# Session I **Survey Experiments in** Context

Thomas J. Leeper

Government Department London School of Economics and Political Science 1 Introductions

2 Course Outline

3 History and Logic

Ask you to guess a number

- Ask you to guess a number
- Number off 1 and 2 across the room

- Ask you to guess a number
- 2 Number off 1 and 2 across the room
- 3 Group 2, close your eyes

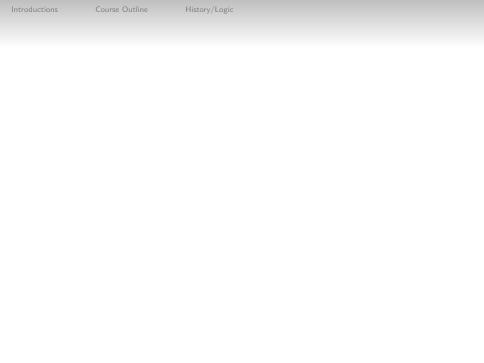
#### Group 1

Think about whether the population of Chicago is more or less than 500,000 people. What do you think the population of Chicago is?

- Ask you to guess a number
- Number off 1 and 2 across the room
- 3 Group 2, close your eyes
- 4 Group 1, close your eyes

#### Group 2

Think about whether the population of Chicago is more or less than 10,000,000 people. What do you think the population of Chicago is?



### Enter your data

- Go here: http://bit.ly/297vEdd
- Enter your guess and your group number

■ True population: 2.79 million

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  - Demonstrates "anchoring" heuristic

- True population: 2.79 million
- What did you guess? (See Responses)
- What's going on here?
  - An experiment!
  - Demonstrates "anchoring" heuristic
- Experiments are easy to analyze, but only if designed and implemented well

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#### Who am I?

- Thomas Leeper
- Associate Professor in Political Behaviour at London School of Economics
  - 2013–15: Aarhus University (Denmark)
  - 2008–12: PhD from Northwestern University (Chicago, USA)
  - Birth–2008: Minnesota, USA
- Interested in public opinion and political psychology
- Email: t.leeper@lse.ac.uk

- Introduce yourself to a neighbour
- Where are you from?
- What do you hope to learn from the course?

1 How many of you have worked with survey data before?

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- Of those, how many of you have performed a survey before?

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- Of those, how many of you have performed a survey before?
- How many of you have worked with experimental data before?
- Of those, how many of you have performed an experiment before?

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#### **Course Materials**

All material for the course is available at:

```
http://www.thomasleeper.com/
surveyexpcourse/
```

By the end of the week, you should be able to...

Explain how to analyze experiments quantitatively.

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- Explain how to design experiments that speak to relevant research questions and theories.

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- 1 Explain how to analyze experiments quantitatively.
- Explain how to design experiments that speak to relevant research questions and theories.
- 3 Evaluate the uses and limitations of several common survey experimental paradigms.
- Identify practical issues that arise in the implementation of experiments and evaluate how to anticipate and respond to them.

#### Schedule of Four Sessions

- Survey Experiments in Context
- Examples and Paradigms
- 3 Hands-on Session
- Practical Issues

#### **Questions?**

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### **Experiments: History I**

Oxford English Dictionary defines "experiment" as:

- A scientific procedure undertaken to make a discovery, test a hypothesis, or demonstrate a known fact
- A course of action tentatively adopted without being sure of the outcome

#### **Experiments: History II**

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- Major advances in design and analysis of experiments based on agricultural and later biostatistical research in the 19th century (Fisher, Neyman, Pearson, etc.)

