

# Interview Problems



Good

Evening

## Agenda

01. Possibility of finishing courses
  02. Topological sort
  03. Minimum jumps to reach end
  04. Buy sell stock (Infinite transaction)
- 5-6 problems

## Possibility of finishing Courses

Given N courses with pre-requisites.

Check if it is possible to finish all the courses

Course

pre-requisite for

1

2, 3 { 1 is pre-requisite for 2 & 3 }

2

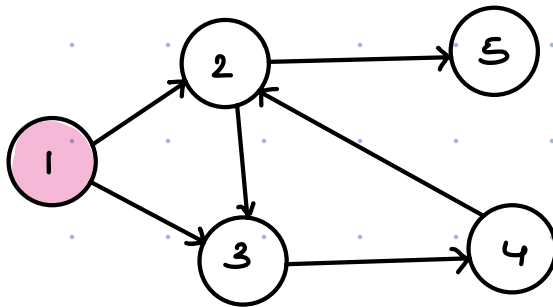
3, 5

3

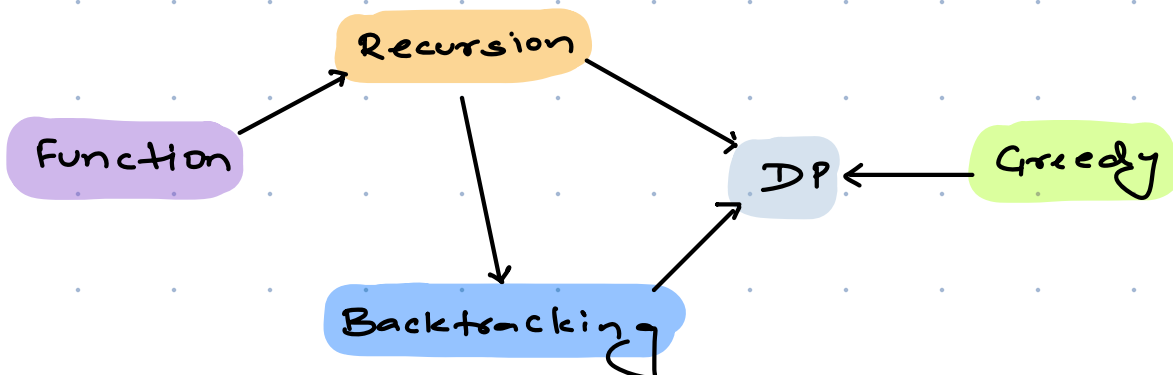
4

4

2



Note → In case of cycle, courses can't be finished



Function

Greedy

Recursion

Backtracking

DP

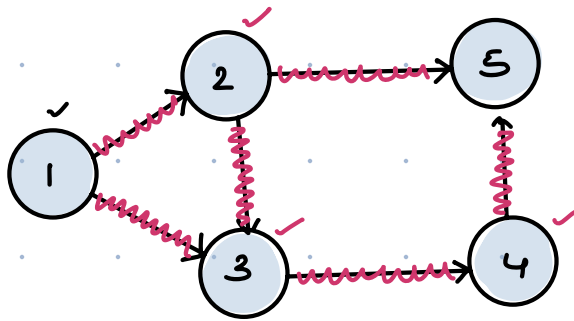
Function

Recursion

Backtracking

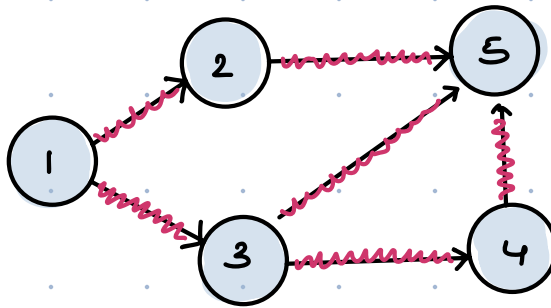
Greedy

DP



Ans =

1 2 3 4 5



Ans =

1 2 3 4 5 ✓

1 3 2 4 5 ✓

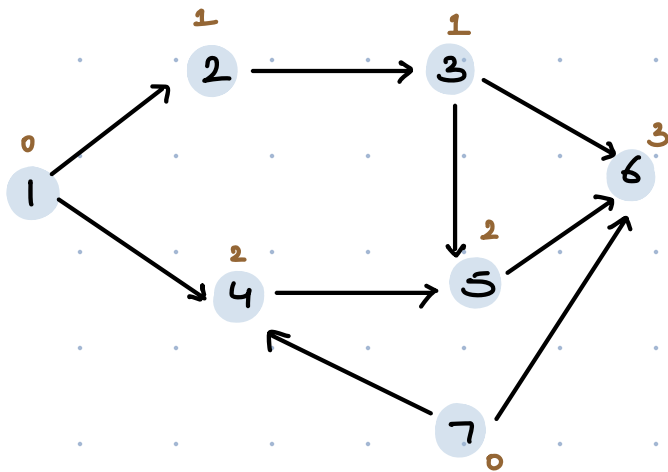
1 3 4 2 5 ✓

## Topological Sort

### Definition

**Topological sort** is a linear ordering of the vertices (nodes) in a directed acyclic graph (DAG) such that for every directed edge  $(u, v)$ , vertex  $u$  comes before vertex  $v$  in the ordering. In other words, it arranges the nodes in such a way that if there is a directed edge from node A to node B, then node A comes before node B in the sorted order.

