

DSA5101 Introduction to Big Data for Industry

Lecture 3: Functions and Classes

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Part II: Functions

- Using basic Python mechanisms, one can write codes for many problems
- Such a code can be **long and messy** for a complex problem
- Such a code can be **hard to keep track of details and correct** if wrong
- Such a code can be **hard to reuse**.
- Well-structured code rely on advanced **abstraction** and **decomposition** mechanisms: **classes and functions** (which are self-defined data types).
- A good piece of code consists of modules, which
 - are self-contained
 - can easily be reused
 - keep code organized and coherent

Modular Structure of A Short Python Program

- Import libraries that are used in your program

```
import pandas as pd
import ...
Import ...
```

- Define classes for efficiently storing & declare **global variable**.

```
class Employee:
    ...
...
class Salary:
    ...
```

- Define functions for data analysis

```
def function1(...):
    ...
...
def function5(...):
    ...
```

- Starting point Computation

```
if __name__ == '__main__':
    function 5(...)
```

For readability, one also needs to annotate your classes and function besides the “readme” file.

Large program is usually divided into several files.

Part II: Functions

- Python empowered with many libraries that contain many functions.
 - a library contains non-standard data types and functions for special computing tasks

- A function is an independent unit of code that performs a special task
- A function **takes** input data, process them and **returns** something. It has
 - **a name**
 - arguments or (0 or more) **parameters** to take input
 - **a body** consisting of Python code statements.
 - **(optional)** a specification (called a **doc-string**)

The diagram shows a Python function definition for a Fibonacci function. The code is as follows:

```
def Fibonacci(k):  
    """Input: k, a positive integer  
    output: the k-th Fibonacci number"""  
    if k==0 or k==1:  
        return 1  
    else:  
        return fibonacci(k-2)+ fibonacci(k-1)
```

Annotations in red text point to specific parts of the code:

- keyword** points to the `def` keyword.
- name** points to the function name `Fibonacci`.
- argument** points to the parameter `(k)`.
- docstring** points to the multi-line string enclosed in triple quotes.
- body** points to the indented code block starting with `if k==0 or k==1:`.

Example: Count words

- Count the words in a song

```
def Count_Words_Freq(word_list):  
    myDict = {}  
    for word in word_list:  
        if word in myDict:  
            myDict[word] += 1  
        else:  
            myDict[word] = 1  
    return myDict
```

```
Song=['you', 'and', 'me', 'from', 'one', 'world', 'we', 'are',  
      'family', 'lah', 'lah', 'lah']
```

```
Words_Freq=Count_Words_Freq(Song)
```

-
- Function is not executed in a program until they are **called**
 - Functions achieve **abstraction** with function specification
 - don't need to see details
 - hide tedious coding details
 - don't need to know how it works to use it, like car.

In mathematics,

- composition of two simply function

$$f(x) = x^3; g(x) = 2x + 1; (f \circ g)(2) = ?$$

- use a set of polynomials to approximate a complicate function

In coding,

- Divide-and-Conquer, dynamic programming
- Use functions and data types for simplifying computation.

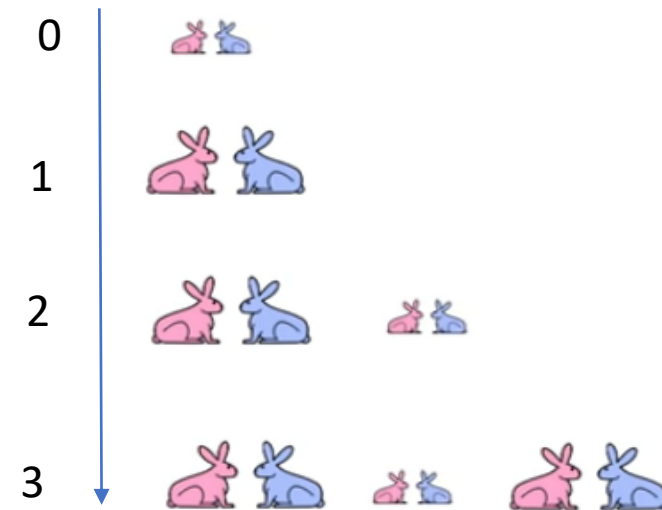
Recursive function and dynamic programming

