Transforming Dependencies into Phrase Structures

Abstract

We present a new algorithm for transforming dependency parse trees into phrase-structure parse trees. We cast the problem as structured prediction and learn a statistical model. Our algorithm is faster than traditional phrase-structure parsing and achieves PARSEVAL accuracy near to the state of the art on English and Chinese benchmarks.

1 Introduction

Natural language parsers typically produce phrase-structure (constituent) trees or dependency trees. These representations capture some of the same syntactic phenomena, and the two can be produced jointly (Carreras et al., 2008; Rush et al., 2010). Yet it appears to be completely unpredictable which will be preferred by a particular subcommunity or used in a particular application. Both continue to receive the attention of parsing researchers.

Further, it appears to be a historical accident that phrase-structure syntax was used in annotating the Penn Treebank, and that English dependency annotations are largely derived through mechanical, rule-based transformations (reviewed in Section 2). Indeed, despite extensive work on direct-to-dependency parsing algorithms (which we call *d-parsing*), the most accurate dependency parsers for English still involve phrase-structure parsing (which we call *c-parsing*) followed by rule-based extraction of dependencies (Kong and Smith, 2014).

What if dependency annotations had come first? Because d-parsers are generally much faster than c-parsers, we consider an alternate pipeline (Section 3): d-parse first, then transform the dependency representation into a phrase-structure tree constrained to be consistent with the dependency parse. This idea was explored by Xia and Palmer (2001) and Xia et al. (2009) using hand-written rules. Instead, we present a data-driven algorithm using the structured prediction framework (Section 4). The approach can be understood as a specially-trained coarse-to-fine decoding algorithm where a d-parser provides "coarse" structure and the second stage refines it (Petrov and Klein, 2007). **[I think Charniak did coarse-to-fine before that, should cite that one too –nas]**

Our lexicalized phrase-structure parser is asymptotically faster than parsing with a lexicalized context-free grammar: $O(n^2)$ plus d-parsing, vs. $O(n^5)$ worst case runtime in sentence length n, with the same grammar constant. Experiments show that with simple pruning, our approach achieves linear observable runtime, and that accuracy similar to state-of-the-art phrase-structure parsers without reranking or semisupervised training (Section 7).

2 Background

We begin with the conventional development by first introducing c-parsing and then defining d-parses through a mechanical conversion using head rules. In the next section, we consider the reverse transformation.

2.1 CFG Parsing

The phrase-structure trees annotated in the Penn Treebank are derivation trees from a context-free

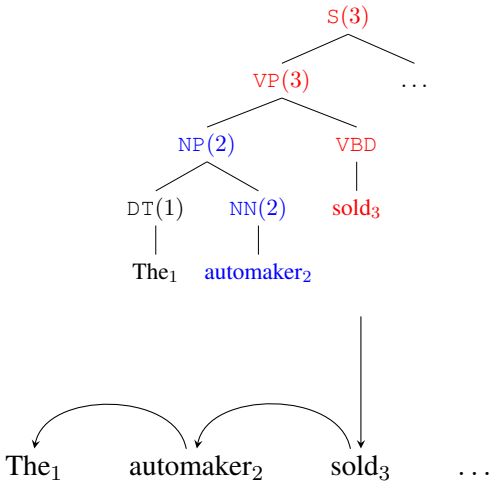


Figure 1: Illustration of c-parse to d-parse conversion with head rules $\{\texttt{VP} \rightarrow \texttt{NP VBD}^*, \texttt{NP} \rightarrow \texttt{DT NP}^*, \ldots\}$. The c-parse is an ordered tree with fringe $x_1, \ldots, x_n$. Each vertex is annotated with a nonterminal tag and a derived head index. The blue and red vertices have the words $\texttt{automaker}_2$ and $\texttt{sold}_3$ as heads respectively. The vertex $\texttt{VP}_3$ implies that $\texttt{automaker}_2$ is a dependent of $\texttt{sold}_3$, and that $d_2 = 3$ in the d-parse.

grammar. Define a binarized[1] context-free grammar (CFG) as a 4-tuple $(\mathcal{N}, \mathcal{R}, \mathcal{T}, r)$ where:

- $\mathcal{N}$, a set of nonterminal symbols (e.g. NP, VP);
- $\mathcal{T}$, a set of terminal symbols, consisting of the words in the language;
- $\mathcal{R}$, a set of binarized rule productions of the form $A \rightarrow \beta_1\ \beta_2$;
- $r \in \mathcal{N}$, a distinguished root symbol.

