ERRATA: Peter H Zipfel "Modeling and Simulation of Aerospace Vehicle
Dynamics", AIAA Educational Series, 2000. 2nd Printing, July 2003
--- As of 18 Oct 04, PHZ ---

Page		Erroneous	Correct
32	2nd eq. down	$\begin{bmatrix} y_1^A \\ y_1^A \\ y_1^A \end{bmatrix}$	$\begin{bmatrix} y_1^A \\ y_2^A \\ y_3^A \end{bmatrix}$
65	Last three equations Credit: Mark Smith	$[a_2]^B = \dfrac{[S_{AB}]^B[g]^B}{\|s_{AB}\|\|g\|}$	$[a_2]^B = \dfrac{[S_{AB}]^B[g]^B}{[S_{AB}]^B[g]^B}$
		$[a_3]^B = [A_1]^B[a_2]^B = -\dfrac{[S_{AB}]^B[S_{AB}]^B[g]^B}{\|s_{AB}\|^2\|g\|}$	$[a_3]^B = ... = -\dfrac{[S_{AB}]^B[S_{AB}]^B[g]^B}{\|s_{AB}\|\|[S_{AB}]^B[g]^B\|}$
		$[T]^{BA} = \left[-\dfrac{[s_{AB}]^B}{\|s_{AB}\|} \quad \dfrac{[S_{AB}]^B[g]^B}{\|s_{AB}\|\|g\|} \quad -\dfrac{[S_{AB}]^B[S_{AB}]^B[g]^B}{\|s_{AB}\|^2\|g\|} \right]$	$[T]^{BA} = \left[... \quad \dfrac{[S_{AB}]^B[g]^B}{[S_{AB}]^B[g]^B} \quad -\dfrac{[S_{AB}]^B[S_{AB}]^B[g]^B}{\|s_{AB}\|\|[S_{AB}]^B[g]^B\|} \right]$
113	4th line from bottom up	$D^R v_I^M$	$D^R v_T^M$
142	Ex. 5.1	$\mathbf{p}_{\Sigma B_k}^I = \sum_k \mathbf{p}_{B_k}^I = \sum_k m^{B_k} \mathbf{v}_{B_k}^I = ...$	$\mathbf{p}_{\Sigma B_k}^R = \sum_k \mathbf{p}_{B_k}^R = \sum_k m^{B_k} \mathbf{v}_{B_k}^R = ...$
147	2nd Eq, 2nd line	$= m^B D^{I_2}\left(D^{I_2}\mathbf{s}_{BI_2}\right) + \mathbf{\Omega}^{I_2 I_1}\left(D^{I_2}\mathbf{s}_{BI_2}\right) = ...$	$= m^B D^{I_2}\left(D^{I_2}\mathbf{s}_{BI_2}\right) + m^B \mathbf{\Omega}^{I_2 I_1}\left(D^{I_2}\mathbf{s}_{BI_2}\right) = ...$
222	Unnamed eq. after Eq.(7.21) Credit: M. Weiss	$D^I \mathbf{p}_B^I = ...$	$D^I \varepsilon\mathbf{p}_B^I = ...$
270	Eq. 8.20	$C_L = C_{L_{\alpha 0}} + C_{L_a}\alpha$	$C_L = C_{L_{\alpha 0}} + C_{L_\alpha}\alpha$
280	1st Eq.	$F_r = \dfrac{C_D S}{\cos\alpha} q_c$	$F_r = \dfrac{C_D S}{\cos\alpha} \bar{q}_c$
346	Fig. 9.45 Credit: M. Weiss	G1 Environment	G2 Environment
462	Line above Eq. 10.133	...the covariance σ_{xy}^2	...the covariance σ_{xy}
462	Eq. 10.133	$\sigma_{xy}^2 = \dfrac{\sum\limits_{i=1}^{n}(x_i - \mu_x)(y_i - \mu_y)}{n-1}$	$\sigma_{xy} = \dfrac{\sum\limits_{i=1}^{n}(x_i - \mu_x)(y_i - \mu_y)}{n-1}$
462	4th Eq.	$\rho_{xy} = \dfrac{\sigma_x \sigma_y}{\sigma_{xy}}$	$\rho_{xy} = \dfrac{\sigma_{xy}}{\sigma_x \sigma_y}$