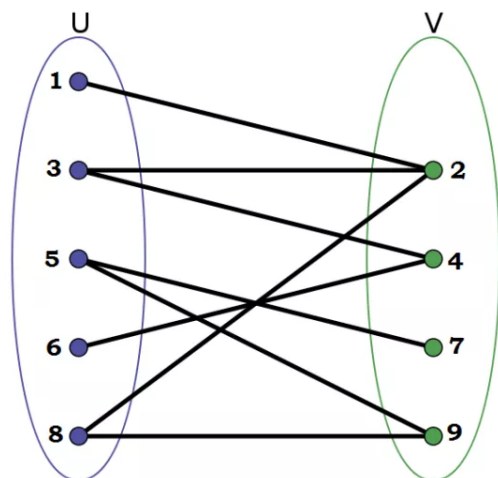


Determine if a given graph is Bipartite Graph using DFS

Given a graph, determine if given graph is bipartite graph using DFS. A bipartite graph (or bigraph) is a graph whose vertices can be divided into two disjoint sets U and V such that every edge connects a vertex in U to one in V.

Below graph is a Bipartite Graph as we can divide it into two sets U and V with every edge having one end point in set U and the other in set V



It is possible to test whether a graph is bipartite or not using [Depth-first search](#) algorithm. There are two ways to check for Bipartite graphs –

1. A graph is bipartite if and only if it is 2-colorable.
2. A graph is bipartite if and only if it does not contain an odd cycle.

In [previous](#) post, we have checked if the graph contains an odd cycle or not using BFS. Now using DFS, we will check if the graph is **2-colorable** or not.

The main idea is to assign to each vertex the color that differs from the color of its parent in the depth-first search tree, assigning colors in a preorder traversal of the depth-first-search tree. If there exists an edge connecting current vertex to a previously-colored vertex with the same color, then we can say that the graph is not bipartite.

C++ implementation –

```

1  #include <bits/stdc++.h>
2  using namespace std;
3  // Number of vertices in the graph
4  #define N 10
5

```

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```

6 // data structure to store graph edges
7 struct Edge {
8     int src, dest;
9 };
10
11 // class to represent a graph object
12 class Graph
13 {
14 public:
15     // A array of vectors to represent adjacency list
16     vector<int> adjList[N];
17
18     // Constructor
19     Graph(vector<Edge> edges)
20     {
21         // add edges to the undirected graph
22         for (int i = 0; i < edges.size(); i++)
23         {
24             int src = edges[i].src;
25             int dest = edges[i].dest;
26
27             adjList[src].push_back(dest);
28             adjList[dest].push_back(src);
29         }
30     }
31 };
32
33 // Perform DFS on graph starting from vertex v
34 bool DFS(Graph const &graph, int v, vector<bool> &discovered,
35         vector<int> &color)
36 {
37     // do for every edge (v -> u)
38     for (int u : graph.adjList[v])
39     {
40         // if vertex u is explored for first time
41         if (discovered[u] == false)
42         {
43             // mark current node as discovered
44             discovered[u] = true;
45
46             // set color as opposite color of parent node
47             color[u] = !color[v];
48
49             // if DFS on any subtree rooted at v
50             // we return false
51             if (DFS(graph, u, discovered, color) == false)
52                 return false;
53         }
54         // if the vertex is already been discovered and color of ver
55         // u and v are same, then the graph is not Biparte
56         else if (color[v] == color[u])
57             return false;
58     }
59
60     return true;
61 }
62
63 // Determine if a given graph is Bipartite Graph using DFS
64 int main()
65 {
66     // vector of graph edges as per above diagram
67     vector<Edge> edges = {
68         {1, 2}, {2, 3}, {2, 8}, {3, 4}, {4, 6}, {5, 7},
69         {5, 9}, {8, 9}, {2, 4}
70     };
71     // if we remove 2->4 edge, graph is becomes Biparte
72
73     // create a graph from edges
74     Graph graph(edges);
75
76     // stores vertex is discovered or not
77     vector<bool> discovered(N);
78
79     // stores color 0 or 1 of each vertex in BFS
80     vector<int> color(N);
81
82     // mark source vertex as discovered and
83     // set its color to 0
84     discovered[0] = true, color[0] = 0;
85
86     // start DFS traversal from any node as graph
87     // is connected and undirected
88     if (DFS(graph, 1, discovered, color))
89         cout << "Biparte Graph";
90     else
91         cout << "Not a Biparte Graph";
92
93     return 0;

```

Output:

Not a Biparte Graph

The time complexity of above solution is $O(n + m)$ where n is number of vertices and e is number of edges in the graph. Please note that $O(m)$ may vary between $O(1)$ and $O(n^2)$, depending on how dense the graph is.

References: https://en.wikipedia.org/wiki/Bipartite_graph

Thanks for reading.

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