Find topological sort of below graph (Kahn's Algo)



$0 \rightarrow \{ \}$   
 $1 \rightarrow \{2, 4\}$   
 $2 \rightarrow \{3\}$   
 $3 \rightarrow \{5, 6\}$   
 $4 \rightarrow \{5\}$   
 $5 \rightarrow \{6\}$   
 $6 \rightarrow \{ \}$   
 $7 \rightarrow \{4, 6\}$

01. Calculate indegree of every vertex

```
int[] indegree = new int[n+1];
```

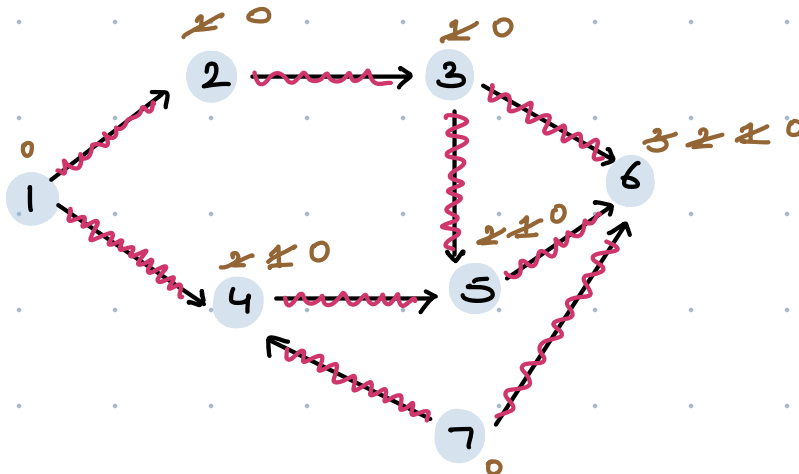
```
for (i=0; i<=n; i++) {
```

```
    for (int nbr : graph[i]) {
```

```
        indegree[nbr]++;
```

```
    }
```

\* Put all nodes with indegree 0 inside queue & start relaxing nbrs. If  $\text{indegree}[\text{nbr}] = 0$ , put nbr in queue.





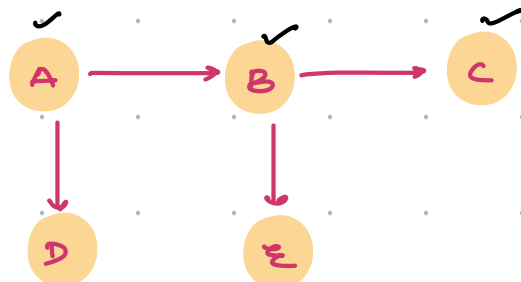
Ans = 1 7 2 4 3 5 6

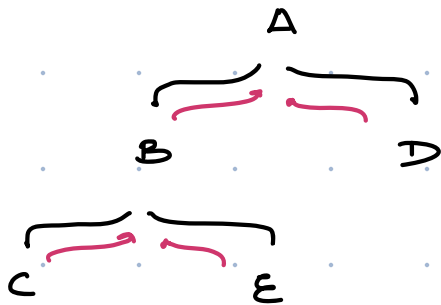
```
for (i=0; i<N; i++){
    if (indegree[i] == 0) q.add(i);
}
```

```
while (q.size() > 0){
    int rem = q.remove();
    print(rem);
    for (int nbr : graph[rem]){
        indegree[nbr]--;
        if (indegree[nbr] == 0) q.add(nbr);
    }
}
```