Given an input sentence $x_1, \ldots, x_n$ of terminal symbols from $\mathcal{T}$, define the set of c-parses for the sentence as $\mathcal{Y}(x)$. This set consists of all binary ordered trees with fringe $x_1, \ldots, x_n$, internal nodes labeled from $\mathcal{N}$, all tree productions $A \rightarrow \beta$ consisting of members of $\mathcal{R}$, and root label r.

For a c-parse $y \in \mathcal{Y}(x)$, we further associate a span $\langle i, j \rangle$ with each vertex in the tree. This specifies the sequence $\{x_i, \ldots, x_j\}$ of the sentence covered by this vertex.

2.2 Dependency Parsing

Dependency trees provide an alternative, and in some sense simpler, representation of sentence structure. These d-parses can be derived through mechanical transformation from context-free trees. There are several popular transformation in wide use; each provides a different representations of a sentence's structure (Collins, 2003; De Marneffe and Manning, 2008; Yamada and Matsumoto, 2003). In this work we consider transformations that are defined through local transformations known as head rules.

For a binary CFG, define a collection of head rules as a function $\mathcal{H} : \mathcal{R} \mapsto \{L, R\}$ mapping each CFG rule to its head preference for its left- or right-child. We use the notation $A \rightarrow \beta_1^*\ \beta_2$ and $A \rightarrow \beta_1\ \beta_2^*$ to indicate a left- or right-headed rule, respectively.

For each vertex v of a c-parse let the head of the vertex $h(v)$ be defined recursively,

1. If the vertex is leaf x_m, then $h(v) = m$.
2. Otherwise, $h(v)$ matches the head child where $A \rightarrow \beta_1^*\ \beta_2$ or $A \rightarrow \beta_1\ \beta_2^*$ is the rule production at this vertex.

The head rules can be used to map a c-parse to a dependency tree (d-parse). Define a sentence's dependencies as a sequence $d_1, \ldots d_n$ where word m is a dependent of word $d_m \in \{0, \ldots n\}$ and 0 is a special pseudo-root symbol. Let vertex v be the first parent vertex of x_m not headed by m, i.e., $h(v) \neq m$. If this vertex exists, then $d_m = h(v)$, otherwise $d_m = 0$. Figure 1 illustrates the conversion.

These dependencies $d_1, \ldots, d_n$ can be viewed as a directed tree with arcs (d_m, m) for all m. This tree differs from the original c-parse since the words are directly connected. However we can relate the two trees through their spans. Define a dependency span $\langle m_{\Leftarrow}, m_{\Rightarrow} \rangle$ as the sequence of words reachable from word m. By construction this span is the same as the span $\langle i, j \rangle$ of the top vertex v with $h(v) = m$.

3 Parsing Dependencies

Now we consider a flipped setup. There has been significant progress in developing efficient direct-to-dependency parsers. These d-parsers can be trained only on dependency annotations and do not require full phrase-structure trees.[2] Some prefer this setup,

[1] For notational simplicity we ignore unary rules for this section.

[2] For English these parsers are still often trained on trees converted from c-parses; however for other languages dependency-

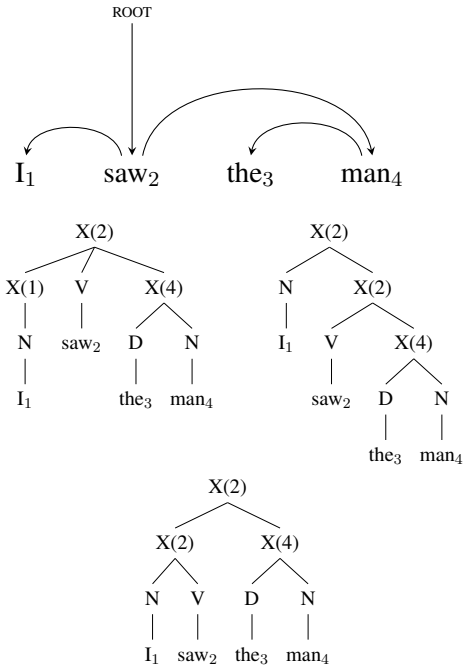


Figure 2: [Adapted from (Collins et al., 1999).] A d-parse (above) and several c-parses consistent with it (below). Our goal is to select the best parse from this set.

since it allows easy selection of the specific dependencies of interest in a downstream task (e.g., information extraction), and perhaps even training specifically for those dependencies. Some applications make use of phrase structures, so c-parsers enjoy wide use as well.

