

# Physical layer

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<https://courses.fit.cvut.cz/BIE-PSI/>



# Content

- data channel and its properties
- encoding
- modulation
- multiplexing
- metallic media
- optical media

# Data channel

- attributes

- ▶ unidirectional x bidirectional (full-duplex, half-duplex)
- ▶ point-to-point x multi-point (shared medium)
  - medium access control
- ▶ medium capacity (bitrate, data rate, bandwidth, throughput)
- ▶ transmission delay (latency)
- ▶ error rate

# Data channel - parameters I

- channel capacity (bitrate, data rate, bandwidth, throughput)
  - ▶ units: bits per second = bps, bit/s, b/s
    - sometimes: bytes per second = B/s
    - kilobit (kb) = 1000 bits
  - ▶ total number of transmitted bits per second including overhead
  - ▶ radio signal: speed of light
  - ▶ electrical or optical signal (cable, fiber) – by media type, about 2/3 of the speed of light

## Data channel - parameters II

### Bit rate (bps) & baud (Bd)

- baud – unit of modulation rate (baud rate)
- indicating the number of state changes of the transmission medium for one second
- relationship Bd and bps depends on the encoding
  - ▶ 1 Bd can correspond to 1 bps
  - ▶ example: 4 voltage level modulation: 1 Bd equals to 2 bps:  
"00"  $\sim$  -10 V, "01"  $\sim$  -2 V, "10"  $\sim$  +2 V, "11"  $\sim$  +10 V

# Nyquist Formula

- Nyquist gives the upper bound for the bit rate of a transmission system by calculating the bit rate directly from the number of bits in a symbol (or signal levels) and the bandwidth of the system:

$$C = 2 \cdot B \cdot \log_2 V$$

where:

- $C$  = maximum capacity in bps (only for noiseless channel)
- $B$  = bandwidth in Hz
- $V$  = number of discrete values

## Nyquist Formula – example 1

- Consider a noiseless channel with a bandwidth of 3000 Hz transmitting a signal with two signal levels. The maximum bit rate can be calculated as

$$C = 2 \cdot B \cdot \log_2 V = 2 \cdot 3000 \cdot \log_2 2 = 6000bps$$

## Nyquist Formula – example 2

- Consider the same noiseless channel transmitting a signal with four signal levels (for each level, we send 2 bits). The maximum bit rate can be calculated as

$$C = 2 \cdot B \cdot \log_2 V = 2 \cdot 3000 \cdot \log_2 4 = 12000bps$$



## Nyquist Formula – example 3

We need to send 265 kbps over a noiseless channel with a bandwidth of 20 kHz. How many signal levels do we need?

$$C = 2 \cdot B \cdot \log_2 V$$

$$265000 = 2 \cdot 20000 \cdot \log_2 L$$

$$\log_2 L = 6.625$$

$$L = 98.7$$

Since this result is not a power of 2, we need to either increase the number of levels or reduce the bit rate. If we have 128 levels, the bit rate is 280 kbps. If we have 64 levels, the bit rate is 240 kbps.

# Shannon Theorem

- Shannon's theorem gives the capacity of a system in the presence of noise:

$$C = B \cdot \log_2(1 + SNR)$$

where:

- $C$  = capacity in bps
- $B$  = bandwidth in Hz
- $SNR$  = signal to noise ratio

Consider an extremely noisy channel with  $SNR = 0$ . Then  $C = B \cdot \log_2(1 + 0) = 0bps$  (we cannot receive any data through this channel).

## Shannon Theorem – example 1

- We can calculate the theoretical highest bit rate of a regular telephone line. A telephone line normally has a bandwidth of 3000. The signal-to-noise ratio is usually 3162. For this channel the capacity is calculated as

$$C = B \cdot \log_2(1 + SNR) = 3000 \cdot \log_2(1 + 3162) = 34860bps$$

- This means that the highest bit rate for a telephone line is 34.860 kbps. If we want to send data faster than this, we can either increase the bandwidth of the line or improve the signal-to-noise ratio.

## Shannon Theorem – example 2

- We have a channel with a 1 MHz bandwidth. The SNR for this channel is 63. What are the appropriate bit rate and signal level?
- First, we use the Shannon formula to find the upper limit:

$$C = B \cdot \log_2(1 + SNR) = 10^6 \cdot \log_2(1 + 63) = 6Mbps$$

- The Shannon formula gives us 6 Mbps, the upper limit. For better performance we choose something lower, 4 Mbps, for example. Then we use the Nyquist formula to find the number of signal levels.

$$4Mbps = 2 \cdot 10^6 \cdot \log_2 L \Rightarrow L = 4$$

# Encoding

- purpose of encoding
  - ▶ Adaptation of the physical properties of the medium
  - ▶ Automatic detection/correction of errors
- NOT to make data unreadable for other (do not confuse with encryption!)