TC:  $O(V+E)$   
SC:  $O(V)$

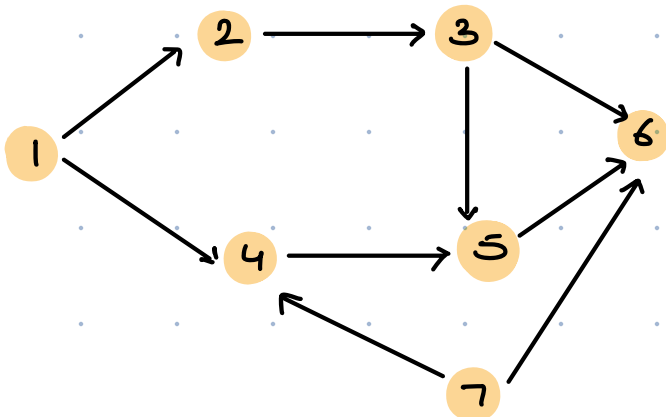
\* Topological Sort (Right to left)





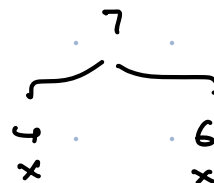
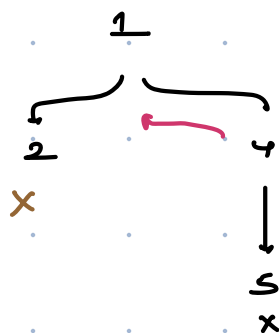
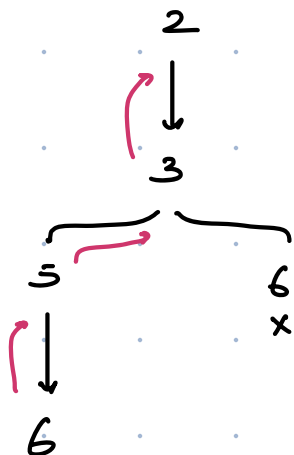
C E B D A

reverse = A D B E C



6 5 3 2 4 1 7

Rev = 7 1 4 2 3 5 6



```

Stack <I> st = new Stack <>();
int [] vis = new int [n];

for (i=0; i<n; i++){
    if (vis[i] == false) dfs (graph, i, vis, st)
}

```

```

void dfs (graph, src , vis, st){
    vis [src] = 1 ;

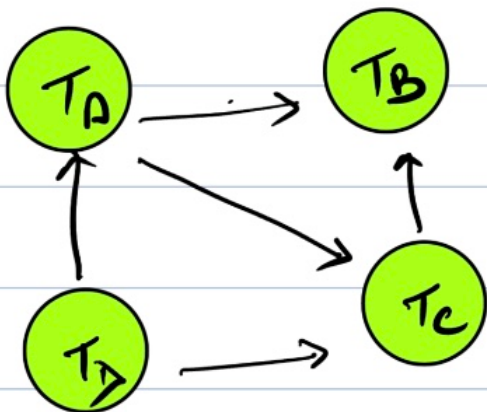
    for (int nbr : graph [src]){
        if (vis [nbr] == false) dfs (graph, nbr, vis, st);
    }
    st.push(src)
}

```

```

while (st.size() > 0){
    print (st.pop());
}

```



⇒ T<sub>D</sub> T<sub>A</sub> T<sub>C</sub> T<sub>B</sub>

## Problem 2 Minimum Jumps to Reach End

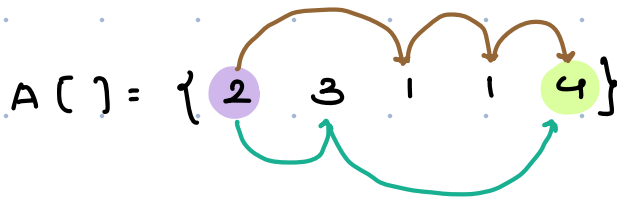
### Description:

You are given a 0-indexed array of integers `arr` of length `n`. You are initially positioned at `arr[0]`.

