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40 articles in this issue

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1. Applications of metaplectic cohomology and global-local contact holonomy

Authors

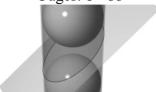
• Walter J. Schempp

• Content type: Original Research

o Open Access

o Published: 21 July 2020

• Pages: 1 - 66



2. Dynamical response of an eco-epidemiological system with harvesting

Authors

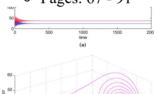
Harekrishna Das

Absos Ali Shaikh

• Content type: Original Research

• Published: 13 October 2020

o Pages: 67 - 91



3. <u>Lucas graphs</u>

Authors (first, second and last of 4)

o Musa Demirci

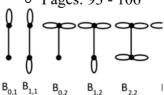
o Aydin Ozbek

o Ismail Naci Cangul

• Content type: Original Research

• Published: 03 July 2020

o Pages: 93 - 106



4. The minimum Hamming distances of repeated-root cyclic codes of length $6p^s$ and their MDS codes

- Ying Gao
- o Qin Yue
- o Fengwei Li
- o Content type: Original Research
- o Published: 29 June 2020
- o Pages: 107 123

5. Convergence of λ -Bernstein operators via power series summability method

Authors (first, second and last of 4)

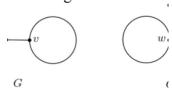
- o Naim L. Braha
- Toufik Mansour
- Tuncer Acar
- Content type: Original Research
- o Published: 25 June 2020
- o Pages: 125 146



6. Cacti with maximal general sum-connectivity index

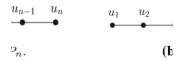
Authors

- Shahid Zaman
- Content type: Original Research
- o Published: 29 June 2020
- o Pages: 147 160



7. New results on symmetric division deg index

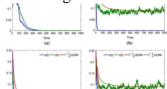
- Modjtaba Ghorbani
- Samaneh Zangi
- Najaf Amraei
- Content type: Original Research
- Published: 30 June 2020
- o Pages: 161 176



8. A stochastic mutualism model with saturation effect and impulsive toxicant input in a polluted environment

Authors (first, second and last of 4)

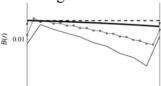
- Wenxu Ning
- o Zhijun Liu
- Ronghua Tan
- Content type: Original Research
- Published: 06 July 2020
- o Pages: 177 197



9. Determination of the time-dependent thermal grooving coefficient

Authors

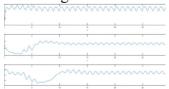
- o Kai Cao
- Daniel Lesnic
- Mansur I. Ismailov
- Content type: Original Research
- Published: 07 July 2020
- o Pages: 199 221



10. <u>Periodic solution and dynamical analysis for a delayed food chain model with general functional response and discontinuous harvesting</u>

Authors

- Yingkang Xie
- Zhen Wang
- Content type: Original Research
- o Published: 29 June 2020
- Pages: 223 243

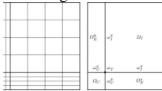


11. <u>An analysis of diagonal and incomplete Cholesky preconditioners for singularly perturbed problems on layer-adapted meshes</u>

Authors

- o Thái Anh Nhan
- o Niall Madden
- Content type: Original Research
- Published: 15 July 2020

• Pages: 245 - 272



12. Equal-order finite element approximation for mantle-melt transport

Authors

- Malte Braack
- Kamel Nafa
- Simon Taylor
- o Content type: Original Research
- o Open Access
- Published: 10 July 2020

• Pages: 273 - 293

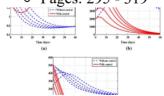
Initialize \mathbf{u}_0^h, p_0^h and φ_0^h , set n := 0 and $t_n := 0$. Increase $n \to n+1$ and set $t_n := t_{n-1} + k$. Make one forward Euler step (30) to determine φ_n^h . Update mean density $\bar{\varrho}_n$ by (31). Solve the linear problem (32) to determine p_n^h and \mathbf{t} If $t_n \le T$ goto 2.

