

# Lab 1 Report Integrated Systems Architecture

Master degree in Computer Engineering

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### **CHAPTER 1**

# Introduction

Our assignment was to implement a 2nd order IIR filter on 12 bits. For this architecture we have implemented, as required, first a Matlab model, then a C model and finally the actual VHDL model. A note on the filter order: to obtain its value we have considered the space character in "Dai Prà".

As required, we have also created a GitHub repository, available at the following link: https://github.com/leoizzi/isa\_labs/tree/main/lab1.

The folders are organized as follows: in <code>isa\_labs/lab1</code> there are <code>iir</code> and <code>iir\_opt</code>. The former contains the Matlab model, C model and VHDL model of the standard IIR, while the latter contains the C model and the VHDL model of the improved filter.

#### CHAPTER 2

## **IIR**

In this chapter the IIR filter is analyzed from its Matlab specification to the physical design.

#### 2.1 Matlab model

We have updated my\_iir\_filter.m to match the value of the given N and  $n_b$  values. This script produces the filter's coefficients and saves the quantized filter's input in a file called samples.txt, which is then used by the C model (section 2.2) to test the goodness of the implementation. The coefficients we have obtained are:

$$b_0 = 423$$
  $b_1 = 846$   $b_2 = 423$   $a_0 = 1$   $a_1 = -757$   $a_2 = 401$ 

After the C model's simulation, its results are read back to measure the *Total Harmonic Distortion* (THD). By keeping the internal representation on 12 bits we have measured  $THD \approx -65.46 \ dB$ , which is better than  $THD_{target} = -30 \ dB$ , hence the whole filter has been implemented on 12 bits.

#### 2.2 C model

In the C model we have only modified the coefficients to match the ones given by Matlab and the shift amount, because a shift of NB-1 in our case resulted in an internal representation of 13 bits, while as said earlier 12 bits were enough. Therefore, we have added a macro called INT\_REPR set to 1 which is added to the previous term to obtain the target shift value. The output values have been stored in a file called results\_c\_12bit.txt.

#### 2.3 VHDL model

The filter has been implemented by deriving its structure from the C model and by using behavioral, generic components for the arithmetic operations. The top module, instead, is not generic and its implemented in a structural way. It is contained in the file iir.vhd. In figure 2.1 is shown the block diagram of the IIR.

The model entirely reflects the one described in C as it can be seen, the only peculiarity is in the organization of the register's enable signals, not shown in picture 2.1 (along with the input, coefficients and output registers) to reduce the clutter. Since the structure is so small no control unit has been developed. Instead, we have decided to add 1 bit registers to store the delayed value of vin to correctly drive the filter. The x[n] register, along with the ones shown in the figure (that correspond to the

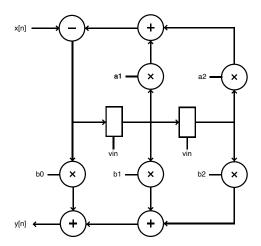


Figure 2.1: IIR direct form II block diagram

C model's sw[i] array) and the coefficients' registers are enabled by vin itself. y[n] register, on the other hand, takes as enable vin delayed by 1 clock cycle since it has to latch the value computed the cycle before. This means that the value of y[n] is available to the filter's interface only the cycle after the register have been enabled, so the signal vout corresponds to vin delayed by 2 clock cycles.

#### 2.3.1 Simulation

This circuit has been simulated with *ModelSim*, that has written the simulation result in a file called results\_vhdl\_12bit.txt. The diff tool has been run on the C model's output and this file to check that the VHDL model was compliant with it. To reproduce the simulation there is a script in the sim folder called sim\_script.tcl.

#### 2.3.2 Logic synthesis

The model described above has been synthesized with *Synopsys Design Compiler*. The synthesis has been run three times:

- Run 1: to find the maximum clock frequency we have created a clock with period 0 with the command create\_clock -name my\_clk -period 0 clk. With report\_timing we have found out that  $t_{ck_{min}} = 2.81 \ ns$ .
- Run 2: to verify that  $t_{ck_{min}}$  was actually a valid value we run a synthesis with a clock period  $t_{ck} = t_{ck_{min}}$ . The synthesis met the constraint and the area for this implementation is  $A_{ck_{min}} \approx 4258 \ \mu m^2$ .
- Run 3: the synthesis with a clock period  $t_{ck} = 4 * t_{ck_{min}} = 11.24 \ ns$  was executed. In this case the circuit is able to compute a value in 5.14 ns with a slack of 5.99 ns, with an area  $A \approx 3701 \ \mu m^2$ .

