

Question 18

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Patrick drives a relatively fuel-inefficient vehicle. He's wondering about buying a Tesla. He spends some time working out all of the details and he decides that, with his current truck, his weekly driving costs him  $p_d = 3$  dollars per kilometer. His utility function for driving ( $d$ ) and all other goods ( $x$ ) is  $U = (xd)/25 + 4x$  and he has \$1800 per week to devote to driving ( $d$ ) and other fun activities ( $x$ ). His marginal utilities are  $mu_x = (d/25) + 4$  and  $mu_d = (x/25)$ . You may assume  $p_x = 1$ . Which of the following statements are true?

Select all that apply:

- ☐ a. With his current vehicle, Patrick is maximizing his utility driving 350km/week (i.e.  $d=350$ ). cross out
- ☐ b. A carbon tax raises the cost of driving,  $p_d$ , to \$5 per km. With this change, Patrick will drive 150km. cross out
- ☒ c. Patrick is considering buying a Tesla and it would reduce his implicit cost of driving to \$2 per km regardless of the carbon price, but it would also reduce his disposable weekly income (Tesla payments aren't cheap!) to \$1600 per week. If there is no carbon tax in place, he should still buy the Tesla. cross out
- ☒ d. With the carbon price in place, and the alternative being  $p_d = \$5$ , the savings are enough to make him better off with the Tesla. cross out
- ☐ e. Patrick will drive more with the Tesla but spend less on driving (i.e.  $p_d \cdot d$  will be lower with the Tesla than in the other two cases). cross out
- ☐ f. Patrick's own-price demand for driving is inelastic. cross out

Optimization

$$\frac{D}{25} + 4 = \frac{x}{25}$$

$$P_D \left( \frac{D}{25} + 4 \right) = \frac{x}{25}$$

$$25 P_D (D + 100) = x$$

Budget

$$Y = X + P_D D$$

$$Y = P_D (D + 100) + P_D D$$

$$Y = P_D (2D + 100)$$

$$\frac{Y}{P_D} - 100 = 2D$$

$$\frac{Y}{2P_D} - 50 = D$$

$$a) \frac{1800}{2 \cdot 3} - 50 = D = 250$$

$$x = Y - P_D D = 1800 - 250(3) = 1050$$

$$U = \frac{1050 \cdot 250}{25} + 4 \cdot 1050 = 14700$$

$$b) \frac{1800}{2 \cdot 5} - 50 = 130 = D$$

$$x = 1800 - 5(130) = 1150$$

$$U = \frac{1150 \cdot 130}{25} + 4 \cdot 1150 = 10580$$

$$c) \frac{1600}{2 \cdot 2} - 50 = 350$$

$$x = 1600 - 350(2) = 900$$

$$U = \frac{900 \cdot 350}{25} + 4(900) = 16200$$

$$d) \text{ no tax, } P_D D = 750, D = 250$$

$$\text{tax } P_D D = 650, D = 130$$

$$\text{Tesla } P_D D = 700, D = 350$$

Drives more, but spends more than other cases

$$e) \text{ Inelastic } \Rightarrow \frac{\% \text{ change in } Q}{\% \text{ change in } P}$$

change in Q is

$$250 \rightarrow 130 \quad -48\%$$

change in P is

$$3 \rightarrow 5 \quad +66\%$$

Q response is smaller than price change  $\Rightarrow$  inelastic