Each element `arr[i]` represents the maximum length of a forward jump from index `i`. In other words, if you are at `arr[i]`, you can jump to any `arr[i + j]` where:

- $0 \leq j \leq arr[i]$
- $i + j < n$

Return the minimum number of jumps to reach `arr[n - 1]`. The test cases are generated such that you can reach `arr[n - 1]`.



jumps = 3

jumps = 2

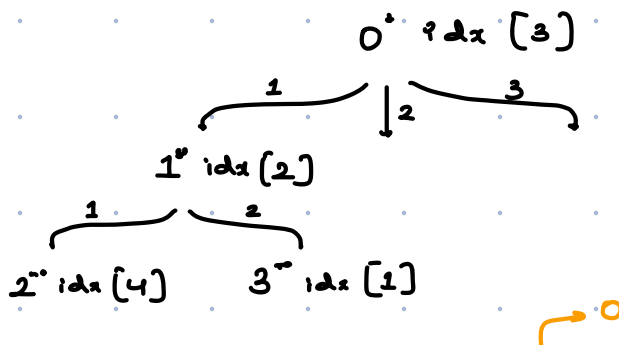
$A[] = \{0, 1, 4\}$

jump =  $\infty$  (not possible)

$A[] = \{3, 2, 4\}$

jump = 1

$A[] = \{3, 2, 4, 1, 2, 3, 0, 0, 1\}$   
0 1 2 3 4 5 6 7 8



```
int minjump (A[], int i)
{
    if (i == A.length - 1) return 0;
    if (i > A.length) return  $\infty$ ;
    mini =  $\infty$ 
    for (jump = 1 ; jump <= A[i] ; jump++) {
        int rec = minjump (A , i + jump)
        mini = Math.min (mini, rec);
    }
    return mini ==  $\infty$  ? mini : mini + 1 ;
}
```

TC:  $O(\max \text{ of } A)^2$

SC:  $O(n)$



$A[] = \{ \underset{0}{3} \quad \underset{1}{2} \quad \underset{2}{4} \quad \underset{3}{1} \quad \underset{4}{2} \quad \underset{5}{3} \quad \underset{6}{0} \quad \underset{7}{0} \quad \underset{8}{1} \}$

$dp[] = \{ \textcircled{3} \quad 3 \quad 2 \quad 3 \quad 2 \quad 1 \quad \infty \quad \infty \quad 0 \}$

$dp[i] = \text{min. jumps to reach last idx}$

$dp[n-1] = 0$

for ( $i = n-2$ ;  $i \geq 0$ ;  $i--$ ) {

    int mini =  $\infty$

    for ( $j = 1$ ;  $j \leq A[i]$  &  $i+j < n$ ;  $j++$ ) {

        mini = Math.min(mini,  $dp[i+j]$ );

    }

$dp[i] = \text{mini} == \infty ? \infty : \text{mini} + 1$ ;

return  $dp[0]$ ;

