

Data Structure

(Semester One, 2015-2016)

Laboratory 04

Prepared by Dr. Patrick Chan

Date: November-2015

1. There are many stars in the space. The star has different brightness represented by a value (b) from 1 to N. Larger b value means a brighter star. We would like to know the i^{th} brightness star.

First line of input contains the number of cases (n), where $1 \leq n \leq 10$. For each case, the first line contains two numbers S and Q, where $1 \leq S, Q \leq 20000$. S and Q represent the number of stars and the number enquiries respectively. In next line, S numbers of integers represent the brightness of each star, i.e. the i^{th} value represents the brightness of the i^{th} star. In each next Q lines show the position of the star. By assume there is no tie situation, you need to output the ranks of the given stars for each enquiry.

Example:

Input:

```
2
5 3
5 2 6 8 1
1
3
2
11 1
1 8 7 6 5 100 2 9 12 11 99
11
```

Output:

```
3
2
4
2
```

- Mary collected n number of stones, where $1 \leq s \leq 6000$. She would like to organize them into one group. Assume that there are s stone groups at first and each of them has an integer e , which indicate the energy needed by Mary to move that stone group. In each merging, the energy for each merging is the sum of two e of the two stone groups. After merging, two stone groups will be combined as one stone group and its e is the sum of the e of the previous groups. We would like to know the minimum energy for Mary to merge all the stone groups into one.

For example

Given $s = 5$ and their e are : 1 2 3 4 5. The answer is 33. The detail calculation is as follows:

Original Group	Selected Groups	After Merging	Energy used
1 2 3 4 5	1 2	3 4 5	$1 + 2 = 3$
3 3 4 5	3 3	6 4 5	$3 + 3 = 6$
6 4 5	4 5	6 9	$4 + 5 = 9$
9 6	9 6	15	$9 + 6 = 15$

Therefore, total energy is 33

First line contains the number of cases (n), where $1 \leq n \leq 10$. Every case contains two lines. First line is s ($1 \leq s \leq 6000$), means there are s stone groups. Second line is s required energy (e), where $1 \leq e \leq 10000$. You need to output the answer of the minimum energy needed by Mary for each case.

Example:

Input:

```
2
5
1 2 3 4 5
3
4 6 7
```

Output:

```
33
27
```

3. An ascending sorted sequence of distinct values is one in which some form of a less-than operator is used to order the elements from smallest to largest. For example, the sorted sequence A, B, C, D implies that $A < B$, $B < C$ and $C < D$. in this problem, we will give you a set of relations of the form $A < B$ and ask you to determine whether a sorted order has been specified or not.

Input consists of multiple problem instances. Each instance starts with a line containing two positive integers n and m . the first value indicated the number of objects to sort, where $2 \leq n \leq 26$. The objects to be sorted will be the first n characters of the uppercase alphabet. The second value m indicates the number of relations of the form $A < B$ which will be given in this problem instance. Next will be m lines, each containing one such relation consisting of three characters: an uppercase letter, the character "<" and a second uppercase letter. No letter will be outside the range of the first n letters of the alphabet. Values of $n = m = 0$ indicate end of input.

For each problem instance, output consists of one line. This line should be one of the following three:

Sorted sequence determined after xxx relations: yyy...y.

Sorted sequence cannot be determined.

Inconsistency found after xxx relations.

where xxx is the number of relations processed at the time either a sorted sequence is determined or an inconsistency is found, whichever comes first, and yyy...y is the sorted, ascending sequence.

Example:

Input:

```
4 6
A<B
A<C
B<C
C<D
B<D
A<B
3 2
A<B
B<A
26 1
A<Z
0 0
```

Output:

Sorted sequence determined after 4 relations: ABCD.

Inconsistency found after 2 relations.

Sorted sequence cannot be determined.

4. Given a function:

$$f(x, y) = 6*x^7 + 9*x^6 + 5*x^3 + 2*x^2 - y*x$$

By given a particular y value, you should output the minimum value of $f(x, y)$ when x is between 0 and 200.

The first line of the input contains the number of cases (n), where $1 \leq n \leq 100$. Each next n lines has one real numbers y, where $0 < y < 1000000000$. You should output the x with 4 decimal points which cause $f(x, y)$ is minimum in the range of $1 \leq x \leq 200$.

Example:

Input:

3
100
200
17198

Output:

-78.2106
-183.4391
-37078.9130