Example 7 Export to C-code

```
def write_code (obj,name,filename,rank):
        import os
        from sympy.printing.c import C99CodePrinter as printer
        from sympy.codegen.ast import Assignment
        idx=[] # indices in the form [\{x, x\}, \{x, y\} ...]
        lst=[] # corresponding terms [termxx, termxy, ...]
10
        for i in range( len(obj[rank]) ):
                                                           # rank = number of free indices
11
            idx.append( str(obj[rank][i][0]._sympy_()) ) # indices for this term
12
            lst.append( str(obj[rank][i][1]._sympy_()) ) # the matching term
13
14
        mat = sympy.Matrix([lst])
                                                           # row vector of terms
15
        sub_exprs, simplified_rhs = sympy.cse(mat)
                                                         # optimise code
16
17
        with open(os.getcwd() + '/' + filename, 'w') as out:
19
          for lhs, rhs in sub_exprs:
20
              out.write(printer().doprint(Assignment(lhs, rhs))+'\n')
21
22
          for index, rhs in enumerate (simplified_rhs[0]):
              lhs = sympy.Symbol(name+' '+(idx[index]).replace(', ',']['))
24
              out.write(printer().doprint(Assignment(lhs, rhs))+'\n')
```

```
{\theta, \varphi}::Coordinate.
     {a,b,c,d,e,f,g,h#}::Indices(values={\theta, \varphi}, position=independent).
     \partial{#}::PartialDerivative.
     g_{a b}::Metric.
     g^{a b}::InverseMetric.
     Gamma := Gamma^{a}_{f g} \rightarrow 1/2 g^{a b} ( partial_{g}_{g_b f})
                                                  + \partial_{f}{g_{b g}}
10
                                                  - \partial_{b}{g_{f g}} ).
11
12
     Rabcd := R^{d}_{e f g} \rightarrow \operatorname{partial}_{f}{\operatorname{Gamma}_{d}_{e g}}
13
                                - \partial_{g}{\Gamma^{d}_{e f}}
14
                                + \Gamma^{d}_{b f} \Gamma^{b}_{e g}
15
                                 - \Gamma^{d}_{b g} \Gamma^{b}_{e f}.
16
17
     Rab := R_{a b} -> R^{c}_{a c b}.
18
19
     gab := { g_{\text{theta}} \neq r**2,
20
              g_{\text{varphi}} = r**2 \sin(\theta)**2 . # cdb(ex-07.101,gab)
21
22
     complete (gab, $g^{a b}$)
                                                                 # cdb(ex-07.102,gab)
23
24
     substitute (Rabcd, Gamma)
     substitute (Rab, Rabcd)
26
27
                (Gamma, gab, rhsonly=True)
                                                                 # cdb(ex-07.103, Gamma)
     evaluate
28
                (Rabcd, gab, rhsonly=True)
                                                                 # cdb(ex-07.104, Rabcd)
     evaluate
                         gab, rhsonly=True)
                                                                 # cdb(ex-07.105,Rab)
     evaluate
                 (Rab,
31
     write_code (Gamma[1],'myGamma','example-07-gamma.c',3)
32
     write_code (Rabcd[1],'myRabcd','example-07-rabcd.c',4)
33
     write_code (Rab[1], 'myRab', 'example-07-rab.c',2)
```

$$\left[g_{\theta\theta} = r^2, g_{\varphi\varphi} = r^2 (\sin \theta)^2\right] \tag{ex-07.101}$$

$$\left[g_{\theta\theta} = r^2, g_{\varphi\varphi} = r^2 (\sin \theta)^2, g^{\theta\theta} = r^{-2}, g^{\varphi\varphi} = \left(r^2 (\sin \theta)^2 \right)^{-1} \right]$$
 (ex-07.102)

$$\Gamma^{a}{}_{fg} \to \Box_{fg}{}^{a} \begin{cases} \Box_{\varphi\theta}{}^{\varphi} = (\tan\theta)^{-1} \\ \Box_{\theta\varphi}{}^{\varphi} = (\tan\theta)^{-1} \\ \Box_{\varphi\varphi}{}^{\theta} = -\frac{1}{2}\sin(2\theta) \end{cases}$$
 (ex-07.103)

$$R^{d}_{efg} \to \Box_{eg}^{d}_{f} \begin{cases} \Box_{\varphi\varphi}^{\theta}_{\theta} = (\sin\theta)^{2} \\ \Box_{\theta\varphi}^{\varphi}_{\theta} = -1 \\ \Box_{\varphi\theta}^{\theta}_{\varphi} = -(\sin\theta)^{2} \\ \Box_{\theta\theta}^{\varphi}_{\varphi} = 1 \end{cases}$$
 (ex-07.104)

$$R_{ab} \to \Box_{ab} \begin{cases} \Box_{\varphi\varphi} = (\sin \theta)^2 \\ \Box_{\theta\theta} = 1 \end{cases}$$
 (ex-07.105)