Values of $K_{-1}[0,1,2]$ are also enough to construct a plaintext structure which will be a δ -set for the distinguisher with $U_0[3]$ active, where K_{-1} is the white key.

Values of $P(U_0[0,1,2])$ are enough to construct a plaintext structure which will be a δ -set for the distinguisher with $U_0[3]$ active.

 $Input___typeX = _X(U__1) = [U__1[0]_typeX, U__1[1]_typeX, U__1[2]_typeX, U__1[3]_typeX] = [1, 1, 1, 0]$

Backward differential(similar to forward differential) and forward determination(similar to backward determination)

```
SB
                              MITMConstraints.equalConstraints(InputMC_1\_typeX, Input_1\_typeX)
        S
   S
      S
                  InputMC_{-1}-typeX = -X(V_{-1}) = [V_{-1}[0]-typeX, V_{-1}[1]-typeX, V_{-1}[2]-typeX, V_{-1}[3]-typeX] = [1, 1, 1, 0]
    MC
                              MC
                      AK
          -K_0
                  Input_0 - typeX = -X(U_0) = [U_0[0] - typeX, U_0[1] - typeX, U_0[2] - typeX, U_0[3] - typeX] = [0, 0, 0, 1]
Distinguisher
                  Input_3-typeY = -Y(U_3) = [U_3[0]-typeY, U_3[1]-typeY, U_3[2]-typeY, U_3[3]-typeY] = [0, 1, 0, 0]
                      SB
                              MITMConstraints.equalConstraints(Input_3\_typeY, InputMC_3\_typeY)
                  Input M C_3 \_typeY = \_Y(V_3) = [V_3[0]\_typeY, V_3[1]\_typeY, V_3[2]\_typeY, V_3[3]\_typeY] = [0, 1, 0, 0]
    MC
                               \label{linearLayer} \textbf{MITMConstraints.BackwardDet\_LinearLayer}(MC^{-1}, Input_4\_typeY, InputMC_3\_typeY) 
                MC
        ___ K<sub>4</sub>
                      AK
                  Input_A\_typeY = \_Y(U_A) = [U_A[0]\_typeY, U_A[1]\_typeY, U_3[2]\_typeY, U_3[3]\_typeY] = [1, 0, 1, 1]
                      SB
                              MITMConstraints.equalConstraints(Input_4\_typeY, InputMC_4\_typeY)
                  Input MC_4 - typeY = -Y(V_4) = [V_4[0] - typeY, V_4[1] - typeY, V_4[2] - typeY, V_4[3] - typeY] = [1, 0, 1, 1]
    MC
    \longleftarrow K_5 MC \mid AK
                              Input_5\_typeY = \_Y(U_5) = [U_5[0]\_typeY, U_5[1]\_typeY, U_5[2]\_typeY, U_5[3]\_typeY] = [1, 1, 1, 1]
```

Values of $P(U_4[0,2,3],U_3[1])$ are enough to compute the difference of $U_3[1]$ from ciphertext.

Values of $MC^{-1}(K_5)[0,2,3]$, $MC^{-1}(K_4)[1]$ are enough to compute the difference of $U_3[1]$ from ciphertext.