

## Dijkstra Código

```
vi dist(V, INF); dist[s] = 0;
priority_queue<ii, vector<ii>, greater<ii>> > pq; pq.push(ii(0, s));
// ~to sort the pairs by increasing distance from s
while (!pq.empty()) {
    ii front = pq.top(); pq.pop(); // greedy: pick shortest unvisited vertex
    int d = front.first, u = front.second; // main loop
    if (d == dist[u]) // this check is important, see the explanation
        for (int j = 0; j < (int)AdjList[u].size(); j++) {
            ii v = AdjList[u][j]; // all outgoing edges from u
            if (dist[u] + v.second < dist[v.first]) {
                dist[v.first] = dist[u] + v.second; // relax operation
                pq.push(ii(dist[v.first], v.first));
            } } // note: this variant can cause duplicate items in the priority queue
}
```

# Bellman-Ford Código

```
vi dist(V, INF); dist[s] = 0;
for (int i = 0; i < V - 1; i++) // relax all E edges V-1 times, overall O(VE)
    for (int u = 0; u < V; u++) // these two loops = O(E)
        for (int j = 0; j < (int)AdjList[u].size(); j++) {
            ii v = AdjList[u][j]; // we can record SP spanning here if needed
            dist[v.first] = min(dist[v.first], dist[u] + v.second); // relax
        }
```

Example codes: ch4\_06\_bellman\_ford.cpp; ch4\_06\_bellman\_ford.java

```
bool hasNegativeCycle = false;
for (int u = 0; u < V; u++) // one more pass to check
    for (int j = 0; j < (int)AdjList[u].size(); j++) {
        ii v = AdjList[u][j];
        if (dist[v.first] > dist[u] + v.second) // if this is still possible
            hasNegativeCycle = true; // then negative cycle exists!
    }
printf("Negative Cycle Exist? %s\n", hasNegativeCycle ? "yes" : "No");
```