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- "Experiments" have a very long history
- Major advances in design and analysis of experiments based on agricultural and later biostatistical research in the 19th century (Fisher, Neyman, Pearson, etc.)
- Multiple origins in the social sciences
  - First randomized experiment by Peirce and Jastrow (1884)
  - Gosnell (1924)
  - LaLonde (1986)
  - Gerber and Green (2000)

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  - Survey research not heavily experimental because interviewing was mostly paper-based
  - "Split ballots" (e.g., Schuman & Presser; Bishop)

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### **Experiments: History III**

- Rise of surveys in the behavioral revolution
  - Survey research not heavily experimental because interviewing was mostly paper-based
  - "Split ballots" (e.g., Schuman & Presser; Bishop)
- 1983: Merrill Shanks and the Berkeley Survey Research Center develop CATI
- Mid-1980s: Paul Sniderman & Tom Piazza performed the first *modern* survey experiment<sup>1</sup>
  - Then: the "first multi-investigator"
  - Later: Skip Lupia and Diana Mutz created TESS

<sup>&</sup>lt;sup>1</sup>Sniderman, Paul M., and Thomas Piazza. 1993. The Scar of Race. Cambridge, MA: Harvard University Press.

#### **TESS**

- Time-Sharing Experiments for the Social Sciences
- Multi-disciplinary initiative that provides infrastructure for survey experiments on nationally representative samples of the United States population
- Great resource for survey experimental materials, designs, and data
- Funded by the U.S. National Science Foundation
- Anyone anywhere in the world can apply
- See also: LISS, Bergen's Citizen Panel, Gothenburg's Citizen Panel

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Do you think the U.S. should do more than it is now doing to help **England and France?** 

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- No.

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- Yes
- No

Do you think the U.S. should do more than it is now doing to help England and France in their fight against Hitler?

- Yes
- No

Hadley Cantril (1940) asks 3000 Americans either:

Do you think the U.S. should do more than it is now doing to help England and France?

■ Yes: 13%

No

Do you think the U.S. should do more than it is now doing to help England and France in their fight against Hitler?

Yes

No

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Do you think the U.S. should do more than it is now doing to help England and France?

■ Yes: 13%

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Do you think the U.S. should do more than it is now doing to help England and France in their fight against Hitler?

■ Yes: 22%

No.

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■ Yes: 13%

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Do you think the U.S. should do more than it is now doing to help England and France in their fight against Hitler?

■ Yes: 22%

No

The "Hitler effect" was 22% - 13% = 9%

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The observation of units after, and possibly before, a randomly assigned intervention in a controlled setting, which tests one or more precise causal expectations

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If we manipulate the thing we want to know the effect of (X), and control (i.e., hold constant) everything we do not want to know the effect of (Z), the only thing that can affect the outcome (Y) is X.

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  - As opposed to in the field or in a laboratory
- Can be in any mode (face-to-face, CATI, IVR, CASI, etc.)
- May or may not involve a representative population
  - Mutz (2011): "population-based survey experiments"

Unit: A physical object at a particular point in time

**Treatment**: An intervention, whose effect(s) we wish to assess relative to some other (non-)intervention

Synonyms: manipulation, intervention, factor, condition, cell

**Outcome**: The variable we are trying to explain

**Potential outcomes**: The outcome value for each unit that we *would observe* if that unit received each treatment

Multiple potential outcomes for each unit, but we only observe one of them

**Causal effect**: The comparisons between the unit-level potential outcomes under each intervention

This is what we want to know!

**Average causal effect**: Difference in mean outcomes between treatment groups

This is almost what we want to know!

Unit: Americans in 1940

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Individual treatment effect not observable!

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Potential outcomes:

- Support in "Hitler" condition
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Causal effect: Difference in support between the two question wordings for each respondent

- Individual treatment effect not observable!
- Average effect (ATE) is the mean-difference

#### **Questions?**

# Why are experiments useful?

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Causal inference!

## **Addressing Confounding**

In observational research...

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 $\square$  Correlate a "putative" cause (X) and an outcome (Y), where X temporally precedes Y

In observational research...

