MIPS Assembly Language Programming using QtSpim



Ed Jorgensen Version 1.1 July 2013

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1.0 Introduction

There are number of excellent, comprehensive, and in-depth texts on MIPS assembly language programming. This is not one of them.

The purpose of this text is to provide a simple and free reference for university level programming and architecture units that include a brief section covering MIPS assembly language programming. The text assumes usage of the QtSpim simulator. An appendix is included that covers the downloading, installation, and basic use of the QtSpim simulator.

The scope of this text addresses basic MIPS assembly language programming including instruction set usage, stacks, procedure/function calls, QtSpim simulator system services, multiple dimension arrays, and basic recursion.

1.1 Additional References

Some key references for additional information are listed below:

- MIPS Assembly-language Programmer Guide, Silicon Graphics
- MIPS Software Users Manual, MIPS Technologies, Inc.
- Computer Organization and Design: The Hardware/Software Interface, Hennessy and Patterson

More information regarding these references can be found on the Internet.

Chapter 1.0 ◀ Introduction

2.0 MIPS Architecture Overview

This chapter presents a basic, general overview of the architecture of the MIPS processor.

The MIPS architecture is a Reduced Instruction Set Computer (RISC). This means that there is a smaller number of instructions that use a uniform instruction encoding format. Each instruction/operation does one thing (memory access, computation, conditional, etc.). The idea is to make the lesser number of instructions execute faster. In general RISC architectures, and specifically the MIPS architecture, are designed for high-speed implementations.

2.1 Architecture Overview

The basic components of a computer include a Central Processing Unit (CPU), Random Access Memory (RAM), Disk Drive, and Input/Output devices (i.e., screen and keyboard), and an interconnection referred to as BUS.

A very basic diagram of a computer architecture is as follows:

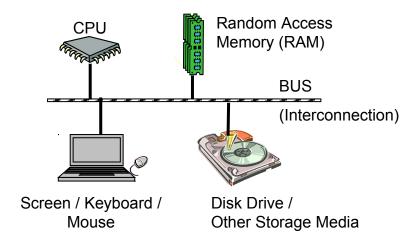


Illustration 1: Computer Architecture

Chapter 2.0 ◀ MIPS Architecture Overview

Programs and data are typically stored on the disk drive. When a program is executed, it must be copied from the disk drive into the RAM memory. The CPU executes the program from RAM. This is similar to storing a term paper on the disk drive, and when writing/editing the term paper, it is copied from the disk drive into memory. When done, the updated version is stored back to the disk drive.

2.2 Data Types/Sizes

The basic data types include integer, floating point, and characters.

Data can be stored in byte, halfword, word, double-word sizes. Floating point must be in either word (32-bit) or double word (64-bit) size. Character data is typically a byte and a string is a series of sequential bytes.

The MIPS architecture supports the following data/memory sizes:

Name	Size
byte	8-bit integer
half	16-bit integer
word	32-bit integer
float	32-bit floating-point number
double	64-bit floating-point number

Lists or arrays (sets of memory) can be reserved in any of these types. In addition, an arbitrary amount of space can be defined with the ".space" directive.

2.3 Memory

Memory can be viewed as a series of bytes, one after another. That is, memory is *byte addressable*. This means each memory address hold one byte of information. To store a word, four bytes are required which use four memory addresses.

Additionally, the MIPS architecture as simulated in QtSpim is *little-endian*. This means that the Least Significant Byte (LSB) is stored in the lowest memory address. The Most Significant Byte (MSB) is stored in the highest memory location.

For a word (32-bits), the MSB and LSB are allocated as shown below.

31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1	0
	MSB																						LS	SB							

For example, assuming the following declarations:

num1: .word 42

num2: .word 5000000

Recall that 42_{10} in hex, word size, is 0x0000002A and $5,000,000_{10}$ in hex, word size, is 0x004C4B40.

For a little-endian architecture, the memory picture would be as follows:

variable name	value	address
	?	0x100100C
	00	0x100100B
	4C	0x100100A
	4B	0x1001009
Num2 →	40	0x1001008
	00	0x1001007
	00	0x1001006
	00	0x1001005
Num1 →	2A	0x1001004
	?	0x1001003

Based on the little-endian architecture, the LSB is stored in the lowest memory address and the MSB is stored in the highest memory location.

2.4 Memory Layout

The general memory layout for a program is as shown:

high memory	stack
	heap
	uninitialized data
	data
	text (code)
low memory	reserved

The reserved section is not available to user programs. The text (or code) section is where the machine language (i.e., the 1's and 0's that represent the code) is stored. The data section is where the initialized data is stored. This include declared variables that have been provided an initial value at assemble time. The uninitialized data section is where declared variables that have not been provided an initial value are stored. If accessed before being set, the value will not be meaningful. The heap is where dynamically allocated data will be stored (if requested). The stack starts in high memory and grows downward.

The QtSpim simulator does not distinguish between the initialized and uninitialized data sections. Later sections will provide additional detail for the text and data sections.

2.5 CPU Registers

A CPU register, or just register, is a temporary storage or working location built into the CPU itself (separate form memory). Computations are typically performed by the CPU using registers.

The MIPS has 32, 32-bit integer registers (\$0 through \$31) and 32 32-bit floating point register (\$f0 through \$f31). Some of the integer registers are used for special purposes. For example, \$29 is dedicated for use as the stack pointer register, referred to as \$sp.

The registers available and typical register usage is described in the following table.

Register Name	Register Number	Register Usage
\$zero	\$0	Hardware set to 0
\$at	\$1	Assembler temporary
\$v0 - \$v1	\$2 - \$3	Function result (low/high)
\$a0 - \$a3	\$4 - \$7	Argument Register 1
\$t0 - \$t7	\$8 - \$15	Temporary registers
\$s0 - \$s7	\$16 - \$23	Saved registers
\$t8 - \$t9	\$24 - \$25	Temporary registers
\$k0 - \$k1	\$26 - \$27	Reserved for OS kernel
\$gp	\$28	Global pointer
\$sp	\$29	Stack pointer
\$fp	\$30	Frame pointer
\$ra	\$31	Return address

The register names convey specific usage information. The register names will used in the remainder of this document. Further sections will expand on register usage conventions and address the 'temporary' and 'saved' registers.

2.5.1 Reserved Registers

The following reserved registers should not be used in user programs.

Register Name	Register Usage
\$k0 - \$k1	Reserved for use by the Operating System
\$at	Assembler temporary
\$gp	Global pointer
\$epc	Exception program counter

Chapter 2.0 ◀ MIPS Architecture Overview

The \$k0 and \$k1 registers are reserved for use by the operating system and should not be used in user programs. The \$at register is used by the assembler and should not be used in user programs. The \$gp register is used point to global data (as needed) and should not be used in user programs.

2.5.2 Miscellaneous Registers

In addition to the previously listed registers, there are some miscellaneous registers which are listed in the table:

Register Name	Register Usage
\$pc	Program counter
\$status	Status Register
\$cause	Exception cause register
\$hi \$lo	Used for some multiple/divide operations

The \$pc or program counter register points to the next instruction to be executed and is automatically updated by the CPU after instruction are executed. This register is not typically accessed directly by user programs.

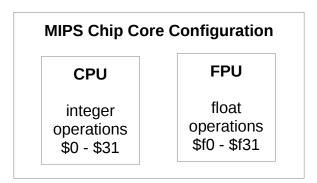
The \$status or status register is the processor status register and is updated after each instruction by the CPU. This register is not typically directly accessed by user programs.

The \$cause or exception cause register is used by the CPU in the event of an exception or unexpected interruption in program control flow. Examples of exceptions include division by 0, attempting to access in illegal memory address, or attempting to execute an invalid instruction (e.g., trying to execute a data item instead of code).

The \$hi and \$lo registers are used by some specialized multiply and divide instructions. For example, a multiple of two 32-bit values can generate a 64-bit results, which is stored in \$hi and \$lo (32-bits each or a total of 64-bits).

2.6 CPU / FPU Core Configuration

The following diagram shows a basic configuration of the MIPS processor internal architecture.



The FPU (floating point unit) is also referred to as the FPU co-processor or simply co-processor 1.

Chapter 2.0 ◀ MIPS Architecture Overview

3.0 Data Representation

Data representation refers to how information is stored within the computer. There is a specific method for storing integers which is different that storing floating point values which is different than storing characters. This chapter presents a brief summary of the integer, floating-point, and ASCII representation schemes. It is assumed the reader is already generally familiar with data representation issues.

3.1 Integer Representation

Representing integer numbers refers to how the computer stores or represents a number in memory. As you know, the computer represents numbers in binary. However, the computer has a limited amount of space that can be used for each number or variable. This directly impacts the size, or range, of the number that can be represented. For example, a byte (8 bits) can be used to to represent 2⁸ or 256 different numbers. Those 256 different numbers can be *unsigned* (all positive) in which case we can represent any number between 0 and 255 (inclusive). If we choose *signed* (positive and negative), then we can represent any number between -128 and +127 (inclusive).

If that range is not large enough to handle the intended values, a larger size must be used. For example, a word (16 bits) can be used to to represent 2¹⁶ or 65,536 different numbers, and a double-word can be used to to represent 2³² or 4,294,967,296 different numbers. So, if you wanted to store a value of 100,000 then a double-word would be required.

The following table shows the ranges associated with typical sizes:

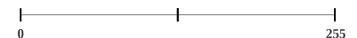
Size	Size	Unsigned Range	Signed Range
Bytes (8 bits)	28	0 to 255	-128 to +127
Words (16 bits)	216	0 to 65,535	-32,768 to +32,767
Double words (32 bits)	232	0 to 4,294,967,295	-2,147,483,648 to +2,147,483,647

Chapter 3.0 ◀ Data Representation

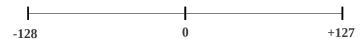
In order to determine if a value can be represented, you will need to know the size of storage (byte, word, double-word) element being used and if the values are signed or unsigned values.

- For representing *unsigned* values within the range of a given storage size, standard binary is used.
- For representing *signed* values within the range, **two's compliment** is used. Specifically, the two's compliment encoding process applies to the values in the negative range. For values within the positive range, standard binary is used.

For example, the unsigned byte range can be represented using a number line as follows:



For example, the signed byte range can also be represented using a number line as follows:



The same concept applies to halfwords and words with larger ranges.

Since unsigned values have a different, positive only, range than signed values, there is some overlap between the values. For example when the unsigned and signed values are within the overlapping positive range (0 to +127):

- A signed byte representation of 12 is $0x0C_{16}$
- An unsigned byte representation of 12 is also $0x0C_{16}$

When the unsigned and signed values are outside the overlapping range:

- A signed byte representation of -15 is 0xF1₁₆
- An unsigned byte representation of 241 is also 0xF1₁₆

This overlap can cause confusion unless the data types are clearly and correctly defined.

3.1.1 Two's Compliment

The following describes how to find the two's compliment representation for negative values.

To take the two's compliment of a number:

- 1. take the one's compliment (negate)
- 2. add 1 (in binary)

The same process is used to encode a decimal value into two's compliment and from two's compliment back to decimal. The following sections provide some examples.

3.1.2 Byte Example

For example, to find the byte size, two's compliment representation of -9 and -12.

9 (8+1) =	00001001
Step 1	11110110
Step 2	11110111
-9 (in hex) =	F7

12 (8+4) =	00001100
Step 1:	11110011
	11110100
-12 (in hex) =	F4

Note, all bits for the given size, byte in this example, must be specified.

3.1.3 Word Example

To find the word size, two's compliment representation of -18 and -40.

18 (16+2) =	000000000010010
Step 1	1111111111101110
Step 2	1111111111101111
-18 (hex) =	FFEE

40 (32+8) =	000000000101000
Step 1	11111111110101111
Step 2	11111111111011000
-40 (hex) =	FFD8

Note, all bits for the given size, words in these examples, must be specified.

3.2 Unsigned and Signed Addition

As previously noted, the unsigned and signed representations may provide different interpretations for the final value being represented. However, the addition and subtraction operations are the same. For example:

241	11110001
+ 7	00000111
248	11111000
248 =	F8
240 -	L0

-15	11110001
+ 7	00000111
-8	11111000
-8 =	F8

The final result of 0xF8 may be interpreted as 248 for unsigned representation and -8 for a signed representation.

Additionally, 0xF8₁₆ is the ° (degree symbol) in the ASCII table.

As such, it is very important to have a clear definition of the sizes (byte, half, word, etc.) and types (signed, unsigned) of data for the operations being performed.

3.3 Floating-point Representation

The representation issues for floating points numbers are more complex. There are a series of floating point representations for various ranges of the value. For simplicity, we will only look primarily at the IEEE 754 32-bit floating-point standard.

3.3.1 IEEE 32-bit Representation

The IEEE 754 32-bit floating-point standard is defined as follows:

31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1	0
s	s biased exponent															fr	actio	on													

Where s is the sign (0 => positive and 1 => negative). When representing floating point values, the first step is to convert floating point value into binary.

The following table provides a brief reminder of how binary handles fractional components:

2^3	2 ²	21	20		2-1	2-2	2-3	
 8	4	2	1		1/2	1/4	1/8	
0	0	0	0	•	0	0	0	

For example, 100.101_2 would be 4.625_{10} . For repeating decimals, calculating the binary value can be time consuming. However, there is a limit since computers have finite storage.

The next step is to show the value in normalized scientific notation in binary. This means that the number should has a single, non-zero leading digit to the left of the decimal point. For example, 8.125_{10} is 1000.001_2 (or 1000.001_2 x 2^0) and in binary normalized scientific notation that would be written as 1.000001 x 2^3 (since the decimal point was moved three places to the left). Of course, if the number was 0.125_{10} the binary would be 0.001_2 (or 0.001_2 x 2^0) and the normalized scientific notation would be 1.0 x 2^{-3} (since the decimal point was moved three places to the right). The numbers after the leading 1, *not* including the leading 1, are stored left-justified in the fraction portion of the word.