# Encoding (line codes)

- NRZ (Non-return to zero) – without autosynchronization
- NRZI (Non-return to zero inverted) - USB
- Bipolar - no DC component
- MLT3 – Ethernet 100BASE-TX
- Manchester – IEEE 802.3
- Differential Manchester – Token Ring
- 4B5B – Ethernet 100BASE-TX

# Encoding 4B5B

- 4 bits are coded as 5 bits
- "0" is not more than 3 times in a row

0	(0000)	11110	8	(1000)	10010
1	(0001)	01001	9	(1001)	10011
2	(0010)	10100	A	(1010)	10110
3	(0011)	10101	B	(1011)	10111
4	(0100)	01010	C	(1100)	11010
5	(0101)	01011	D	(1101)	11011
6	(0110)	01110	E	(1110)	11100
7	(0111)	01111	F	(1111)	11101

# Modulation

- carrier signal is analog, modulation is conversion to analog signal
- analog modulation
  - ▶ amplitude
  - ▶ frequency
  - ▶ phase
- digital modulation
  - ▶ PSK – phase-shift keying
  - ▶ FSK – frequency-shift keying
  - ▶ ASK – amplitude-shift keying
  - ▶ QAM, quadrature amplitude modulation



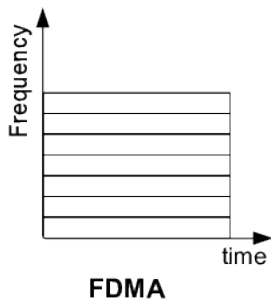
# Multiplexing

multiple signals are combined over a shared medium

- FDMA – Frequency Division Multiple Access
- TDMA – Time Division Multiple Access
- CDMA – Code Division Multiple Access

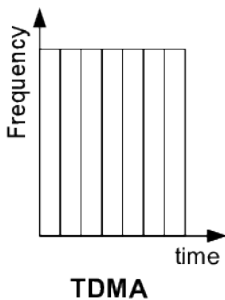
# Frequency Division Multiple Access

- each channel has its own dedicated frequency band
- examples: Radio/TV broadcasting, ADSL and voice on the telephone line



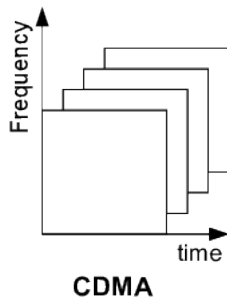
# Time Division Multiple Access

- allows many different users to share the same frequency channel by dividing the signal into different time slots
- frame – transfer unit, which contains all channels
- examples: GSM



# Code Division Multiple Access

- spread spectrum technology
  - ▶ modulated signal has a wider bandwidth than before modulation
- special coding scheme



# Metal cabling

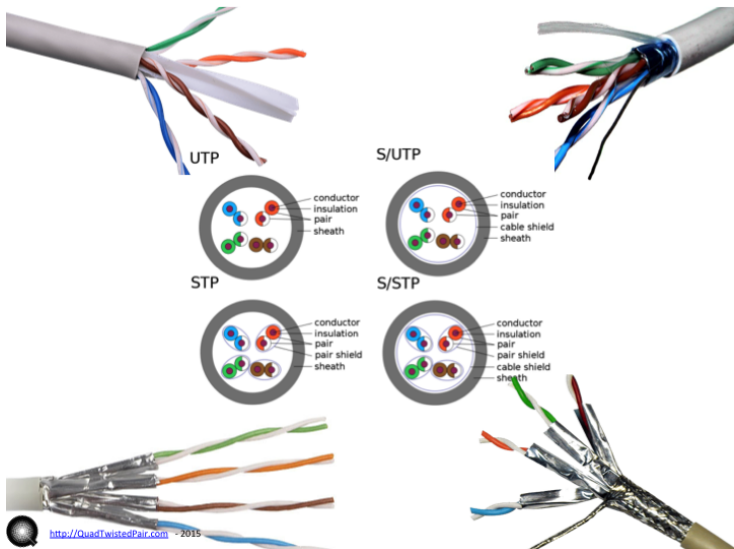
- symmetric – twisted pair



- asymmetric – coaxial cable



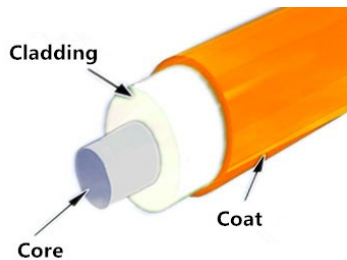
# UTP/STP



# UTP categories

UTP Categories - Copper Cable				
UTP Category	Data Rate	Max. Length	Cable Type	Application
<b>CAT1</b>	Up to 1Mbps	-	Twisted Pair	Old Telephone Cable
<b>CAT2</b>	Up to 4Mbps	-	Twisted Pair	Token Ring Networks
<b>CAT3</b>	Up to 10Mbps	100m	Twisted Pair	Token Ring & 10BASE-T Ethernet
<b>CAT4</b>	Up to 16Mbps	100m	Twisted Pair	Token Ring Networks
<b>CAT5</b>	Up to 100Mbps	100m	Twisted Pair	Ethernet, FastEthernet, Token Ring
<b>CAT5e</b>	Up to 1 Gbps	100m	Twisted Pair	Ethernet, FastEthernet, Gigabit Ethernet
<b>CAT6</b>	Up to 10Gbps	100m	Twisted Pair	GigabitEthernet, 10G Ethernet (55 meters)
<b>CAT6a</b>	Up to 10Gbps	100m	Twisted Pair	GigabitEthernet, 10G Ethernet (55 meters)
<b>CAT7</b>	Up to 10Gbps	100m	Twisted Pair	GigabitEthernet, 10G Ethernet (100 meters)

# Optical cable





# Decibel

- dB
- logarithmic unit used to express the ratio between two values of a physical quantity, often power or intensity
- power or intensity:  $L_{dB} = 10 \cdot \log_{10}(P_1/P_0)$
- electrical circuits:  $L_{dB} = 20 \cdot \log_{10}(V_1/V_0)$
- $P = U^2/Z$  (power is proportional to the square of amplitude)