

Sunny Lee

1. (a) Using Newton's method:
In the interval $[0, \frac{1}{2}]$

```
ans =  
  
0.20603511957096585122880729489032
```

In the interval $[\frac{1}{2}, 1]$

```
ans =  
|  
0.68197480873864749945258285482177
```

- (b) Using Secant method:
In the interval $[0, \frac{1}{2}]$

```
ans =  
  
0.20603511957096384349122618696931
```

In the interval $[\frac{1}{2}, 1]$

```
ans =  
  
0.68197480873862331276153548238464
```

- (c) Using False Point method:
In the interval $[0, \frac{1}{2}]$

```
ans =  
  
0.20603512032154587398912974717787
```

In the interval $[\frac{1}{2}, 1]$

```
ans =  
  
0.68197480861751219577624989129971
```

2. (a) Using Newton's method:
In the interval $[-\frac{1}{2}, \frac{1}{2}]$

```
ans =  
  
-0.040659288315758862344103186113775
```

In the interval $[\frac{1}{2}, 1.5]$

```
ans =  
  
0.96239841875054147129290376071603
```

(b) Using Secant method:

In the interval $[-\frac{1}{2}, \frac{1}{2}]$

```
ans =  
  
-0.040659288315842756405405106526416
```

In the interval $[\frac{1}{2}, 1.5]$

```
ans =  
  
0.96239841874706878517039988867947
```

(c) Using False Point method:

In the interval $[-\frac{1}{2}, \frac{1}{2}]$

```
ans =  
  
-0.04065926276167405046997812564881
```

In the interval $[\frac{1}{2}, 1.5]$

```
ans =  
  
0.96239697556888157404426312981998
```

3. The simpler formulation of the secant method only involves a fraction as the p_n , so if the two terms in the numerator are very close, the machine might round down to zero setting our p_n to be zero. The formulation given in the book, however, if the numerator terms round to zero, p_n will be equal to p_{n-1} thus our p_n will not jump to zero if the two numerator terms are very close to one another.