

Errata (11 January 2018)

Page xiii, paragraph 2, change Waldrop to **Wardrop**.

Page 6, First sentence in Section 1.7. **Whom** do you plan to vote for...

Page 15, Table 2.3: missing an interval **(300, 350]**, with frequency **2**.

Page 23, line 1 and 3.

Alternatively, since we know the pdf of X is $f(x) = 3e^{-3x}, x \geq 0$, we could also solve for q_p in

$$p = P(X \leq q_p) = \int_0^{q_p} 3e^{-3t} dt.$$

Page 26, **R Note**: line 11.

Delete: `abline(v = 25, col= "red")`.

Page 26: 4 lines above bottom of box, the legend command should be `legend("topleft", legend=c("Males", "Females"), ...)`

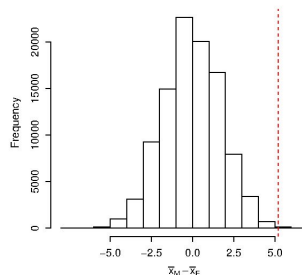
Page 29, 2nd line above images:

while a variable with negative **kurtosis** is flatter...

Page 30, Exercise 3(c):

Are there any conditions that would ensure that $f(\bar{x})$ is the **mean** of the transformed data?

Page 42, Figure 3.3 is incorrect



Page 43 **Remark:** First line

One subtle point is that the transformation needs **s** to be...

Page 43 Third line of **Remark:**

example, we used $p = P(\bar{X}_1 - \bar{X}_2 \geq \bar{x}_1 - \bar{x}_2)$.

Page 52, second equation $P(T \geq 5) \cdots = P(\textcolor{red}{Z} \geq 4.975)$

Page 53, line 4 from bottom:

For instance, the expected count for the (4, 2)-cell is $87 \times 409/1307 = \textcolor{red}{27.2249}$.

Page 53, Table 3.4 The row corresponding to Graduate should be:

Graduate	64	50	114	56.6%
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Page 54, Table 3.5

...			
HS	488.5065	222.4935	
JrColl	59.7751	27.2249	

Page 58 **R Note**, line 4:

`> 1 - pchisq(23.45, 4)`

Page 65, Table, 2nd line:

Observed count	30	30	22	18
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Page 65, last unnumbered equation:

$$c = \frac{(30 - 22)^2}{22} + \frac{(30 - 30.6)^2}{30.6} + \frac{(22 - \textcolor{red}{18.6})^2}{\textcolor{red}{18.6}} + \frac{(18 - 28.7)^2}{28.7} = \textcolor{red}{7.53}$$

Under the null hypothesis, the test statistic comes from a chi-square distribution with 4-1 degrees of freedom, so the P -value is $P(c \geq 7.53) = \textcolor{red}{0.056}$, so it is plausible that the data do come from $\text{Exp}(1)$.

Page 67, line 2. $f(x) = P(X = x) = \lambda^x e^{-\lambda}/x!, x = 0, 1, 2, \dots$

Page 68, line 4:

The chi-square statistic is 0.84; the P -value is $P(\chi_3^2 > \textcolor{red}{0.84}) = 0.84$.

Page 86, Example 4.8

$z = 3.917$ so $P(Z \geq 3.917) = 0.00004$.

Page 90, Example 4.12

Solution: Then $X \sim \text{Binom}(700, 0.229)$ with expected value...

Page 91 starting with Equation (4.5):

$$P\left(\frac{\bar{X} - \mu}{\sigma/\sqrt{n}} \leq z\right) \approx \Phi(z) - \frac{\kappa_3}{6\sqrt{n}}(z^2 - 1)\Phi'(z)$$

where $\Phi(z)$ is the standard normal CDF, $\Phi'(z)$ is its derivative, and $\kappa_3 = E[(X - \mu)^3]/\sigma^3$.

Page 97, Exercise 29(c). Delete $E[(X - \mu)^3] = 1/160$, add period after the word density.

Page 130, Exercise 6(a)

with k_1 occurrences of a_1 , k_2 occurrences of a_2, \dots

Page 131, line 1:

Use simulation (with $n = 200$) to generate...

Page 132, exercise 14(a)

baby girls born in Wyoming and Alaska...

exercise 14(d) Conduct a permutation test to see if the difference in mean weights is statistically significant.

Page 136, 5 lines above Definition 6.1:

..., compute the derivative $L'(p) = 5p^4(1 - p)^3 + p^5 3(1 - p)^2(-1)$ and set this...

