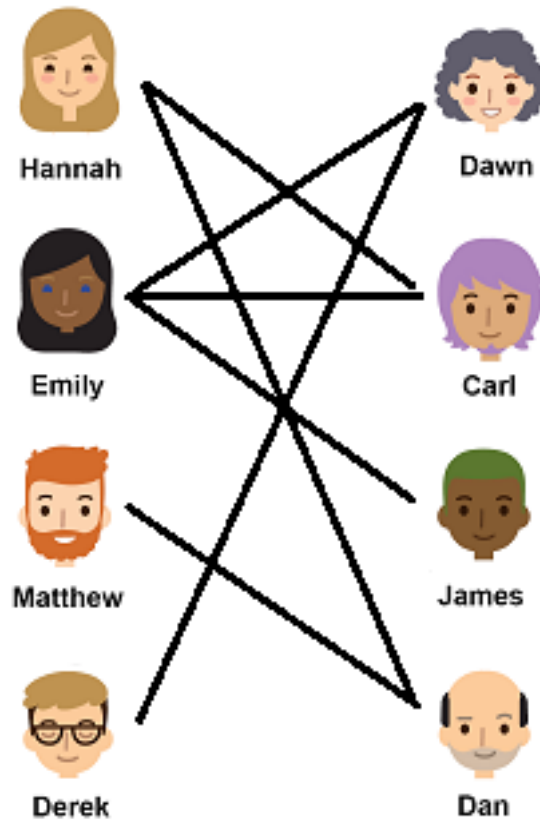


Definition 1. During the annual Totman reunion, a group from the Totman family played badminton. The map below identifies the pairs in the **Badminton** function.



The **Badminton** relation includes three sets:

- A first set consisting of 8 family members identified in the map.
- A second set consisting of the same 8 family members identified in the map.
- A set of ordered pairs. The pair (first person, second person) is a member of the **Badminton** relation if the first person and the second person played each other in a **Badminton** game.



Exercise 1 (Emily , Dan) \in Badminton

Multiple Choice:

- (a) True
- (b) False ✓

Feedback (attempt): The map does not connect Emily and Dan.

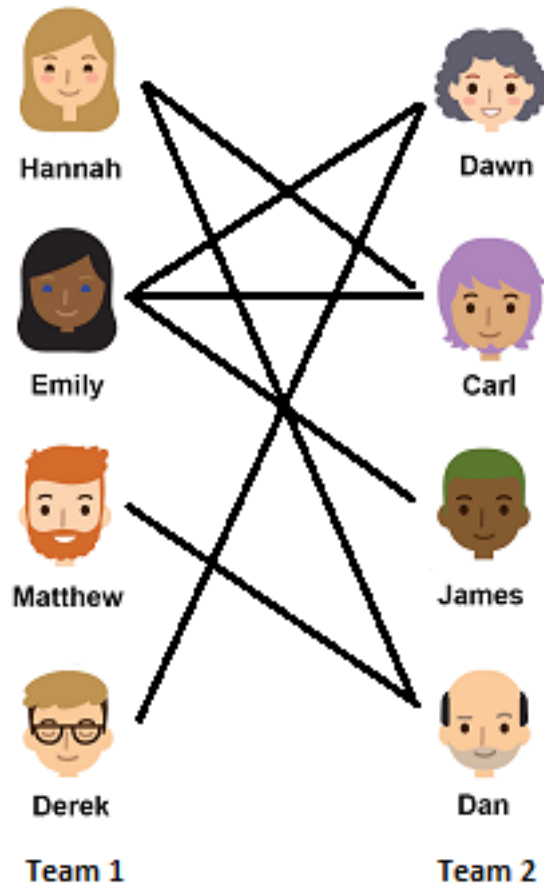
Exercise 2 How many Badminton games were played?

Feedback (attempt): Each line in the map represents a game.

Exercise 3 How many pairs are in the Badminton relation?

Feedback (attempt): Each line in the map represents two pairs.

Definition 2. The Badminton group decided to form two teams and play a Badminton match. The map below identifies the pairs in the **TeamBadminton** function.



The *TeamBadminton* relation includes three sets:

- A first set, called *Team 1*, consisting of 4 family members identified in the map.
- A second set, called *Team 2*, consisting of 4 family members identified in the map.
- A set of family ordered pairs. The pair (first person, second person) is a member of the *TeamBadminton* relation provided
 - person1 is on *Team 1*.
 - person2 is on *Team 2*.
 - person1 played person2 is a game of Badminton.



Exercise 4 (**Dawn** , **Derek**) \in *TeamBadminton*

Multiple Choice:

- (a) *True*
- (b) *False* ✓

Feedback (attempt): *Derek is on Team 1 and would need to be listed first in the pair.*



Exercise 5 (**Emily** , **James**) \in *TeamBadminton*

Multiple Choice:

- (a) *True* ✓
- (b) *False*

Feedback (attempt): *Emily is on Team 1. James is on Team 2. They played a game of Badminton.*

Exercise 6 *Is TeamBadminton reflexive?*

Multiple Choice:

- (a) *Yes*
- (b) *No* ✓

Feedback (attempt): *A person is not on both Team 1 and Team 2.*

Exercise 7 Is *TeamBadminton* symmetric?

Multiple Choice:

- (a) Yes
- (b) No ✓

Feedback (attempt): If $(\text{person1}, \text{person2})$ is in *TeamBadminton*, then *person1* is on *Team 1*, therefore the pair $(\text{person2}, \text{person1})$ cannot be in *TeamBadminton*.

Exercise 8 Is *TeamBadminton* transitive?

Multiple Choice:

- (a) Yes ✓
- (b) No

Feedback (attempt): If $(\text{person1}, \text{person2})$ is in *TeamBadminton*, then $(\text{person2}, \text{person3})$ cannot be in *TeamBadminton*. That means there is not situation where both $(\text{person1}, \text{person2})$ and $(\text{person2}, \text{person3})$ are in *TeamBadminton*. This means there is no way to violate the transitive definition. The transitive definition is automatically valid.

Exercise 9 How many solutions are there to the following statement?



(**Hannah** , *PERSON*) \in *TeamBadminton*

2

Feedback (attempt): Hannah played Carl and Dan from *Team 2*.

Exercise 10 *How many solutions are there to the following statement?*



$(PERSON, \textbf{Matthew}) \in TeamBadminton$

Feedback (attempt): *Matthew is on Team 1 and cannot be in the second position of a pair.*