```
article [utf8]inputenc
test Lucien Huber September 2022
document
[2]_{2}^{1}[2]_{1}^{2}iComplexunit:^{2}=-1
[1]e^1exponential function [2][
12exponential function
 [3][]^{1}23^{1}[3][]^{1}23^{1}[3][]D^{1}2D3^{1}[3][]\delta^{1}2\delta3^{1}[3][]^{1}(2)(3)^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]^{1}(2)(3)^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]^{1}(2)(3)^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]^{1}(2)(3)^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[3][]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]\Delta^{1}2\Delta3^{1}[]
 [3][121, 3Partial derivative]
 [3][121; 3Covariant derivative]
 [1][1]12
[1][1]12
 [1] 1 [2][] {}^{1}2 [2][ret]G_{1} (2)1Green's function
 [1]\tilde{1}[2][2Normalized1 = 2(2\pi)^{1}
 [2][] ^{1}2^{1}2 = [1]2(2\pi)^{1}
 [2][\Theta^{(1)}(2)] Heavisidestep function [2][\delta^{(1)}(2)] Dirac delta function
 [2][[\delta^{(1)}(2)[2]][[1]2NormalizedDiracdeltafunction: [1]2 = (2\pi)^1\delta^1(2)
[2][-m^2][+]2^21[2][-m^2][1]2Positive energy delta function: [1]2 = 2^212^0
[2][-m^2][+]2^21[2][-m^2][1]2Normalized positive energy delta function: [1]2 = [1]22\pi = 2\pi 2^2 12^0
[1][\mu]\delta_1 delta function
 [3][F_1[2] Fourier transform of 2 invariable 1: F_1[2] = \int 12(1) \cdot 1
[3][[F_1^{-1}[2]] inverse Fourier transform of 2 invariable 1: F_1[2] = 12\pi \int 1-3\cdot 12(1)
[3][\mathbf{x}]\hat{\mathbf{2}}Fourier transform of 2 invariable 1: \hat{\mathbf{2}}(3) = \int 12(1)3 \cdot 1
FxyzkrpvqD
\lceil 2 \rceil \lceil 1(2\ 1)\ \lceil 2 \rceil \lceil 1[2\ 1]\ \lceil 2 \rceil \lceil 1\{21\}\lceil 2\rceil \lceil 1|21|\lceil 2\rceil \lceil 1\|21\|\lceil 2\rceil \rceil \rceil O\left(2^1\right)
\sigma index.html\sigma \int \sin(x)
hplanck's constant
cspeed of light Ggravitational constant eelectric charge mmass
gmetric tensor \eta Minkoskimetric tensor + - - - [1][\mu\nu]_1 covariant Minkoskimetric components + - - - [1][\mu\nu]_1 cont
[1][\mu\nu]_1 covariant metric tensor component [1][\mu\nu]^1 contravariant metric tensor component hweak metric tensor larger metric tensor component has a superior contravariant metric tensor contravariant m
[1][\mu\nu]_1 weak covariant metric tensor component [1][\mu\nu]^1 weak contravariant metric tensor component [1][\alpha]11 weak metric tensor component [1][\alpha]111 weak metric tensor component [1][\alpha]1111 weak metric tensor component [1][\alpha]111111111
\overline{h} tracereversed weak metric tensor [1] [\mu\nu]_1 tracereversed weak covariant metric tensor component:_1 = -12[1][1][\mu\nu]^1 tracereversed weak metric tensor component:_1 = -12[1][1][\mu\nu]^1 t
\mathbf{h}^{TT} transverse traceless weak metric tensor [1][ij]_1 transverse traceless weak covariant metric tensor component:_{0\mu} = 0
RRiemann tensor [4]
1234 - 1243 - \alpha241\alpha3 + \alpha231\alpha4
[1][\beta\mu\nu\rho]1RiemannTensortensorcomponent[1][\beta\mu\nu\rho]_1fullycovariantRiemanntensorcomponent
RRicci tensor [1][\mu\nu]^1 contravariant Ricci tensor component [1][\mu\nu]_1 covariant Ricci tensor component
R^{(1)}linearizedRiccitensor[1][\mu\nu]^1 contravariantlinearizedRiccitensorcomponent[1][\mu\nu]_1 covariantlinearizedRiccitensorcomponent[1][\mu\nu]_2 covariantlinearizedRiccitensorcomponent[1][\mu\nu]_3 covariantlinearizedRiccitensorcomponent[1][\mu\nu]_4 covariantlinearizedRiccitensorcomponent[1]
RRicci scalar R^{(1)}linearizedRicciscalar
TStress-Energy tensor, or energy-momentum tensor [1][\mu\nu]^1 contravariant Stress-Energy tensor component [1][\mu\nu]_1.
\varepsilon Polarization tensor[1][\mu\nu]^1 contravariant Polarization tensor component[1][\mu\nu]_1 covariant Polarization tensor component[1][\mu\nu]_1 
\varepsilon^* Conjugate Polarization tensor [1] [\mu\nu]^1 contravariant conjugate Polarization tensor component [1] [\mu\nu]_1 covariant conjugate Polarization tensor component [1] [\mu\nu]_2 covariant conjugate Polarization tensor component [1] [\mu\nu]_3 covariant conjugate Polarization tensor component [1] [\mu\nu]_4 covariant conjugate Polarization tensor conjugate Polarization 
[2][\mu]2_1 covariant math b ftor component [2][\mu]2_1 contravariant math b ftor component
Source tensor [1][\mu\nu]_1 covariants our cetens or component [1][\mu\nu]^1 contravariants our cetens or component [1][\alpha]^1 source
[1]^{\mu}_{\nu}\delta 1Kroneckerdelta\Lambda cosmological constant
[3]\Gamma 123Levi - CivitaConnection : \Gamma 123 = 12[1\rho][|[\rho 1]2 + [\rho 2]1 - [21]\rho]
[2][]_1\langle 2|Quantum statebra, dual to ket, a linear form on the Hilbert space: 2: H 	o C
[2][1] Quantum state ket, a vector of the Hilbert space :2 \in H
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- [1]1 [1]1Observable: 1
- [1]1 [1]1Operator: 1
- $[2]\langle 2|1|2\rangle[2]12Expectation value:12$
- $[2]\langle 1|2\rangle[2]12Innerproduct:12$
- [2][1,2] [2]12Commutator: 12
- $[3]\langle 1|2|3\rangle[3]123Matrixelement:123$
- §SS-matrix TTransfer-matrix
- [1][O] $I_v(1)$ [1][O][1]Virtualintegrand:[1] [1][O] $I_r(1)$ [1][O][1]Realintegrand:[1]
- [3][O]2-3 Δ 1
- [3][O][1]23Observable change: [1]23 [2]A(1 \rightarrow 2)[2]12Amplitude:12