Heuristic Analysis - Knights Isolation

Krishna Kumar

Board Visualizations.

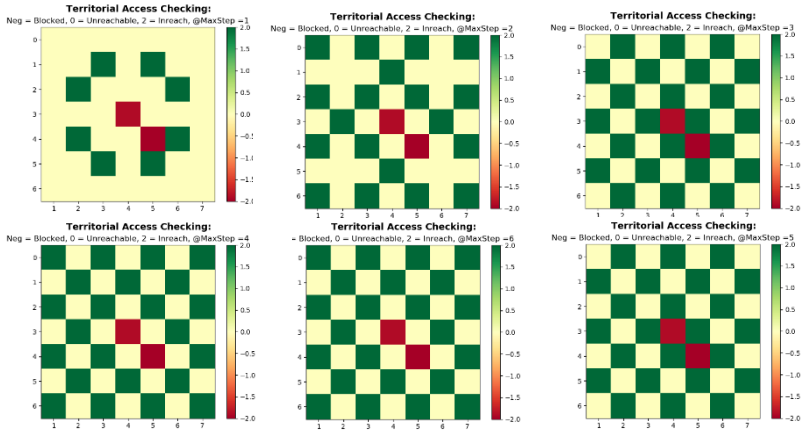
Centrality

18	13	10	09	10	13	18
13	08	05	04	05	08	13
10	05	02	01	02	05	10
09	04	01	00	01	04	09
10	05	02	01	02	05	10
13	08	05	04	05	08	13
18	13	10	09	10	13	18

Max Possible Moves

02	03	04	04	04	03	02
03	04	06	06	06	04	03
04	06	08	08	08	06	04
04	06	08	08	08	06	04
04	06	08	08	08	06	04
03	04	06	06	06	04	03
02	03	04	04	04	03	02

Board Access / Parity



Formulated Heuristics

- Open Moves

```
openmoves = game.get_legal_moves(player)
```

- Open Moves Difference

```
ownmoves = game.get_legal_moves(player)
oppmoves = game.get_legal_moves(game.get_opponent(player))
score_om = len(ownmoves) - len(oppmoves)
```

- Centrality

```
ownloc = game.get_player_location(player)
opploc = game.get_player_location(game.get_opponent(player))
score_cent= distance(game, ownloc)
```

- Chase or Meander around the Opponent (18 for a quadrant)

```
score_chase = min(18, distance(game, ownloc, opploc))/18  #penalty
```

- Open Moves Value

```
if game.is_loser(player):
    return float("-inf")

if game.is_winner(player):
    return float("inf")

ownmoves = game.get_legal_moves(player)
oppmoves = game.get_legal_moves(game.get_opponent(player))

#memoizing move quality
#prioritizes picking good neighbourhoods over the openmoves difference
movesvalues = {(0, 0): 2, (1, 0): 3, (2, 0): 4, (3, 0): 4, (4, 0): 4,
            (5, 0): 3, (6, 0): 2, (0, 1): 3, (1, 1): 4, (2, 1): 6,
            (3, 1): 6, (4, 1): 6, (5, 1): 4, (6, 1): 3, (0, 2): 4,
            (1, 2): 6, (2, 2): 8, (3, 2): 8, (4, 2): 8, (5, 2): 6,
            (6, 2): 4, (0, 3): 4, (1, 3): 6, (2, 3): 8, (3, 3): 8,
            (4, 3): 8, (5, 3): 6, (6, 3): 4, (0, 4): 4, (1, 4): 6,
            (2, 4): 8, (3, 4): 8, (4, 4): 8, (5, 4): 6, (6, 4): 4,
            (0, 5): 3, (1, 5): 4, (2, 5): 6, (3, 5): 6, (4, 5): 6,
            (5, 5): 4, (6, 5): 3, (0, 6): 2, (1, 6): 3, (2, 6): 4,
            (3, 6): 4, (4, 6): 4, (5, 6): 3, (6, 6): 2
            }
#normalised move-quality
ownmovescore = float(sum([movesvalues[move]  for move in ownmoves]) / (len(ownmoves) + 1))
score = len(ownmoves)*ownmovescore
return float(score)
```

