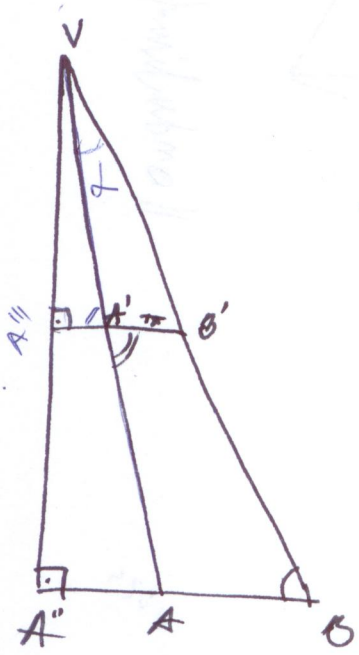
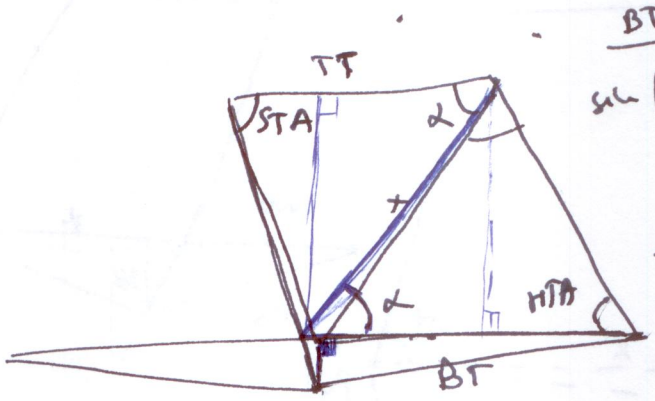




$$\frac{BT}{\sin(180-\alpha-HTA)} = \frac{x}{\sin HTA}$$

$$\frac{x}{\sin STA} = \frac{TT}{\sin(180-\alpha-STA)}$$

$$\frac{TT}{\sin\alpha} = \frac{VA'}{\sin HTA}$$

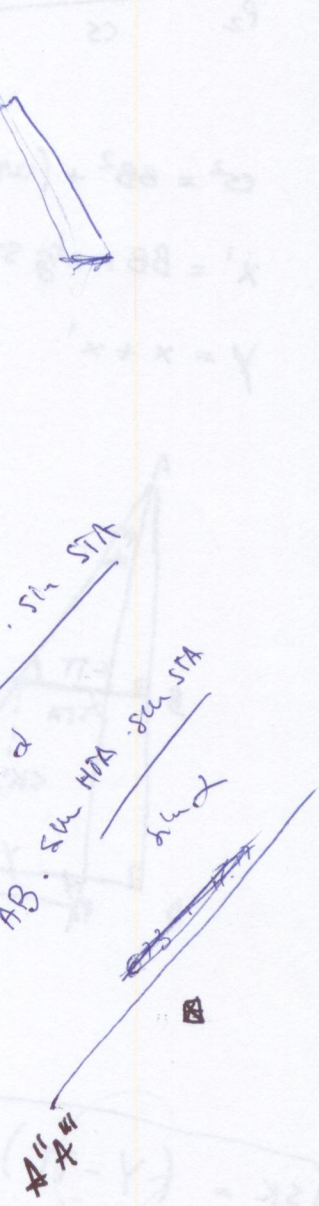
$$VA' = \frac{TT \cdot \sin HTA}{\sin\alpha}$$