Tc:  $O(n * \text{max})$   
Sc:  $O(n)$

$A[] = \{ \textcircled{2} \quad 3 \quad 0 \quad 1 \quad \textcircled{4} \}$

$dp[] = \{ \textcircled{2} \quad 1 \quad \infty \quad 1 \quad 0 \}$

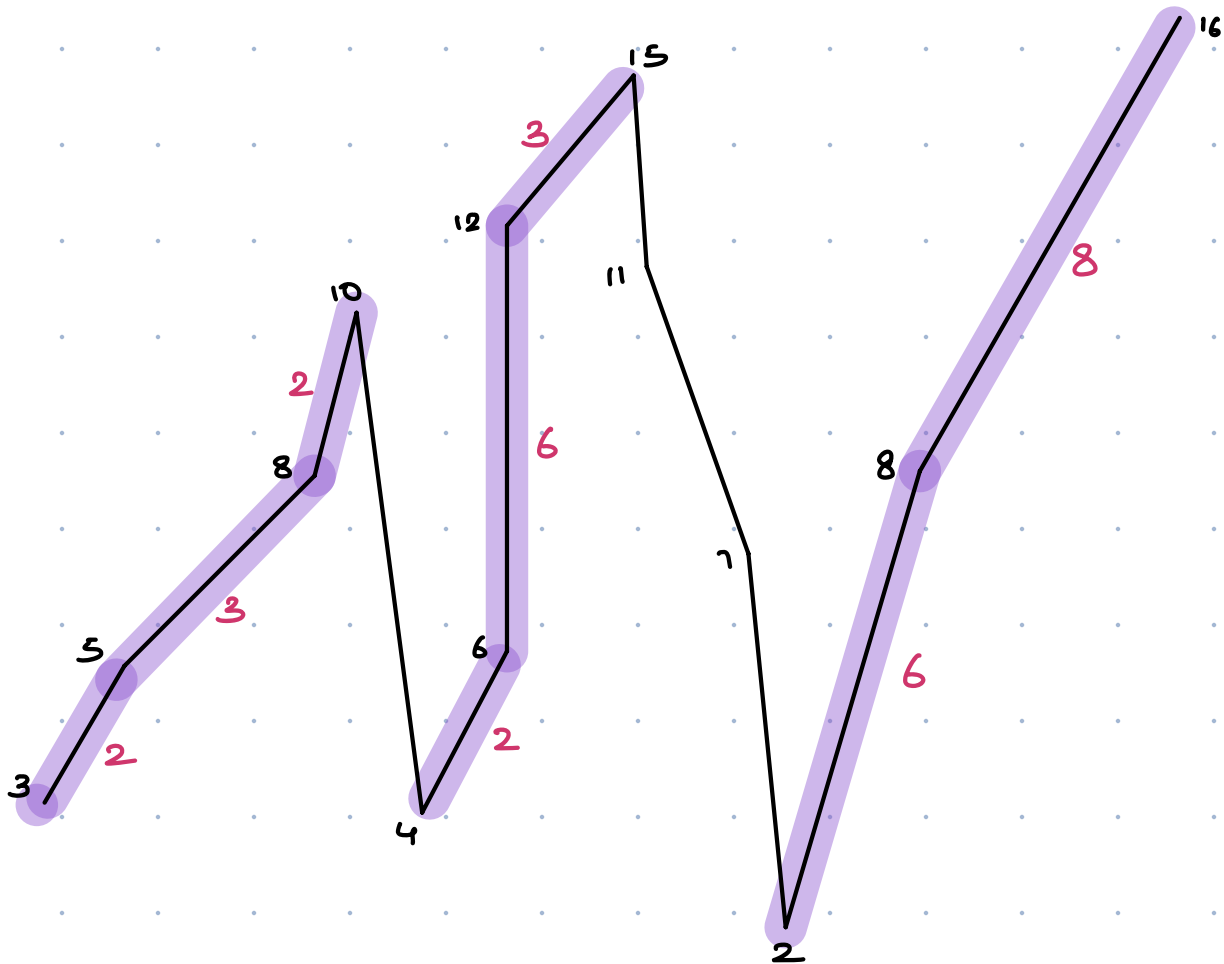
### Problem 3 Maximum Profit from Stock Prices

FIGQLUT

#### Problem Statement

Given an array A where the i-th element represents the price of a stock on day i, the objective is to find the maximum profit. We're allowed to complete as many transactions as desired, but engaging in multiple transactions simultaneously is not allowed.

$$A[] = \{3, 5, 8, 10, 4, 6, 12, 15, 11, 7, 2, 8, 16\}$$



profit = 0

for (i = 0 ; i < n - 1 ; i++) {

    if (A[i+1] > A[i]) {

        profit = A[i+1] - A[i];

    }

return profit;

Tc :  $O(n)$

Sc :  $O(1)$

————  $\alpha$  ————  $\alpha$  ————  $\alpha$  ————  $\alpha$  ————

## Prediction

HashMap  $\rightarrow$  subarr with sum = 0, sum = B,  
Longest consecutive sequence  
Minimum window substring

## DP/Trees

Graph  $\rightarrow$  No. of islands, rotten oranges,  
Nearest Distance from 1s, Possibility of  
finishing course

prims & Dijkstra

## Sorting or

## Searching

Custom  
Comparator

- $\rightarrow$  A\* magical no
- $\rightarrow$  Search in rotated sorted Arr
- $\rightarrow$  Aggressive cows / Painter partition /  
Koko eating banana / Books Allocation

## LL / Stack

Reversing /  
middle of LL /  
cycle in LL

Finding min/max on left or right  
Killer fish

Asteroid collision

Maximum in window  $\rightarrow$  Deque