

Assignment 8

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Problem 8.1 *Stacks & Queues*

(a)

Data Structure Implemented using Python:

```
StackUsingLinkedList.py x BinarySearch2LinkedList.py x LinkedList2BinarySearch.py x
1 class StackNode:
2     def __init__(self, data):
3         self.value = data
4         self.address = None
5
6
7 class Stack:
8     def __init__(self):
9         self.size = -1
10        self.currentSize = -1
11        self.firstNode = None
12
13    def set_size(self, size):
14        self.size = size
15        self.currentSize = 0
16
17    def push(self, x):
18        if self.size == -1:
19            print("The Stack is not set")
20            return False
21
22        if self.currentSize >= self.size:
23            print("Stack Overflow")
24            return False
25
26        new_node = StackNode(x)
27        new_node.address = self.firstNode
28        self.firstNode = new_node
29
30        self.currentSize += 1
31
32    def pop(self):
33        if self.size == -1:
34            print("The Stack is not set")
35            return False
36
37        if self.currentSize < 1:
38            print("Stack Underflow")
39            return False
40
41        temp = self.firstNode
42        self.firstNode = self.firstNode.address
43        self.currentSize -= 1
44
45        return temp
46
47    def is_empty(self):
48        if self.size == -1:
49            print("The Stack is not set")
50            return False
51
52        if self.currentSize == 0:
53            return True
54        else:
55            return False
```

(b)

```

# Queue Behavior
class Queue:
    def __init__(self):
        self.stack1 = Stack()
        self.stack2 = Stack()

    def set_size(self, size):
        self.stack1.set_size(size)
        self.stack2.set_size(size)

    def push(self, x):
        self.stack1.push(x)

    def de_queue(self):
        for k in range(0, self.stack2.currentSize):
            self.stack2.pop()

    def set_queue(self):
        self.de_queue()
        for k in range(0, self.stack1.currentSize):
            self.stack2.push(self.stack1.pop().value)

    def pop(self):
        temp = self.stack2.pop()
        if temp:
            print(temp.value)
        return temp

```

Input & Result 1:

```

87 Q = Queue()
88 Q.set_size(3)
89 Q.push('a')
90 Q.push('b')
91 Q.push('c')
92 Q.set_queue()
93 Q.pop()
94 Q.pop()
95 Q.pop()
96 Q.pop()

```

Run: StackUsingLinkedList

```

a
b
c
Stack UnderFlow
Process finished with exit code 0

```

Input & Result 2:

```

87 Q = Queue()
88 Q.set_size(5)
89 Q.push(1)
90 Q.push(2)
91 Q.push(3)
92 Q.push(4)
93 Q.push(5)
94 Q.push(6)
95 Q.set_queue()
96 Q.pop()
97 Q.pop()
98 Q.pop()
99 Q.pop()

```

Run: StackUsingLinkedList ×

"C:\Users\danie\PythonProgramming\2. 실습프로젝트\venv\Scripts\python.exe" "C:\Users\danie\PythonProgramming\2. 실습프로젝트\Stack Overflow"

```

1
2
3
4

```

Process finished with exit code 0

Problem 8.2 *Linked Lists & Rooted Trees*

(a)

```
1  # n elements in Linked List
2
3  A = original Linked List
4  n = number of elements in A
5
6  for i in range(1, n):
7      temp = A.head
8      A.head = A.head.next
9      A.head.next = temp
10
11     if i == 1:
12         A.head.next.next = None
```

In this Algorithm, we do not need to use any auxiliary storage (except using 'temp' as auxiliary variable)

We can reverse the Linked List only by changing the direction of pointers in between Stack Nodes.

(b)

Class Definition:

```
StackUsingLinkedList.py × BinarySearch2LinkedList.py × LinkedList2BinarySearch.py ×
1  # Suppose we have a BST named 'A'
2  # and make a Linked List
3
4
5  class Tree:
6      def __init__(self, key):
7          self.key = key
8          self.parent = None
9          self.left = None
10         self.right = None
11
12
13  class Node:
14      def __init__(self, key):
15          self.key = key
16          self.next = None
17
18
19  def tree_minimum(x):
20      while x.left is not None:
21          x = x.left
22      return x
23      #  $\theta(h)$ 
24
25
26  def tree_successor(x):
27      if x.right is not None:
28          return tree_minimum(x.right)
29      y = x.parent
30      while y is not None and x == y.right:
31
32          x = y
33          y = y.parent
34      return y
35      #  $\theta(h)$ 
```

Construct a Tree:

```
37 root = Tree(15)
38
39 a = Tree(6)
40 root.left = a
41 a.parent = root
42
43 b = Tree(18)
44 root.right = b
45 b.parent = root
46
47 c = Tree(3)
48 a.left = c
49 c.parent = a
50
51 d = Tree(7)
52 a.right = d
53 d.parent = a
54
55 e = Tree(17)
56 b.left = e
57 e.parent = b
58
59 f = Tree(20)
60 b.right = f
61 f.parent = b
62
63 g = Tree(2)
64 c.left = g
65 g.parent = c
```

```
66
67 h = Tree(4)
68 c.right = h
69 h.parent = c
70
71 i = Tree(13)
72 d.right = i
73 i.parent = d
74
75 j = Tree(9)
76 i.left = j
77 j.parent = i
```

Changing into a Linked List:

```
79 # Making into Linked List
80 currentTree = tree_minimum(root) #  $\theta(h)$ 
81 head = Node(currentTree.key)
82 tail = head
83 for k in range(1, 11): #  $\theta(n-1)$ 
84     currentTree = tree_successor(currentTree) #  $\theta(h)$ 
85     tail.next = Node(currentTree.key)
86     tail = tail.next
```

Time Complexity: $O((n-1)*h + h) = O(h*((n-1)+1)) = O(h*n)$

Print out:

```
88 # Print out to check validity
89 while head is not None:
90     print(head.key)
91     head = head.next
92
```

Run: BinarySearch2LinkedList

2
3
4
6
7
9
13
15
17
18
20