This means that, if we consider the moment in which a value is avaliable, for a reduction in speed of  $\approx 83\%$  there is an area gain of  $\approx 13\%$ .

To speed up the synthesis process two scripts are provided: setup.sh and syn\_script.tcl. The former is used to create a clean synthesis environment, the latter to run the synthesis. In this script is possible to choose among the settings of Run 2, by setting the variable use\_tx4 to 0, and the settings of Run 3, by setting use\_tx4 to 1.

#### 2.3.3 Power consumption estimation

The resulting Verilog file produced in **Run 3** has been simulated again to check that the results were the same as the VHDL model and to obtain the circuit's switching activity. The ModelSim script to calculate the switching activity is sim\_script\_pwr.tcl, that writes the file iir.sdf in the netlist folder.

This file, then, is read back in Synopsys by using the script <code>syn\_script\_pwr.tcl</code> contained in the <code>syn</code> folder. This script outputs <code>report\_switching\_activity.txt</code>, a file containing the estimated power consumption of the IIR based on the switching activity. Extracts of its content are reported below.

```
Cell Internal Power = 278.3994 uW (61%)

Net Switching Power = 177.0917 uW (39%)
-----

Total Dynamic Power = 455.4911 uW (100%)

Cell Leakage Power = 76.5232 uW
```

	Internal	Switching	Leakage	Total			
Power Group	Power	Power	Power	Power	(	% )	Attrs
io_pad	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
memory	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
black_box	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
clock_network	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
register	83.7543	26.6556	9.8137e+03	120.2236	(	22.60%)	
sequential	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
combinational	194.6452	150.4362	6.6709e+04	411.7907	(	77.40%)	
Total	278.3995 uW	177.0918 uW	7.6523e+04 nW	532.0143	 uW		

#### 2.3.4 Place and route

The Verilog file obtained in the previous step has been used to perform the *Place and route* on *Innovus*. We have rigorously followed all the steps reported in the file documents.pdf to complete this part, hence we will not repeat them here.

We have checked that the time constraint were met and the results of the estimated power consumption, which is reported below.

Total Power [Power Units = 1mW]					
Total Internal Power: Total Switching Power: Total Leakage Power: Total Power:	0.78136993 0.55514042 0.07595918 1.41246953	55.3194% 39.3028% 5.3778%			

Group	Internal Power	Switching Power	Leakage Power	Total Power	Percentage (%)
Sequential	0.09539	0.03122	0.009814	0.1364	9.658
Macro	0	0	0	0	0
10	0	0	0	0	0
Combinational	0.686	0.5239	0.06615	1.276	90.34
Clock (Combinational)	0	0	0	0	0
Clock (Sequential)	0	0	0	0	0
Total	0.7814	0.5551	0.07596	1.412	100

### **CHAPTER 3**

# IIR Lookahead

In this chapter we will explain how we have improved the original IIR design by applying the techniques studied in the course, specifically the lookahead first, and later the pipelining and retiming. We derived the new architecture from the block diagram shown in figure 2.1, then we have modified the C model to obtain a reference implementation and, finally, we have derived the VHDL implementation to reproduce all the steps done in chapter 2. Hence, for this last part, we will outline only the results and compare them to the IIR's one since the procedures we have followed are the same.

#### 3.1 Architecture derivation

First, as mandated by exercise 2.4, we have applied the J-lookahead method with J=1. This is a non-universal technique, that is normally applied when other techniques such as pipelining, retiming, unfolding, ecc. cannot be applied. In our baseline architecture there is actually space for universal techniques, as demonstrated below, although we have applied the lookahead first nevertheless to comply with the exercise's request.

#### 3.1.1 Baseline IIR analysis

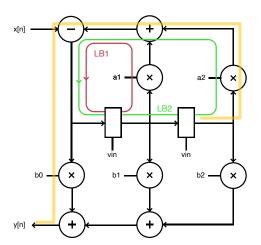


Figure 3.1: Baseline IIR critical path

In figure 3.1 it is outlined in yellow the critical path of the non-optimized filter. If we define with

 $T_a$  the delay of the adder and with with  $T_m$  the delay of the multiplier, we obtain that

$$CP_{iir} = 2T_m + 3T_a \tag{3.1}$$

It can be also seen in the picture that there are two loops, namely  $LB_1$  and  $LB_2$ . It is possible to calculate the loop bound as follows:

$$LB_{iir_1} = \frac{T_m + 2T_a}{1}$$
  $LB_{iir_2} = \frac{T_m + 2T_a}{2}$ 

Hence, we obtain

$$T_{iir_{\infty}} = \max\{LB_{iir_1}, LB_{iir_2}\} = LB_{iir_1} < CP_{iir}$$

This means that a universal technique to improve the architecture exists; indeed pipelining could speed-up the architecture, as there is a feed-forward cut-set which divides the feed-forward multipliers from the upper part of the circuit. By placing pipeline registers there we would obtain

$$CP_{iir_{pipeline}} = T_{iir_{\infty}} = T_m + 2T_a \tag{3.2}$$

This demonstrate that multiple optimization paths do exists for our architecture.