13. A novel control set-valued approach with application to epidemic models

Authors

- Lahoucine Boujallal
- Mohamed Elhia
- o Omar Balatif
- o Content type: Original Research
- Published: 13 July 2020

o Pages: 295 - 319



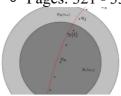
14. A global Newton-type scheme based on a simplified Newton-type approach

- Mario Amrein
- Content type: Original Research

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o Published: 09 July 2020

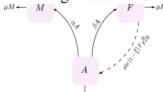
o Pages: 321 - 334



15. Description and analysis of a mathematical model of population growth of Aedes aegypti

Authors

- Ana María Pulecio-Montoya
- Luis Eduardo López-Montenegro
- o Jeniffer Yinet Medina-García
- Content type: Original Research
- Published: 14 July 2020
- o Pages: 335 349



16. <u>Inertial iterative algorithms for common solution of variational inequality and system of variational inequalities problems</u>

Authors

- o D. R. Sahu
- Amit Kumar Singh
- o Content type: Original Research
- Published: 10 August 2020

17. <u>Numerical solution to the interface problem in a general domain using Moser's deformation method</u>

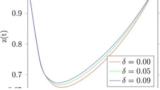
Authors (first, second and last of 4)

- Eunhye Hong
- Eunjung Lee
- Mikyoung Lim
- Content type: Original Research
- Published: 08 July 2020

18. <u>A novel approach for the numerical approximation to the solution of singularly perturbed differential-difference equations with small shifts</u>

Authors

- Rakesh Ranjan
- o Hari Shankar Prasad
- Content type: Original Research
- Published: 20 July 2020
- o Pages: 403 427



19. <u>Some weighted statistical convergence and associated Korovkin and Voronovskaya type theorems</u>

Authors

- o Naim L. Braha
- H. M. Srivastava
- Mikail Et
- Content type: Original Research
- Published: 10 July 2020
- o Pages: 429 450

20. <u>An improved finite difference/finite element method for the fractional Rayleigh–Stokes problem with a nonlinear source term</u>

Authors

- Zhen Guan
- Xiaodong Wang
- Jie Ouyang
- Content type: Original Research
- Published: 12 July 2020
- o Pages: 451 479
- 21. A study on generalized graphs representations of complex neutrosophic information

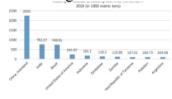
- Saba Siddique
- o Uzma Ahmad
- Muhammad Akram
- Content type: Original Research
- Published: 28 July 2020
- o Pages: 481 514



22. Cigarette smoking on college campuses: an epidemical modelling approach

Authors (first, second and last of 4)

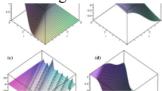
- Prince Harvim
- Hong Zhang
- Lai Zhang
- Content type: Original Research
- Published: 15 July 2020
- o Pages: 515 540



23. A computational procedure for exact solutions of Burgers' hierarchy of nonlinear partial differential equations

Authors

- U. Obaidullah
- Sameerah Jamal
- Content type: Original Research
- Published: 15 July 2020
- o Pages: 541 551



24. Modified Newton-PHSS method for solving nonlinear systems with positive definite **Jacobian matrices**

- Dona Ariani
- Xiao-Yong Xiao

• Content type: Original Research

• Published: 21 July 2020

• Pages: 553 - 574

25. Stability dynamics of a delayed generalized Chikungunya virus infection model

Authors

o Taofeek O. Alade

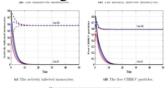
o Ahmed M. Elaiw

o Saud M. Alsulami

• Content type: Original Research

• Published: 18 July 2020

o Pages: 575 - 595



26. <u>Bounded positive solutions of an iterative three-point boundary-value problem with integral boundary condtions</u>

Authors

o Soumaya Cheraiet

Ahlème Bouakkaz

• Rabah Khemis

o Content type: Original Research

• Published: 21 July 2020

o Pages: 597 - 610

27. Construction of quantum codes from λ -constacyclic codes over the ring

$$rac{\mathbb{F}_p[u,v]}{\langle v^3{-}v,u^3{-}u,uv{-}vu
angle}$$

Authors (first, second and last of 4)

