

Lab #2

Objectives

- Review lecture notes of discrete-time signal and system
- Do additional exercises on SciLab

Report

1. For each function or group of functions that you did, you have to capture the screen as evidence that you did by yourself.
2. Then, you add all screen captures in a single word file.
3. Finally, you upload your report to BKeL on time. You should down-size the image file to reduce the report file in order to be able to submit in BKeL.

PART 1. REVIEW OF LECTURE NOTES

1.1. Elementary Signals

- Unit sample sequence (impulse)

$$\delta(n) = \begin{cases} 1, & n = 0 \\ 0, & n \neq 0 \end{cases}$$

- Unit step signal

$$u(n) = \begin{cases} 1, & n \geq 0 \\ 0, & n < 0 \end{cases}$$

- Unit ramp signal

$$u_r(n) = \begin{cases} n, & n \geq 0 \\ 0, & n < 0 \end{cases}$$

1.2. Signal Properties

- **Periodic signal**

A signal $x(n)$ is periodic with a period N ($N > 0$) if and only if $x(n + N) = x(n)$, $\forall n$

- **Signal's energy**

$$E_x = \sum_{n=-\infty}^{\infty} |x(n)|^2$$

- **Signal's average power**

$$P_x = \lim_{N \rightarrow \infty} \frac{1}{2N+1} \sum_{n=-N}^N |x(n)|^2$$

- **Signal Symmetry**

Any arbitrary signal can be expressed by the sum of two signal components

$$x(n) = x_e(n) + x_o(n)$$

Even signal component

$$x_e(n) = \frac{1}{2} [x(n) + x(-n)]$$

Odd signal component

$$x_o(n) = \frac{1}{2} [x(n) - x(-n)]$$

1.3. Simple manipulations

- **Delay**

$$y(n) = x(n-k) \quad k > 0$$

- **Advance**

$$y(n) = x(n+k) \quad k > 0$$

- **Folding**

$$y(n) = x(-n)$$

- **Addition**

$$y(n) = x_1(n) + x_2(n)$$

- **Multiplication**

$$y(n) = x_1(n) \cdot x_2(n)$$

- **Amplitude scaling**

$$y(n) = ax(n)$$

PART 2. EXAMPLES & EXERCISES

Exercise 1. Let investigate the following functions on Scilab and briefly report their functionalities and how to use it.

Functions	Description (will be filled by students)
plot2d3(...)	
min(...)	
max(...)	
subplot(...)	
title(...)	
xlabel(...)	
ylabel(...)	
bool2s(...)	
deff(...)	

Exercise 2. Try the following scripts on Scilab and report what your understanding after observing the output.

```
scilab:> n = -5:5;
scilab:> msignal = bool2s (n >= 0);
scilab:> plot2d3(n, msignal)
```

Exercise 3. Try the following scripts on Scilab and report what your understanding after observing the output.

```
scilab:> n = -5:5;
scilab:> msignal = bool2s (n == 0);
scilab:> plot2d3(n, msignal)
```

Exercise 4. Use Scilab to draw the unit ramp signal $u_r(n)$ for $n=-5:5$

Exercise 5. Given a discrete-time signal $\mathbf{x(n) = \{1, 3^{\uparrow}, -2\}}$.

Use Scilab to draw the signal $x(n)$, the odd signal component $x_o(n)$, and the even signal component $x_e(n)$. Each signal will be drawn by a single plot but they are displayed in a single window. Please use `title()`, `xlabel()` and `ylabel()` to represent the name of each plot.

Exercise 6. Given two discrete-time signals

$$\mathbf{x}_1(n)=\{0\uparrow, 1, 3, -2\} \text{ and } \mathbf{x}_2(n)=\{0, 1\uparrow, 2, 3\}.$$

Determine $\mathbf{y}(n) = \mathbf{x}_1(n) + \mathbf{x}_2(n)$. Then use Scilab to draw $\mathbf{x}_1(n)$, $\mathbf{x}_2(n)$ and $\mathbf{y}(n)$. Each signal will be drawn by a single plot but they are displayed in a single window. Please use title(), xlabel() and ylabel() to represent the name of each plot.

Exercise 7. Given two discrete-time signals

$$\mathbf{x}_1(n)=\{0\uparrow, 1, 3, -2\} \text{ and } \mathbf{x}_2(n)=\{0, 1\uparrow, 2, 3\}.$$

Determine $\mathbf{y}(n) = \mathbf{x}_1(n).\mathbf{x}_2(n)$. Then use Scilab to draw $\mathbf{x}_1(n)$, $\mathbf{x}_2(n)$ and $\mathbf{y}(n)$. Each signal will be drawn by a single plot but they are displayed in a single window. Please use title(), xlabel() and ylabel() to represent the name of each plot.

Exercise 8. Given a discrete-time signal $\mathbf{x}(n)=\{1, -2, 3\uparrow, 6\}$.

Determine the following signal and then use Scilab to draw the original signal $\mathbf{x}(n)$ and the manipulated signal $\mathbf{y}_i(n)$. Each pair of plots will be display in a single window. Please use title(), xlabel() and ylabel() to represent the name of each plot.

- a. $y_1(n) = x(-n)$
- b. $y_2(n) = x(n + 3)$
- c. $y_3(n) = 2x(-n - 2)$