Problem 1: Compute Fibonacci numbers

- Fibonacci numbers 1, 1, 2, 3, 5, 8, ...
- Recursive formula $a[0]=1, a[1]=1, a[k]=a[k-1]+a[k-2], k>1;$

- Leonardo of Pisa (aka Fibonacci) modeled the following challenge

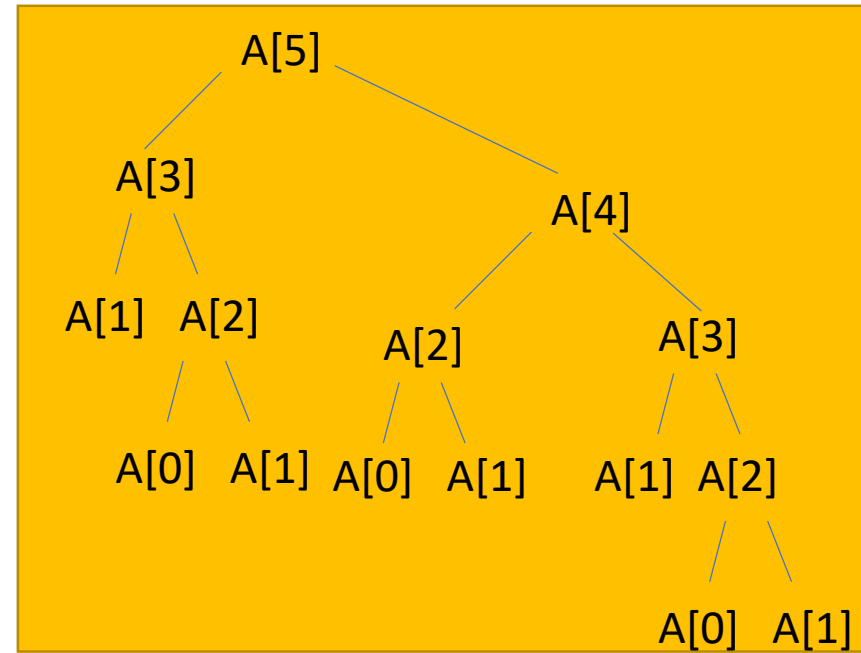
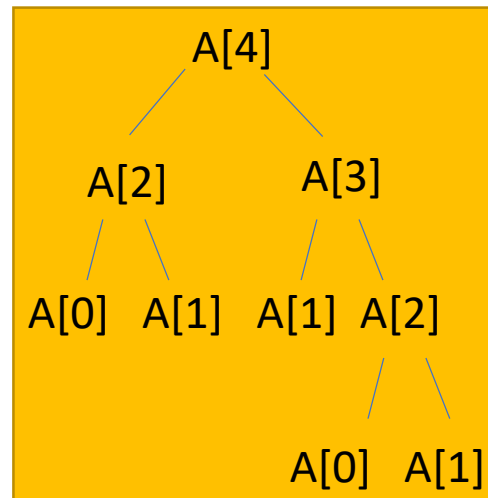
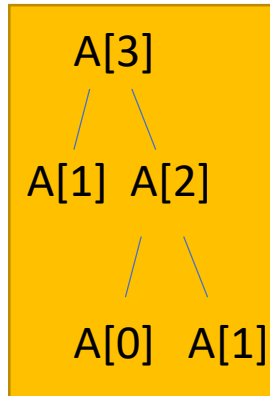
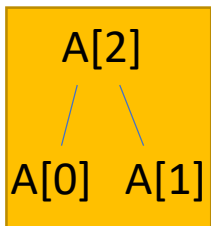
- Newborn pair of rabbits (one female, one male) are put in a pen
- Rabbits mate at age of one month
- Rabbits have a one month gestation period
- Assume rabbits never die, that female always produces one new pair (one male, one female) every month from its second month on.
- How many female rabbits are there at the end of one year?