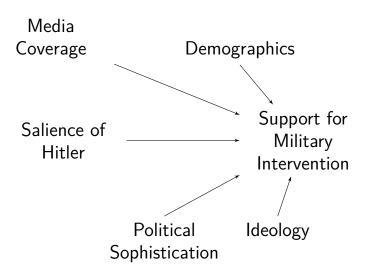
- Correlate a "putative" cause (X) and an outcome (Y), where X temporally precedes Y
- $\mathbf{Z}$  Identify all possible confounds  $(\mathbf{Z})$

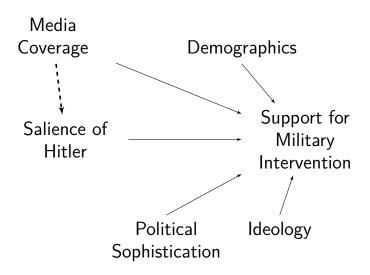
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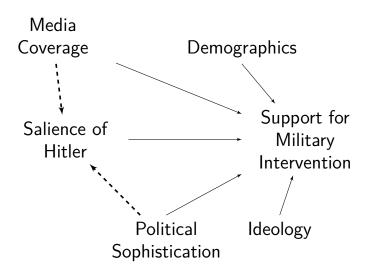
- Correlate a "putative" cause (X) and an outcome (Y), where X temporally precedes Y
- Identify all possible confounds (Z)
- "Condition" on all confounds
  - Calculate correlation between X and Y at each combination of levels of Z

In observational research...

- I Correlate a "putative" cause (X) and an outcome (Y), where X temporally precedes Y
- Identify all possible confounds (Z)
- "Condition" on all confounds
  - Calculate correlation between X and Y at each combination of levels of Z
- 4 Basically:  $Y = \beta_0 + \beta_1 X + \beta_{2-k} \mathbf{Z} + \epsilon$







Course Outline

# **Experiments are different**

Causal inferences from design not analysis

- Causal inferences from design not analysis
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  - Treatment (X) applied by researcher before outcome (Y)
  - Randomization eliminates confounding (Z)
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  - We don't need to "control" for anything
- $Y = \beta_0 + \beta_1 X + \epsilon$
- 4 Thus experiments are a "gold standard"

#### Mill's Method of Difference

If an instance in which the phenomenon under investigation occurs, and an instance in which it does not occur, have every circumstance save one in common, that one occurring only in the former; the circumstance in which alone the two instances differ, is the effect, or cause, or an necessary part of the cause, of the phenomenon.

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#### **Questions?**

#### Neyman-Rubin Potential Outcomes Framework

If we are interested in some outcome Y, then for every unit i, there are numerous "potential outcomes" Y\* only one of which is visible in a given reality. Comparisons of (partially unobservable) potential outcomes indicate causality.

#### **Neyman-Rubin Potential** Outcomes Framework

Concisely, we typically discuss two potential outcomes:

- $\blacksquare$   $Y_{0i}$ , the potential outcome realized if  $X_i = 0$  (b/c  $D_i = 0$ , assigned to control)
- $\blacksquare$   $Y_{1i}$ , the potential outcome realized if  $X_i = 1$  (b/c  $D_i = 1$ , assigned to treatment)

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3	?	?	?	
4	?	?	?	

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unit	low	high	control	etc.
1	?	?	?	
2	?	?	?	
3	?	?	?	
4	?	?	?	

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- We want to know:  $TE_i = Y_{1i} Y_{0i}$

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Is this what we want to know?

What we want and what we have:

$$ATE = E[Y_{1i}] - E[Y_{0i}] (1)$$

$$ATE_{naive} = E[Y_{1i}|X=1] - E[Y_{0i}|X=0]$$
 (2)

What we want and what we have:

$$ATE = E[Y_{1i}] - E[Y_{0i}] (1)$$

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Are the following statements true?

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What we want and what we have:

$$ATE = E[Y_{1i}] - E[Y_{0i}]$$
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$$ATE_{naive} = E[Y_{1i}|X=1] - E[Y_{0i}|X=0]$$
 (2)

Are the following statements true?

$$E[Y_{1i}] = E[Y_{1i}|X=1]$$

$$E[Y_{0i}] = E[Y_{0i}|X=0]$$

Not in general!

