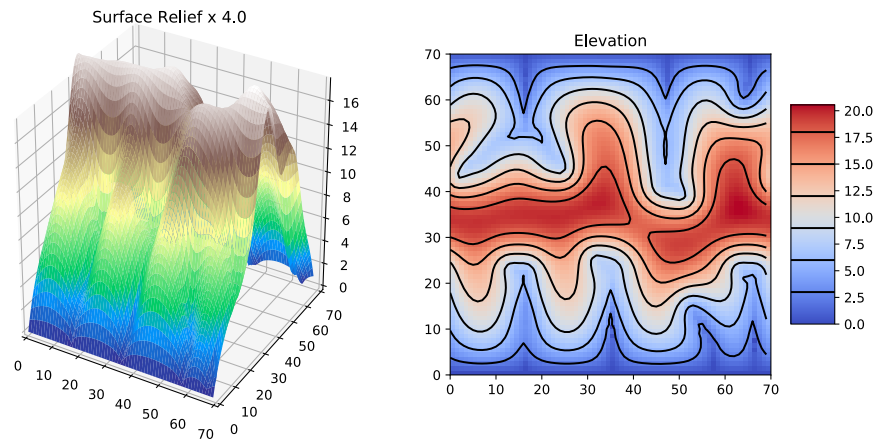


Computer Lab Assignment 9

Landscape Evolution Simulation

From bCourses, please download the article by Perron *et al.*, the Python file *landscape.py* and the Jupyter notebook *erosion_11.ipynb*. For this lab, you only need to edit the notebook file. The Python file should remain unchanged and will be imported into the notebook. We will guide you through a number of steps to obtain a working erosion code that follows the model by Perron *et al.* First you need to add a few crucial lines to the notebook and then you run it for various parameters and analyze the impact on the resulting landscape. Here is an example output:



(1) Work out the time step dt . Assume $dx=5$ meters and $D=5\times 10^{-3}$ meters²/year. Remember for 2D diffusion problems, stable solutions require $\eta = D \times \Delta t / \Delta x^2 < \frac{1}{4}$. However, because of the additional fluvial erosion terms, we suggest using $\eta < \frac{1}{8}$.

(2) Compute the gradient $|\vec{\nabla}z|$ using the intermediate terms s_1 , s_2 , s_3 , and s_4 as specified below equation 15 in the Perron paper.

(3) The equation for the elevation change includes two terms, $\Delta z = \Delta t \times [\Psi(z) + \Phi(z)]$. First compute the fluvial erosion term $\Psi(z)$. It is the second term in equation 13 of Perron’s paper. It depends on the constants K , m , n , and θ_c as well as on the precomputed drainage area $A(i,j)$ and your gradient. You need to enter the equation for $\Psi(z)$ on line 26 and repeat it on line 41 of your notebook. (Enable line numbers in the View menu.)

(4) Enter the mass diffusion term, $\Phi(z)$, on line 50 using the elevation $Z(i,j)$ and diffusion constant D . Right below compute $Z_{\text{new}}[i,j]$. Try running your code now! Hopefully it works.

(5) We want to perform 3 parameter modifications and analyze the effects. Please increase the stream stress threshold, θ_c , by factors of 10 until you see a noticeable change in the final landscape. Describe the change in shape and give an explanation!

(6) Go back to the original value of θ_c and increase the gradient exponent n in steps of 0.5. Please reduce the time step by a factor of 5 for this and the following part! Keep increasing n until you see a drastic change, describe the effect, and give an explanation!

(7) Go back to the original value of n and instead increase the area exponent m in steps of 0.05 until you see a change. Again describe the effect and give an explanation!