- Open Moves Value Difference

```
if game.is_loser(player):
    return float("-inf")

if game.is_winner(player):
    return float("inf")

ownmoves = game.get_legal_moves(player)
oppmoves = game.get_legal_moves(game.get_opponent(player))

#memoizing move quality
```

```
#prioritizes picking good neighbourhoods  over the openmoves difference
movesvalues  = {(0, 0): 2, (1, 0): 3, (2, 0): 4, (3, 0): 4, (4, 0): 4,
          (5, 0): 3, (6, 0): 2, (0, 1): 3, (1, 1): 4, (2, 1): 6,
          (3, 1): 6, (4, 1): 6, (5, 1): 4, (6, 1): 3, (0, 2): 4,
          (1, 2): 6, (2, 2): 8, (3, 2): 8, (4, 2): 8, (5, 2): 6,
          (6, 2): 4, (0, 3): 4, (1, 3): 6, (2, 3): 8, (3, 3): 8,
          (4, 3): 8, (5, 3): 6, (6, 3): 4, (0, 4): 4, (1, 4): 6,
          (2, 4): 8, (3, 4): 8, (4, 4): 8, (5, 4): 6, (6, 4): 4,
          (0, 5): 3, (1, 5): 4, (2, 5): 6, (3, 5): 6, (4, 5): 6,
          (5, 5): 4, (6, 5): 3, (0, 6): 2, (1, 6): 3, (2, 6): 4,
          (3, 6): 4, (4, 6): 4, (5, 6): 3, (6, 6): 2
          }
#normalised  move-quality
ownmovescore  = float(sum([movesvalues[move]  for move in ownmoves])  / (len(ownmoves)  + 1))
oppmovescore  = float(sum([movesvalues[move]  for move  in oppmoves])  / (len(oppmoves)  + 1))
score = len(ownmoves)*ownmovescore  - len(oppmoves)*oppmovescore
return float(score)
```

Analysis: I chose to keep all the heuristics lightweight, and simplistic, so as to allow our search to progress down the tree as far as it can, and avoid search timeouts that would result from using time expensive heuristic functions.

The heuristics chosen for the submission after some initial testing were:

- **Custom score 1**: ***openmoves_difference***, *like AB_improved, this is our control to account for the randomness in the opening moves and the actual test run.*
- **Custom score 2: opemoves_difference * score_cent(),** *improves on custom_1 by adding a centrality score multiplier to the score in custom_score_1.*
- **Custom score 3**: **openmoves_value_difference**, *uses a dictionary, with priority values assigned to positions based on their open-ness, a higher value (e.g. 8 for the centre v/s 2 for a corner)*

Extra Heuristics:

Custom_Score 4: openmoves_value with score_chase_: *like custom_score_3 but multiplied with a score modifier that tracks for endgame (65%) and closeness to opponent.*

```
ownmovescore  = float(sum([movesvalues[move]  for move in ownmoves])  / 8) #normalised
move-quality
score_chase = min(18, distance(game, ownloc, opploc))/18
#penalty, Max(~1) while away, min when near
endgame_flip = (float(blanks/49)<0.35)  * score_chase
#True at endgame,
score = ownmovescore  - endgame_flip #stay close
return float(score)
```

Custom_Score 5: openmoves_value with -score_chase_: *like custom_score_3 but multiplied with a score modifier that conditionally tracks for endgame (65%) and distance to opponent.*

```
ownmovescore = float(sum([movesvalues[move]  for move in ownmoves])  / 8)
#normalised  move-quality
score_chase = min(18, distance(game, ownloc, opploc))/18
#penalty, Max(~1) while away, min when near
endgame_flip = (float(blanks/49)<0.35)  * score_chase
#True at endgame,
if openmoves < 2:
   score = ownmovescore  + endgame_flip #away
else:
   score = ownmovescore  - endgame_flip #chase

return float(score)
```