The next step is to calculate the *biased exponent*, which is the exponent from the normalized scientific notation with plus the bias. The bias for the IEEE 754 32-bit floating-point standard is 127₁₀. The result should be converted to a byte (8 bits) and stored in the biased exponent portion of the word.

Note, converting from the IEEE 754 32-bit floating-point representation to the decimal value is done in reverse, however leading 1 must be added back (as it is not stored in the word). Additionally, the bias is subtracted (instead of added).

3.3.1.1 IEEE 32-bit Representation Examples

This section presents several examples of encoding and decoding floating-point representation for reference.

3.3.1.1.1 Example \rightarrow 7.75₁₀

For example, to find the IEEE 754 32-bit floating-point representation for -7.75₁₀:

Example 1: -7.75

- determine sign

 convert to binary
 normalized scientific notation
 compute biased exponent
 and convert to binary

 1.1111 x 2²

 2₁₀ + 127₁₀ = 129₁₀
 100000012
- write components in binary:

sign exponent mantissa

1 10000001 1111000000000000000000000

• final result: **C0F8 0000**₁₆

3.3.1.1.2 Example \rightarrow 0.125₁₀

For example, to find the IEEE 754 32-bit floating-point representation for -0.125₁₀:

Example 2: -0.125

- determine sign

 convert to binary
 normalized scientific notation
 compute biased exponent
 and convert to binary

 -0.125 => 1 (since negative)

 -0.125 = -0.001₂
 1.0 x 2⁻³
 -3₁₀ + 127₁₀ = 124₁₀
 = 011111100₂
- write components in binary:

sign exponent mantissa

• convert to hex (split into groups of 4)

• final result: **BE00 0000**₁₆

3.3.1.1.3 Example \rightarrow 41440000₁₆

For example, given the IEEE 754 32-bit floating-point representation 41440000₁₆ find the decimal value:

Example 3: 41440000₁₆

convert to binary

0100 0001 0100 0100 0000 0000 0000 0000

• split into components

• determine exponent

 $10000010_2 = 130_{10}$

o and remove bias

 $130_{10} - 127_{10} = 3_{10}$

• determine sign

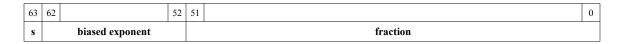
 $0 \Rightarrow positive$

write result

 $+1.10001 \times 2^3 = +1100.01 = +12.25$

3.3.2 IEEE 64-bit Representation

The IEEE 754 64-bit floating-point standard is defined as follows:



The representation process is the same, however the format allows for an 11-bit biased exponent (which support large and smaller values). The 11-bit biased exponent uses a bias of ± 1023 .

Chapter 3.0 ◀ Data Representation

4.0 QtSpim Program Formats

The QtSpim MIPS simulator will be used for programs in this text. The QtSpim simulator has a number of features and requirements for writing MIPS assembly language programs. This includes a properly formatted assembly source file.

A properly formatted assembly source file consists of two main parts; the data section (where data is placed) and the text section (where code is placed). The following sections summarize the formatting requirements and explains each of these sections.

4.1 Assembly Process

The QtSpim effectively assembles the program during the load process. Any major errors in the program format or the instructions will be noted immediately. Assembler errors must be resolved before the program can be successfully executed. Refer to Appendix B regarding the use of QtSpim to load and execute programs.

4.2 Comments

The "#" character represents a comment line. Anything typed after the "#" is considered a comment. Blank lines are accepted.

4.3 Assembler Directives

An assembler directive is a message to the assembler, or the QtSpim simulator, that tells the assembler something it needs to know in order to carry out the assembly process. This includes noting where the data is declared or the code is defined. Assembler directives are *not* executable statements.

Directives are required for data declarations and to define the start and end of procedures. Assembler directives start with a ".". For example, ".data" or ".text".

Additionally, directives are used to declare and defined data. The following sections provide some examples of data declarations using the directives.

4.4 Data Declarations

The data must be declared in the ".data" section. All variables and constants are placed in this section. Variable names must start with a letter followed by letters or numbers (including some special characters such as the "_"), and terminated with a ":" (colon). Variable definitions must include the name, the data type, and the initial value for the variable. In the definition, the variable name must be terminated with a ":".

The data type must be preceded with a "." (period). The general format is:

<variableName>: .<dataType> <initialValue>

Refer to the following sections for a series of examples using various data types.

The supported data types are as follows:

Declaration	
.byte	8-bit variable(s)
.half	16-bit variable(s)
.word	32-bit variable(s)
.ascii	ASCII string
.asciiz	NULL terminated ASCII string
.float	32 bit IEEE floating point number
.double	64 bit IEEE floating point number
.space <n></n>	<n> bytes of uninitialized memory</n>

These are the primary assembler directives for data declaration. Other directives are referenced in different sections.

4.4.1 Integer Data Declarations

Integer values are defined with the .word, .half, or .byte directives. Two's compliment is used for the representation of negative values. For more information regarding two's compliment, refer to the Data Representation section.

The following declarations are used to define the integer variables "wVar1" and "wVar2" as 32-bit word values and initialize them to 500,000 and -100,000.

wVar1: .word 500000 wVar2: .word -100000

The following declarations are used to define the integer variables "hVar1" and "hVar2" as 16-bit word values and initialize them to 5,000 and -3,000.

hVar1: .half 5000 hVar2: .half -3000

The following declarations are used to define the integer variables "bVar1" and "bVar2" as 8-bit word values and initialize them to 5 and -3.

bVar1: .byte 5 bVar2: .byte -3

If an variable is initialized to a value that can not be stored in the allocated space, an assembler error will be generated. For example, attempting to set a byte variable to 500 would be illegal and generate an error.

4.4.2 String Data Declarations

Strings are defined with *.ascii* or *.asciiz* directives. Characters are represented using standard ASCII characters. Refer to Appendix D for a copy of the ASCII table for reference.

The C/C++ style new line, "\n", and tab, "\t" tab are supported within in strings.

The following declarations are used to define the a string "message" and initialize it to "Hello World".

message: .asciiz "Hello World\n"

In this example, the string is defined as NULL terminated (i.e., after the new line). The NULL is a non-printable ASCII character and is used to mark the end of the string. The NULL termination is standard and is required by the print string system service (to work correctly).

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To define a string with multiple lines, the NULL termination would only be required on the final or last line. For example,

```
message: .ascii "Line 1: Goodbye World\n"
    .ascii "Line 2: So, long and thanks "
    .ascii "for all the fish.\n"
    .asciiz "Line 3: Game Over.\n"
```

When printed, using the starting address of 'message', everything up-to (but not including) the NULL will be displayed. As such, the declaration using multiple lines is not relevant to the final displayed output.

4.4.3 Floating-Point Data Declarations

Floating-point values are defined with the *.float* (32-bit) or *.double* (64-bit) directives. The IEEE floating-point format is used for the internal representation of floating-point values.

The following declarations are used to define the floating-point variables "pi" to a 32-bit floating-point value initialized to 3.14159 and "tao" to a 64-bit floating-point values initialized them to 6.28318.

```
pi: .float 3.14159
tao: .double 6.28318
```

For more information regarding the IEEE format, refer to the Data Representation section.

4.5 Constants

Constant names must start with a letter followed by letters or numbers including some special characters such as the "_" (underscore). Constant definitions are created with an "=" sign.

For example, to create some constants named TRUE and FALSE, set to 1 and 0:

```
TRUE = 1
FALSE = 0
```

Constants are also defined in the data section. The use of all capitals for a constant is a convention and not required by the QtSpim program. The convention helps programmers more easily distinguish between variables (which can change values) and

constants (which can not change values). Additionally, in assembly language constants are not typed (i.e., not predefined to be a specific size such as 8-bits, 16-bits, 32-bits, or 64-bits).

4.6 Program Code

The code must be preceded by the ".text" directive.

In addition, there are some basic requirements for naming a "main" procedure (i.e., the first procedure to be executed). The ".globl name" and ".ent name" directives are required to define the name of the initial or main procedure. *Note*, the **globl** spelled incorrectly is the correct directive. Also, the main procedure must start with a label with the procedure name. The main procedure (as all procedures) should be terminated with the ".end <name>" directive.

In the following example, the <name> would be the name of the main procedure, which is "main".

4.7 Labels

Labels are code locations, typically used as function/procedure name or as the target of a jump. The first use of a label is the main program starting location, which must be named 'main' which is a specific requirement for the QtSpim simulator.

The rules for a label are as follows:

- Must start with a letter
- May be followed by letters, numbers, or an "_" (underscore).
- Must be terminated with a ":" (colon).
- May only be define once.

Some examples of a label include:

main:
exitProgram:

Characters in a label are case-sensitive. As such, **Loop:** and **loop:** are different labels. This can be very confusing initially, so caution is advised.

4.8 Program Template

The following is a very basic template for QtSpim MIPS programs. This general template will be used for all programs.

```
# Name and assignment number
# -----
# Data declarations go in this section.
.data
    program specific data declarations
# Program code goes in this section.
.text
.globl main
.ent
        main
main:
# your program code goes here.
# ----
# Done, terminate program.
    li
         $v0, 10
                           # all done!
    syscall
.end main
```

The initial header (".text", ".globl main", ".ent main", and "main:") will be the same for all QtSpim programs.

A more complete example, with working code, can be found in Appendix A.

5.0 Instruction Set Overview

In assembly-language, instructions are how work is accomplished. In assembly the instructions are simple, single operation commands. In a high-level language, one line might be translated into a series of instructions in assembly-language.

This chapter presents a summary of the basic, most common instructions. The *MIPS Instruction Set* Appendix presents a more comprehensive list of the available instructions.

5.1 Pseudo-Instructions vs Bare-Instructions

As part of the MIPS architecture, the assembly language includes a number of pseudo-instructions. A bare-instruction is an instructed that is executed by the CPU. A pseudo-instruction is an instruction that the assembler, or simulator, will recognize but then convert into one or more bare-instructions. This text will focus primarily on the pseudo-instructions.

5.2 Notational Conventions

This section summarizes the notation used within this text which is fairly common in the technical literature. In general, an instruction will consist of the instruction or operation itself (i.e., add, sub, mul, etc.) and the *operands*. The operands refer to where the data (to be operated on) is coming from or where the result is to be placed.

The following table summarizes the notational conventions used in the remainder of the document.

Operand Notation	Description
Rdest	Destination operand. Must be an integer register. Since it is a destination operand, the contents will be over written with the new result.
Rsrc	Source operand. Must be an integer register. Register value is unchanged after the instruction.

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Src	Source operand. Must be an integer register or an integer immediate value. Value is unchanged after the instruction.
FRdest	Destination operand. Must be a floating-point register. Since it is a destination operand, the contents will be over written with the new result.
FRsrc	Source operand. Must be a floating-point register. Register value is unchanged after the instruction.
Imm	Immediate value.
Mem	Memory location. May be a variable name or an indirect reference (i.e., a memory address).

By default, the immediate values are decimal or base-10. Hexadecimal or base-16 immediate values may be used but must be preceded with a $\mathbf{0x}$ to indicate the value is hex. For example, 15_{10} could entered in hex as $\mathbf{0x0F}$.

Refer to the chapter on Addressing Modes for more information regarding memory locations and indirection.

5.3 Data Movement

CPU computations are typically performed using registers. As such, before computations can be performed, data is typically moved into registers from variables (i.e., memory) and when the computations are completed the data would be moved out of registers into other variables.

5.3.1 Load and Store

To support the loading of data from memory (e.g., variables or arrays) into registers and storing of data in register back to memory, there are a series of load and store instructions. The load and store instructions only move data between register and memory. Another instruction is used to move data between registers (as described in the next section).

There is no load or store instructions that will move a value from a memory location directly to another memory location.

The general forms of the load and store instructions are as follows:

Instruction		Description
1 <type></type>	Rdest, mem	Load value from memory location memory into destination register.
li	Rdest, imm	Load specified immediate value into destination register.
la	Rdest, mem	Load address of memory location into destination register.
s <type></type>	Rsrc, mem	Store contents of source register into memory location.