Only true when both of the following hold:

$$E[Y_{1i}] = E[Y_{1i}|X=1] = E[Y_{1i}|X=0]$$
 (3)

$$E[Y_{0i}] = E[Y_{0i}|X=1] = E[Y_{0i}|X=0]$$
 (4)

- In that case, potential outcomes are *independent* of treatment assignment
- If true (e.g., due to randomization of X), then:

$$ATE_{naive} = E[Y_{1i}|X = 1] - E[Y_{0i}|X = 0]$$

$$= E[Y_{1i}] - E[Y_{0i}]$$

$$= ATE$$
(5)

■ This holds in experiments because of a *physical* process of randomization<sup>2</sup>

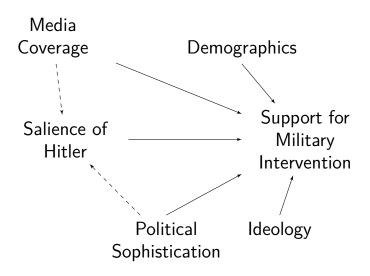
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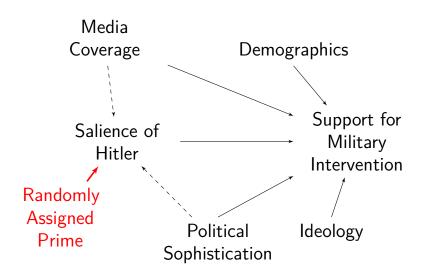
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- This holds in experiments because of a *physical* process of randomization<sup>2</sup>
- Units differ only in side of coin that was up
  - $X_i = 1$  only because  $D_i = 1$
- Implications:
  - Covariate balance
  - Potential outcomes balanced and independent of treatment assignment
  - No confounding (selection bias)

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### **Questions?**

### **Experimental Analysis I**

- The statistic of interest in an experiment is the *sample* average treatment effect (SATE)
- If our sample is representative, then this provides an estimate of the population average treatment (PATE)
  - Design-based random sampling
  - Model-based re-weighting

### **Experimental Analysis I**

- The statistic of interest in an experiment is the *sample* average treatment effect (SATE)
- If our sample is *representative*, then this provides an estimate of the population average treatment (PATE)
  - Design-based random sampling
  - Model-based re-weighting
- This boils down to being a mean-difference between two groups:

$$SATE = \frac{1}{n_1} \sum Y_{1i} - \frac{1}{n_0} \sum Y_{0i}$$
 (5)

### **Tidy Experimental Data**

An experimental data structure looks like:

unit	treatment	outcome
1	0	13
2	0	6
3	0	4
4	0	5
5	1	3
6	1	1
7	1	10
8	1	9

### **Tidy Experimental Data**

Sometimes it looks like this instead, which is bad:

unit	treatment	outcome0	outcome1
1	0	13	NA
2	0	6	NA
3	0	4	NA
4	0	5	NA
5	1	NA	3
6	1	NA	1
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  - Ease of interpretation
  - Flexibility for >2 treatment conditions

```
R:
```

```
t.test(outcome ~ treatment, data = data)
lm(outcome ~ factor(treatment), data = data)
```

#### Stata:

```
ttest outcome, by(treatment)
reg outcome i.treatment
```

### **Questions?**

### **Experimental Analysis II**

- We don't just care about the size of the SATE. We also want to know whether it is significantly different from zero (i.e., different from no effect/difference)
- Thus we need to estimate the *variance* of the SATE
- The variance is influenced by:
  - Total sample size
  - Element variance of the outcome. Y
  - Relative size of each treatment group
  - (Some other factors)

### **Experimental Analysis III**

Formula for the variance of the SATE is:

$$\widehat{Var}(SATE) = \frac{\widehat{Var}(Y_0)}{n_0} + \frac{\widehat{Var}(Y_1)}{n_1}$$