With these latter applications in mind, we consider the problem of converting a d-parser to a c-parser by converting a fixed d-parse into a c-parse. Since this problem is more challenging than its inverse, we use a structured prediction setup: we learn a function to score possible c-parse conversions, and then generate the highest-scoring c-parse given a d-parse.

3.1 Parsing Algorithm

We start by considering the search problem with a given scoring function. First consider the standard problem of predicting the best c-parse under a CFG with head rules. Assume that we are given a binary CFG defining a set of valid c-parses $\mathcal{Y}(x)$. The parsing problem is to find the highest-scoring parse in this set, i.e.

$$\hat{y} \leftarrow \arg\max_{y \in \mathcal{Y}(x)} s(y; x)$$

where s is a scoring function that factors over rule productions.

This problem is known as lexicalized context-free parsing. It can be solved using the CKY algorithm with lexicalized nonterminals. This algorithm is defined by the productions in Figure 3 (left). The productions are of the form

$$\frac{(\langle i, k\rangle, m, \beta_1) \quad (\langle k+1, j\rangle, h, \beta_2)}{(\langle i, j\rangle, h, A)}$$

for all rules $A \rightarrow \beta_1\ \beta_2^* \in \mathcal{R}$ and spans $i \leq k < j$. This particular production indicates that rule $A \rightarrow \beta_1\ \beta_2^*$ was applied at a vertex covering $\langle i, j\rangle$ to produce two vertices covering $\langle i, k\rangle$ and $\langle k+1, j\rangle$, and that the new head is index h which is modified by index m.

The highest-scoring parse can found by bottom-up dynamic programming over these productions. The standard lexicalized CKY algorithm requires $O(n^5|\mathcal{R}|)$ time. While simple to implement, this algorithm is not practical to run without heavy pruning or further assumptions on the scoring function. **[should cite Eisner and Satta '99 who show improved asymptotics under some assumptions; reviewers will complain if we don't –nas]**

Now, consider the same setup, but constrained to c-parses that are consistent with a given d-parse, $d_1, \ldots, d_n$ (i.e., that could be converted, through the head rules, to this d-parse). Define this set as $\mathcal{Y}(x, d)$. The problem is now:

$$\hat{y} \leftarrow \arg\max_{y \in \mathcal{Y}(x,d)} s(y; x, d)$$

This new problem has a nice property. For any word x_m, the span $\langle i, j\rangle$ of the highest v with $h(v) = n$ is the same as span $\langle m_{\Leftarrow}, m_{\Rightarrow}\rangle$ in the dependency parse. Since we have the dependency parse, these spans can be efficiently pre-computed.

This property greatly reduces the search space of the parsing problem. Instead of searching over all possible spans $\langle i, j\rangle$ of each modifier, we simple precompute the spans $\langle m_{\Leftarrow}, m_{\Rightarrow}\rangle$. Figure 3 shows the new algorithm. While the productions are the same as the original algorithm, there are many fewer of them. There is one production for each index and each possible modifier, leading to an algorithm with $O(n^2|\mathcal{R}|)$ running time. **[hmm, doesn't**

only treebanks of directly-annotated d-parses are common.

Premise:

$$(\langle i, i\rangle, i, A) \quad \forall i \in \{1 \dots n\}, A \in \mathcal{N}$$

Rules:

For $i \leq h \leq k < m \leq j$, and rule $A \rightarrow \beta_1^* \ \beta_2$,

$$\frac{(\langle i, k\rangle, h, \beta_1) \quad (\langle k+1, j\rangle, m, \beta_2)}{(\langle i, j\rangle, h, A)}$$

For $i \leq m \leq k < h \leq j$, rule $A \rightarrow \beta_1 \ \beta_2^*$,

$$\frac{(\langle i, k\rangle, m, \beta_1) \quad (\langle k+1, j\rangle, h, \beta_2)}{(\langle i, j\rangle, h, A)}$$

Goal:

$$(\langle 1, n\rangle, m, r) \text{ for any } m$$

Premise:

$$(\langle i, i\rangle, i, A) \quad \forall i \in \{1 \dots n\}, A \in \mathcal{N}$$