Custom_Score 6: openmoves_value with -conditional_distance_check_: *like custom_score_3 but with evasion at smaller openmoves.*

```
ownmovescore = float(sum([movesvalues[move]  for move in ownmoves])  / 8)
run = distance(game, ownloc, opploc)

if openmoves < 2:
   score = ownmovescore  + run #away - relaxed
else:
   score = ownmovescore
return float(score)
```

Expecting perfect-play or better in all cases (>=50 %)

Results for the chosen Original Set (1,2,3):

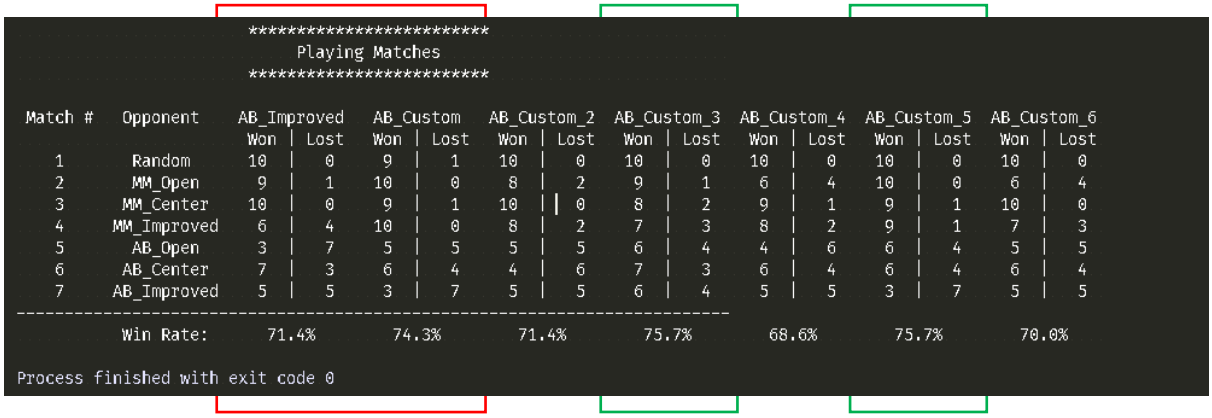
```
                    *************************
                        Playing Matches
                    *************************

Match #   Opponent    AB_Improved   AB_Custom   AB_Custom_2  AB_Custom_3
                       Won | Lost   Won | Lost   Won | Lost   Won | Lost
   1       Random      10  |  0     10  |  0     10  |  0     10  |  0
   2       MM_Open     10  |  0      8  |  2      8  |  2      9  |  1
   3      MM_Center    10  |  0     10  |  0      8  |  2      9  |  1
   4     MM_Improved    9  |  1      8  |  2     10  |  0      8  |  2
   5       AB_Open      4  |  6      5  |  5      5  |  5      6  |  4
   6      AB_Center     4  |  6      5  |  5      6  |  4      9  |  1
   7     AB_Improved    5  |  5      5  |  5      5  |  5      6  |  4
--------------------------------------------------------------------------
          Win Rate:      74.3%        72.9%        74.3%        81.4%
```

Extended results: Original Set (Num_Matches = 30, numproc = 8, timeout=150ms.)

Match #	Opponent	AB_Improved		AB_Custom		AB_Custom_2		AB_Custom_3	
		Won	Lost	Won	Lost	Won	Lost	Won	Lost
1	Random	59	1	57	3	59	1	60	0
2	MM_Open	48	12	54	6	49	11	53	7
3	MM_Center	56	4	58	2	59	1	59	1
4	MM_Improved	48	12	50	10	49	11	51	9
5	AB_Open	34	26	28	32	31	29	33	27
6	AB_Center	33	27	35	25	31	29	34	26
7	AB_Improved	33	27	27	33	28	32	31	29
	Win Rate:	74.0%		73.6%		72.9%		76.4%	