#### 3.1.2 Lookahead application

The lookahead method works by recursively expanding the base equation. As the exercise stated that only one expansion was required, we have proceeded in this way:

The equation of our filter is

$$y[n] = \sum_{k=0}^{2} a_k y[n-k] + \sum_{i=0}^{2} b_i x[n-i] =$$

$$= a_0 y[n] + a_1 y[n-1] + a_2 y[n-2] + b_0 x[n] + b_1 x[n-1] + b_2 [x-2]$$
(3.3)

We have calculated the formula of y[n-1], which is

$$y[n-1] = a_0y[n-1] + a_1y[n-2] + a_2y[n-3] + b_0x[n-1] + b_1x[n-2] + b_2[x-3]$$
(3.4)

If we insert 3.4 in 3.3 the result is

$$y[n] = a_0 y[n] + a_1 a_0 y[n-1] + a_1^2 y[n-2] + a_1 a_2 y[n-3] + a_1 b_0 x[n-1] + a_1 b_1 x[n-2] + a_1 b_2 x[n-3] + a_2 y[n-2] + b_0 x[n] + b_1 x[n-1] + b_2 x[n-2]$$

$$(3.5)$$

Which is our new filter's equation. Its block diagram is shown in figure 3.2.

In equation 3.5 it can be noticed that new coefficients appear in the form  $a_1 * a_j$  and  $a_1 * b_j$ . Their result does not fit in 12 bits, therefore we have decided to truncate them (by taking the 12 MSBs) to respect the original interface's bit width.

Starting from the structure shown in figure 3.2 we have derived a new C and VHDL model: the latter has been used as basis for the optimizations described in section 3.2, the former as golden model to check the results since, due to the new coefficients, the filter has a different THD and produces slightly different values.

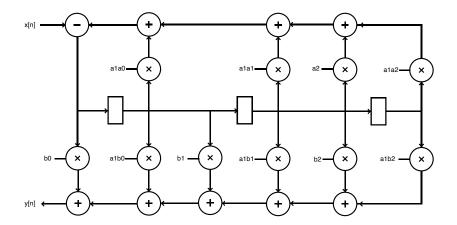


Figure 3.2: IIR lookahead

### 3.2 Lookahead optimizations

Before applying any universal optimization technique, as always we needed to check if

$$T_{lookahead_{\infty}} < CP_{lookahead}$$

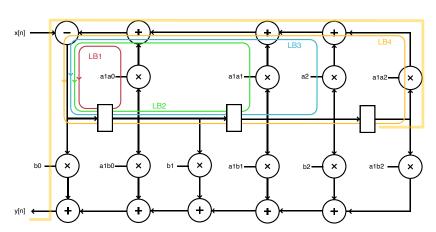


Figure 3.3: IIR lookahead critical path and loop bounds

In yellow it is highlighted the new critical path, which is equal to

$$CP_{lookahead} = 2T_m + 5T_a$$

While in red, green, blue and orange are highlighted all the design's loops, which are respectively  $LB_1$ ,  $LB_2$ ,  $LB_3$ ,  $LB_4$  and are equal to

$$LB_{lookahead_1} = \frac{T_m + 2T_a}{1}$$

$$LB_{lookahead_2} = \frac{T_m + 3T_a}{2}$$

$$LB_{lookahead_3} = \frac{T_m + 4T_a}{2}$$

$$LB_{lookahead_4} = \frac{T_m + 4T_a}{3}$$

Again, we have calculated  $T_{lookahead_{\infty}}$  as

 $T_{lookahead_{\infty}} = \max\{LB_{lookahead_{1}}, LB_{lookahead_{2}}, LB_{lookahead_{3}}, LB_{lookahead_{4}}\} = LB_{lookahead_{1}}$ 

Which is smaller than  $CP_{lookahead}$ . To have  $T_{lookahead_{\infty}} = CP_{lookahead}$  we have applied a combination of retiming and pipelining, as shown in figure 3.4.