$$\sin STA = \frac{VA'''}{VA'}$$

$$VA''' = \sin STA \cdot VA'$$

$$= \frac{TT \cdot \sin HTA \cdot \sin STA}{\sin\alpha}$$

$$VA'' = \frac{AB \cdot \sin HTA \cdot \sin STA}{\sin\alpha}$$



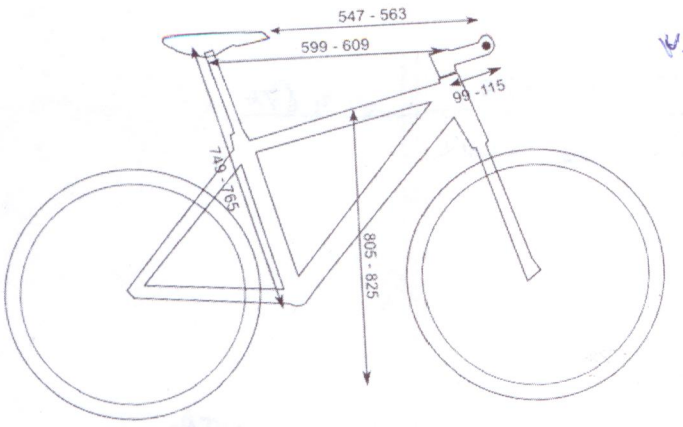
WS=340

BBH=320

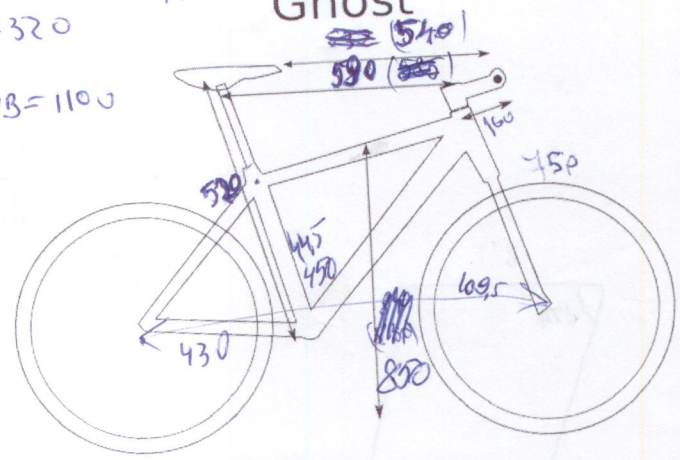
WB=1100

TT=575

Fit



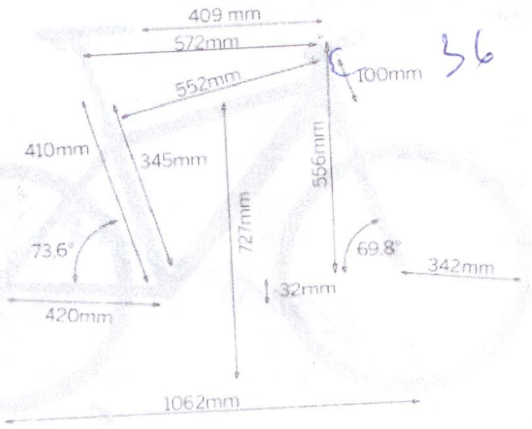
Ghost

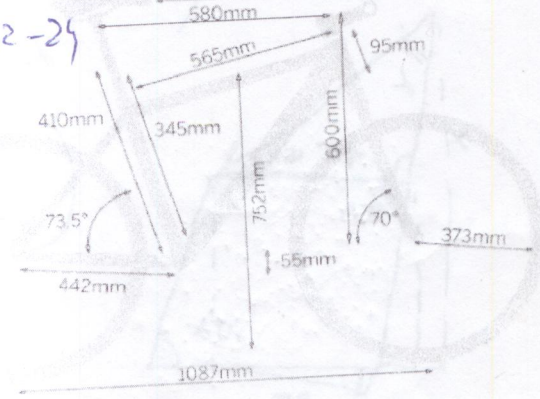


26 L 32 44 22 29

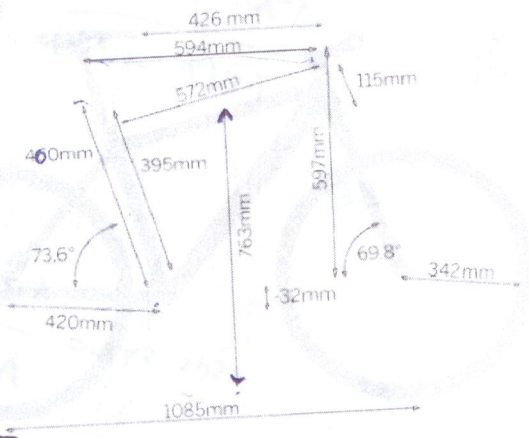
36 42-32-29

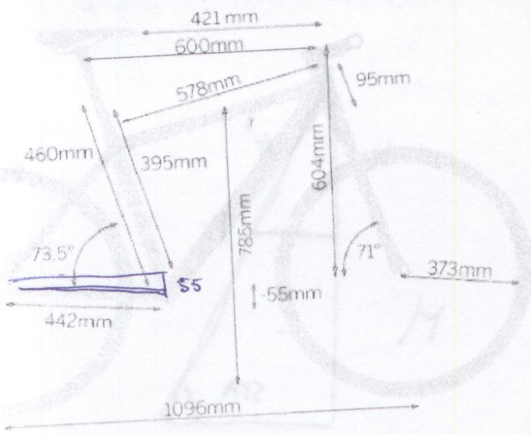
16''