Karthick Gowdhaman

• Cruz Mohan

Jian Gao

• Content type: Original Research

o Published: 09 August 2020

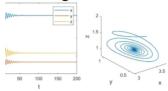
• Pages: 611 - 622

28. <u>Dynamical analysis of a fractional order eco-epidemiological model with nonlinear incidence rate and prey refuge</u>

Authors (first, second and last of 4)

Mahmoud Moustafa

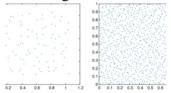
- Mohd Hafiz Mohd
- Farah Aini Abdullah
- Content type: Original Research
- o Published: 29 July 2020
- Pages: 623 650



29. Modified Shepard's method by six-points local interpolant

Authors

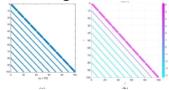
- o Otheman Nouisser
- Benaissa Zerroudi
- Content type: Original Research
- Published: 03 August 2020
- o Pages: 651 667



30. <u>Preconditioners for all-at-once system from the fractional mobile/immobile advection</u>—diffusion model

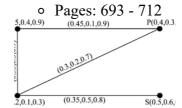
Authors (first, second and last of 4)

- Yong-Liang Zhao
- Xian-Ming Gu
- Huan-Yan Jian
- Content type: Original Research
- Published: 30 July 2020
- o Pages: 669 691



31. Generalized neutrosophic planar graphs and its application

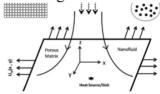
- Rupkumar Mahapatra
- Sovan Samanta
- Madhumangal Pal
- Content type: Original Research
- Published: 31 July 2020



32. <u>Mathematical modeling of stagnation region nanofluid flow through Darcy–</u> Forchheimer space taking into account inconsistent heat source/sink

Authors (first, second and last of 4)

- Rakesh Kumar
- Ravinder Kumar
- Mohsen Sheikholeslami
- o Content type: Original Research
- Published: 29 July 2020
- Pages: 713 734



33. An approximate wavelets solution to the class of variational problems with fractional order

Authors

- Ashish Rayal
- Sag Ram Verma
- Content type: Original Research
- Published: 04 August 2020
- Pages: 735 769

 compute x(t) (Eq. 26)

 4. Approximate the term 't' and u(t) by LWs (Eq. 27)

 5. Using Step 2, 3 and 4 to make the approximate form of model equation (Eq. 28)

 6. Construct 'R' from Eq. (29) or (30) and then compute J' [C, \(\) (Eq. 31)

34. Bounds on generalized FR codes using hypergraphs

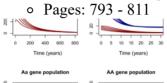
- Krishna Gopal
- Manish K. Gupta
- Content type: Original Research
- Published: 28 July 2020
- o Pages: 771 792

$$U_{2}$$
 (P_{1}, P_{5}, P_{6})
 U_{3} (P_{2}, P_{5})
 U_{4} (P_{3}, P_{6}

35. A theoretical assessment of the effects of vectors genetics on a host-vector disease

Authors

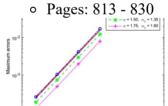
- Ali Traoré
- Content type: Original Research
- Published: 09 August 2020



36. A semi-implicit finite difference scheme for the multi-term time-fractional Burgers-type equations

Authors

- Wen Zhang
- Content type: Original Research
- Published: 03 August 2020



37. Partitioned second derivative methods for separable Hamiltonian problems

Authors

- Masoumeh Hosseini Nasab
- Content type: Original Research
- Published: 06 August 2020
- o Pages: 831 859

38. Controllability results for fractional semilinear delay control systems

Authors

• Anurag Shukla

• Rohit Patel

Content type: Original ResearchPublished: 04 August 2020

o Pages: 861 - 875

39. Borodin–Kostochka's conjecture on (P_5, C_4) -free graphs

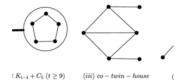
Authors

• Uttam K. Gupta

o D. Pradhan

Content type: Original ResearchPublished: 04 August 2020

o Pages: 877 - 884



40. <u>Modeling the cell-to-cell transmission dynamics of viral infection under the exposure of non-cytolytic cure</u>

