## Exercise 2.7 Selective kill

```
\{a,b,c,d,e,f,g,h,i,j,k,l,m,n,o,p,q,r,s,t,u\#\}::Indices(position=independent).
     \partial{#}::PartialDerivative.
            := \frac{d}{\Omega^{a}} - Z_{d \ a \ b \ c}.
     reveal := Z_{d a b c} \rightarrow \beta_{d}(Gamma^{a}_{b c}).
     kill := Gamma^{a}_{b c} \rightarrow 0.
     Gamma := \Gamma^{a}_{b c}
10
            + x^{d} \partial_{d}{\Gamma^{a}_{b} c}}.
                                                             # cdb (ex-0207.101, Gamma)
11
12
     substitute (Gamma, hide)
                                                             # cdb (ex-0207.102, Gamma)
13
                                                             # cdb (ex-0207.103, Gamma)
     substitute (Gamma, kill)
14
     substitute (Gamma, reveal)
                                                             # cdb (ex-0207.104, Gamma)
```

$$\Gamma^{a}{}_{bc}(x) = \Gamma^{a}{}_{bc} + x^{d} \partial_{d} \Gamma^{a}{}_{bc}$$

$$= \Gamma^{a}{}_{bc} + x^{d} Z_{dabc}$$

$$= x^{d} Z_{dabc}$$

$$= x^{d} \partial_{d} \Gamma^{a}{}_{bc}$$

$$(ex-0207.101)$$

$$= (ex-0207.102)$$

$$= (ex-0207.103)$$

## Exercise 2.7 Naive kill

```
{a,b,c,d,e,f,g,h,i,j,k,l,m,n,o,p,q,r,s,t,u#}::Indices(position=independent).

partial{#}::Derivative.

kill := \Gamma^{a}_{b c} -> 0.

Gamma := \Gamma^{a}_{b c} c}

+ x^{d} \partial_{d}^{Gamma^{a}_{a}_{b c}}. # cdb (ex-0207.201,Gamma)

substitute (Gamma,kill) # cdb (ex-0207.202,Gamma)
```

$$\Gamma^{a}_{bc}(x) = \Gamma^{a}_{bc} + x^{d} \partial_{d} \Gamma^{a}_{bc}$$
(ex-0207.201)
$$= 0$$
(ex-0207.202)

## Exercise 2.7 No problem killing partial derivatives

```
{a,b,c,d,e,f,g,h,i,j,k,l,m,n,o,p,q,r,s,t,u#}::Indices(position=independent).

\text{partial}{#}::PartialDerivative.

kill := \partial_{c}{A_{a b}} -> 0.

Aab := A_{a b} + x^{c} \partial_{c}{A_{a b}}

+ x^{c} x^{d} \partial_{c}{A_{a b}}. # cdb (ex-0207.301,Aab)

substitute (Aab,kill) # cdb (ex-0207.302,Aab)
```

$$A_{ab}(x) = A_{ab} + x^{c} \partial_{c} A_{ab} + x^{c} x^{d} \partial_{dc} A_{ab}$$
 (ex-0207.301)  
=  $A_{ab} + x^{c} x^{d} \partial_{dc} A_{ab}$  (ex-0207.302)