Assuming the following data declarations:

num:	.word	0
wnum:	.word	42
hnum:	.half	73
bnum:	.byte	7
wans:	.word	0
hnum:	.half	0
bnum:	.bvte	0

To perform, the basic operations of:

num = 27
wans = wnum
hans = hnum
bans = bnum

The following instructions could be used:

```
li $t0, 27
sw $t0, num  # num = 27
lw $t0, wnum
sw $t0, wans  # wans = wnum
lh $t1, hnum
sh $t1, hans  # hans = hnum
```

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```
1b $t2, bnum
sb $t2, bans # bans = bnum
```

For the halfword and byte instructions, only the lower 16-bits are 8-bits are used.

5.3.2 Move

The various forms of the move instructions are used to move data between registers. Both operands must be registers. The most basic move instruction, move, copies the contents of an integer register into another integer register. Another set of move instructions are used to move the contents of registers in to or out of the special registers, \$hi and \$lo.

In addition, different move instructions are required to move values between integer registers and floating point registers (as discussed on the floating-point section).

There is no move instruction that will move a value from a memory location directly to another memory location.

The general forms of the move instructions are as follows:

Instruction		Description
move	Rdest, RSrc	Copy contents of integer source register into integer destination register.
mfhi	Rdest	Copy the contents from the \$hi register into Rdest register.
mflo	Rdest	Copy the contents from the \$lo register into Rdest register.
mthi	Rdest	Copy the contents to the \$hi register from the Rdest register.
mtlo	Rdest	Copy the contents to the \$lo register from the Rdest register.

For example, the following instructions;

will move the contents of register \$t0, 42 in this example, into the \$t1 register.

The mfhi, mflo, mtho, and mtlo instructions are required only when performing 64-bit integer multiply and divide operations.

The floating point section will include examples for moving data between integer and floating point registers.

5.4 Integer Arithmetic Operations

The arithmetic operations include addition, subtraction, multiplication, division, remainder (remainder after division), logical AND, and logical OR. The general format for these basic instructions is as follows:

Instruction	1	Description
add <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc + Src orImm
sub <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc – Src or Imm
mul <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc * Src or Imm
mult <u></u>	Rsrc1, Rsrc1	\$hi/\$lo = Rsrc1 * Rsrc2
div <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc / Src or Imm
div <u></u>	Rsrc1, RSrc1	\$lo = Rsrc1 / RSrc2 \$hi = Rsrc1 % RSrc2
rem <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc % Src or Imm
abs	Rdest, Rsrc	Rdest = Rsrc
neg <u></u>	Rdest, Rsrc	Rdest = - Rsrc

These instructions operate on 32-bit registers (even if byte or halfword values are placed in the registers).

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Assuming the following data declarations:

.word	651
.word	42
.word	0
.word	0
.word	0
.half	73
.half	15
.half	0
.byte	7
.byte	9
.byte	0
	.word .word .word .half .half .half .byte .byte

To perform, the basic operations of:

```
wans1 = wnum1 + wnum2
wans2 = wnum1 * wnum2
wans3 = wnum1 % wnum2
hans = hnum1 * hnum2
bans = bnum1 / bnum2
```

The following instructions could be used:

```
lw
     $t0, wnum1
lw
     $t1, wnum2
     $t2, $t0, $t1
add
     $t2, wans1
SW
                           # wans1 = wnum1 + wnum2
     $t0, wnum1
1w
     $t1, wnum2
lw
add
     $t2, $t0, $t1
     $t2, wans2
                           # wans2 = wnum1 * wnum2
SW
     $t0, wnum1
1w
     $t1, wnum2
lw
     $t2, $t0, $t1
rem
     $t2, wans3
                           # wans = wnum1 % wnum2
SW
1h
     $t0, wnum1
1h
     $t1, wnum2
```

```
mul $t2, $t0, $t1
sh $t2, wans # hans = wnum1 * wnum2

lb $t0, bnum1

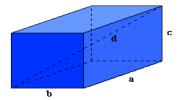
lb $t1, bnum2
div $t2, $t0, $t1
sb $t2, bans # bans = bnum1 / bnum2
```

For the halfword load or store instructions, only the lower 16-bits are used. For the byte instructions, only the lower 8-bits are used.

5.4.1 Example Program, Integer Arithmetic

The following is an example program to compute the volume and surface area of a rectangular parallelepiped.

The formulas for the volume and surface area are as follows:



```
volume = aSide*bSide*cSide
surfaceArea = 2(aSide*bSide + aSide*cSide + bSide*cSide)
```

This example main initializes the a, b, and c sides to arbitrary integer values.

- # Example to compute the volume and surface area
- # of a rectangular parallelepiped.

Data Declarations

.data

aSide: .word 73
bSide: .word 14
cSide: .word 16

volume: .word 0
surfaceArea: .word 0

```
# Text/code section
.text
.qlobl main
main:
# ----
# Load variables into registers.
     lw $t0, aSide
     lw $t1, bSide
     lw $t2, cSide
# Find volume of a rectangular paralllelpiped.
     volume = aSide * bSide * cSide
     mul $t3, $t0, $t1
     mul $t4, $t3, $t2
     sw $t4, volume
# ----
# Find surface area of a rectangular parallelepiped.
     volume = 2*(aSide*bSide + aSide*cSide + bSide*cSide)
     mul
          $t3, $t0, $t1
                              # note, redundant
     mul $t4, $t0, $t2
     mul $t5, $t1, $t2
     add $t6, $t3, $t4
     add $t7, $t6, $t5
     sw $t7, surfaceArea
# Done, terminate program.
                               # call code for terminate
          $v0, 10
     li
                               # system call
     syscall
.end main
```

Refer to the system services section for information on displaying the final results to the console.

5.5 Logical Operations

The logical operations include logical AND, and logical OR, shift and rotate instructions. The general format for these instructions is as follows:

Instruction		Description	
and <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc & Src or Imm	
nor <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc ↓ Src or Imm	
not <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc ¬ Src or Imm	
or <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc Src or Imm	
rol <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc rotated left Src or Imm places	
ror <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc rotated right Src or Imm places	
sll <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc shift left logical Src or Imm places	
sra <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc shift right arithmetic Src or Imm places	
srl <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc shift right logical Src or Imm places	
xor <u></u>	Rdest, Rsrc, Src	Rdest = Rsrc ^ Src or Imm	

The & refers to the logical AND operation, the | refers to the logical OR operation , and the $^$ refers to the logical XOR operation as per C/C++ conventions. The \downarrow refers to the logical NOR operation and the \neg refers to the logical NOT operation.

These instructions operate on 32-bit registers (even if byte or halfword values are placed in the registers).

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Assuming the following data declarations:

To perform, the basic operations of:

```
wans1 = wnum1 & wnum2
wans2 = wnum1 | wnum2
wans3 = wnum1 ¬ wnum2
```

The following instructions

```
$t0, wnum1
lw
     $t1, wnum2
1w
     $t2, $t0, $t1
and
     $t0, wans1
                            # wans1 = wnum1 & wnum2
SW
lw
     $t0, wnum1
     $t1, wnum2
1w
     $t2, $t0, $t1
or
     $t0, wans2
                            # wans2 = wnum1 | wnum2
SW
     $t0, wnum1
lw
lw
     $t1, wnum2
     $t2, $t0, $t1
not
SW
     $t0, wans3
                            \# wans3 = wnum1 \neg wnum2
```

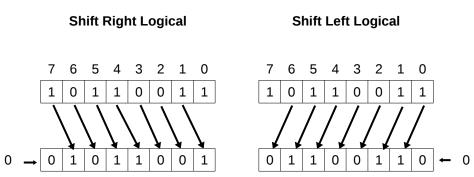
For halfword load or store instructions, only the lower 16-bits are used. For the byte instructions, only the lower 8-bits are used.

5.5.1 Shift Operations

The shift operations shift or move bits within a register. Two typical reasons for shifting bits include isolating a subset of the bits within an operand for some specific purpose or possibly for performing multiplication or division by powers of two. The two shift operations are a logical shift and an arithmetic shift.

5.5.1.1 Logical Shift

The logical shift is a bitwise operation that shifts all the bits of its source register by the specified number of bits places the result into the destination register. The bits can be shifted left or right as needed. Every bit in the source operand is moved the specified number of bit positions and the newly vacant bit-positions are filled in with zeros. The following diagram shows how the right and left shift operations work for byte sized operands.



The logical shift treats the operand as a sequence of bits rather than as a number.

The shift instructions may be used to perform unsigned integer multiplication and division operations for powers of 2. Powers of two would be 2, 4, 8, etc. up to the limit of the operand size (32-bits for register operands).

In the examples below, 23 is divided by 2 by performing a shift right logical one bit. The resulting 11 is shown in binary. Next, 13 is multiplied by 4 by performing a shift left logical two bits. The resulting 52 is shown in binary.

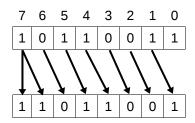
Shift Right Logical Unsigned Division	Shift Left Logical Unsigned Multiplication
0 0 1 0 1 1 1 = 23	0 0 0 0 1 1 0 1 = 13
0 0 0 0 1 0 1 1 = 11	0 0 1 1 0 1 0 0 = 52

As can be seen in the examples, a 0 was entered in the newly vacated bit locations on either the right or left (depending on the operation).

5.5.1.2 Arithmetic Shift

The arithmetic shift right is also a bitwise operation that shifts all the bits of its source register by the specified number of bits places the result into the destination register. Every bit in the source operand is moved the specified number of bit positions, and the newly vacant bit-positions on the left are filled in. The original leftmost bit (the sign bit) is replicated to fill in all the vacant positions. This is referred to as sign extension. The following diagram shows how the shift right arithmetic operations works for a byte sized operand.

Shift Right Arithmetic



The arithmetic shift treats the operand as a signed number and extends the sign which would be negative in this example.

However, the arithmetic shift rounds up and the standard divide instruction truncates. As such, the arithmetic shift is not typically used to replace the signed divide instruction.

5.5.1.3 Shift Operations, Examples

This section provides a series of examples using the logical shift operations.

Assuming the following data declarations:

data1: .word 0x000000ff
result1: .word 0
result2: .word 0

To perform, the basic operations of:

```
result1 = wnum1, rotated left 1 bit
result2 = wnum1, rotated right 1 bit
```

The following instructions

```
$t0, wnum1
lw
lw
     $t1, wnum2
     $t2, $t0, $t1
rol
     $t0, wans3
                      # wans3 = wnum1, rotated left 1 bit
SW
lw
     $t0, wnum1
     $t1, wnum2
lw
     $t2, $t0, $t1
ror
     $t0, wans4
                      # wans3 = wnum1, rotated right 1 bit
SW
```

For halfword instructions, only the lower 16-bits are used. For the byte instructions, only the lower 8-bits are used.

To perform the operation, **value** * **8**, it would be possible to shift the number in the variable one bit for each power of two, which would be three bits in this example.

Assuming the following data declarations:

```
value: .word 17 answer: .word 0
```

The following instructions could be used to multiple value by 8.

```
lw $t0, value
shl $t1, $t0, 3
sw $t1, answer # answer = wnum1 * 8
```

The final value in answer would be 17 * 8 or 136.

In the context of an encoded MIPS instruction, the upper 6-bits of a 32-bit word represent the OP or operation field. If a program was analyzing code, it might be desirable to isolate these bits for comparison. One way this can be performed is to use a logical right shift to move the upper six bits into the position of the lower 6-bits.

The instruction:

```
add $t1, $t1, 1
```

will be translated by the assembler into the hex value of **0x2129001**.

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Assuming the following data declarations:

inst1: .word 0x2129001

inst10p: .word 0

To mask out the OP field (upper 6-bits) for *inst1* and place it in the variable *instOp1* (lower 6-bits), the following instructions could be used:

lw \$t0, inst1
shr \$t1, \$t0, 26
sw \$t0, inst0p1

This can be done in one step since the logical shift will insert all 0's into the newly vacated bit locations.

5.6 Control Instructions

Program control refers to basic programming structures such as IF statements and looping. All of the high-level language control structures must be performed with the limited assembly-language control structures. For example, an IF-THEN-ELSE statement does not exist as the assembly-language level. Assembly-language provided an unconditional branch (or jump) and a conditional branch or an IF statement that will jump to a target label or not jump.

The control instructions refer to unconditional and conditional branching. Branching is required for basic conditional statements (i.e., IF statements) and looping.

5.6.1 Unconditional Control Instructions

The unconditional instruction provides an unconditional jump to a specific location.

Instruction	Description
	Unconditionally branch to the specified label.

The "b" (branch) may be used instead of the "j" (jump). Both are encoded as the same instruction (an unconditional jump). An error is generated by QtSpim if the label is not defined.

5.6.2 Conditional Control Instructions

The conditional instruction provides a conditional jump based on a comparison. This is a basic IF statement.

The conditional control instructions include the standard set; branch equal, branch not equal, branch less than, branch less than or equal, branch greater than, and branch greater than or equal.

The general format for these basic instructions is as follows:

Instruction	Description
beq <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> and <scr> are equal</scr></rscr>
bne <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> and <scr> are not equal</scr></rscr>
blt <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> is less than <scr></scr></rscr>
ble <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> is less than or equal to <scr></scr></rscr>
bgt <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> is greater than <scr></scr></rscr>
bge <rsrc>, <src>, <label></label></src></rsrc>	Branch to label if <rscr> is greater than or equal to <scr></scr></rscr>

These instructions operate on 32-bit registers (even if byte or halfword values are placed in the registers).

5.6.3 Example Program, Sum of Squares

The following is an example program to find the sum of squares from 1 to n. For example, the sum of squares for 10 is as follows:

$$1^2 + 2^2 + \cdots + 10^2 = 385$$

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This example main initializes the n to arbitrary to 10 to match the example.

```
# Example program to compute the sum of squares.
# Data Declarations
.data
       .word 10
n:
sumOfSquares: .word 0
# text/code section
.text
.globl main
main:
# Compute sum of squares from 1 to n.
     lw
         $t0, n
     li $t1, 1
                             # loop index (1 to n)
     li $t2, 0
                              # sum
sumLoop:
    mul $t3, $t1, $t1 # index^2
     add $t2, $t2, $t3
     add $t1, $t1, 1
    ble $t1, $t0, sumLoop
     sw $t2, sumOfSquares
# Done, terminate program.
          $v0, 10
                             # call code for terminate
     syscall
                              # system call
.end main
```

Refer to the system services section for information on displaying the final results to the console.

5.7 Floating-Point Instructions

This section presents a summary of the basic, most common floating-point arithmetic instructions. The *MIPS Instruction Set* Appendix presents a more comprehensive list of the available instructions.

5.7.1 Floating-Point Register Usage

The floating-point instructions are similar to the integer instructions, however the floating-point register must be used with the floating-point instructions. Specifically, this means the architecture does not support the use of integer registers for any floating point arithmetic operations.

When single-precision (32-bit) floating-point operation is performed, the specified 32-bit floating-point register is used. When a double-precision (64-bit) floating-point operation is performed, two 32-bit floating-point registers are used; the specified 32-bit floating-point register and the next numerically sequential register is used by the instruction. For example, a double-precision operation using \$f12 will use automatically \$f12 and \$f13.

5.7.2 Floating-Point Data Movement

Floating-point CPU computations are typically performed using floating-point registers. As such, before computations can be performed, data is typically moved into the floating-point registers from other floating-point registers or variables (i.e., memory). When a computation is completed the data might be moved out of the floating-point register into a variable or another floating-point register.

To support the loading of data from memory into floating-point registers and storing of data in floating-point registers to memory, there are a series of specialized load and store instructions. The basic format is the same as the integer operations, however the type is either ".s" for single-precision 32-bit IEEE floating-point representation or ".d" for double-precision 64-bit IEEE floating-point representation. More information regarding the representations can be found in Chapter 2, *Data Representation*.

Chapter 5.0 ◀ Instruction Set Overview

The general forms of the floating-point load and store instructions are as follows:

Instruction		Description
1. <type></type>	FRdest, mem	Load value from memory location memory into destination register.
s. <type></type>	FRsrc, mem	Store contents of source register into memory location.
mov. <type></type>	Frdest, FRsrc	Copy the contents of source register into the destination register.

In this case, the floating-point types are ".s" for single-precision and ".d" for double-precision.

Assuming the following data declarations:

fnum1:	.float	3.14
fnum2	.float	0.0
dnum1:	.double	6.28
dnum2	.double	0.0

The ".float" directive declares a variable as a 32-bit floating-point value and the ".double" declares a variable as a 64-bit floating-point variable.

To perform, the basic operations of:

```
fnum2 = fnum1
dnum2 = dnum1
```

The following instructions:

The first two double-precision operations (l.d and mov.d) used register \$f6 and \$f7. The

5.7.3 Integer / Floating-Point Register Data Movement

The arithmetic instructions require either floating point registers or integer registers and will not allow a combination. In order to move data between integer and floating point registers, special instructions are required. As noted in Chapter 2, *MIPS Architecture Overview*, the floating point operations are performed in a floating-point co-processor or core.

The general form of the integer and floating-point data movement instructions are as follows:

Instruction		Description
mfc1	Rdest, FRsrc	Copy the contents from coprocessor 1 (FPU) register FRsrc into Rdest register.
mfc1.d	Rdest, FRsrc	Copy the contents from coprocessor 1 (FPU) registers FRsrc and FRsrc+1 into registers Rdest and Rdest+1.
mtc1	Rsrc, CPdest	Copy the contents to co-processor 1 (FPU) register FRSrc from Rdest register.
mtc1.d	Rsrc, CPdest	Copy the contents to co-processor 1 (FPU) registers FRsrc and FRsrc+1 from registers Rdest and Rdest+1.

For example, assuming an integer value is in integer register \$s0, to copy the value into floating-point register \$f12, the following instruction could be used.

To copy the contents of \$f12, into an integer register \$t1, the following instruction could be used.

The value copied has not be converted into a different representation.

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In this example, the integer value in \$s0 that was copied into \$f12 is still represented as an integer in two's compliment. As such, the value in \$f12 is not ready for any floating-point arithmetic operations. The representation of the value must be converted (see next section).

5.7.4 Integer / Floating-Point Conversion Instructions

When data is moved between integer and floating-point registers, the data representation must be addressed. For example, when moving an integer value from an integer register into a floating-point register, the data is still represented as an integer value in two's compliment. Floating-point operations require an appropriate floating point representation (32-bit or 64-bit). When data is moved between integer and floating-point registers, a data conversion would typically be required.

The general format for the conversion instructions is as follows:

Instruction		Description
cvt.d.s	FRdest, FRsrc	Convert the 32-bit floating point value in register FRsrc into a double precision value and put it in register FRdest.
cvt.d.w	FRdest, FRsrc	Convert the 32-bit integer in register FRsrc into a double precision value and put it in register FRdest.
cvt.s.d	FRdest, FRsrc	Convert the 64-bit floating point value in register FRsrc into a 32-bit floating-point value and put it in register FRdest.
cvt.s.w	FRdest, FRsrc	Convert the 32-bit integer in register FRsrc into a 32-bit floating-point value and put it in register FRdest.
cvt.w.d	FRdest, FRsrc	Convert the 64-bit floating-point value in register FRsrc into a 32-bit integer value and put it in register FRdest.

Instruction	Description
cvt.w.s	Convert the 32-bit floating-point value in register FRsrc into a 32-bit integer value and put it in register FRdest.

Assuming the following data declarations:

iNum:	.word	42
fNum:	.float	0.0

To convert the integer value in variable *iNum1* and place it as a 32-bit floating-point value in variable *fNum1*, the following instructions could be used:

lw	\$t0,	iNum
mtc1	\$t0,	\$ f 6
cvt.s.w	\$f8,	\$ f 6
s.s	\$f8,	fNum

This code fragment loads the integer value in variable *iNum* into \$t0, and then copies the value into \$f6. The integer value in \$f6 is converted into a 32-bit floating-point value and placed in \$f8. The 32-bit floating-point value is then copied into the *fNum1* variable. The conversion instruction could have over-written the \$f6 register.

Assuming the following data declarations:

pi:	.double	3.14
intPi:	.word	0

To convert the 64-bit floatiing-point value in variable *pi* and place it as a 32-bit integer value in variable *intPi*, the following instructions could be used:

```
1.d     $f10, pi
cvt.w.d     $f12, $f10
mfc1     $t1, $f12
sw     $t1, intPi
```

This code fragment initially loads the 64-bit floating-point value into \$f10. The 64-bit floating-point value in \$f10 is converted into a 32-bit integer value and placed in \$f12. The integer value in \$f12 is copied into \$t1 and then copied into the variable *intPi*. Since conversion from floating-point truncates, the final value in *intPi* is 3.

5.7.5 Floating-Point Arithmetic Operations

The arithmetic operations include addition, subtraction, multiplication, division, remainder (remainder after division), logical AND, and logical OR. The general format for these basic instructions is as follows:

Instruction	Description
add <type> FRdest, FRsrc, FRsrc</type>	FRdest = FRsrc + FRsrc
sub <type> FRdest, FRsrc, FRsrc</type>	FRdest = FRsrc - FRsrc
mul <type> FRdest, FRsrc, FRsrc</type>	FRdest = FRsrc * FRsrc
div <type> FRdest, FRsrc, FRsrc</type>	FRdest = FRsrc / FRsrc
rem <type> FRdest, FRsrc, FRsrc</type>	FRdest = FRsrc % FRsrc

Assuming the following data declarations:

fnum1:	.float	6.28318
fnum2:	.float	3.14159
fans1:	.float	0.0
fans2:	.float	0.0
dnum1:	.double	42.3
dnum2:	.double	73.6
dans1:	.double	0.0
dans2:	.double	0.0

To perform, the basic operations of:

```
fans1 = fnum1 + fnum2
fans2 = fnum1 * fnum2
dans1 = dnum1 - dnum2
dans2 = dnum1 / dnum2
```

The following instructions:

```
1.s     $f4, fnum1
1.s     $f6, fnum2
add.d     $f8, $f4, $f6
s.s     $t0, fans1     # fans1 = fnum1 + fnum2
```

1.s	\$f10, \$f4, \$f6						
s	\$t0, fans2	#	fans2	=	fnum1	*	fnum2
đ	\$f4, fnum1						
d	\$f6, fnum2						
b.d	\$f8, \$f4, \$f6						
d	\$t0, fans1	#	dans1	=	dnum1	-	dnum2
v.d	\$f10, \$f4, \$f6						
d	\$t0, fans2	#	dans2	=	dnum1	/	dnum2
		#	dans2	=	dnum1	/	dnu

For the double-precision instructions, the specified register and the next numerically sequential register is used. For example, the **l.d** instruction sets the \$f4 and \$f5 32-bit registers with the 64-bit value.

5.7.6 Example Programs

This section provides some example using the floating-point instructions to perform some basic calculations.

5.7.6.1 Example Program, Floating-Point Arithmetic

The following is an example program to compute the surface area and volume of a sphere.

The formulas for the surface area and volume of a sphere are as follows:



$$surfaceArea = 4.0 * pi * radius^2$$

$$volume = \frac{4.0 * pi}{3.0} * radius^3$$

This example main initializes the *radius* to arbitrary floating-point value.

Example program to calculate the surface area # and volume of a sphere given the radius. # ______ # Data Declarations

```
.data
pi: .float 3.14159
fourPtZero: .float 4.0
threePtZero: .float 3.0 radius: .float 17.25
radius:
surfaceArea: .float 0.0
volume: .float 0.0
# text/code section
.text
.qlobl main
main:
# Compute: (4.0 * pi) which is used for both equations.
     1.s
              $f2, fourPtZero
              $f4, pi
     1.s
     mul.s $f4, $f2, $f4 # 4.0 * pi
     1.s $f6, radius # radius
# ----
# Calculate surface area of a sphere.
     surfaceArea = 4.0 * pi * radius^2
     mul.s $f8, $f6, $f6 # radius^2
mul.s $f8, $f4, $f8 # 4.0 * pi * radius^2
     s.s $f8, surfaceArea # store final answer
# Calculate volume of a sphere.
     volume = (4.0 * pi / 3.0) * radius^3
     1.s $f8, threePtZero
```

```
div.s
                $f6, $f4, $f8
                                      # (4.0 * pi / 3.0)
     mul.s
                $f10, $f6, $f6
    mul.s
                $f10, $f10, $f6
                                     # radius^3
    mul.s
               $f12, $f6, $f10
                                     # 4.0*pi/3.0*radius^3
               $f12, volume
                                     # store final answer
     s.s
 Done, terminate program.
     1i
               $v0, 10
                                     # terminate call code
     syscall
                                     # system call
.end main
```

Refer to the system services section for information on displaying the final results to the console.

5.7.6.2 Example Program, Integer / Floating-Point Conversion

The following is an example program to sum an array of integer values and compute the average as a floating-point value. This requires conversion of 32-bit integer values into 32-bit floating-point values.

```
Example program to sum an array of integers
# and compute the float average.
# Data Declarations
.data
                     1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12
iArray:
         . {	t word}
length: .word
                     12
iSum:
          .word
                     0
fAve:
         .float
                     0.0
  Text/code section
```

```
.text
.globl
         main
main:
# ----
# Find the sum of the integer numbers.
                                     # array starting addr
          $t0, iArray
          $t1, length
                                     # array length
     lw
                                     # set um=0
     li
          $t2, 0
sumLoop:
     lw
               $t3, ($t0)
                                     # get iArray(n)
               $t2, $t2, $t3
                                   # sum = sum+iArray(n)
     add
               $t0, $t0, 4
     addu
                                     # update iArray addr
               $t1, $t1, 1
     sub
               $t1, sumLoop
     bnez
               $t2, iSum
                                    # save integer sum
     SW
     mtc1
               $t2, $f6
                                    # move to float reg
                                     # cvt to float format
               $f6, $f6
     cvt.s.w
               $t1, length
     lw
     mtc1
               $t1, $f8
                                   # move to float reg
               $f8, $f8
                                    # cvt to float format
     cvt.s.w
               $f10, $f6, $f8
                                   # sum / length
     div.s
     s.s
               $t1, fAve
# Done, terminate program.
          $v0, 10
                                # call code for terminate
                               # system call
     syscall
.end main
```

6.0 Addressing Modes

This chapter provides basic information regarding addressing modes and the associated address manipulations on the MIPS architecture. The addressing modes are the supported methods for specifying the value or address of a data item being accessed (read or written). This might include an actual value, the name of a variable, or the location in an array.

Since the MIPS architecture, as simulated in the QtSpim simulator, is a 32-bit architecture, all addresses are words (32-bits).

6.1 Direct Mode

Direct addressing mode is when the register or memory location contains the actual values.

For example:

```
lw $t0, var1
lw $t1, var2
```

Registers and variables \$t0, \$t1, var1, and var2 are all accessed in direct mode addressing.

6.2 Immediate Mode

Immediate addressing mode is when the actual value is one of the operands.

For example:

```
li $t0, 57
add $t0, $t0, 57
```

The value 57 is immediate mode addressing. The register \$t0 is direct mode addressing.

6.3 Indirection

The ()'s are used to denote an indirect memory access. An indirect memory access means the the CPU will read the provided address and then go to that address to access the value located there. This involves more work for the CPU than the previously presented addressing modes (direct and immediate). This is typically how elements are accessed in a list or array. For example, to get a value from a list of longs:

```
la $t0, lst
lw $s1, ($t0)
```

The address, in \$t0, is a word size (32-bits). Memory is byte addressable. As such, if the data items in "lst" (from above) are words, then four add must be added to get the the next element.

For example, the instructions:

```
add $t0 $t0, 4
lw $s2, ($t0)
```

will get the next word value in array (named *lst* in this example).

A form of displacement addressing is allowed. For example, to get the second item from a list of long sized values:

```
la $t0, lst
lw $s1, 4($t0)
```

The "4" is added to the address before the memory access. However, the register is not changed. Thus, the location or address being accessed is displaced or temporarily changed as needed.

6.3.1 Bounds Checking

In a high-level language, the compiler is capable of ensuring that the index for an element in an array is legal and within the boundary of the array being accessed. Thus, the compiler can issue an error message and help identify when and where a program is trying to access beyond the end of an array (e.g., accessing the 110th element of a 100 element array).

This type of bounds checking is not available at the assembly-language level.

If the assembly-language program attempts to access the 110 element of an array, the

value at that memory location will be returned with no error. Of course, the value returned is not likely to be useful.

If the memory access attempting to be accessed is outside the general scope of the program, an exception will be generated. An exception is a run-time error. The QtSpim simulator will provide the line where the error occurred. For example, attempting to access a memory location in the reserved section would not be allowed and thus generate an exception. This could easily occur if the programmer uses a register with a data item instead of a correct address.

Additionally, no error is generated when a program attempts to access a word (32-bits) in an array or halfwords (16-bits). In this case two halfwords will be read into the registers and treated as a single value. Of course, the value will not be correct or useful.

6.4 Examples

This section provides some example using the addressing modes to access arrays and perform basic calculations.

6.4.1 Example Program, Sum and Average

The following example computes the sum and average for an array integer values. The values are calculated and saved into memory variables.