Page 139, line 2 from bottom:

from the exponential distribution with pdf $f(x; \lambda) = \lambda e^{-\lambda x}$.

Page 143, Equation (6.8)

$$\frac{\partial(\ln(L(k, \lambda)))}{\partial \sigma} = -\frac{n}{\sigma} + \frac{1}{\sigma^3} \sum_{i=1}^n (x_i - \mu)^2 = 0.$$

Page 145, Equation (6.10)

$$\frac{\partial(\ln(L(k, \lambda)))}{\partial k} = \frac{n}{k} - n \ln(\lambda) + \sum_{i=1}^n \ln(x_i) - \sum_{i=1}^n \left(\frac{x_i}{\lambda}\right)^k \ln\left(\frac{x_i}{\lambda}\right) = 0$$

Page 145, Equation (6.13)

$$\frac{1}{k} + \frac{1}{n} \sum_{i=1}^n \ln(x_i) - \frac{1}{\alpha} \sum_{i=1}^n x_i^k \ln(x_i) = 0$$

Page 152, Example 6.13 second paragraph, second line:
samples of size 25 from $\text{Unif}[0, 12]$. For each sample, we will compute $2\bar{x}$ and $26/25 \times \dots$

Page 152 **R Note**., 7 lines down

```
my.max[i] <- 26/25 * max(x)
```

Page 170 Example 7.2, item 1:

... cars in this company is between 29.5 and 33.4 mpg.

Page 178 Paragraph starting with Let X and Y ...

$$X - Y \sim N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2)$$

Page 178 Equation (7.9)

$$N(\mu_1 - \mu_2, \frac{\sigma_1^2}{n_1} + \frac{\sigma_2^2}{n_2}).$$

Page 190 **R Note**, last line:

(the interval is $[3422.98, \infty)$).

Page 191 Non-numbered equation above (7.17):

$$(\frac{n}{1.96^2} + 1)p^2 - (\frac{2n\hat{p}}{1.96^2} + 1)p + \frac{n\hat{p}^2}{1.96^2} = 0$$

Page 193, **Remark (2nd bullet)**:

The center of the score interval is $(\hat{p} + q^2/(2n))(1 + q^2/n)$. If we set...

Page 194, **Solution**, 2nd equation:

radical sign (see Exercise 22).

$$1.96 \sqrt{\frac{0.5(1 - 0.5)}{\tilde{n}}} \leq 0.04$$

Page 196, line 4:

assume that the statistic $T = (\bar{X} - \mu)/(S/\sqrt{n})$ follows...

Page 208 # 34. see Exercise 11, second line:
4 degrees of freedom (see Exercise 11 in **Appendix B**). Use...

Page 226 **Solution**, last equation:

$$P(Y \geq 5 | \theta = 2) = \sum_{k=5}^8 \binom{8}{k} (0.3185)^k (1 - 0.3185)^{8-k} = \mathbf{0.0736}$$

```
> sum(dbinom(5:8, 8, 0.3185))
> 1- pbinom(4, 8, 0.3185)      #alternatively...
```

Page 244 Exercises # 28, 29, last sentence in both:
Include a graph similar to Figure **8.5**.

Page 270, Theorem 9.4 item 4.
 $\text{Var}[\hat{\alpha}] = \sigma^2 [1/n + \mathbf{\bar{x}^2}/ss_x]$

Page 276 **Solution**, first equation:

$$11.36 \sqrt{1 + \frac{1}{24} + \frac{\mathbf{199.7134}}{2195.61}} \approx 12.09$$

Page 294, Exercise 5, second line:
 $\text{Var}[Z] = 3$ and $\text{Cov}[X, Y] = -2$, $\text{Cov}[X, \mathbf{Z}] = \mathbf{-4}$, and $\text{Cov}[Y, Z] = 7$.

Page 295, Exercise 14, 3rd line
is more **than** 5%.

Page 304, First displayed equation

$$= \frac{(0.03)(\mathbf{0.128})}{P(\text{WLL})}$$

Page 309, Top Box:

The **posterior** distribution is proportional... .

Page 318, 2 lines above **Remark**:
quantiles of $N(45.53, \mathbf{1.953^2})$: the probability that the true...

Page 325, Exercise 9, line 3:
 $\mu \sim N(0.72, \mathbf{0.08^2})$. He measures the BMD in ...