Authors

- o Mausumi Dhar
- Shilpa Samaddar
- o Paritosh Bhattacharya
- o Content type: Original Research
- Published: 18 August 2020

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Description and analysis of a mathematical model of population growth of Aedes aegypti

Ana María Pulecio-Montoya, Luis Eduardo López-Montenegro & Jeniffer Yinet Medina-García

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ORIGINAL RESEARCH



Description and analysis of a mathematical model of population growth of *Aedes aegypti*

Ana María Pulecio-Montoya¹ Luis Eduardo López-Montenegro² Jeniffer Yinet Medina-García²

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Abstract

This article proposes a mathematical model based on ordinary nonlinear differential equations that describes the dynamics of population growth of the mosquito Aedes aegypti throughout its life cycle. Then, a modification is made to the model by implementing a time delay, initially constant and then distributed over time. In addition, h, the population growth threshold, is established, the equilibrium points (trivial equilibrium, coexistence equilibrium) of the population are found and an analysis of local stability of the coexistence equilibrium is performed. If h > 1, this results in the population of adult aquatic mosquitoes persisting in the environment, approaching a equilibrium of coexistence, regardless of whether the time delay is considered or not. Finally, numerical simulations are carried out using Matlab software using the functions ode45 and dde23, with a value of h > 1, which allow the solutions of the initial model of ordinary differential equations to be compared to the solutions when the delay is implemented.

Keywords Smooth dynamical systems \cdot Stability theory \cdot Ordinary differential equations.

Mathematics Subject Classification 37Nxx

1 Introduction

Aedes aegypti is a short-flying mosquito, known as the main vector that transmits viruses that cause diseases such as yellow fever, dengue fever, zika, and chicungunya,

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among others [22]. Recently, the number of infected people has increased, especially among vulnerable groups or those with deficiencies in their immune system such as older adults, children and pregnant women. Mosquitoes become infected when they feed on the blood of a person already infected with a virus and, once infected, they can spread the virus by biting other people. Only female mosquitoes bite because they need blood to carry out their reproductive process. The mosquito's habitat is related to the human environment, since in homes there are many opportunities to reproduce and raise their larvae in containers that store wastewater [9].

The life cycle of the mosquito varies between approximately 7 and 14 days and consists of two phases: immature phase and mature phase. The first is divided into three stages: egg, larva and pupa. The second phase is the adult mosquito. The eggs measure approximately one millimeter in length and are initially white in color but after a while turn black [15]. They are deposited one by one in isolation by the females, who place around 400 eggs in containers subject to water retention. Eggs withstand all types of environment, such as the absence of water for several months (up to one year). They adhere to the walls of the container and begin their incubation process taking one day to hatch under favorable conditions [9,10,21].

The larvae represent the feeding and growth phase of the mosquitoes, which pass through four larval states and then become pupae. The larvae spend most of their time feeding on objects submerged in water and any other material accumulated on the walls and bottom of the container [9,15]. The duration of larval development depends on the temperature, food availability and the density of the larvae in the container. Under favorable conditions, the larval period from hatching to pupation may take 7 days [9].

The pupa is also aquatic, but does not feed. It is where the mosquitoes change from larval form to adult insects. This process under favorable temperature conditions may take 3 days. Pupae actively move throughout the hatchery and when inactive, float on the surface of the water [9].

The adult mosquito emerges from the pupal state, reaches up to 5 mm in size and on average lives for 2 to 4 weeks. This is an aerial phase and mainly represents the mating phase [19].

Because, during the bite, the female mosquito can transmit various viruses, public health entities often recommend control strategies [6]. Among these strategies are:

Environmental management, which consists of procedures to avoid or minimize vector propagation and contact between people and pathogenic vectors and making modifications to the environment to permanently or temporarily eliminate the habitat of the transmitters [16]. This includes proper disposal of containers such as buckets, tires, cans, etc., which are used by female mosquitoes as breeding grounds.