```
Example to compute the sum and integer average
   for an array of integer values.
  Data Declarations
.data
                     1, 3, 5, 7, 9, 11, 13, 15, 17, 19
array:
           .word
                    21, 23, 25, 27, 29, 31, 33, 35, 37, 39
           .word
                    41, 43, 45, 47, 49, 51, 53, 55, 57, 59
           .word
length:
                    30
           .word
          .word
                     0
sum:
average:
          .word
                     0
```

```
# text/code section
# Basic approach:
    - loop through the array
         accessing each value
         update sum
#
    - calculate the average
.text
.globl main
main:
# ----
# Loop through the array to calculate sum
    la
         $t0, array # array starting address
    li
         $t1, 0
                          # loop index, i=0
    lw $t2, length # length
    li $t3, 0
                           # initialize sum=0
sumLoop:
    add $t3, $t3, $t4  # sum = sum + array[i]
    add $t1, $t1, 1
add $t0, $t0, 4
                          \# i = i+1
                           # update array address
    blt $t1, $t2, sumLoop # if i<length, continue</pre>
    sw $t3, sum # save sum
# ----
# Calculate average
    note, sum and length set in section above.
    div $t5, $t3, $t2  # ave = sum / length
    sw $t5, average
```

```
# ----
# Done, terminate program.

li $v0, 10  # call code for terminate
    syscall  # system call
.end main
```

This example program does not display the results to the screen. For information regarding displaying values and strings to output (console), refer to the QtSpim System Services section.

6.4.2 Example Program, Median

The following example finds the median for a sorted array of values. In this example, the length is given as always even. As such, the integer median is the integer average for the two middle values. Specifically, the formula for median is:

$$medianEvenOnly = \frac{(array[length/2] + array[length/2-1])}{2}$$

The 'length/2' notation refers to using division by two to generate the correct index of the appropriate value from the array. In assembly, we must convert the index into the offset from the base address (i.e., starting address) of the array. Since the data in this example is words (i.e., 4 bytes), it will be necessary to multiply by four to convert the index into an offset. That offset is from the start of the array, so the final address is the array base address plus the offset.

This requires a series of calculations as demonstrated in the following example.

```
length: .word
                 30
median: .word
                  0
# -----
# text/code section
# The median for an even length array is defined as:
    median = (array[len/2] + array[len/2-1]) / 2
# Note, the len/2 is the index. Must convert the index
# into the an offset from the base address (of the array.
  Since the data is words (4 bytes), multiple the index
# by four to convert to the offset.
.text
.qlobl main
main:
    la $t0, array
                           # starting addr of array
    lw $t1, length
                           # value of length
    div $t2, $t1, 2
                           # length / 2
                          # cvt index into offset
    mul $t3, $t2, 4
    add $t4, $t0, $t3
                            # add base addr of array
    lw $t5, ($t4)
                            # get array[len/2]
    sub $t4, $t4, 4
                            # addr of prev value
    lw $t6, ($t4)
                            # get array[len/2-1]
    add $t7, $t6, $t5
                            \# a[len/2] + a[len/2-1]
    div $t8, $t7, 2
                            # / 2
    sw $t8, median
                            # save median
# Done, terminate program.
                            # call code for terminate
         $v0, 10
    li
                            # system call
    syscall
.end main
```

This example program does not display the results to the screen. For information regarding displaying values and strings to output (console), refer to the QtSpim System Services section.

Finding the median for an odd length list is left to the reader as an exercise.

Chapter 6.0 ◀ Addressing Modes

7.0 Stack

In a computer, a stack is a type of data structure where items are added and them removed from the stack in reverse order. That is, the most recently added item is the very first one that is removed. This is often referred to as Last-In, First-Out (LIFO).

A stack is heavily used in programming for the storage of information during procedure or function calls. The following section provides information and examples regarding procedure and function calls.

Adding an item to a stack is refer to as a *push* or push operation. Removing an item from a stack is referred to as a *pop* or pop operation.

It is generally expected that the reader will be familiar with the general concept of a stack.

7.1 Stack Example

To demonstrate the usage of the stack, given an array, $a = \{7, 19, 37\}$, consider the operations:

```
push a[0]
push a[1]
push a[2]
```

Followed by the operations:

```
pop a[0]
pop a[1]
pop a[2]
```

The initial push will push the 7, followed by the 29, and finally the 37. Since the stack is last-in, first-out, the first item pop'ed off the stack will be the last item pushed, or 37 in this example. The 37 is placed in the first element of the array (over-writing the 7). As this continues, the order of the array elements is reversed.

Chapter 7.0 ◀ Stack

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The following	ig diagram	i snows fn	e progress	and the results.
1110 10110 1111			c progress	and the results.

stack	stack	stack	stack	stack	stack
		37			
	19	19	19		
7	7	7	7	7	empty
push	push	push	pop a[0]	pop a[1]	pop a[2]
a[0]	a[1]	a[2]			
a = {77,	a = {77,	a = {77,	a = {37,	a = {37,	a = {37,
19, 37}	19, 37}	19, 37}	19, 37}	19, 37}	19, 7}

The following sections provide more detail regarding the implementation and applicable instructions.

7.2 Stack Implementation

The current top of the stack is pointed to by the \$sp register. The stack grows downward in memory and it is generally expected that all items push'ed and/or pop'ed should be of word size (32-bit).

There is no push or pop instruction. Instead, you must perform the push and pop operations manually.

While it is possible to push/pop items of various sizes (byte, halfword, etc.) it is not recommended. For such operations, it is recommended to use the entire word (4-bytes).

7.3 Push

For example, a push would subtract the \$sp by 4 bytes and then copy the operand to that location. The instructions to "push \$t9" would be implemented as follows:

Which will place the contents of the \$t9 register at the top of the stack.

7.4 Pop

A pop would copy the operand and then add 8 bytes. To pop \$t2, the instructions would be as follows:

```
lw $t2, ($sp)
addu $sp, $sp, 4
```

Which will place the contents of the \$t9 register at the top of the stack.

7.5 Multiple push's/pop's

The preferred method of performing multiple push's or pop's is to perform the \$sp adjustment only once. For example, to push registers, \$s0, \$s1, and \$s2:

```
subu $sp, $sp, 12
sw $s0, ($sp)
sw $s1, 4($sp)
sw $s2, 8($sp)
```

And, the commands to pop registers, \$9, \$10, and \$11 as as follows:

```
lw $s0, ($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
addu $sp, $sp, 12
```

By performing the stack adjustment only once, it is more efficient for the architecture to execute.

7.6 Example Program, Stack Usage

The following example uses a stack to reverse the elements in an array. The program will push all elements of the array to the stack and the pop all elements back into the array. This will place the elements back into the array in reverse order based on the basic functionality of the stack.

```
# Example to reverse values in an array
```

```
# by using the stack.
```

```
# -----
# Data Declarations
.data
array: .word 1, 3, 5, 7, 9, 11, 13, 15, 17, 19
        .word
                21, 23, 25, 27, 29, 31, 33, 35, 37, 39
        .word 41, 43, 45, 47, 49, 51, 53, 55, 57, 59
length:
        .word
               30
# -----
# Text/code section
# Basic approach:
    - loop to push each element onto the stack
    - loop to pop each element off the stack
  Final result is all elements reversed.
.text
.globl main
main:
# ----
# Loop to read items from array and push onto stack and
place.
                       # array starting address
       $t0, array
    la
    li $t1, 0
                         # loop index, i=0
    lw $t2, length
                          # length
pushLoop:
    lw
        $t4, ($t0)
                          # get array[i]
    subu $sp, $sp, 4
                          # push array[i]
    sw $t4, ($sp)
    add $t1, $t1, 1
                          \# i = i+1
    add $t0, $t0, 4 # update array address
    blt $t1, $t2, pushLoop # if i<length, continue</pre>
```

```
# Loop to pop items from stack and write into array.
          $t0, array
                              # array starting address
     la
     li
          $t1, 0
                              # loop index, i=0
     lw $t2, length
                              # length (redundant line)
popLoop:
          $t4, ($sp)
     addu $sp, $sp, 4
                              # pop array[i]
          $t4, ($t0)
                              # set array[i]
     SW
     add $t1, $t1, 1 # i = i+1
add $t0, $t0, 4 # update array address
     blt $t1, $t2, popLoop # if i<length, continue</pre>
# ----
# Done, terminate program.
     li
          $v0, 10
                            # call code for terminate
                               # system call
     syscall
.end main
```

It must be noted that there are easier ways to reverse a set of numbers, but they would not help demonstrate stack operations.

8.0 Procedures/Functions

This chapter provides and overview of using assembly language procedures/functions. In C/C++ a procedure is referred to as a void function. Other languages refer to such functions as procedures. A function returns a single value in a more mathematical sense. C/C++ refers to functions as value returning functions.

With regard to calling a procedure/function, there are two primary activities; linkage and argument transmission. Each are explained in the following sections. Additionally, using procedures/functions in MIPS assembly assembly language requires the use of a series of special purpose registers. These special purpose registers are part of the basic integer register set but have a dedicated purpose based upon standardized and conventional usage.

8.1 MIPS Calling Conventions

When writing MIPS assembly-language procedures, the MIPS standard calling conventions should be utilized. This ensures that the code can more effectively re-used, can interact with other compiler-generated code or mixed-language programs, and utilize high-level language libraries.

The calling conventions address register usage, argument passing and register preservation.

There are two categories of procedures as follows:

- Non-leaf procedures
 - \circ These procedures call other procedures.
- Leaf procedures
 - These procedures do not other procedures (or themselves).

The standard calling convention specified actions for the *caller* (routine that is calling) and the *caller* (routine that is being called). The specifics requirements for each are detailed in the following sections.

8.2 Procedure Format

- .globl procedureName
 .ent procedureName
 procedureName:
- # code goes here
- .end procedureName

The use of the ".end <procName> directive is optional in the QtSpim simulator.

8.3 Caller Conventions

The calling convention addresses specific requirements for the *caller* or routine that is calling a procedure.

- The calling procedures is expected to save any non-preserved registers (\$a0-\$a3, \$t0-\$t9, \$v0, \$v1, \$f0-\$f10 and \$f16 \$f18) that are required after the call is completed.
- The calling procedure should pass all arguments.
 - The first argument is passed in either \$a0 or \$f12 (\$a0 if integer or \$f12 if float single or double precision).
 - The second argument is passed in either \$a1 or \$f14 (\$a1 if integer or \$f14 if float single or double precision).
 - The third argument is passed in \$a2 (integer only).
 - \circ $\;$ If the third argument is float, it must be passed on the stack.
 - The fourth argument is passed in \$a3 (integer only).
 - If the fourth argument is float, it must be passed on the stack.

Remaining arguments are passed on the stack. Arguments on the stack should be placed on the stack in reverse order. Call by reference arguments load address (*la* instruction) and call by value load the value.

Upon completion of the procedure, the caller procedure must restore any saved non-preserved registers (from 1 above) and adjust the stack point (\$sp) as necessary if any arguments were passed on the stack.

Note, for floating-point arguments appearing in registers you must allocate a pair of registers (even if it's a single precision argument) that start with an even register.

8.4 Linkage

The term *linkage* refers to the basic process of getting to a procedure and getting back to the correct location in the calling routine. This does not include argument transmission, which is addressed in the next section.

The basic linkage operation uses the **jal** and **jr** instructions. Both instructions utilize the \$ra register. This register is set to the return address as part of the procedure call.

The **jal**, or jump and link, instruction, will copy the \$pc into the \$ra register and jump to the procedure procName. Recall that the \$pc register points to the next instruction to be executed. That will be the instruction immediately after the call, which is the correct place to return to when the procedure/function has completed.

If the procedure/function does not call any other procedures/functions, nothing additional is required with regard to the \$ra register.

A procedure that does not call another procedure is referred to as a "leaf procedure". A procedure that calls another procedure is referred to as a "non-leaf procedure".

The return from procedure is as follows:

jr \$ra

If the procedure/function calls yet another procedure/function, the \$ra must be preserved. Since \$ra contains the return address, it will be changed when the procedure/function calls the next procedure/function. As such, it must be saved and restored from the stack in the calling procedure. This is typically performed only once at the beginning and then at the end of the procedure (for non-leaf procedures).

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Refer to the example programs for a more detailed series of examples that demonstrate the linkage.

8.5 Argument Transmission

Based on the context, parameters may be transmitted to procedures/functions as either values or addresses. These basic approaches are implemented in high-level languages.

The basic argument transmission is accomplished via a combination of registers and the stack.

8.5.1 Call-by-Value

Call-by-value involves passing a copy of the information being passed to the procedure or function. As such, the original value can not be altered.

8.5.2 Call-by-Reference

Call-by-reference involves passing the address of the variables. Call-by-reference is used when passing arrays or when passing variables that will be altered or set by the procedure or function.

8.5.3 Argument Transmission Conventions

The basic argument transmission is accomplished via a combination of registers and the stack.

Integer arguments can be passed in registers \$a0, \$a1, \$a2, and \$a3 and floating-point values passed in \$f12 and \$f14 (single or double precision floating point).

- The first argument is passed in either \$a0 or \$f12 (\$a0 if integer or \$f12 if float single or double precision).
- The second argument is passed in either \$a1 or \$f14 (\$a1 if integer or \$f14 if float single or double precision).
- The third argument is passed in \$a2 (integer only).
- If the third argument is float, it must be passed on the stack.
- The fourth argument is passed in \$a3 (integer only).
- If the fourth argument is float, it must be passed on the stack.

If the first argument is integer, \$a0 is used and \$f12 should not be used at all. If the first

argument is floating-point value, \$f12 is used and \$a0 is not used at all. Any additional arguments are passed on the stack. The following table shows the argument order and register allocation.

	1st	2nd	3rd	4th	5th	Nth
integer	\$a0	\$a1	\$a2	\$a3	stack	stack
	or	or				
floating- point value	\$f12	\$f14	stack	stack	stack	stack

Recall that addresses are integers, even when pointing to floating-point values. As such, addresses are passed in integer registers.

8.6 Function Results

A function is expected to return a result (i.e., value returning function).

Integer registers \$v0 or \$v1/\$v0 are used to return integers values from function/procedure calls. Floating point registers \$f0 and \$f2 are used to return floating point values from function/procedures.

8.7 Registers Preservation Conventions

The MIPS calling convention requires that only specific registers (not all) be saved across procedure calls.

- Integer registers \$s0 \$s7 must be saved the procedure.
- Floating point registers \$f20 \$f30 must be saved the procedure.

When writing a procedure, this will require that the registers \$s0 - \$s7 or \$f20 - \$f30 (single or double precision) be push'ed and pop'ed from the stack if those registers are utilized/changed. When calling a procedure, the main routine must be written so that any values required across procedure calls be placed in register \$s0 - \$s7 or \$f20 - \$f30 (single or double precision).

Integer registers \$t0 - \$t9 and floating point registers \$f4 - \$f10 and \$f16 - \$f18 (single or double precision) are used to hold temporary quantities that do not need to be preserved across procedure calls.

8.8 Miscellaneous Register Usage

Registers \$at, \$k0, and \$k1 are reserved for the assembler and operating system and should not be used by programs. Register \$fp is used to point to the procedure call frame on the stack. This can be used when arguments are passed on the stack.

Register \$gp is used as a global point (to point to globally accessible data areas). This register is not typically used when writing assembly programs directly.

8.9 Summary, Callee Conventions

The calling convention addresses specific requirements for the *callee* or routine that is being called from another procedure (which includes the main routine).

- Push any altered "saved" registers on the stack.
 - Specifically, this includes \$s0-\$s7, \$f20-\$f30, \$ra, \$fp, or \$gp.
 - If the procedure is a non-leaf procedure, \$ra must be saved.
 - If \$fp is altered, \$fp must be saved which is required when arguments are passed on the stack
 - Space for local variables should be created on the stack for stack dynamic local variables.
- Note, when altering the \$sp register, it should be done in a single operation (instead of a series).
- If arguments are passed on the stack, \$fp should be set as follows
 - \circ \$fp = \$sp + (frame size)
 - This will set \$fp pointing to the first argument passed on the stack.

The procedure can access fist 4 integer arguments in registers \$a0-\$a3 and the first two float registers \$f12-\$f14.

Arguments passed on the stack can be accessed using \$fp. The procedure should place returned values (if any) into \$v0 and \$v1.

- Restore saved registers
 - Includes \$s0 \$s7, \$fp, \$ra, \$gp if they were pushed.
 - \circ $\;$ Return to the calling procedure via the "jr \$ra" instruction.

The procedures example section provides a series of example procedures and functions including register usage and argument transmission.

8.10 Procedure Call Frame

The procedure call frame or activation record is what the information placed on the stack is called. As noted in the previous sections, the procedure call frame includes passed parameters (if any) and the preserved registers. In addition, space for the procedures local variables (if any) is allocated on the stack.

A general overview of the procedure call frame is show as follows:

Procedure Call Frame	Parameters
	Preserved Registers
	Local Variables

Each part of the procedure call frame may be a different size based on home many arguments are passed (if any), which registers must be preserved (if any), or the amount and size of the local variables (if any).

8.10.1.1 Stack Dynamic Local Variables

The local variables, also referred to as stack dynamic local variables, are typically allocated by the compiler and assigned to stack locations. This allows a more efficient use of memory for high-level languages. This can be very important in large programs.

For example, assume there are 10 procedures each with a locally declared 100,000 element array of integers. Since each integer typically requires 4-bytes, this would mean 400,000 bytes for each procedure with a combined total of 4,000,000 bytes (or about ~4MB) for all ten procedures.

For the standard method of stack dynamic local variables, each array is only allocated when the procedure is active (i.e., being executed). If none of the procedures is called, none of the memory is allocated. If only two of the arrays are active at any given time, only 800,000 bytes are allocated at any given time.

However, if the arrays were to be declared statically (i.e., not the standard local

declaration), the ~4MB of memory allocated even if none of the procedures is ever called. This can lead to excessive memory usage which can slow a program down.

8.11 Procedure Examples

This section presents a series of example procedures of varying complexity.

8.11.1 Example Program, Power Function

This following is a very simple example function call. The example includes a simple main procedure and a simple function that computes x^y (i.e., x to the y power). The high-level language call, shown in C/C++ here, would be:

```
answer = power(x, y);
```

Where *x* and *y* are passed by value and the result return to the variable *answer*. The main passes the arguments by value and receives the result in \$v0 (as per the convention). The main then saves the result into the variable *answer*.

```
#
 Example function to demonstrate calling conventions
 Function computes power (i.e., x to y power).
 Data Declarations
.data
x:
    .word 3
       .word
                 5
y:
answer: .word 0
# -----
 Main routine.
  Call simple procedure two add two numbers.
.text
.globl
      main
.ent main
main:
    lw $a0, x
                           # pass arg's to function
```

```
lw
         $a1, y
     jal power
          $v0, answer
     li
          $v0, 10
     syscall
                               # terminate program
.end main
# Function to find and return x^y
 Arguments
#
     $a0 - x
     $a1 - y
# Returns
     $v0 - x^y
.globl
          power
.ent power
power:
     li $v0, 1
     li $t0, 0
powLoop:
         $v0, $v0, $a0
     mul
     add $t0, $t0, 1
     blt
          $t0, $a1, powLoop
     jr
          $ra
.end power
```

Refer to the next section for a more complex example.

8.11.2 Example program, Summation Function

This following is an example procedure call.

```
# Example function to demonstrate calling conventions.
```

[#] Simple function to sum six arguments.

```
# Data Declarations
.data
num1: .word
                  3
        .word
num2:
        .word
num3:
                   3
        .word
                   5
num4:
num5:
                   3
num6: .word
sum: .word
                   5
# Main routine.
# Call function to add six numbers.
     First 4 arguments are passed in $a0-$a3.
     Next 2 arguments are passed on the stack.
.text
.globl main
.ent main
main:
       $a0, num1
  lw
                             # pass arg's and procedure
        $a1, num2
  lw
  lw
        $a2, num3
  lw
         $a3, num4
  lw
        $t0, num5
  lw
          $t1, num6
  subu
         $sp, $sp, 8
  SW
          $t0, ($sp)
  SW
        $t1, 4($sp)
  jal
         addem
         $v0, sum
  SW
         $sp, $sp, 8
                                   # clear stack
  addu
  li
          $v0,10
  syscall
                                   # terminate
```

```
.end main
# Example function to add 6 numbers
# ----
 Arguments
     a0 - num1
   $a1 - num2
   $a2 - num3
   $a3 - num4
   (\$fp) - num5
     4(\$fp) - num6
# Returns
     $v0 - num1+num2+num3+num4+num5+num6
.qlobl addem
.ent
          addem
addem:
  subu $sp, $sp, 4
                                   # preserve registers
        $fp, ($sp)
  SW
 addu $fp, $sp, 4
                                   # set frame pointer
# ----
# Perform additions.
  li
          $v0, 0
  add
          $v0, $v0 $a0
                                   # num1
  add
          $v0, $v0 $a1
                                   # num2
  add
          $v0, $v0 $a2
                                   # num3
  add
          $v0, $v0 $a3
                                   # num4
                                   # num5
  lw
          $t0, ($fp)
        $v0, $v0 $t0
  add
                                   # num6
  lw
         $t0, 4($fp)
  add $v0, $v0 $t0
# ----
# Restore registers.
```

Refer to the next section for a more complex example.

8.11.3 Example Program, Pythagorean Theorem Procedure

The following is an example of a procedure that calls another function. Given the a and b sides of a right triangle, the c side can be computed as follows:

$$cSide = \sqrt{aSide^2 + bSide^2}$$

This example program will call a procedure to compute the *c* sides of a series of right triangles. The *a* sides and *b* sides are stored in an arrays, a sides[] and bSides[] and results stored into an array, cSides[]. The procedure will also compute the minimum, maximum, sum, and average of the cSides[] values. All values are integers. In order to compute the integer square root, a iSqrt() function is used. The iSqrt() function uses a simplified versioon of Newtons method.

```
12, 14, 16, 18, 10
           .word
                    34, 32, 31, 35, 34, 33, 32, 37, 38, 39
bSides:
           .word
                    32, 30, 36, 38, 30
           .word
cSides:
           .space
                    60
length:
                    15
           .word
min:
           .word
                    0
max:
           .word
           .word 0
sum:
ave:
           .word 0
# text/code section
 For example
.text
.globl
          main
.ent main
main:
  Main program calls the cSidesStats routine.
   The HLL call is as follows:
#
     cSidesStats(aSides, bSides, cSides, length, min,
#
                      max, sum, ave)
#
   Note:
#
     The arrays are passed by reference
#
     The length is passed by value
#
     The min, max, sum, and ave are passed by reference.
     la
           $a0, aSides
                                       # address of array
     la
           $a1, bSides
                                      # address of array
           $a2, cSides
                                      # address of array
     la
           $a3, length
     lw
                                      # value of length
                                      # address for min
     la
          $t0, min
           $t1, max
                                      # address for max
     la
                                      # address for sum
     la
          $t2, sum
     la
           $t3, ave
                                       # address for ave
```

```
subu $sp, $sp, 16
          $t0, ($sp)
                                     # push addresses
     SW
     sw $t1, 4($sp)
        $t2, 8($sp)
     SW
     sw $t3, 12($sp)
     jal cSidesStats
                                    # call routine
     addu $sp, $sp, 16
                                     # clear arguments
# ----
# Done, terminate program.
     li
          $v0, 10
                                    # call code for
terminate
     syscall
                                     # system call
.end main
# Procedure to calculate the cSides[] for each right
# triangle in a series of right triangles given the
# aSides[] and bSides[] using the pythagorean theorem.
  Pythagorean theorem formula:
     cSides[n] = sqrt ( aSides[n]^2 + bSides[n]^2 )
#
# Also finds and returns the minimum, maximum, sum,
# and average for the cSides.
# Uses the iSqrt() routine to find the integer
  square root of an integer.
# ----
 Arguments:
     $a0 - address of aSides[]
     $a1 - address of bSides[]
#
     $a2 - address of cSides[]
#
     $a3 - list length
#
    ($fp) - addr of min
#
     4($fp) - addr of max
```

```
#
     8($fp) - addr of sum
     12($fp) - addr of ave
#
  Returns (via passed addresses):
     cSides[]
#
     min
#
     max
#
     sum
#
     ave
.globl cSidesStats
.ent cSidesStats
cSidesStats:
     subu $sp, $sp, 28
                                     # preserve registers
          $a0, ($sp)
     SW
          $s0, 4($sp)
     SW
          $s1, 8($sp)
     SW
          $s2, 12($sp)
     SW
        $s3, 16($sp)
     SW
         $fp, 20($sp)
     SW
     sw $ra, 24($sp)
     add $fp, $sp, 28
                                     # set frame pointer
# Loop to calculate cSides[]
     Note, must use $s<n> registers due to iSqrt() call
                                     # starting address of
     move $s0, $a0
aSides
     move $s1, $a1
                                     # starting address of
bSides
     move $s2, $a2
                                     # starting address of
cSides
     1i
          $s3, 0
                                     # index = 0
cSidesLoop:
          $t0, ($s0)
                                     # get aSides[n]
     lw
          $t0, $t0, $t0
                                     # aSides[n]^2
     mul
                                     # get bSides[n]
     lw $t1, ($s1)
                                     # bSides[n]^2
     mul
          $t1, $t1, $t1
```

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```
add
        $a0, $t0, $t1
     jal iSqrt
                                 # call iSqrt()
         $v0, ($s2)
                                  # save to cSides[n]
     SW
     addu $s0, $s0, 4
                                  # update aSides addr
                                 # update bSides addr
     addu $s1, $s1, 4
    addu $s2, $s2, 4
                                 # update cSides addr
     addu $s3, $s3, 1
                                  # index++
    blt $s3, $a3, cSidesLoop # if indx<len, loop
# Loop to find minimum, maximum, and sum.
    move $s2, $a2
                                  # strt addr of cSides
                                  # index = 0
     li $t0, 0
    lw $t1, ($s2)
                                 # min = cSides[0]
                                 \# \max = cSides[0]
     lw $t2, ($s2)
     li $t3, 0
                                  \# sum = 0
statsLoop:
     lw $t4, ($s2)
                                 # get cSides[n]
    bge $t4, $t1, notNewMin # if cSides[n] >=
                                 # item -> skip
                                  # set new min value
    move $t1, $t4
notNewMin:
    ble $t4, $t2, notNewMax # if cSides[n] <=</pre>
                                      item -> skip
                                  # set new max value
    move $t2, $t4
notNewMax:
     add $t3, $t3, $t4
                                 \# sum = sum +
cSides[n]
    addu $s2, $s2, 4
                                # update cSides addr
                                  # index++
     addu $t0, $t0, 1
    blt $t0, $a3, statsLoop # if indx<len -> loop
```

```
$t5, ($fp)
                                  # get address of min
    lw
         $t1, ($t5)
                                  # save min
    SW
    lw
         $t5, 4($fp)
                                  # get address of max
         $t2, ($t5)
                                  # save max
    SW
         $t5, 8($fp)
                                 # get address of sum
    lw
                                 # save sum
        $t3, ($t5)
    SW
                                 # ave = sum / len
    div $t0, $t3, $a3
         $t5, 12($fp)
    lw
                                  # get address of ave
         $t0, ($t5)
                                  # save ave
    SW
# Done, restore registers and return to calling routine.
         $a0, ($sp)
    lw
         $s0, 4($sp)
    lw
    lw $s1, 8($sp)
    lw $s2, 12($sp)
    lw $s3, 16($sp)
    lw $fp, 20($sp)
    lw $ra, 24($sp)
    addu $sp, $sp, 28
    jr
         $ra
.end cSidesStats
# ------
# Function to computer integer square root for
 an integer value.
  Uses a simplified version of Newtons method.
    x = N
    iterate 20 times:
#
        x' = (x + N/x) / 2
        x = x'
 Arguments
```

