

## deeplearning.ai

## Basics of Neural Network Programming

Gradient descent on *m* examples

## Logistic regression on *m* examples

$$\frac{J(\omega,b)}{J(\omega,b)} = \frac{1}{m} \sum_{i=1}^{m} f(a^{(i)}, y^{(i)})$$

$$\frac{\partial}{\partial \omega_{i}} J(\omega,b) = \frac{1}{m} \sum_{i=1}^{m} \frac{\partial}{\partial \omega_{i}} f(a^{(i)}, y^{(i)})$$

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Logistic regression on mexamples - nt is in code J=0; dw,=0; dw2=0; db=0  $z^{(i)} = \omega^{T} x^{(i)} + b$   $\alpha^{(i)} = \delta(z^{(i)})$ 

J+=- |y(i) | log a(i) + (1-y(i)) | log (1-a(i))  $\mathcal{A}_{\mathcal{Z}^{(i)}} = \mathcal{Q}^{(i)} - \mathcal{A}^{(i)}$  $\begin{cases}
\lambda w_1 & \lambda w_2 & \lambda w_3 \\
\lambda w_2 & \lambda w_4 & \lambda w_5
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\end{cases}$ T/=m <  $dw_1/=m$ ;  $dw_2/=m$ ; db/=m.

b:= b - ddb. A Vectorization (程度是用血品的说)

W, := w, - ddw,

Wz:= Wz - adwz

Andrew Ng