Biological control, which is based on the use of pathogenic organisms, parasites or predators, natural enemies of the mosquito such as larvivorous fish and predatory copepods (*Copepoda Cyclopoidea*) [16], bacteria like *Bacillus thuringiensis* that cause death of larvae, or the bacterium *Wolbachia* that alters the reproduction of the mosquito [11].



Description and analysis of a mathematical model of...

Chemical control, which consists of the application of insecticidal products such as Malathion and larvicides such as Temephos 1% to eradicate the mosquito [2].

Due to the diseases that this mosquito can transmit, there are several areas of science that seek to contribute ideas and results in some way in order to understand its population growth and thus determine which measures increase or decrease the number of mosquitoes that inhabit a certain region. Mathematical models that describe the variation in the number of mosquitoes are tools that seek to determine which parameters are highly sensitive in an environment under certain given conditions and thus introduce effective controls to decrease the population of the mosquito in the environment. These control strategies can be seen in several recent models [5,13,20].

However, most of models consider only the female mosquito population, often involving their interaction with humans. This is the case of [18], where the population growth model of the mosquito considers the aerial and aquatic stages and the influence on them of climatic changes, but in which the role of the male mosquito in the reproductive stage is minimized. In [26] the interaction of the mosquito with the human population is considered, with attention focused on the transmission of diseases.

Another difficulty that can arise in adding reality to a mathematical model of population growth of *Aedes aegypti* closer is the variation in the duration of the aquatic phase of the mosquito, due to adaptation of the mosquito to its environment. This allows it to accelerate or decelerate its development when the environmental conditions are not ideal. This process can be mathematically modelled as a time delay, such as in the models presented in [22] in which time delays are used to describe the duration of the stages of mosquito development in a temperature controlled environment.

This article presents a mathematical model that describes the population growth of the mosquito *Aedes aegypti*, which considers the immature phase and the population of female and male mosquitoes in the adult phase. A delay (at first constant and then distributed) over time is then introduced, in order to take into account the fact that the eggs take time to hatch. The change in the behavior of the solutions is then determined. The local stability of the model is analyzed and numerical simulations are shown that allow the analytical results to be visualized.

2 The model

Initially, we propose a model based on differential equations that describes how the population of the mosquito *Aedes aegypti* behaves in its life cycle, and then implements the constant and distributed delays over time. The model considers two phases of the mosquito: the immature phase and the mature phase. The immature phase identifies a single population, *A*, of immature states, while the mature phase distinguishes between two populations: *M* of male mosquitoes and *F* of female mosquitoes.

To establish the model, the following hypotheses are taken into account:

 The death rate of male mosquitoes is equal to that of females, but different from the death rate of the immature phase.



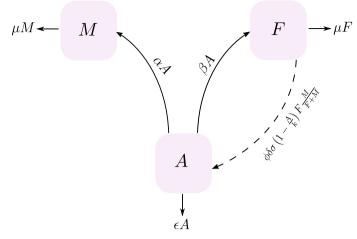


Fig. 1 Flow diagram of the model

Table 1 Variables and parameters of the model

Symbol	mbol Description	
M	Average number of adult males at time t	
F	Average number of adult females at time t	
A	Average number of immature mosquitoes at time t	
α	Rate of male development	
β	Rate of female development	
μ	Natural death rate in the mature phase	
ϕ	Proportion of female mosquitoes that lay eggs	
ϵ	Natural death rate in the immature phase	
δ	Average number of eggs laid by each female	
σ	Breeding rate between males and females	
k	Maximum number of immature mosquitoes that the medium supports	

- The male mosquito development rate is different from the female mosquito development rate.
- In the immature phase a maximum number of containers is assumed. Therefore, there is a maximum number of immature mosquitoes k that the medium supports.

Taking into account the above hypotheses, the flow chart in Fig. (1) is presented. The variables and parameters involved in the dynamics of population growth are described in Table (1).

The flow diagram shows three populations where the variation of each population is represented by a differential continuity equation, that is, its variation is equal to the difference between the input flow and the output flow.

In the case of the variation of the population of male mosquitoes M, the inflow is αA , which represents the number of mosquitoes that develop to male adults per unit