- $\blacksquare$   $Var(Y_0)$  is control group variance
- $Var(Y_1)$  is treatment group variance
- We often express this as the *standard error* of the estimate:

$$\widehat{SE}_{SATE} = \sqrt{\frac{\widehat{Var}(Y_0)}{n_0} + \frac{\widehat{Var}(Y_1)}{n_1}}$$

#### Intuition about Variance

- $\blacksquare$  Bigger sample  $\rightarrow$  smaller SEs
- $\blacksquare$  Smaller variance  $\rightarrow$  smaller SEs
- Efficient use of sample size:
  - When treatment group variances equal, equal sample sizes are most efficient
  - When variances differ, sample units are better allocated to the group with higher variance in Y

#### **Statistical Power**

- Power analysis is used to determine sample size before conducting an experiment
- Type I and Type II Errors

	$H_0$ False $( ATE  > 0)$	$H_0$ True $(ATE = 0)$
Reject $H_0$	<b>True positive</b>	Type I Error
Accept $H_0$	Type II Error	True zero

- True positive rate  $(1 \kappa)$  is power
- False positive rate is the significance threshold  $(\alpha)$

### **Doing a Power Analysis**

- $\blacksquare$   $\mu$ , Treatment group mean outcomes
- N, Sample size
- $\blacksquare$   $\sigma$ , Outcome variance
- $lacktriangleq \alpha$  Statistical significance threshold
- $\blacksquare \phi$ , a sampling distribution

Power 
$$=\phi\left(rac{|\mu_1-\mu_0|\sqrt{N}}{2\sigma}-\phi^{-1}\left(1-rac{lpha}{2}
ight)
ight)$$

Minimum detectable effect is the smallest effect we could detect given sample size, "true" ATE, variance of outcome measure, power  $(1 - \kappa)$ , and  $\alpha$ .

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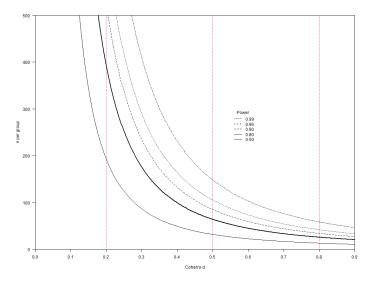
In underpowered study, we will be unlikely to detect true small effects. And most effects are small! <sup>3</sup>

<sup>&</sup>lt;sup>3</sup>Gelman, A. and Weakliem, D. 2009. "Of Beauty, Sex and Power." American Scientist 97(4): 310-16

- It can help to think in terms of "standardized effect sizes"
- Intuition: How large is the effect in standard deviations of the outcome?
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- Cohen's d:  $d = \frac{\bar{x}_1 - \bar{x}_0}{s}$ , where  $s = \sqrt{\frac{(n_1 - 1)s_1^2 + (n_0 - 1)s_0^2}{n_1 + n_0 - 2}}$

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- Small: 0.2; Medium: 0.5; Large: 0.8



### Power analysis in R

```
power.t.test(
  # sample size (leave blank!)
 n = ,
  # minimum detectable effect size
  delta = 0.4, sd = 1,
  # alpha and power (1-kappa)
  sig.level = 0.05, power = 0.8,
  # two-tailed vs. one-tailed test
  alternative = "two.sided"
```

### Power analysis in Stata

```
power twomeans 0, diff(0.2)
// for multiple values of
forvalues i = 0.1 (0.1) 1.0 {
   power twomeans 0, diff('i')
// using raw effect sizes and standard deviations
power twomeans 0.5, sd1(.5) sd2(.7)
// adjusting alpha or power
power twomeans 0, diff(0.2) alpha(0.10) power(0.7)
```

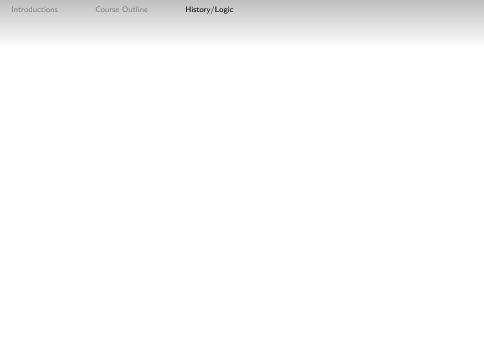
## **Increasing/Decreasing Power**

#### Increases Power

- Bigger sample
- Precise measures
- Covariates?