Rules:

For all $i < m, h = d_m$ and rule $A \rightarrow \beta_1^* \ \beta_2$,

$$\frac{(\langle i, m_{\Leftarrow} - 1\rangle, h, \beta_1) \quad (\langle m_{\Leftarrow}, m_{\Rightarrow}\rangle, m, \beta_2)}{(\langle i, m_{\Rightarrow}\rangle, h, A)}$$

For all $m < j, h = d_m$ and rule $A \rightarrow \beta_1 \ \beta_2^*$,

$$\frac{(\langle m_{\Leftarrow}, m_{\Rightarrow}\rangle, m, \beta_1) \quad (\langle m_{\Rightarrow} + 1, j\rangle, h, \beta_2)}{(\langle m_{\Leftarrow}, j\rangle, h, A)}$$

Goal:

$$(\langle 1, n\rangle, m, r) \text{ for any } m \text{ s.t. } d_m = 0$$

Figure 3: The two algorithms written as deductive parsers. Starting from the *premise*, any valid application of *rules* that leads to a *goal* is a valid parse. Left: lexicalized CKY algorithm for CFG parsing with head rules. For this algorithm there are $O(n^5|\mathcal{R}|)$ rules where n is the length of the sentence. Right: the constrained CKY parsing algorithm for $\mathcal{Y}(x, d)$. The algorithm is nearly identical except that many of the free indices are now fixed given the dependency parse. Finding the optimal parse is now $O(n^2|\mathcal{R}|)$.

that mean runtime is asymptotically linear, since each word has only one head? what am I missing? or is this sentence just incorrect? after reading ahead a bit, I think we might want to add a little more detail and say that runtime is $O(m|\mathcal{R}|)$, where m is $\max_h \mathit{leftkids}(h) \times \mathit{rightkids}(h)$. my notation here is crappy and I might be a little off, but explaining this a bit more clearly will make the potential advantage of pruning below more obvious –nas]

3.2 Pruning

In addition to constraining the number of c-parses possible, the d-parse also provides valuable information about the labeling and structure of the c-parse. We can use this information to further prune the search space. We experimented with two heuristic pruning methods based on this information.

First, we observe that in training the part-of-speech of the head word x_h greatly restricts the possible rules $A \rightarrow \beta_1 \ \beta_2$ available. To exploit this property we build tables $\mathcal{R}_t$ for each part-of-speech tag t and limit the search to rules seen for the head tag. This reduces the effect of $|\mathcal{R}|$ at runtime.

Second, a word x_h with L dependents to its left and R dependents to its right may at any point combine with a left or right dependent. There are therefore $L \times R = O(n^2)$ possible orderings of these dependents. We can often predict with very high accuracy which side will come next. To make this prediction, we estimate a distribution

$$p(\text{side} \mid \text{tag}(x_h), \text{tag}(x_l), \text{tag}(x_r))$$

where x_l is the next left dependent, x_r is the next right dependent, and $\text{tag}()$ is the part-of-speech tag of the word. **[unclear how this gets used to prune. need to explain. –nas]** This reduces the effect of the n^2 at runtime.

We empirically measured how these pruning methods affect observed runtime and oracle parsing performance (i.e., how well a perfect scoring function could do with a pruned $\mathcal{Y}(x, d)$). Table **??** shows a comparison of these pruning methods on development data. These experiments show that the d-parse constraints contribute a large drop in oracle accuracy, while pruning contributes a relatively small one. Still, this upper-bound on accuracy is high enough to make it possible to still recover c-parses at least as accurate as state-of-the-art c-parsers. We will return to this discussion in Section **??**. **[missing ref –nas]**

Model	Asympt.	Sent./s.	Oracle F_1
Full[< 20]	$O(n^5\|\mathcal{R}\|)$	0.25	100.0
Dep.	$O(n^2\|\mathcal{R}\|)$	76.2	92.9
Pruned (1)	$O(n^2\|\mathcal{R}\|)$	375.9	92.8
Pruned (2)	$O(n^2\|\mathcal{R}\|)$	487.3	92.6

Table 1: Comparison of three parsing setups: **[horrible naming in this table, and caption doesn't match. I tried to fix but might have misunderstood, questions remain –nas]** "Full[< 20]" is the standard full lexicalized grammar limited to sentence of length less than 20 words **[is that really fair? right now it's not clear whether the others are also so restricted –nas]**, "Dep" restricts c-parses to be consistent with the **[gold standard? –nas]** dependency skeleton, and "pruned" is the pruning described in Section 3.2. **[explain the two different ones –nas]** The oracle is the best labeled **[yes? –nas]** F_1 achievable on the development data (see Section 7.1).

