}) \cdot b, \sigma_{R}, \sigma_{M} \rangle \longrightarrow \langle \xi, b, \sigma_{R}, \sigma_{M}[n' \mapsto n] \rangle} \text{ store}$$

$$\frac{n = \sigma_{R}(r_{1}) \qquad n' = \sigma_{R}(r_{2})}{\langle \xi, (\text{store } r_{1} \Rightarrow r_{2}) \cdot b, \sigma_{R}, \sigma_{M} \rangle \longrightarrow \langle \xi, b, \sigma_{R}, \sigma_{M}[n' \mapsto n] \rangle} \text{ store}$$

$$\frac{\sigma_R(r) = 1}{\langle \xi, (\texttt{jump } I) \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, \xi(I), \sigma_R, \sigma_M \rangle} \text{ jump}$$

$$\frac{\sigma_R(r) = 1}{\langle \xi, (\texttt{cjump } r I I') \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, \xi(I), \sigma_R, \sigma_M \rangle} \text{ cjumpt}$$

$$\frac{\sigma_R(r) = 0}{\langle \xi, (\texttt{cjump } r I I') \cdot b, \sigma_R, \sigma_M \rangle \longrightarrow \langle \xi, \xi(I'), \sigma_R, \sigma_M \rangle} \text{ cjumpf}$$

**Generating Intermediate Code** 

# Intermediate Representation

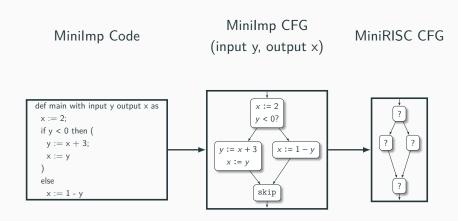
## MiniRISC simple statements

```
scomm := nop \mid brop \ r \ r \ => r \mid biop \ r \ n \ => r \mid urop \ r \ => r
\mid load \ r \ => r \mid load \ load \ load \ load \ load \ r \ => r
brop := add \mid sub \mid mult \mid and \mid less
biop := add \mid sub \mid mult \mid and \ load \ urop := not \mid copy
```

### Recall

- IR is the control-flow graph of our RISC Assembly
- blocks are lists of MiniRISC simple statements
- of course labels are associated to blocks!

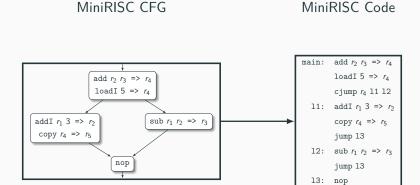
# Recap: Compiling MiniImp



# **Generating MiniRISC Simple Statements**

- Map variables to registers
- (mind the input and output registers and variables)
- We need other additional registers
  - intermediate values for computing arithmetical expressions
  - result of boolean guards b? compilation
- Compile a MiniImp simple statement into a list of MiniRISC simple statements
  - $skip \mapsto [nop]$
  - $x := aexp \mapsto [compute \ aexp \ and \ write \ it \ in \ the \ register \ for \ x \ ]$

# **Generating MiniRISC Code**



# **Generating MiniRISC Code**

## Idea:

- Associate a label to each block
- Transform transitions into jumps

## Note:

- We will need the CFG for static analysis
- The target language is MiniRISC, but we will have constraints on the architecture

# **Project Fragment**

- Write a module for MiniRISC (syntax and simple statements, the semantics is not required)
- Implement a translation from MiniImp CFG to MiniRISC CFG
- Implement a translation from MiniRISC CFG to MiniRISC
- Detail your translations in the report