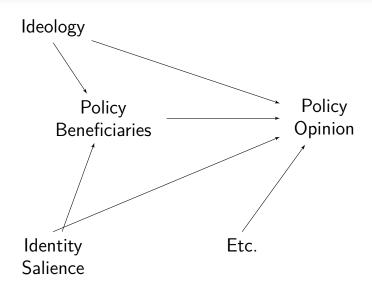
#### **Decreases** Power

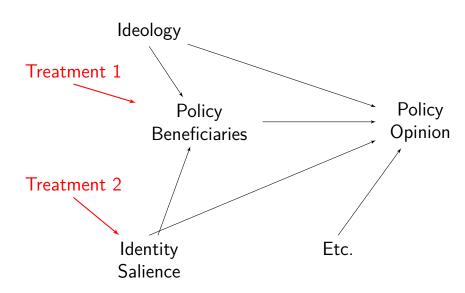
- Attrition
- Noncompliance
- Clustering



### **Factorial Designs**

- The two-condition experiment is a stylized ideal
- An experiment can have any number of conditions
  - Up to the limits of sample size
  - More than 8–10 conditions is typically unwieldy
- Three "flavors":
  - Multiple conditions in a single factor
  - Multiple fully crossed factors
  - Partially crossed ("fractional factorial") designs
- Regression methods provide a generalizable tool for causal inference in such designs





- How close do you feel to your ethnic or racial group?
- Some people have said that taxes need to be raised to take care of pressing national needs. How willing would you be to have your taxes raised to improve education in public schools?

<sup>&</sup>lt;sup>4</sup>Transue. 2007. "Identity Salience, Identity Acceptance, and Racial Policy Attitudes: American National Identity as a Uniting Force." *American Journal of Political Science* 51(1): 78–91.

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## 2x2 Factorial Design

#### Condition

Educ. for Minorities  $Y_1$ Schools  $Y_0$ 

# 2x2 Factorial Design

Condition	Americans	Own Race
Educ. for Minorities Schools	$Y_{1,0} \\ Y_{0,0}$	$Y_{1,1}$ $Y_{0,1}$

## Two ways to parameterize this

Dummy variable regression (i.e., treatment–control CATEs):

$$Y = \beta_0 + \beta_1 X_{0,1} + \beta_2 X_{1,0} + \beta_3 X_{1,1} + \epsilon$$

Interaction effects (i.e., treatment–treatment CATEs):

$$Y = \beta_0 + \beta_1 X 1_1 + \beta_2 X 2_1 + \beta_3 X 1_1 * X 2_1 + \epsilon$$

Use margins to extract marginal effects

#### **Considerations**

 Factorial designs can quickly become unwieldy and expensive

### Probably obvious, but...

Factors	Conditions per factor	Total Conditions	n
1	2	2	400
1	3	3	600
1	4	4	800
2	2	4	800
2	3	6	1200
2	4	8	1600
3	3	9	1800
3	4	12	2400
4	4	16	3200

Assumes power to detect a relatively small effect, but no consideration of multiple comparisons.

#### **Considerations**

 Factorial designs can quickly become unwieldy and expensive

#### **Considerations**

- Factorial designs can quickly become unwieldy and expensive
- Need to consider what CATEs are of theoretical interest
  - Treatment-control, pairwise
  - Treatment-treatment, pairwise
  - Marginal effects, averaging across other factors
  - Comparison of merged conditions

### **Questions?**