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diffusion

denoising diffusion probabilistic models"。 DDPM: https://arxiv.org/abs/2006.11239

Algorithm 1 Training 1: repeat 2: $\mathbf{x}_0 \sim q(\mathbf{x}_0)$ 3: $t \sim \text{Uniform}(\{1, \dots, T\})$ 4: $\epsilon \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ 5: Take gradient descent step on $\nabla_{\theta} \| \epsilon - \epsilon_{\theta}(\sqrt{\overline{\alpha}_t}\mathbf{x}_0 + \sqrt{1 - \overline{\alpha}_t}\epsilon, t) \|^2$ 6: until converged Algorithm 2 Sampling 1: $\mathbf{x}_T \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ 2: for $t = T, \dots, 1$ do 3: $\mathbf{z} \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ if t > 1, else $\mathbf{z} = \mathbf{0}$ 4: $\mathbf{x}_{t-1} = \frac{1}{\sqrt{\alpha_t}} \left(\mathbf{x}_t - \frac{1 - \alpha_t}{\sqrt{1 - \overline{\alpha}_t}} \epsilon_{\theta}(\mathbf{x}_t, t) \right) + \sigma_t \mathbf{z}$ 5: end for 6: return \mathbf{x}_0

Input: noised image + iteration model output: noise predicted -> denoising

stable diffusion

- 1. text encoder to vector
- 2. generation model (diffusion) Denoising U-Net
- 3. decoder to final version in pixel space parallel training mid journey: during training process, illustrates the results encoded from the denoising images

text encoder:

- 1. gpt coding/BIRT
- 2. criteria: CLIP score/FID-10k
 - **FID**: standard -> pre-trained CNN classification model -> representation ; the distance between the representation of the generated images and the representation of the real images (assumption of Gaussians distribution)

两组distribution的距离 limitation: need a large scale of generated images

 CLIP: An additional Image Encoder model CLIP score: the vectors similarity between the encoded text and encoded generated image representations

decoder:

feature: Training without knowing the correspondence between images and text intermediate:

- compressed image: sample and downsample -> train
- latent representation: auto-encoder ??
 - input: H*W*3 latent: h*w*c (exceeding vision dimension)

generation model:

input: noised image + text

output: intermediate

text(additional): condition (can be ignored during inferation) 加噪过程,改为加在中间杂序上,使用auto-encoder的encoder部分 train a noise predictor denoising: initialized by sampling normal distribution noise

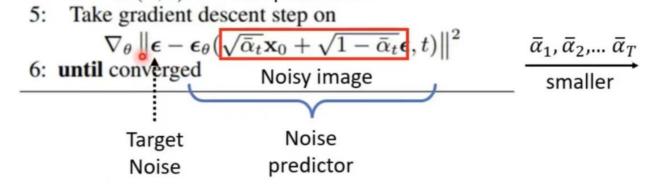
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algorithm

part 1 training

Algorithm 1 Training	Algorithm 2 Sampling
1: repeat 2: $\mathbf{x}_0 \sim q(\mathbf{x}_0)$ 3: $t \sim \mathrm{Uniform}(\{1, \dots, T\})$ 4: $\epsilon \sim \mathcal{N}(0, \mathbf{I})$ 5: Take gradient descent step on $\nabla_{\theta} \left\ \epsilon - \epsilon_{\theta} (\sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t} \epsilon, t) \right\ ^2$ 6: until converged	1: $\mathbf{x}_{T} \sim \mathcal{N}(0, \mathbf{I})$ 2: $\mathbf{for} \ t = T, \dots, 1 \ \mathbf{do}$ 3: $\mathbf{z} \sim \mathcal{N}(0, \mathbf{I}) \ \text{if} \ t > 1$, else $\mathbf{z} = 0$ 4: $\mathbf{x}_{t-1} = \frac{1}{\sqrt{\alpha_{t}}} \left(\mathbf{x}_{t} - \frac{1-\alpha_{t}}{\sqrt{1-\bar{\alpha}_{t}}} \boldsymbol{\epsilon}_{\theta}(\mathbf{x}_{t}, t) \right) + \sigma_{t} \mathbf{z}$ 5: $\mathbf{end} \ \mathbf{for}$ 6: $\mathbf{return} \ \mathbf{x}_{0}$

loss function during training: 2. xo -> clean images 4. ϵ samples from normal distribution (ϵ = 0,v = 1) 5.



inside: weighted sum, noising

the larger t is, the more proportion the noise added

\$\epsilon_\theta\$: noise predictor input: noiy image + t(step/iteration) output: predicted noise image

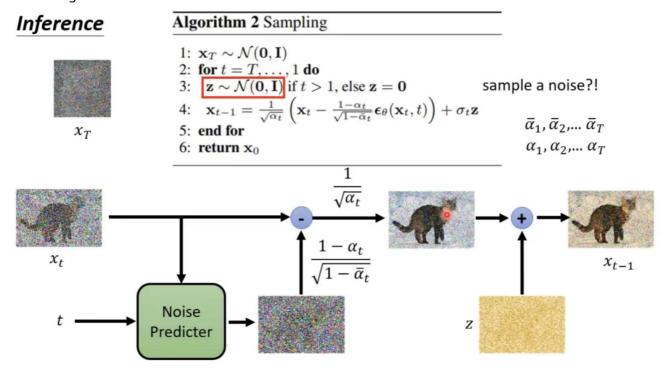
compared with the target noise you have sampled in step 4

difference with origin steps noise and denoise step by step < <u>DDPM training</u> > predicting the noise by once why?

sample

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generate image



strangeness: elinimate the predicted noise and add a new one afterward (plus signal)

theory

map the generated **distribution** to the actual world distribution Q: to measure the similarity of the two- A: maximum likelihood Estimation:(MLE)

\$P_\theta(x) <-> P_{data}(x) \$
sample

all objective for image generation model

KL divergence

KL diverges: 衡量两种分布差异程度 definition: $D_{KL}(P \mid Q) = \inf p(x) \log \left(\frac{p(x)}{q(x)} \right) dx$ 非对称性

VAE encoder

q(z|x) z: distribution (major Gaussians) given the data x (x -> image to imitate)

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