

CSE 221

20101537

TASK - 05

(i) For BFS :

visited = [0] * nodes

queue = []

BFS(visited, graph, node, end_point):

visited[int(node)-1] = 1

queue.append(node)

while queue not empty \rightarrow n or V

vw = pop()

print(vw)

if vw == end-point:

Break

For each neighbour of vw in graph \rightarrow

if visited[int(neighbour)-1] = 0

Do visited[int(neighbour)-1] \leftarrow 1

Do queue \leftarrow append(neighbour)

For Matrix

$$\begin{matrix} n/V \\ n^2/V^2 \end{matrix}$$

For List

$$\begin{matrix} \text{outdegree } V \\ \text{Total} = V + E \end{matrix}$$

BFS

\therefore Time complexity for Matrix = $V \times V = V^2$

Time complexity for List = $V + E$

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(ii) For DFS,

visited = [0] * V

stack = []

def visit(start) $\rightarrow O(E)$

visited[int(start)-1] = 1

stack.append(start)

for node in graph[start]:

if int(node) not in visited:

visit(node)

def ~~finish~~ DFS(finish)

for node in graph $\rightarrow O(V)$

if node not in visited:

visit(node).

\therefore Time complexity for DFS Adj list = $O(E) + O(V)$
 $= O(V+E)$

Time complexity for DFS Matrix = V^2

④ In DFS we will get to the victory road faster. Because in BFS when we visit a node we visit all its adjacency nodes immediately after that. For example, in BFS Ash will first visit cerulian city then he will visit both laven der ~~et~~ town and viridian city. But in DFS he will only visit one of them to get to victory road faster.