Proof:

Given n is a integer, by the Division Theorem, every natural number is one of the forms 4n, 4n+1, 4n+2, 4n+3

Since 4n is divisible by 2, 4n is even.

So 4n + 1 and 4n +3 must be odd.

The argument have been proved.