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```
#
     $a0 - N
 Returns
     $v0 - integer square root of N
#
.globl
          iSqrt
          iSqrt
.ent
iSqrt:
     move $v0, $a0
                                \# $t0 = x = N
     li
         $t0, 0
                                      # counter
sqrLoop:
          $t1, $a0, $v0
$v0, $t1, $v0
                                      # N/x
     div
                                     \# x + N/x
     add
     div $v0, $v0, 2
                                      \# (x + N/x)/2
     add
          $t0, $t0, 1
          $t0, 20, sqrLoop
     blt
     jr
           $ra
.end iSqrt
```

This example uses a simplified version of Newtons method. Further improvements are left to the reader as an exercise.

9.0 QtSpim System Service Calls

The operating system must provide some basic services for functions that a user program can not easily perform on its own. Some key examples include input and output operations. These functions are typically referred to as *system services*. The QtSpim simulator provides a series of operating system like services by using a **syscall** instruction.

To request a specific service from the QtSpim simulator, the 'call code' is loaded in the \$v0 register. Based on the specific system service being requested, additional information may be needed which is loaded in the argument registers (as noted in the Procedures/Functions section).

9.1 Supported QtSpim System Services

A list of the supported system services are listed in the below table. A series of examples is provided in the following sections.

Service Name	Call Code	Input	Output
Print Integer (32-bit)	1	\$a0 → integer to be printed	
Print Float (32-bit)	2	\$f12 → 32-bit floating-point value to be printed	
Print Double (64-bit)	3	\$f12 → 64-bit floating-point value to be printed	
Print String	4	\$a0 → starting address of NULL terminated string to be printed	
Read Integer (32-bit)	5		\$v0 → 32-bit integer entered by user
Read Float (32-bit)	6		\$f0 → 32-bit floating- point value entered by user
Read Double (64-bit)	7		\$f0 → 64-bit floating- point value entered by user

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Read String	8	\$a0 → starting address of buffer (of where to store character entered by user) \$a1 → length of buffer	
Allocate Memory	9	\$a0 → number of bytes to allocate	\$v0 → starting address of allocated memory
Terminate	10		
Print Character	11	\$a0 → character to be printed	
Read Character	12		\$v0 → character entered by user
File Open	13	\$a0 → file name string, NULL terminated \$a1 → access flags \$a2 → file mode, (UNIX style)	\$v0 → file descriptor
File Read	14	\$a0 → file descriptor \$a1 → buffer starting address \$a2 → number of bytes to read	$v0 \rightarrow \text{number of bytes}$ actually read from file (-1 = error, 0 = end of file)
File Write	15	\$a0 → file descriptor \$a1 → buffer starting address \$a2 → number of bytes to read	$v0 \rightarrow \text{number of bytes}$ actually written to file (-1 = error, 0 = end of file)
File Close	16	\$a0 → file descriptor	

The file open access flags are defined as follows:

```
Read = 0x0, Write = 0x1, Read/Write = 0x2

OR Create = 0x100, Truncate = 0x200, Append = 0x8

OR Text = 0x4000, Binary = 0x8000
```

For example, for a file read operation the 0x0 would be selected. For a file write operation, the 0x1 would be selected.

9.2 QtSpim System Services Examples

This section provides a series of examples using system service calls.

The system service calls follow the standard calling convention in that the temporary registers (\$t0 - \$t9) may be altered and the saved registers (\$s0 - \$s7, \$fp, \$ra) will be preserved. As such, if a series of values is being printed in a loop, it saved register would be required for the loop counter and the current array address/index.

9.2.1 Example Program, Display String and Integer

The following code provides an example of how to display a string and an integer.

```
# Example program to display a string and an integer.
# Demonstrates use of QtSpim system service calls.
# Data Declarations
.data
number: .word 42
# text/code section
.text
.globl main
main:
         $v0, 4
                     # call code for print string
    li
         $a0, hdr # addr of NULL terminated string
    la
                      # system call
    syscall
    1i
         $v0, 1
                     # call code for print integer
         $a0, number # value for integer to print
    lw
    syscall
                      # system call
# Done, terminate program.
```

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```
li $v0, 10  # call code for terminate
syscall  # system call
.end main
```

Note, in this example, the string definition ensures the NULL termination as required by the system service.

The output for the example would be displayed to the QtSpim console window. For example,



The console window can be display or hidden from the Windows menu (on the top bar).

9.2.2 Example Program, Read Integer

The following code provides an example of how to to display a prompt string, read an integer value, square that integer value, and display the final result.

```
.text
          main
.globl
main:
          $v0, 4
     li
                          # call code for print string
     la
          $a0, hdr
                          # addr of NULL terminated string
     syscall
                           # system call
     1i
                           # call code for read integer
          $v0, 5
                           # system call (response in $v0)
     syscall
     mul
          $t0, $v0, $v0 # square answer
          $t0, value
                          # save to variable
     sw
     li
          $v0, 4
                           # call code for print string
                          # addr of NULL terminated string
     la
          $a0, ansMsq
     syscall
                           # system call
     li
          $v0, 1
                          # call code for print integer
          $a0, value
                          # value for integer to print
     1w
     syscall
                          # system call
# ----
 Done, terminate program.
     li
          $v0, 10
                          # call code for terminate
     syscall
                          # system call
.end main
```

The output for the example would be displayed to the QtSpim console window. For example,



Note, the default console window size will typically be larger than what is shown above.

9.2.3 Example Program, Display Array

The following code provides an example of how to display an array. In this example, an array of numbers is displayed to the screen five number per line (arbitrarily chosen) to make the output appear more pleasing.

Since the system service call is utilized for the print function, the saved register must be used. Refer to the Procedures/Functions section for additional information regarding the MIPS calling conventions.

```
Example program to display an array.
# Demonstrates use of QtSpim system service calls.
# Data Declarations
.data
       .ascii "Array Values\n"
hdr:
        .asciiz "----\n\n"
spaces: .asciiz
                   newLine: .asciiz "\n"
                 11, 13, 15, 17, 19
21, 23, 25, 27, 29
        .word
array:
         .word
         .word
                   31, 33, 35, 37, 39
         .word
                   41, 43, 45, 47
length: .word
                   19
# text/code section
.text
.globl main
main:
    li $v0, 4
                             # print header string
         $a0, hdr
    la
    syscall
    la
         $s0, array
    li
         $s1, 0
         $s2, length
    lw
```

```
printLoop:
     li
           $v0, 1
                                # call code for print
integer
     1w
           $a0, ($s0)
                                # get array[i]
     syscall
                                # system call
     1i
           $v0, 4
                                 # print spaces
     la
           $a0, spaces
     syscall
     addu $s0, $s0, 4
                                # update addr (next word)
                                # increment counter
     add $s1, $s1, 1
     rem $t0, $s1, 5
     bnez $t0, skipNewLine
     li
           $v0, 4
                                # print spaces
           $a0, newLine
     la
     syscall
skipNewLine:
          $s1, $s2, printLoop # if cnter<len -> loop
# Done, terminate program.
     li
           $v0, 10
                                # call code for terminate
     syscall
                                # system call
.end main
```

The output for the example would be displayed to the QtSpim console window. For example,

```
Console

Array Values

11 13 15 17 19
21 23 25 27 29
31 33 35 37 39
41 43 45 47
```

Chapter 9.0 ◀ QtSpim System Service Calls

The example codes does not align the values (when printed). The values above appear aligned only since they are all the same size.

10.0 Multi-dimension Array Implementation

This chapter provides a summary of the implementation of multiple dimension array as viewed from assembly language.

Memory is inherently a single dimension entity. As such, multi-dimension array is implemented as sets of single dimension array. There are two primary ways this can be performed; row major and column major. Each is explained in subsequent sections.

To simplify the explanation, this section focuses on two-dimensional arrays. The general process extents to high dimensions.

10.1 High-Level Language View

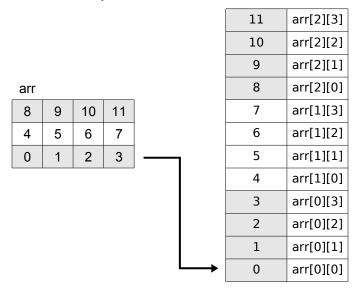
Multi-Dimension arrays are sometimes used in high level languages. For example, in C/C++, the declaration of: **int arr** [3][4] would declare an array as follows:

arr	arr[0][0]	arr[0][1]	arr[0][2]	arr[0][3]
	arr[1][0]	arr[1][1]	arr[1][2]	arr[1][3]
	arr[2][0]	arr[2][1]	arr[2][2]	arr[2][3]

It is expected that the reader is generally familiar with the high-level language use of two-dimensional arrays.

10.2 Row-Major

Row-major assigns each row as a single dimension array in memory, one row after the next until all rows are in memory.



The formula to convert two-dimensional array indexes (row, column) into a single dimension, row-major memory offset is as follows:

```
addr = baseAddr + (rowIndex * colSize + colIndex) * dataSize
```

Where the *base address* is the starting address of the array, *dataSize* is the size of the data in bytes, and *colSize* is the dimension or number of the rows in the array. In this example, the number of columns in the array is 4 (from the previous high-level language declaration).

For example, to access the **arr[1][2]** element (labeled '6' in the above diagram), assuming the array is composed of 32-bit sized elements it would be:

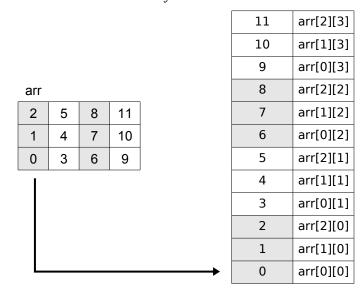
address =
$$arr + (1 * 3 + 2) * 4 = arr + (4 + 2) * 4$$

= $arr + 6 * 4 = arr + 24$

Which generates the correct, final address.

10.3 Column-Major

Column-major assigns each column as a single dimension array in memory, one column after the next until all rows are in memory.



The formula to convert two-dimensional array indexes (row, column) into a single dimension, column-major memory offset is as follows:

```
addr = baseAddr + (colIndex * rowSize + rowIndex) * dataSize
```

Where the base *address* is the starting address of the array, *dataSize* is the size of the data in bytes, and *rowSize* is the dimension or number of the columns in the array. In this example, the number of rows in the array is 3 (from the previous high-level language declaration).

For example, to access the **arr[1][2]** element (labeled '6' in the above diagram), assuming the array is composed of 32-bit sized elements it would be:

address =
$$arr + (2 * 4 + 1) * 4 = arr + (6 + 1) * 4$$

= $arr + 7 * 4 = arr + 28$

Which generates the correct, final address.

10.4 Example Program, Matrix Diagonal Summation

The following code provides an example of how to access elements in a twodimensional array. This example adds the elements on the diagonal of a twodimensional array.

For example, given the logical view of a five-by-five square matrix:

11	12	13	14	15
16	17	18	19	20
21	22	23	24	25
26	27	28	29	30
31	32	33	34	35

The main diagonal contains the numbers, 11, 17, 23, 29, and 35.

```
# Example program to compute the sum of diagonal
# in a square two-dimensional array
# Demonstrates multi-dimension array indexing.
# Assumes row-major ordering.
```

Data Declarations

.data

```
mdArray: .word 11, 12, 13, 14, 15
.word 16, 17, 18, 19, 20
.word 21, 22, 23, 24, 25
.word 26, 27, 28, 29, 30
.word 31, 32, 33, 34, 35
```

size: .word 5 dSum: .word 0

DATASIZE = 4

4 bytes for words

```
finalMsg: .ascii
                  "Two-Dimensional Diagonal"
         .ascii "Summation\n\n"
         .asciiz "Diagonal Sum = "
# ------
# Text/code section
.text
.globl main
main:
# Call function to sum the diagaonal
    (of square two-dimensional array)
    la
         $a0, mdArray
                           # base address of array
    lw $a1, size
                           # array size
    jal diagSummer
    sw $v0, dSum
# ----
# Display final result.
    li $v0, 4
                            # print prompt string
    la $a0, finalMsg
    syscall
    li $v0, 1
                            # print integer
    lw
         $a0, dSum
    syscall
# ----
# Done, terminate program.
    li $v0, 10
                            # call code for terminate
    syscall
                            # system call
.end main
```

```
Simple function to sum the diagonals of a
  square two-dimensional array.
  Approach
#
     loop i = 0 to len-1
#
          sum = sum + mdArray[i][i]
  Note, for two-dimensional array:
   addr = baseAddr+(rowIndex*colSize+colIndex) * dataSize
# Since the two-dimensional array is given as square, the
# row and column dimensions are the same (i.e., size).
#
 Arguments
#
     $a0 - array base address
#
     $a1 - size (of square two-dimension array)
 Returns
     $v0 - sum of diagonals
.globl
          diagSummer
.ent diagSummer
diagSummer:
     1i
                                # sum=0
          $v0, 0
     li
          $t1, 0
                                # loop index, i=0
diagSumLoop:
     mul
          $t3, $t1, $a1
                                # (rowIndex * colSize
     add
          $t3, $t3, $t1
                                               + colIndex)
                                # note, rowIndex=colIndex
     mul
          $t3, $t3, DATASIZE
                                               * dataSize
                                # + base address
     add
          $t4, $a0, $t3
     lw
          $t5, ($t4)
                                # get mdArray[i][i]
     add $v0, $v0, $t5
                                # sum = sum + mdArray[i]
[i]
     add $t1, $t1, 1
                                \# i = i + 1
     blt
          $t1, $a1, diagSumLoop
```

```
# ----
# Done, return to calling routine.
    jr $ra
.end diagSummer
```

While not mathematically useful, this does demonstrate how elements in a two-dimensional array.

Chapter 10.0 ◀ Multi-dimension Array Implementation

11.0 Recursion

The Google search result for recursion, shows Recursion, did you mean recursion?

Recursion is the idea that a function may call itself (which is the basis for the joke). Recursion is a powerful general-purpose programming technique and is used for some important applications including search and sorting methods.

Recursion can be very confusing in its simplicity. The simple examples in this section will not be enough in themselves for the reader to obtain recursive enlightenment. The goal of this section is to provide some insight into the underlying mechanisms that support recursion. The simple examples here which are used introduce recursion are meant to help demonstrate the form and structure for recursion. More complex examples (than will be discussed here) should be studied and implemented in order to ensure a complete appreciation for the power of recursion.

The procedure/function calling process previously described supports recursion without any changes.

A recursive function must have a recursive definition that includes:

- 1. base case, or cases, that provide a simple result (that defines when the recursion should stop).
- 2. rule, or set of rules, that reduce toward the base case.

This definition is referred to as a recursive relation.

