

Quiz 5.2

Leeson Chen

1.

R code:

INPUT

```
> lmm = lm(uptake~conc, data=CO2)
> summary(lmm)
```

OUTPUT

Call:

lm(formula = uptake ~ conc, data = CO2)

Residuals:

Min	1Q	Median	3Q	Max
-22.831	-7.729	1.483	7.748	16.394

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	19.500290	1.853080	10.523	< 2e-16 ***
conc	0.017731	0.003529	5.024	2.91e-06 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 9.514 on 82 degrees of freedom

Multiple R-squared: 0.2354, Adjusted R-squared: 0.2261

F-statistic: 25.25 on 1 and 82 DF, p-value: 2.906e-06

b) confidence interval for $B_1 = B^1 + t(1-\alpha/2, n-2) * S(B-1)$ $0.017731 - qt(.95, 82) * .003592 = (.01185998, .023602)$ 90% confident that the true value of B_1 will be between .01185998 and .023602

c) For this scenario, you would build a prediction interval. This is because we want to obtain some possible credible values of what the uptake could be; not expected value, but what we actually think it will be. Since we are predicting the values, a prediction interval is more appropriate to the situation than just a confidence interval for the mean response, which only gives an expected range for the mean.