

(HW #1)

DUE 04/07/16

3. Annual = discrete population growth  
 $\lambda = 1 + 0.12 = 1.12$

Example population:

$$N_0 = 2$$

$$N_T = 4$$

$$\lambda = 1.12$$

$$T = ?$$

$$N_T = \lambda^T N_0$$

$$4 = (1.12)^T 2$$

$$2 = (1.12)^T$$

$$\log 2 = T \cdot \log(1.12)$$

$$T = \frac{\log 2}{\log(1.12)} = \boxed{6.12 \text{ years doubling time.}}$$

4. Human population growth is density independent; so the birth and death rate do not depend on population size. I think this because most of the deaths in our area are not a factor of the population size but due to other things such as cancer or aging. Three things that could make this density dependent might be the introduction of a pathogen, competition between community members and potential introduced of a predator with humans as its prey.
5. I chose dogs and think that they would be modeled using a continuous framework. They have the ability to reproduce more than once a year and are likely density independent.