3.3 Binarization

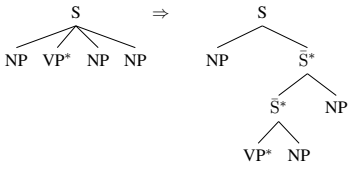
To this point, we have assumed that the CFG and head rules are binary; however the standard treebank grammars have arbitrarily large rules. In order to apply the algorithm, we need to binarize the grammar and preserve the head relations.

Consider a non-binarized rule of the form $A \rightarrow \beta_1 \dots \beta_m$ with head rule $\mathcal{H}(A \rightarrow \beta_1 \dots \beta_m) = k$. Relative to the head β_k the rule has left-side $\beta_1 \dots \beta_{k-1}$ and right-side $\beta_{k+1} \dots \beta_m$.

We replace this rule with binary rules that consume each side independently as a simple chain. The transformation introduces new rules:[3]

- $A \rightarrow \beta_1 \ \bar{A}^*$
- $\bar{A} \rightarrow \beta_i \ \bar{A}^*$ for $i \in \{2, \dots, k\}$
- $\bar{A} \rightarrow \bar{A}^* \ \beta_i$ for $i \in \{k, \dots, m\}$

As an example consider the transformation of a rule with four children:



Note that each rule contains at most two nonterminals from the original grammar, so the size of the new binarized rule set is bounded by $O(|\mathcal{N}|^2)$. **[I think you mean $O(2|\mathcal{N}|)$ since you only add a single bar version of each original nonterm ... yes? –nas] [this comment is strange without saying what the implied alternative is whose speed is slower: –nas]**The small size of the grammar further helps the speed of the algorithm.

We explored binarization using horizontal and vertical markovization to include additional context of the tree, as found useful in unlexicalized approaches (Klein and Manning, 2003). Preliminary experiments showed that this increased the size of the grammar without leading to improvements in accuracy.

4 Structured Prediction

While the parser only requires a d-parse at prediction time, the transformation it implements is learned from a treebank of c-parses. Define this scoring function s as

$$s(y; x, d, \theta) = \theta^\top f(x, d, y)$$

where θ is a parameter vector and $f(x, d, y)$ is a feature function that maps parse productions to sparse feature vectors.

To learn the parameters for scoring possible c-parses we use a standard structured prediction setup with a linear model. We first describe features, then parameter estimation.

4.1 Features

In theory, the scoring function for this system could be directly adapted from existing **[lexicalized? –nas]** c-parsers. However, the existing structure of the dependency parse limits the number of decisions that need to be made, and allows for a smaller set of features.

We model our features after two bare-bones parsing systems. The first set is the basic arc-factored features used by McDonald (2006). These features include combinations of:

- rule and top nonterminal
- modifier word and part-of-speech
- head word and part-of-speech

The second set of features is modeled after the span features described in the X-bar-style parser of

[3] These rules are slightly modified when $k = 1$.

For a production $\dfrac{(\langle i,k\rangle, m, \beta_1) \quad (\langle k+1,j\rangle, h, \beta_2)}{(\langle i,j\rangle, h, A)}$

Nonterm Features
(A, β_1)
(A, β_2)
$(A, \beta_1, \text{tag}(m))$
$(A, \beta_2, \text{tag}(h))$

Span Features
(rule, x_i)
(rule, x_j)
(rule, x_{i-1})
(rule, x_{j+1})
(rule, x_k)
(rule, x_{k+1})
$(\text{rule}, \text{bin}(j-i))$

Rule Features
(rule)
$(\text{rule}, x_h, \text{tag}(m))$
$(\text{rule}, \text{tag}(h), x_m)$
$(\text{rule}, \text{tag}(h), \text{tag}(m))$
(rule, x_h)
$(\text{rule}, \text{tag}(h))$
(rule, x_m)
$(\text{rule}, \text{tag}(m))$

Figure 4: The feature templates used in the function $f(x, d, y)$. For the span features, the symbol rule is expanded into both $A \rightarrow B\ C$ and A. The function $\text{tag}(i)$ gives the part-of-speech tag of word x_i. The function $\text{bin}(i)$ partitions a span length into one of 10 bins.

