



























**Definition 1.** *The map below defines the **Flags** relation.*

	<b>A</b>		<b>B</b>		<b>C</b>		<b>D</b>		<b>E</b>		
	<b>G</b>		<b>H</b>		<b>I</b>		<b>J</b>		<b>K</b>		
	<b>M</b>		<b>N</b>		<b>O</b>		<b>P</b>		<b>Q</b>		
	<b>S</b>		<b>T</b>		<b>U</b>		<b>V</b>		<b>W</b>		
	<b>Y</b>		<b>Z</b>								

The **Flags** relation includes three sets:

- The domain consists of the 26 flags in the table.
- The codomain consists of the 26 letters in the English alphabet.
- A set of ordered pairs. The pair (flag, letter) is a member of the Flags relation if the table pairs the flag and letter.

**Exercise 1**  $\left( L, \begin{array}{|c|c|} \hline \text{Yellow} & \text{Black} \\ \hline \text{Black} & \text{Yellow} \\ \hline \end{array} \right) \in \text{Flags}$

**Multiple Choice:**

- (a) True

(b) *False* ✓

**Feedback (attempt):** (flag, letter)

**Exercise 2**  $\left( \begin{array}{|c|c|} \hline \text{red} & \text{white} \\ \hline \text{white} & \text{red} \\ \hline \end{array}, U \right) \in \text{Flags}$

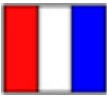
**Multiple Choice:**

(a) *True* ✓

(b) *False*

**Feedback (attempt):** (flag, letter)

**Definition 2.** The value of a function at a particular domain element is also called the **image** of the domain element.

**Example 1.** The image of  under the Flags function is *T*.

$$\text{Flags}\left( \begin{array}{|c|c|c|} \hline \text{red} & \text{white} & \text{blue} \\ \hline \end{array} \right) = T$$

**Definition 3.** The domain of the Flags function includes 26 flags. The domain is a **set**. A separate collection of some of these flags would form a **subset** of the domain.

Suppose *D* is a subset of the domain.

The **Image** of *D* would be the subset of the range consisting of the images of all of the elements of *D*. The image of *D* under the Flags function is written as *Flags(D)*.

**Exercise 3** Let  $\text{SomeFlags} = \left\{ \begin{array}{|c|c|c|} \hline \text{red} & \text{white} & \text{blue} \\ \hline \end{array}, \begin{array}{|c|} \hline \begin{array}{|c|c|} \hline \text{red} & \text{white} \\ \hline \end{array} \\ \hline \end{array}, \begin{array}{|c|c|c|c|} \hline \text{yellow} & \text{blue} & \text{yellow} & \text{blue} \\ \hline \end{array} \right\}$

Determine *Flags(SomeFlags)*

**Select All Correct Answers:**

- (a)  $X$
- (b)  $T$  ✓
- (c)  $B$
- (d)  $G$  ✓
- (e)  $W$  ✓

**Feedback (attempt):** The image is the subset  $\{ T, W, G \}$

**Definition 4.** The range of the *Flags* function includes 26 letters.

Suppose  $R$  is a subset of the domain.




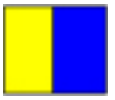
The **Preimage** of  $R$  would be the subset of the domain consisting of the flags whose image is an element of  $R$ . The preimage of  $R$  under the *Flags* function is written as  $Flags^{-1}(R)$ .

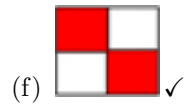
The  $-1$  exponent generally invokes the ideas of inverse, reverse, backwards, upside-down, or generally opposite.

**Exercise 4** Let  $SomeLetters = \{ \text{letter} \mid \text{letter is a vowel} \}$

Determine  $Flags^{-1}(SomeLetters)$

**Select All Correct Answers:**

- (a)  ✓
- (b)  ✓
- (c)  ✓
- (d) 



**Feedback (attempt):** The preimage is the set of flags corresponding to  $\{ A, E, I, O, U \}$ .

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