

# Key Factors Influencing Computer Costs

## Time

Manufacturing costs decrease over time due to the learning curve, which is best measured by improvements in **yield**—the percentage of manufactured devices that survive testing.

## Volume

Increasing volumes decrease costs by accelerating the learning curve and improving purchasing and manufacturing efficiency. Rule of thumb: cost decreases about 10% for each doubling of volume.

## Commoditization

Products sold by multiple vendors in large volumes that are essentially identical. **Competition** decreases the gap between cost and selling price while also decreasing overall cost.

These factors have driven the computer industry to focus increasingly on cost-sensitive designs, particularly in high-volume market segments.

# Integrated Circuit Economics

- Cost of a die

$$\text{Cost of die} = \frac{\text{Cost of wafer}}{\text{Dies per wafer} \times \text{Die yield}}$$

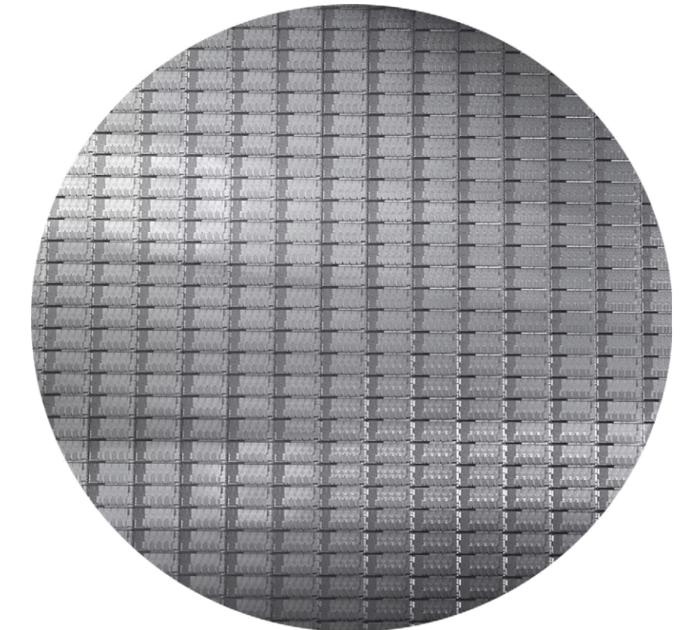
- Dies per wafer

$$\text{Dies per wafer} \approx \frac{\pi \times (\text{Wafer diameter} / 2)^2}{\text{Die area}}$$
$$- \frac{\pi \times \text{Wafer diameter}}{\sqrt{2 \times \text{Die area}}}$$

- Example

- 300 mm wafer
- 20.7 by 10.5 mm die size
- How many dies?

- Answer



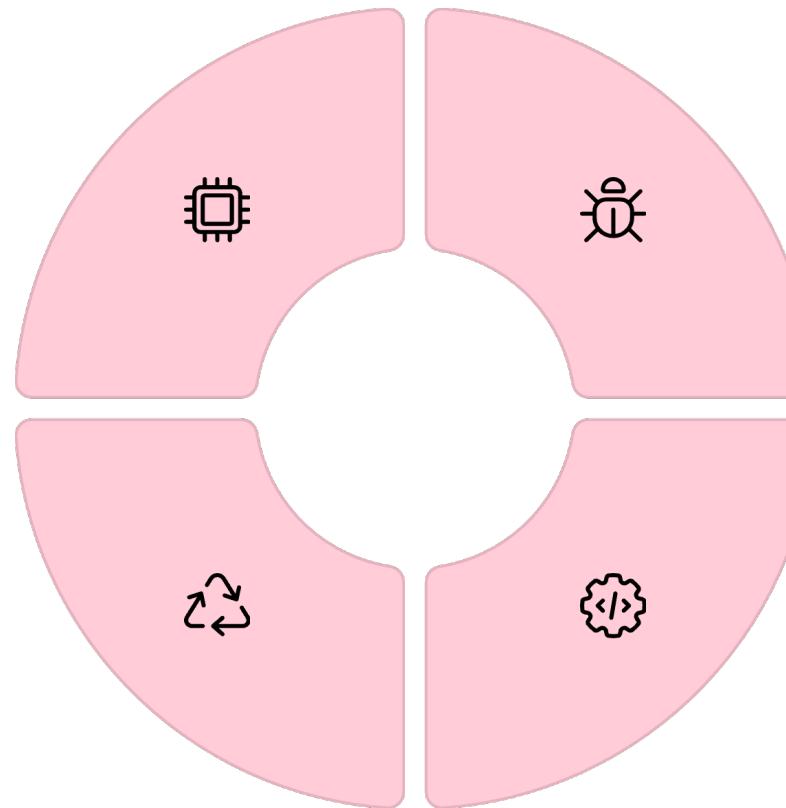
# Die Yield and Cost Impact

## Die Size

The critical factor controlled by designers. Cost per die grows roughly as the square of the die area due to yield effects.