Hall et al. (2014). These include conjunctions of the rule with:

- first and last word of current span
- preceding and following word of current span
- adjacent words at split of current span
- length of the span

The full feature set is shown in Figure 4. After training, there are a total of around 2 million non-zero features. For efficiency, we use lossy feature hashing. We found this had no impact on parsing accuracy but made the parsing significantly faster.

4.2 Training

The parameters θ are estimated using a structural support vector machine (**?**). Given a set of gold-annotated parse examples, $(x^1, y^1), \ldots, (x^D, y^D)$, and dependency structures $d^1 \ldots d^D$ induced from the head rules, we estimate the parameters to minimize the regularized empirical risk

$$\min_\theta \sum_{i=1}^{D} \max\{0, \ell(x^i, d^i, y^i, \theta)\} + \frac{\lambda}{2}||\theta||_1$$

Model	PTB §22 Prec.	Rec.	F_1
Xia et al. (2009)	88.1	90.7	89.4
ParPar (§19)	95.9	95.9	95.9
ParPar (§2–21)	97.5	97.8	97.7

Table 2: Comparison with the rule-based system of Xia et al. (2009). Results are shown using gold-standard tags and dependencies. Xia et al. report results consulting only §19 in development and note that additional data had little effect. We show our system's results using §19 and the full training set. **[check that "§2–21" is correct, pls –nas]**

[I am confused by the max with 0. I don't think that's standard for structured hinge –nas]
where we define ℓ as **[added negation to first term! –nas]**

$$\ell(x, d, y, \theta) = -s(y) + \max_{y' \in \mathcal{Y}(x,d)} \big(s(y') + \Delta(y, y')\big)$$

and where Δ is a problem specific cost-function. In experiments, we use a Hamming loss $\Delta(y, y') = ||y - y'||$ where y is an indicator of rule productions **[coupled with i, j, k positions? would be strange and difficult to do what you said! –nas]**.

The objective is optimized using Adagrad (Duchi et al., 2011). The gradient calculation requires computing a loss-augmented max-scoring c-parse for each training example which is done using the algorithm of Figure 3 (right).

5 Related Work

The problem of converting dependency to phrase-structured trees has been studied previously from the perspective of building multi-representational treebanks. Xia and Palmer (2001) and Xia et al. (2009) develop a rule-based system for the conversion of human-annotated dependency parses. Our work differs in that we learn a data-driven structured prediction model that is also able to handle automatically predicted dependency parses as input. Table 2 compares our system to that of Xia et al. (2009).

There has been successful work combining dependency and phrase-structure parsing. **[should probably cite the factored parser of Klein and Manning here –nas]** Carreras et al. (2008) build a high-accuracy parser that uses a dependency parsing model both for pruning and within a richer lexicalized parser. Similarly Rush et al. (2010) use dual

decomposition to combine a dependency parser with a simple phrase-structure model. This work differs in that we treat the dependency parse as a hard constraint, hence largely reduce the running time of a fully lexicalized phrase structure parsing model while maintaining the ability, at least in principle, to generate highly phrase-structure parses.

Finally there have also been several papers that use ideas from dependency parsing to simplify and speed up phrase-structure prediction. Zhu et al. (2013) build a high-accuracy phrase-structure parser using a transition-based system. Hall et al. (2014) use a stripped down parser based on a simple X-bar grammar and a small set of lexicalized features.

6 Methods

We ran a series of experiments to assess the accuracy, efficiency, and applicability of the parser to several tasks. These experiments use the following setup.

For English experiments we use the standard Penn Treebank (PTB) experimental setup (Marcus et al., 1993). Training is done on §2–21, development on §22 **[clarify what gets tuned here –nas]**, and testing on §23.

For Chinese experiments, we use version 5.1 of the Penn Chinese Treebank 5.1 (CTB) (Xue et al., 2005). We followed previous work and used articles 001–270 and 440–1151 for training, 301–325 for development, and 271–300 for test.