Naïve Implementation

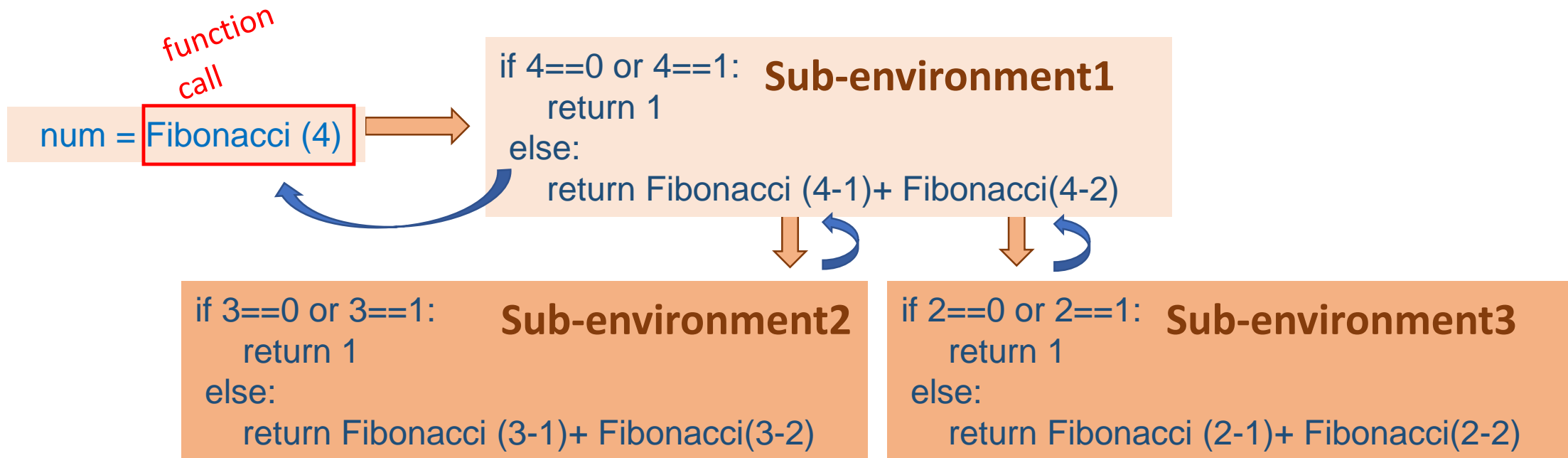
- Fibonacci numbers $a[0]=1$, $a[1]=1$, $a[k]=a[k-1]+a[k-2]$, $k>1$;

```
def Fib ( k ):
    if k==0 or k==1:
        return 1
    else:
        return Fib (k-2)+ Fib (k-1)
```



```
def Fibonacci ( k ):
    if k==0 or k==1:
        return 1
    else:
        return Fibonacci (k-1)+ Fibonacci(k-2)
```

- **Frame/environment** is created when a function is called.
- **Scope** is the mapping of names to objects



2nd Implementation: Memoization

```
# efficiently compute Fibonacci numbers

def Fib2(k, dict):
    if k in dict:
        return dict[k]
    else:
        ans = Fib2(k-1, dict) + Fib2(k-2, dict)
        dict[k] = ans
    return ans

dict = {0:1, 1:1}
Fib2(10, dict)
```

Lookup statement

Update the dictionary

- This tech is called **Dynamic Programming**, where we use memory to reduce redundant computing.
- Do a **lookup first** to use the stored values if calculated.
- **Update the dictionary** as progress through function calls
- Memoization \neq Memorization

3rd Implementation: Tabular computation

```
# efficiently compute Fibonacci numbers
```

```
def fib_BottomUp(k):  
    if k == 1 or k == 0:  
        return 1  
    table = [0]*(k+1)  
    table[0] = 1  
    table[1] = 1  
    for j in range(2,k+1):  
        table[j] = table[j-1] + table[j - 2]  
    return table[k]
```

- This is a bottom-up implementation of the dynamic program

Time and space complexity analysis

```
# efficiently compute Fibonacci numbers
```

```
def fib_BottomUp(k):  
    if k == 1 or k == 0:  
        return 1  
    table = [0]*(k+1)  
    table[0] = 1  
    table[1] = 1  
    for j in range(2,k+1):  
        table[j] = table[j-1] + table[j - 2]  
    return table[k]
```

```
def Fib ( k ):  
  
    if k==0 or k==1:  
        return 1  
    else:  
        return Fib (k-2)+ Fib (k-1)
```

- Calculate a value for each of the k cells.
- For each cell, one addition is used.
- In total, $2k$ (memory reading) + k (addition) operations

Problems that can be solved by DP

- The longest common subsequence problem
- The shortest common supersequence problem
- The string edit distance problem
- The Knapsack problem
- The shortest path problem
- The longest path problem
- ...

The Shortest Common Supersequence (SCS) Problem

Input: two sequences P, Q;

Solution: the LCS of both P and Q.