## Redundancy

Including redundant components (like memory cells) can significantly boost yield, especially for commodity products under price pressure.



## Defect Density

Measure of random manufacturing defects. Typically 0.016 to 0.057 defects per square centimeter for a 40 nm process in 2010.

## Process Complexity

Parameter N in the yield formula measures manufacturing difficulty. For 40 nm processes in 2010, N ranged from 11.5 to 15.5.

# Yield

- Bose-Einstein empirical formula

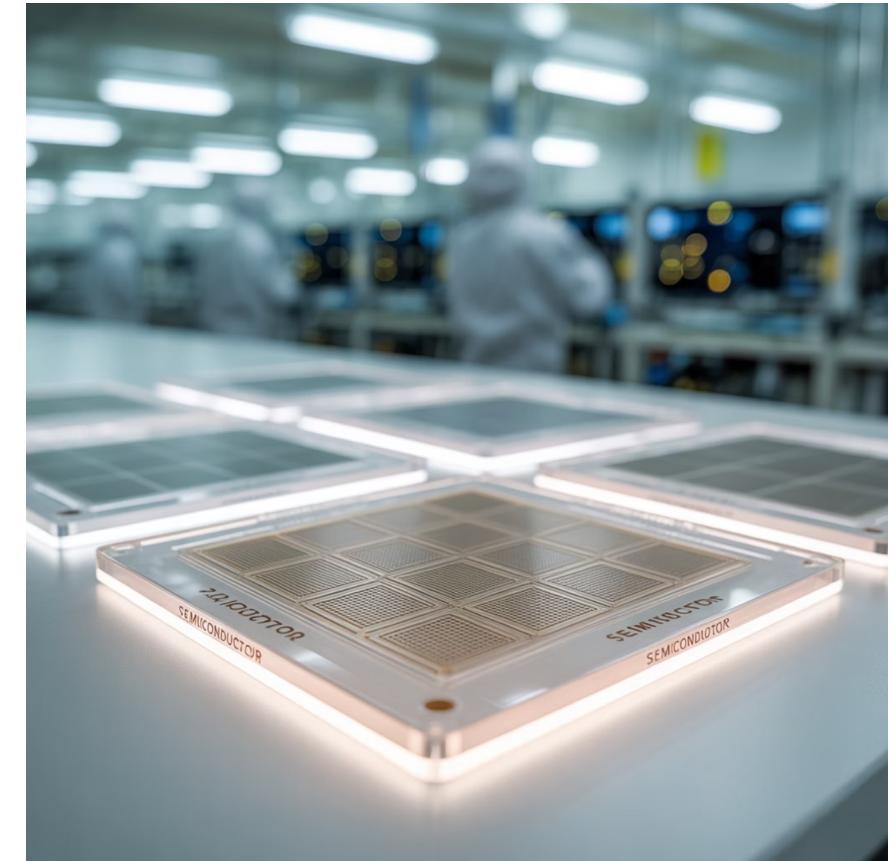
$$\text{Die yield} = \text{Wafer yield} \times \frac{1}{(1 + \text{Defects per unit area} \times \text{Die area})^N}$$

- Wafer yield accounts for wafers that are completely bad and so need not be tested.
- $N$  is the process-complexity factor, ranging from 11.5 to 15.5.
- Example
  - 1.5cm by 1.5cm die size
  - 0.031 per  $\text{cm}^2$  defect density
  - $N$  is 13.5
  - 100% wafer yield
  - Die yield?
- Answer

$$\text{Die yield} = 1 \times \frac{1}{(1 + 0.031 \times 1.5 \times 1.5)^{13.5}} = 0.40$$

# Non-Recurring Engineering Cost

- For modern high-density fabrication processes with 4-6 metal layers, mask costs exceed \$1M.
- This large fixed cost significantly affects:
  - Prototyping and debugging runs
  - Small-volume production economics
  - Design decisions for flexibility



Designers may incorporate reconfigurable logic or use gate arrays (with fewer custom mask levels) to reduce mask cost implications.

# Operational Costs: The New Reality

- For large data centers with tens of thousands of servers, operational costs are now as significant as purchase costs.
- Monthly operational cost breakdown:
  - ~60%: Amortized purchase price of servers and networks (3-4 year lifetime)
  - ~30%: Power use and amortized infrastructure for power distribution and cooling (10 year amortization)
  - ~10%: Other operational expenses