Part-of-speech tagging is performed for all models using TurboTagger (Martins et al., 2013). Unless otherwise noted, the input d-parsing is done using the RedShift implementation[4] of the Zhang-Nivre Parser (Zhang and Nivre, 2011), trained to follow the conventions of Collins head rules (Collins, 2003). **[need to explain beam size here, since it comes up later! –nas]**

Prior to training the d-parser, the training sections are automatically processed using 10-fold jackknifing (**?**) for both dependency and phrase structure trees. Zhu et al. (2013) found this simple technology gives an improvement of 0.4% on English and 2.0% on Chinese.

For our model the "gold" d-parses $d^1, \ldots, d^D$ used at training come from the gold c-parse converted with the Collins head rules.[5] Since the trained model is independent of the d-parser, all experiments use the same model, regardless of the d-parser.

Evaluation for phrase-structure parses is performed using the `evalb`[6] script with the standard setup. We report labeled **[yes? –nas]** F_1 scores as well as recall and precision. For dependency parsing, we report unlabeled accuracy score (UAS).

We implemented the grammar binarization, head rules, and pruning tables in Python, and the parser, features, and training in C++. The core run-time decoding algorithm is self-contained and requires less than 400 lines of code. Both are publicly available.[7] Experiments are performed on a Lenovo ThinkCentre desktop computer with 32GB of memory and Core i7-3770 3.4GHz 8M cache CPU.

[important missing detail: do we use labeled dependency parses or just unlabeled? I think this needs to be explained early and reminded here –nas]

7 Experiments

We ran experiments to assess the accuracy of the method, its runtime efficiency, the effect of dependency parsing accuracy, and the effect of the amount of annotated phrase-structure data.

7.1 Parsing Accuracy

Our first experiments, shown in Table 3, give the accuracy and speed of the phrase-structure trees produced by the parser. For these experiments we treat our system and the Zhang-Nivre parser as an independently trained, but complete end-to-end c-parser **[say explicitly that runtime includes d-parsing! –nas]**. This setup is limited in that the parser cannot change the dependencies given to it. Despite this limitation, the results show that the parser is comparable in accuracy to many widely-used systems, and is significantly faster. The only parser competitive in both speed and accuracy is the that of Zhu et al. (2013), a fast shift-reduce phrase-structure parser.

[what about Chinese?? –nas]

[4] `https://github.com/syllog1sm/redshift`

[5] We experimented with using jackknifed dependency parses d' at training time with oracle tree structures, i.e., $\arg\min_{y' \in \mathcal{Y}(x,d')} \Delta(y, y')$, but found that this did not improve performance.

[6] `http://nlp.cs.nyu.edu/evalb`

[7] URL withheld for review.

	PTB	
Model	F_1	Sent./s.
Charniak (2000)	89.5	-
Stanford PCFG (2003)	85.5	5.3
Petrov (2007)	90.1	8.6
Zhu (2013)	90.3	39.0
Carreras (2008)	91.1	-
CJ Reranking (2005)	91.5	4.3
Stanford RNN (2013)	90.0	2.8
PARPAR	90.4	58.6

Table 3: Accuracy and speed on PTB §23 **[check! said CTB as well –nas]**. Comparisons are to state-of-the-art non-reranking supervised phrase-structure parsers (Charniak, 2000; Klein and Manning, 2003; Petrov and Klein, 2007; Carreras et al., 2008; Zhu et al., 2013), and semi-supervised parsers (Charniak and Johnson, 2005; Socher et al., 2013).

...

Effect of Dependencies Our next set of experiments look at the effect of different input dependency trees. We ran the same trained converter on seven different dependency inputs of varying quality measured by unlabeled accuracy score (UAS). Table 4 shows the results for each d-parser: its UAS, labeled F_1 when it is used with PARPARand with an oracle converter.[8] Figure 5 shows that there is a direct correlation between the UAS of the inputs and labeled F_1. **[there was a claim about small changes in d accuracy having big effects, but the plot looks linear to me –nas]**

Runtime In Section 3 we considered the theoretical complexity of the parsing model and present the main speed results in Table **??**. Despite having a quadratic theoretical complexity the practical runtime was quite fast. Here we consider the empirical complexity of the model by measuring the time spent of individual sentences. Figure 6 shows a graph of the speed of sentences of varying length for both the full algorithm and for the algorithm with pruning. In both cases the observed runtime is linear.