Example: P="ABCD";

Q="CBSDQ"

SCS(P, Q)="ACBCSDSQ"

We will solve the SCS problem using two steps.

- Compute the length of the SCS.
- Infer a SCS from the computation in Step 1

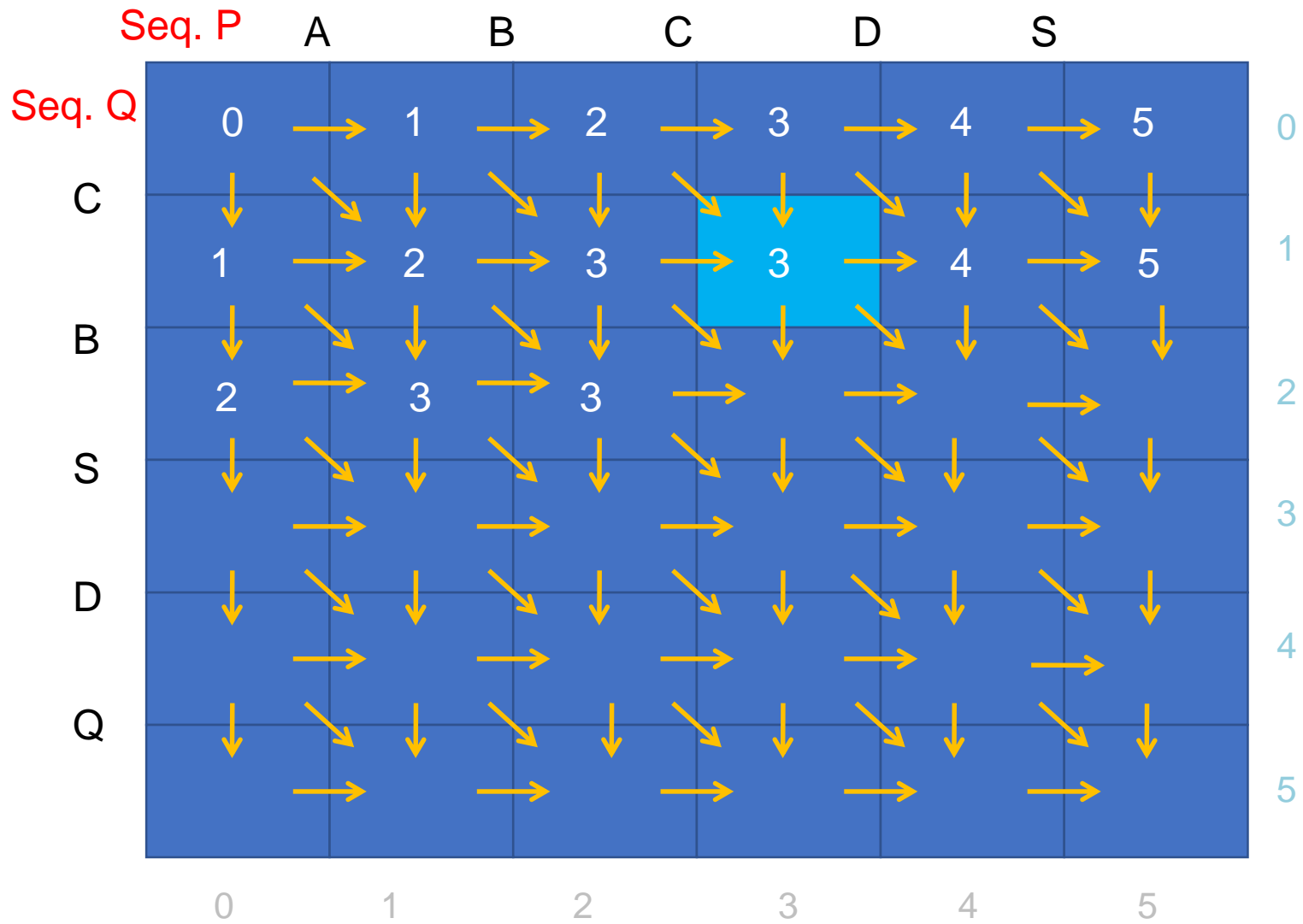
Let $P = x_1x_2 \cdots x_m$ and $Q = y_1y_2 \cdots y_n$