Page 337, line 1:

case is \bar{Y}/\bar{X} as an estimator for $r = \mu_Y/\mu_X$.

Page 337, the paragraph before Equation (11.6) should read:

Using only the first approximation in Equation 11.5, $\bar{Y}/\bar{X} \approx r = \mu_Y/\mu_X$, suggests that the estimate is consistent.

Page 344 3rd line from bottom:

and then let $h(x) = \sin(x^2) \exp(-x^2 + x)$.

Page 344, last line:

domain, ..., and $f(x) = \exp -xI(x > 0)$

Page 351 Equation (11.20)

$$g(x) = \begin{cases} \lambda \exp(-\lambda(x - 700)) & x \geq 700 \\ 0 & x < 700 \end{cases}$$

Page 356, 1st paragraph, 3rd line:

This value is $-200^2(1/110 + 1/90)$.

Page 364, Example A.1

$$F(x) = P(X \leq x) = \int_0^x \lambda e^{-\lambda t} dt = 1 - e^{-\lambda x}$$

Page 394, Exercise 14

Prove that the expected value of $X \sim F_{m,n}$ is $n/(n-2)$ for $n > 2$.

Page 396, Under **Binomial**:

$$f(x; n, p) = \binom{n}{x} p^x (1-p)^{n-x}$$

Page 396, Under **Geometric**:

$$f(x; p) = (1-p)^{x-1} p$$

Page 398, Under **Gamma**, last column:

$$(1 - t/\lambda)^{-r}$$

Page 398, Under **Uniform**, last column

$$\frac{e^{bt} - e^{at}}{(b-a)t}$$

Solutions to Odd Exercises

Page 399, Chapter 2 # 3 (d): f is an increasing (or decreasing) function and n is odd, **or f is linear**.

Page 399, Chapter 2 #5(a) Favor: **899**, Oppose **409**

Page 400 Chapter 2, # 15. Delete entire line (so last solution given for Chapter 2 is for # 13.)

Page 400, Chapter 3 1.(b) The P -value is **2**/10 = 0.2.

Page 401, 21 $c = 8.5819$, P -value = 0.724.

Page 401, 23(a) Last sentence: "Conclude that the data do not come from $N(\mathbf{25}, 10^2)$."

Page 401, Chapter 4

Page 401 3(a): Sampling distribution of $X+Y$ is {6, 8, 8, 9, 10, 10, 10, 10, 11, 12, **12, 13**, 14}.
11. **$n = 90$** .

Page 401 Chapter 4:

The numbering is off—delete the current # 17 (that is, delete 17. (c) 0.506) and renumber those following by 17, 19, 21, 23, 25, 27.

Page 402, Chapter 5 # 17(c)
1.63, SE = 0.319. (d) (1.17, 2.22).

Page 402, Chapter 6 # 17.
Shape = 0.917, scale = 17.344, C = **14.217**, **so times between successive earthquakes do not follow the Weibull distribution.**

Page 402, Chapter 6 # 27(b)
 $(\sigma^4/n^2)\mathbf{2(n - 1)}$.

Page 403, Chapter 6 # 33b Bias: $-17/(27\theta)$, MSE: $589/(2 \cdot 9^3\theta^2)$

Page 403, Chapter 7 # 7
118.01

Page 403, Chapter 7, # 9
(28.34, 33.53) cm.

Page 403, Chapter 7 # 13(b) (11.46664, ∞). We are 95% confident that, on average, seedlings grown in fertilized plots grew at least 11.5cm more than seedlings grown in non-fertilized plots.

Page 403, Chapter 7 # 21(a)

1064

Page 404, Chapter 8 # 23(b)

0.473

Page 404, Chapter 9 # 3:

133

Page 405, Chapter 10 # 15 (a)

$f(\theta) = 1/\theta^n$, where $\theta > \max\{X_1, X_2, \dots, X_N\}$. (b) Pareto distribution with parameters $\alpha + N$, where $\theta > \max\{\beta, X_1, X_2, \dots, X_N\}$. (c) 0.17.

Page 405, Chapter 10 # 17. (a) The typesetting for the exponential is bad. Should be closer to $\theta^n e^{\theta \sum_{i=1}^n X_i}$. Also, the answer labeled (c) should be labeled (d).

$\theta^n, e^{\theta \sum_{i=1}^n X_i}$

Bibliography

Page 411, last line, change Waldrop to Wardrop.

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