[8] For a gold parse y and predicted dependencies $\hat{d}$, define the oracle parse y' as

$$y' = \arg\min_{y' \in \mathcal{Y}(x,\hat{d})} \Delta(y, y')$$

Model	UAS	F_1	Sent./s.	Oracle
MALTPARSER	89.7	85.5	240.7	87.8
RS-K1	90.1	86.6	233.9	87.6
RS-K4	92.5	90.1	151.3	91.5
RS-K16	93.1	90.6	58.6	92.4
TP-BASIC	92.8	88.9	132.8	90.8
TP-STANDARD	93.3	90.9	27.2	92.6
TP-FULL	93.5	90.8	13.2	92.9

Table 4: Comparison of the effect of d-parsing accuracy (PTB §22) on PARPAR and an oracle converter. Runtime includes d-parsing and c-parsing. Inputs include MaltParser (Nivre et al., 2006), the RedShift implementation of the Zhang-Nivre parser (Zhang and Nivre, 2011) with beam size $K \in \{1, 4, 16\}$, and three versions of TurboParser (Martins et al., 2013).

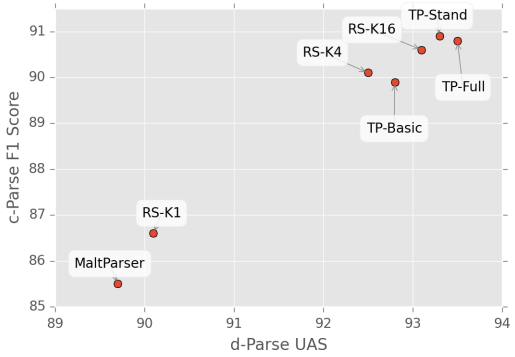


Figure 5: Relationship of d-parsing performance to c-parsing performance using PARPARto convert different dependency parsers' output.

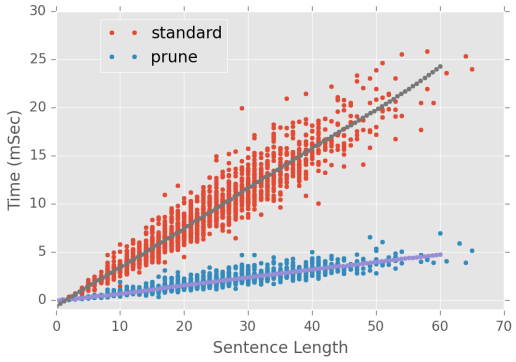


Figure 6: Empirical runtime of the parser on sentences of varying length, with and without pruning. Despite a worst-case quadratic complexity, observed runtime is linear. Pruning significantly improves the slope.

Class			Results	
Dep (h, m)	Span $\langle i, j \rangle$	Split k	Total %	Acc A
+	+	+	86.1	97.9
-	+	+	1.0	69.3
+	+	-	2.1	83.3
-	+	-	1.3	85.9
+	-	-	4.5	0.0
-	-	-	4.7	0.0

Table 5: Error analysis of binary CFG rules. Rules used are split into classes based on correct (+) identification of dependency (h, m), span $\langle i, j \rangle$, and split k. *Total* is the relative size of the class. *Acc* is accuracy of span nonterminal identification.

[NOT DONE YET, LEFT OFF HERE –nas]

Conversion Previous work on this problem has looked at converting dependency trees to phrase-structure trees using linguistic rules (Xia and Palmer, 2001; Xia et al., 2009). This work is targeted towards the development of treebanks, particularly converting dependency treebanks to phrase-structure treebanks. For this application, it is useful to convert gold trees as opposed to predicted trees.

To compare to this work, we train our parser with gold tags and run on gold dependency trees in development. Table 2 give the results for this task.

Analysis Finally we consider an internal error analysis of the parser. For this analysis, we group each binary rule production selected by the parser by three properties: is its dependency (h, m) correct?, is its span $\langle i, j \rangle$ correct? is its split k correct? The first is fully determined by the input d-parse, the second are partially determined by the parser.

Table **??** gives the breakdown. As expected the conversion is almost always correct when it has this information. Many of the errors come from cases where the dependency was fully incorrect, or there was a span issue either from the dependency parser or from the conversion itself.

8 Conclusion

With recent advances in statistical dependency parsing, state-of-the-art parsers have reached the comparable dependency accuracy as the best phrase structure parsers. However, these parser cannot be directly used in applications that require phrase-structure prediction. In this work we have described a simple parsing algorithm and structured prediction system for this comparison, and show that it can produce phrase-structure parses at comparable accuracy to state-of-the-art system.

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