Hello Everyone! Welcome to the Intermediate classes!

FAQS

- -> Notes will be uploaded after the class
- -> Assignments are unlocked after the class ends
- -> Consistency

If you want to go fast, go alone. If you want to go far, go together.

```
&1) Count of factors
       factor of n > any number which divides
             n completely.
     n=24 \Rightarrow \{1,2,3,4,6,8,12,24\}
     n = 10 \Rightarrow \{1, 2, 5, 10\}
                                         n=10
                                           count=$123
    int count of factors (int n) {
                                            i=1284
          int count=0;
          for (int i=1; i <= n; i++) {
                                            $ $ X & A
              if(n? i==0) {
               (ount++)
```

return count;

Execution time depends on the value of n.

$$[1,10^8] \rightarrow 10^8 \text{ nos.}$$
 $[1,n] \rightarrow n \text{ nos.}$

h	no of iterations	Execution Time
108	108	1 sec
109	109	109/108 sec = 10 sec.
9	9	9*10 ⁻⁸ sec.
n _o	N _o	(no/108) seems
1018	1018	$(10^{18}/10^8)$ see = 10^{10} sees.
yon → child → grandchild → 4th → 5th ≈ 317 years		
108> 1 sec		
$1 \longrightarrow \frac{1}{10^8} \text{ see}.$		
$n_o \longrightarrow \left(\frac{1}{10^8} * n_o\right)$ seconds.		

Optimise

$$i * j = n$$

 $j = n/i \Rightarrow \{i \text{ and } n/i \text{ both are factors of } n\}$

$$\frac{n = 24}{i}$$

$$\frac{n}{i} \qquad \frac{n}{i}$$

$$1 \leq 24$$

$$\frac{4}{6} = \frac{6}{4} = -$$

```
int count factors (int n) {

int count = 0;

for (i=1; i*i \le n; i+t) \le \le \le i=1

if (n ? o i == 0) \le \le i=2

if (i==n/i)

count +;

clse {

// count both i and n/i

count += 2;

}

return count;
```

$$N=10^{18}$$
 \Rightarrow no. of iterations = $\sqrt{N} = 10^9$
 \Rightarrow execution time = $\frac{10^9}{10^8}$ sees = 10 sees.

Brech tu 10:41 PM

Prime Number -> 2 factors n=11 {1,113 ~ n=10 {1,2,5,10} X n=23 {1,23} V [1 is neither prime nor composite] {10,11,23,2,25,27,31} 4 primes. boolean is Prime (int n) { if (count factors (n) == 2) { return true; else return felse;

Jame [Jauss]

4th class 100

$$S = 1 + 2 + 3 + 4 + - + 48 + 99 + 100$$

$$S = 100 + 99 + 98 + 97 + - + 3 + 2 + 1$$

$$\Rightarrow S = \frac{100 \times 101}{2}$$

Sum of first of natural nos.

$$S = n + (n-1) + (n-2) + (n-3) + t + 2 + 1$$

$$\frac{1}{2}S = \frac{n(n+1)}{2}$$

```
B) fiven n (a perfect squere). Find sqrt(n).
         n= 25 -> 5
          n=36 ->6
          n = 1024 -> 32
          n = 30 -> We will never get invalid input.
     we need to find the i
             s.t. [[*i==n]
                                           Amezon MCQ
 n=16
            int sqrt(int n) {
                                          a) log 2n
177
                                           b) n
                for(i=1; i<=n; i+t){
                                         Vn
          if (i* i== n)

return i;
3-70
                                           d) None of
               return -1; // Won't be reached
          No of iterations = Vn .
```

8) Find
$$[sqnt(n)]$$
 $n = 40 \Rightarrow 6$
 $n = 30 \Rightarrow 5$
 $n = 200 \Rightarrow 14$
 $n = 50$
 $\frac{1}{1}$
 $ans = 1$
 $ans = 2$
 $ans = 2$
 $ans = 3$
 $ans = 3$
 $ans = 4$
 $ans = 6$
 $ans = 6$
 $ans = 7$
 $ans = 7$

log Basics

log b a > log of a to the base b.

[to what value we need to raise b

to get the value a]

 $log_b a = c$ $[b \in (0, \infty), b \neq 1]$ $\Rightarrow b^c = a$

 $log_{2}64 = 6$ $log_{3}27 = 3$ $log_{4}1 = 0$ $2^{6} = 64$ $4^{6} = 1$ 2*2*2*2*2*2*2=64 $log_{2}40$ = 5

 $\frac{1}{6} \text{ times}$ $\frac{1}{2} \frac{1}{5} \frac{1}{40} \frac{1}{2} \frac{1}{5}$

 $n = 2^{k}$ \Rightarrow $\log_{2} n = k$. $\log_{a}(a^{n}) = n$. $a^{n} = a^{n}$

log a = How many times you need to multiply b

to get a.

= How many times you need to divide a by b till

it reaches 1.

$$log_2 32 = 5$$
 $32 \frac{12}{32} 16 \frac{12}{8} 8 \frac{12}{4} 4 \frac{12}{2} 2 \frac{12}{11}$

B) ljiven tre integer n, find how many times we need to divide n by 2 till it reaches 1.

$$\begin{array}{ll}
N = 100 \\
1/2 \\
50 \\
1/2 \\
25 \\
1/2 \\
12 \\
1/2 \\
1/2 \\
1/2 \\
1/2
\end{array}$$

$$\begin{array}{ll}
1 \\
2 \\
3 \\
1/2
\end{array}$$

$$\begin{array}{ll}
1 \\
3 \\
1/2
\end{array}$$

$$\begin{array}{ll}
1 \\
3 \\
1/2
\end{array}$$