Let $S(i, j)$ denote the length of the SCS of the strings

$P_i = x_1x_2 \cdots x_i$ ($0 \leq i \leq m$) and $P_j = y_1y_2 \cdots y_j$ ($0 \leq j \leq n$)

Then, we have the following recursive formula for $S(i, j)$:

$$S(i, j) = \begin{cases} j, & \text{if } i = 0 \\ i, & \text{if } j = 0 \\ S(i - 1, j - 1) + 1, & \text{if } i > 0, j > 0 \text{ and } x_i = y_j \\ \min(S(i - 1, j), S(i, j - 1)) + 1, & \text{if } i > 0, j > 0, \text{ and } x_i \neq y_j \end{cases}$$

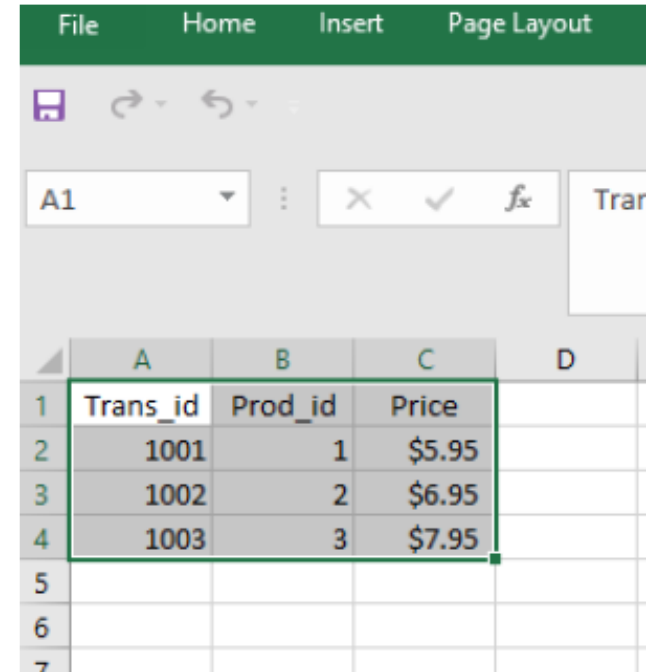


Homework: Code a Python Program on the basis of this tabular Computation.

Read from & write to xlsx Files

```
import openpyxl as xl
from openpyxl.chart import BarChart, Reference
wb=xl.load_workbook('DSA5101_Exercise.xlsx')
sheet = wb['Sheet1']
```

Read a xlsx file named "DSA5101_Exercise.xlsx"



	A	B	C	D
1	Trans_id	Prod_id	Price	
2	1001	1	\$5.95	
3	1002	2	\$6.95	
4	1003	3	\$7.95	
5				
6				
7				

Homework: How to work on image and pdf files in Python?

YouTube Video: <https://www.youtube.com/watch?v=7YS6YDQKFh0>

Read from & write to xlsx Files

```
import openpyxl as xl
from openpyxl.chart import BarChart, Reference
wb=xl.load_workbook('DSA5101_Exercise.xlsx')
sheet = wb['Sheet1']

for row in range(2, sheet.max_row+1):
    cell=sheet.cell(row,3)
    corrected_price=cell.value * 0.9
    corrected_price_cell=sheet.cell(row, 5)
    corrected_price_cell.value = corrected_price
```

Access every cell in Column C

Write to every cell in Column E

- sheet.max_row=4
- the 3rd column is col C.

	A	B	C	D
1	Trans_id	Prod_id	Price	
2	1001	1	\$5.95	
3	1002	2	\$6.95	
4	1003	3	\$7.95	
5				
6				
7				

Read from & write to xlsx Files

```
import openpyxl as xl
from openpyxl.chart import BarChart, Reference
wb=xl.load_workbook('DSA5101_Exercise.xlsx')
sheet = wb['Sheet1']
```

```
for row in range(2, sheet.max_row+1):
    cell=sheet.cell(row,3)
    corrected_price=cell.value * 0.9
    corrected_price_cell=sheet.cell(row, 5)
    corrected_price_cell.value = corrected_price
```

```
values=Reference(sheet, min_row=2,
                  max_row=sheet.max_row,
                  min_col=5,
                  max_col=5)
```

Access every cell in Col. E

```
chart = BarChart()
chart.add_data(values)
sheet.add_chart(chart, 'g2')
wb.save('test.xlsx')
```

Draw the bar chart at the pos. "g2"