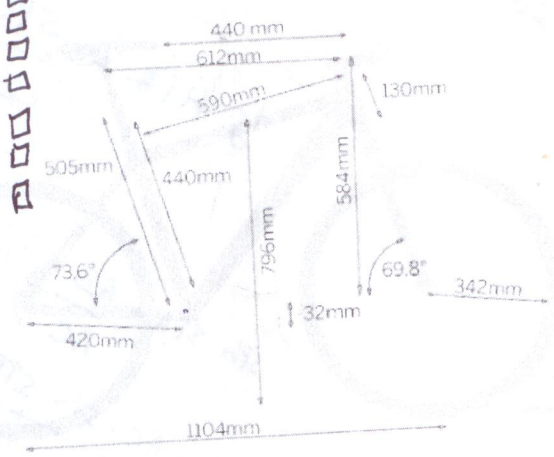


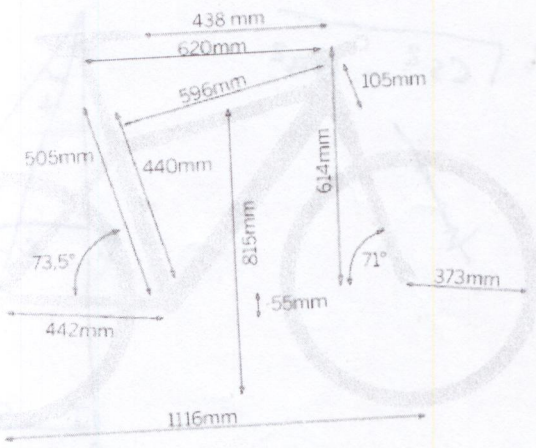
18''

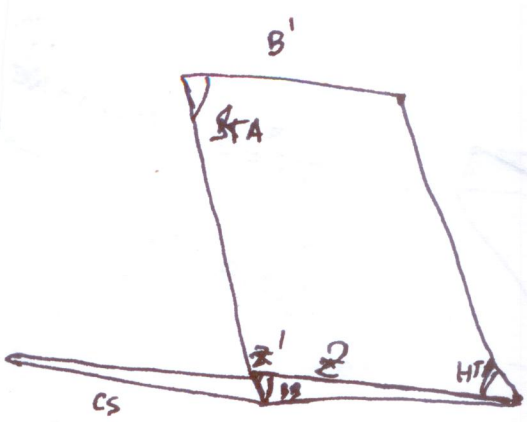




20''







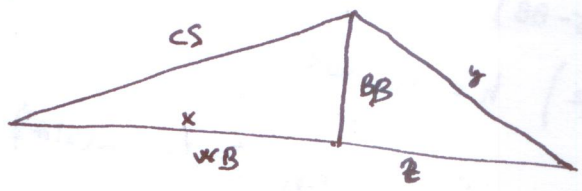
$$\operatorname{tg} HTA = \frac{BB}{x}$$

$$z' = BB \cdot \operatorname{tg} HTA$$

$$x = BB \cdot$$

$$CS^2 = BB^2 + (WB' - x)^2$$

$$\sqrt{CS^2 - BB^2} = WB - x$$



$$CS^2 = (WB - z)^2 + BB^2$$

$$z = \sqrt{CS^2 - BB^2} = WD - z$$

$$z = WB - \sqrt{CS^2 - BB^2}$$

$$\begin{cases} CS^2 = x^2 + BB^2 \\ y^2 = BB^2 + (WB - x)^2 \end{cases} \qquad x = \sqrt{CS^2 - BB^2}$$

$$y^2 = BB^2 + \left(WB - \sqrt{CS^2 - BB^2}\right)^2 \qquad \sqrt{CS^2 - BB^2} = (WB + x)^2$$

$$y = \sqrt{BB^2 + \left(WB - \sqrt{CS^2 - BB^2}\right)^2} \qquad \sqrt{a^2} = a$$