Round 2: With Extra Heuristics



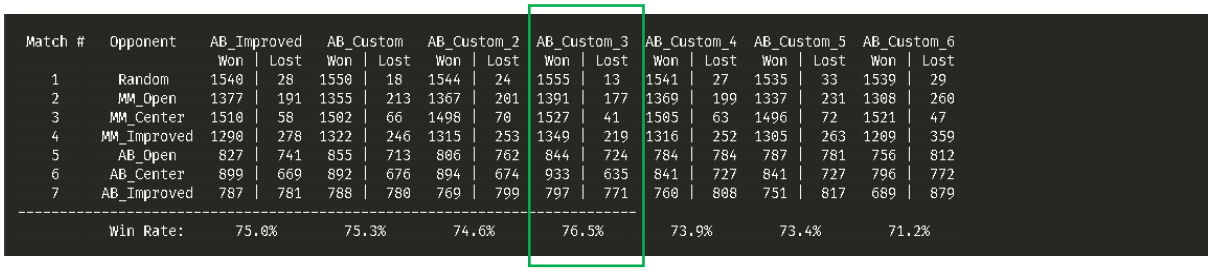
```
                    ************************
                        Playing Matches
                    ************************

 Match #   Opponent    AB_Improved   AB_Custom   AB_Custom_2  AB_Custom_3  AB_Custom_4  AB_Custom_5  AB_Custom_6
                       Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost
    1       Random      10  |  0     9  |  1     10  |  0     10  |  0     10  |  0     10  |  0     10  |  0
    2       MM_Open      9  |  1    10  |  0      8  |  2      9  |  1      6  |  4     10  |  0      6  |  4
    3      MM_Center    10  |  0     9  |  1     10  |  0      8  |  2      9  |  1      9  |  1     10  |  0
    4     MM_Improved    6  |  4    10  |  0      8  |  2      7  |  3      8  |  2      9  |  1      7  |  3
    5       AB_Open      3  |  7     5  |  5      5  |  5      6  |  4      4  |  6      6  |  4      5  |  5
    6      AB_Center     7  |  3     6  |  4      4  |  6      7  |  3      6  |  4      6  |  4      6  |  4
    7     AB_Improved    5  |  5     3  |  7      5  |  5      6  |  4      5  |  5      3  |  7      5  |  5
----------------------------------------------------------------------------------------------------------
          Win Rate:      71.4%        74.3%        71.4%        75.7%        68.6%        75.7%        70.0%

Process finished with exit code 0
```

Control * *

Extended Tests: Round 2: (Num_Matches = 1568, numproc = 8, timeout=150ms.)



```
 Match #   Opponent    AB_Improved   AB_Custom   AB_Custom_2  AB_Custom_3  AB_Custom_4  AB_Custom_5  AB_Custom_6
                       Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost   Won | Lost
    1       Random    1540 |  28   1550 |  18   1544 |  24   1555 |  13   1541 |  27   1535 |  33   1539 |  29
    2       MM_Open   1377 | 191   1355 | 213   1367 | 201   1391 | 177   1369 | 199   1337 | 231   1308 | 260
    3      MM_Center  1510 |  58   1502 |  66   1498 |  70   1527 |  41   1505 |  63   1496 |  72   1521 |  47
    4     MM_Improved 1290 | 278   1322 | 246   1315 | 253   1349 | 219   1316 | 252   1305 | 263   1209 | 359
    5       AB_Open    827 | 741    855 | 713    806 | 762    844 | 724    784 | 784    787 | 781    756 | 812
    6      AB_Center   899 | 669    892 | 676    894 | 674    933 | 635    841 | 727    841 | 727    796 | 772
    7     AB_Improved  787 | 781    788 | 780    769 | 799    797 | 771    760 | 808    751 | 817    689 | 879
----------------------------------------------------------------------------------------------------------
          Win Rate:      75.0%        75.3%        74.6%        76.5%        73.9%        73.4%        71.2%
```

Conclusion:

Out of all the heuristics that were implemented, custom_score_3 heuristic has the most consistent performance, as it benefits from knowing the relative values of all tiles in the game along with the difference in the number of available moves it has v/s it's opponent, and since the values are stored in a dictionary and are not computed every time the evaluation is run, the search isn't slowed down as much.