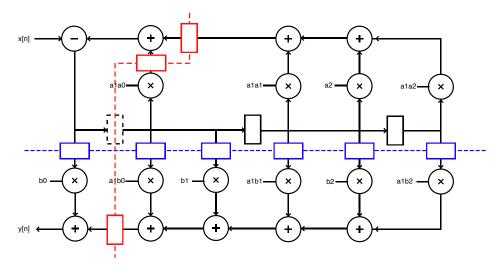


Figure 3.4: Optimized IIR lookahead

First, we applied retiming on the leftmost register, which is the dashed black one, by using the cut-set shown in red. With the same color are shown the retiming registers. Furthermore, in blue it is shown the forward cut-set used for pipelining and the related registers. Pipelining, in respect to retiming, changes the behavior of the circuit. Indeed it had consequences on the delay of the *vin* signal, which has been adjusted accordingly. The new critical path has now a delay of

$$CP_{lookahead} = T_m + 2T_a (3.6)$$

Which is better than the one of the baseline IIR described in equation 3.1.

#### 3.2.1 Logic synthesis results

We have updated the script described in the previous chapter to synthesize this architecture. The smallest  $t_{ck}$  we have been able to achieve is  $t_{ck_{min}} = 2.55 \ ns$ , with a corresponding area of  $A_{min} \approx 8605 \ \mu m^2$ .

By using  $t_{ck} = 4 * t_{ck_{min}} = 10.6 \ ns$  the design is able to provide a value after 3.43 ns with a slack of 7.06 ns. The area, in this case, is equal to  $A \approx 7958 \ \mu m^2$ .

As already done in the previous chapter, we can see that for a speed reduction of  $\approx 34.5\%$  there is an area gain of  $\approx 7.5\%$ .

#### 3.2.2 Power consumption estimation

After the synthesis we have run a simulation to verify the correctness of the synthesized file and its switching activity as explained in the previous chapter. The power report is listed below.

```
Cell Internal Power = 689.3951 uW (57%)

Net Switching Power = 515.5695 uW (43%)

-----

Total Dynamic Power = 1.2050 mW (100%)

Cell Leakage Power = 163.5452 uW
```

Power Group	Internal Power	Switching Power	Leakage Power	Total Power	(	% )	Attrs
io_pad	0.0000	0.0000	0.0000	0.0000		0.00%)	
memory	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
black_box	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
clock_network	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
register	219.9684	71.4661	2.5763e+04	317.1974	(	23.18%)	
sequential	0.0000	0.0000	0.0000	0.0000	(	0.00%)	
combinational	469.4267	444.1043	1.3778e+05	1.0513e+03	(	76.82%)	
Total	689.3951 uW	515.5704 uW	1.6355e+05 nW	1.3685e+03	 uW		

#### 3.2.3 Place and route results

Again, we have repeated the same steps of the baseline IIR and we report here for commodity the power consumption report after the place & route.

Total Power [Power Units = 1mW]					
Total Internal Power: Total Switching Power: Total Leakage Power: Total Power:	1.73352686 1.28357305 0.16201317 3.17911308	54.5286% 40.3752% 5.0962%			

Group	Internal Power	Switching Power	Leakage Power	Total Power	Percentage (%)
Sequential	0.2444	0.07291	0.02576	0.3431	10.79
Macro	0	0	0	0	0
10	0	0	0	0	0
Combinational	1.489	1.211	0.1363	2.836	89.21
Clock (Combinational)	0	0	0	0	0
Clock (Sequential)	0	0	0	0	0
Total	1.734	1.284	0.162	3.179	100

## 3.3 Final results analysis

The lookahead version of the IIR is faster and more area and power hungry in respect to the baseline IIR. In table 3.3 the improvement in percentage of the lookahead with respect to the baseline filter is summarized. A negative percentage indicates a worsening, eg. if the area is negative then the lookahead is larger than the baseline.

Metric	$t_{ck_{min}}$	$4t_{ck_{min}}$
Timing	9%	33%
Area	-102%	-115%
Power	-	-125%

Given these numbers it is clear that the IIR lookahead should be used only when speed is of paramount importance, since the worsening normally outweigh the speed benefit.

Moreover, even when talking about speed, the percentage difference between the two  $t_{ck_{min}}$  is marginal, as it is only 9% even if  $CP_{iir} > CP_{lookahead}$  (eq. 3.1, 3.6). We suppose that this is

due to the ability of the synthesizer to find more optimization opportunities thanks to the longer combinational path, probably by merging adders and/or multipliers together. The improvements given by pipelining and retiming are noticeable only when using  $t_{ck} = 4t_{ck_{min}}$  since the lookahead architecture is 33% faster than the baseline one.

We think, however, that this result could be reverted by pipelining the baseline IIR, since it would reach the same CP length with less hardware.