11.1 Recursion Example, Factorial

The factorial function is mathematically defined as follows:

$$n! = \prod_{k=1}^{n} k$$

Or more familiarly, you might see 5! as:

$$n! = 5 \times 4 \times 3 \times 2 \times 1$$

It must be noted that this function could easily be computed with a loop. However, the reason this is done recursively is to provide a simple example of how recursion works.

A typical recursive for factorial is:

$$factorial(n) = \begin{cases} 1 & \text{if } n=0 \\ n \times factorial(n-1) & \text{if } n \ge 1 \end{cases}$$

This definition assumes that the value of n is positive.

11.1.1 Example Program, Recursive Factorial Function

The following code provides an example of the recursive factorial function.

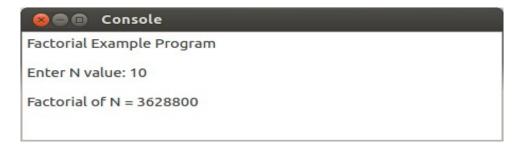
```
# Example program to demonstrate recursion.
# Data Declarations
.data
.word 0
n:
answer:
 Text/code section
.text
.globl main
main:
# Read n value from user
    li
        $v0, 4
                         # print prompt string
        $a0, prompt
    syscall
    1i
      $v0, 5
                         # read N (as integer)
```

```
syscall
    sw $v0, n
# ----
# Call factorial function.
     lw $a0, n
     jal fact
    sw $v0, answer
# ----
# Display result
     li $v0, 4
                             # print prompt string
    la $a0, results
     syscall
    li $v0, 1
                            # print integer
    lw $a0, answer
    syscall
# ----
# Done, terminate program.
     li $v0, 10
                            # call code for terminate
    syscall
                             # system call
.end main
# Factorial function
# Recursive definition:
               if n = 0
\# = n * fact(n-1) if n >= 1
# Arguments
   $a0 - n
# Returns
   $v0 set to n!
.globl fact
```

Chapter 11.0 ◀ Recursion

```
.ent fact
fact:
     subu $sp, $sp, 8
          $ra, ($sp)
     SW
          $s0, 4($sp)
     SW
                                # check base case
     li
          $v0, 1
          $a0, 0, factDone
     beq
     move $s0, $a0
                                # fact(n-1)
         $a0, $a0, 1
     sub
     jal
         fact
     mul $v0, $s0, $v0
                               # n * fact(n-1)
factDone:
     lw
          $ra, ($sp)
          $s0, 4($sp)
     lw
     addu $sp, $sp, 8
     jr
          $ra
.end fact
```

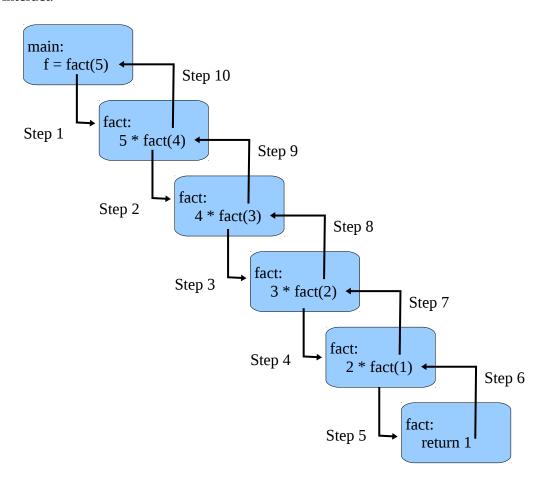
The output for the example would be displayed to the QtSpim console window. For example,



Refer to the next section for an explanation of how this function woks.

11.1.2 Recursive Factorial Function Call Tree

In order to help understand recursion, a recursion tree can help show how the recursive calls interact.



When the initial call occurs from main, the main will start into the fact() function (shown as step 1). Since the argument, of 5 is not a base case, the fact() function must call fact() again with the argument of *n*-1 or 4 in this example (step 2). And, again, since 4 is not the base case, the fact() function must call fact() again with the argument of *n*-1 or 3 in this example (step 3).

This process continues until the argument passed into the fact() function meets the base case which is when the arguments is equal to 1 (shown as step 5). When this occurs, only then is a return value provided to the previous call (step 6). This return argument is

then used to calculate the previous multiplication which is 2 times 1 which will return a value to the previous call (as shown in step 7).

This returns will continue (steps 8, 9, and 10) until the main has a final answer.

Since the code being executed is the same, each instance of the fact() function is different from any other instance only in the arguments and temporary values. The arguments and temporary values for each instance are different since they maintained on the stack as required by the standard calling convention.

For example, consider a call to factorial with n = 2 (step 4 on the diagram). The return address, \$ra, and previous contents of \$s0 are preserver by pushing them on the stack in accordance with the standard calling convention. The base case is checked and since $n \ne 1$ it continues to save the original value of 1 into \$s0, decrement the original argument, n, by 1 and calling the fact() function (with n = 1). The call the the fact() function (step 5 in the diagram) is like any other function call in that it must follow the standard calling convention, which requires preserving \$ra and \$s0. This when the function returns an answer, 1 in this specific case, that answer in \$v0 is multiplied by the original n value in \$s0 and returned to the calling routine.

As such the foundation for recursion is the procedure call frame or activation record. In general, it is simply stated that recursion is stack-based.

It should also be noted that the height of the recursion tree is directly associated with the amount of stack memory used by the function.

11.2 Recursion Example, Fibonacci

The Fibonacci function is mathematically defined as follows:

$$F_n = F_{n-1} + F_{n-2}$$

for positive integers with seed values of $F_0 = 0$ and $F_1 = 1$ by definition.

As such, starting from 0 the first 14 numbers in the Fibonacci series are:

It must be noted that this function could easily be computed with a loop. However, the reason this is done recursively is to provide a simple example of how recursion works.

For example, a typical recursive definition for Fibonacci is:

$$fib(n) = \begin{cases} 0 & \text{if } n=0\\ 1 & \text{if } n=1\\ fib(n-1) + fib(n-2) & \text{if } n>1 \end{cases}$$

This definition assumes that the value of n is positive.

11.2.1 Example Program, Recursive Fibonacci Function

The following code provides an example of the recursive Fibonacci function.

```
# Recursive Fibonacci program to demonstrate recursion.
 Data Declarations
.data
results: .asciiz "\nFibonacci of N = "
   .word 0
n:
answer: .word 0
 Text/code section
.text
.globl main
main:
# Read n value from user
    li $v0, 4
                         # print prompt string
```

Chapter 11.0 ◀ Recursion

```
la
         $a0, prompt
     syscall
     li $v0, 5
                            # read N (as integer)
    syscall
    sw $v0, n
# ----
# Call Fibonacci function.
     lw $a0, n
    jal fib
     sw $v0, answer
# ----
# Display result
    li $v0, 4
                             # print prompt string
    la $a0, results
     syscall
     li $v0, 1
                             # print integer
    lw $a0, answer
    syscall
# Done, terminate program.
    li $v0, 10
                            # call code for terminate
                             # system call
    syscall
.end main
# Fibonacci function
# Recursive definition:
                         if n = 0
   = 0
                         if n = 1
   = 1
# = fib(n-1) + fib(n-2) if n > 2
```

```
Arguments
     a0 - n
  Returns
#
     $v0 set to fib(n)
           fib
.globl
.ent
           fib
fib:
     subu $sp, $sp, 8
     sw
           $ra, ($sp)
     SW
          $s0, 4($sp)
                                # check for base cases
     move $v0, $a0
     ble
          $a0, 1, fibDone
     move $s0, $a0
                                # get fib(n-1)
          $a0, $a0, 1
     sub
     jal
          fib
     move $a0, $s0
          $a0, $a0, 2
     sub
                                # set n-2
     move $s0, $v0
                                \# save fib(n-1)
                                # get fib(n-2)
     jal
          fib
          $v0, $s0, $v0
                                # fib(n-1)+fib(n-2)
     add
fibDone:
     lw
          $ra, ($sp)
     lw
           $s0, 4($sp)
     addu $sp, $sp, 8
     jr
           $ra
.end fib
```

The output for the example would be displayed to the QtSpim console window.

Chapter 11.0 ◀ Recursion

For example,



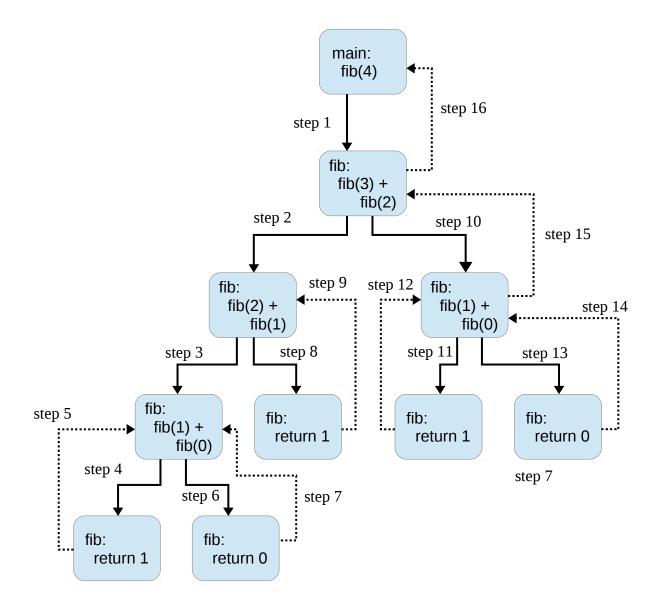
Refer to the next section for an explanation of how this function works.

11.2.2 Recursive Fibonacci Function Call Tree

The Fibonacci recursion tree appears more complex than the previous factorial tree since the Fibonacci functions uses two recursive calls. However, the general process and use of the stack for arguments and temporary values is the same.

As noted in the factorial example, the basis of recursion is the stack. In this example, since two recursive calls are made, the first call will make another call, which may make yet another call. In this manner, the call sequence will follow the order shown in the following diagram.

The following is an example of the call tree for a Fibonacci call with n = 4.



The calls are shown with a solid line and the returns are shown with a dashed line.

12.0 Appendix A – Example Program

Below is a simple example program. This program can be used to test the simulator installation and as an example of the required program formatting.

```
# Example program to find the minimum and maximum from
# a list of numbers. Also displays the list of numbers.
# data segment
.data
                    13, 34, 16, 61, 28
array:
         .word
          .word
                    24, 58, 11, 26, 41
                    19, 7, 38, 12, 13
          .word
len:
          .word
                    15
hdr:
        .ascii
                    "\nExample program to find max and"
         .asciiz
                    " min\n\n"
                    "\n"
newLine:
         .asciiz
       .asciiz
                  "min = "
alMsg:
a2Msg:
         .asciiz
                   "max = "
                ______
# text/code segment
  QtSpim requires the main procedure to be named "main".
.text
.globl main
.ent main
main:
  This program will use pointers.
     t0 - array address
     t1 - count of elements
     s2 - min
```

```
s3 - max
    t4 - each word from array
# Display header
# Uses print string system call
    la
        $a0, hdr
    li
         $v0, 4
                             # print header
    syscall
# ----
# Find max and min of the array.
 Set min and max to first item in list and then
# loop through the array and check min and max against
 each item in the list, updating the min and max values
# as needed.
    loop:
    lw $t4, ($t0)
                            # get array[n]
    bge $t4, $s2, NotMin # is new min?
    move $s2, $t4
                            # set new min
NotMin:
    ble $t4, $s3, NotMax # is new max?
    move $s3, $t4
                            # set new max
NotMax:
    sub $t1, $t1, 1  # decrement counter
addu $t0, $t0, 4  # increment addr by word
    bnez $t1, loop
# ----
# Display results min and max.
# First display string, then value, then a print a
# new line (for formatting). Do for each max and min.
```

```
la
         $a0, a1Msg
     li
          $v0, 4
     syscall
                                # print "min = "
     move $a0, $s2
     li
          $v0, 1
     syscall
                                # print min
                                # print a newline
          $a0, newLine
     la
     li
          $v0, 4
     syscall
          $a0, a2Msg
     la
          $v0, 4
     li
                                # print "max = "
     syscall
     move $a0, $s3
     li
          $v0, 1
     syscall
                                # print max
          $a0, newLine
                                # print a newline
     la
          $v0, 4
     li
     syscall
# Done, terminate program.
          $v0, 10
                                # all done!
     syscall
```

.end main

Appendix A – Example Program

This QtSpim Tutorial is designed to prepare you to use the QtSpim simulator and complete your MIPS assignments more easily.

13.1 Downloading and Installing QtSpim

The first step is to download and install QtSpim for your specific machine. QtSpim is available for Winodws, Linux, and MAC OS's.

13.1.1 QtSpim Download URLs

The following are the current URLs for QtSpim.

The QtSpim home page is located at:

http://spimsimulator.sourceforge.net/

The specific download site is located at:

http://sourceforge.net/projects/spimsimulator/files/

At the download site there are multiple versions for different target machines. These include Windows (all versions), linux (32-bit), linux (64-bit), and MAC OS (all versions). Download the latest version for your machine.

These URLS are subject to change. If they do not work, a Google search will find the correct URLs.

13.1.2 Installing QtSpim

Once the package is downloaded, follow the standard installation process for the specific OS being used. This typically will involve double-clicking the downloaded installation package and following the instructions. You will need administrator privileges to perform the installation. Additionally, some installations will require Internet access during the installation.

13.2 Working Directory

Create a working directory for the QtSpim assembly source files. This directory can be named anything, but must be legal on the chosen operating system.

13.3 Sample Program

Copy or type the provided example program (from Appendix A) to a file in your working directory. This file will be used in the remainder of the tutorial. It demonstrates assembler directives, procedure calls, console I/O, program termination, and good programming practice. Notice in particular the assembler directives '.data' and '.text' as well as the declarations of program constants. Understanding the basic flow of the example program will help you to complete your SPIM assignment quickly and painlessly. Once you have created the file and reviewed the code, it is time to move onto the next section.

13.4 QtSpim – Loading and Executing Programs

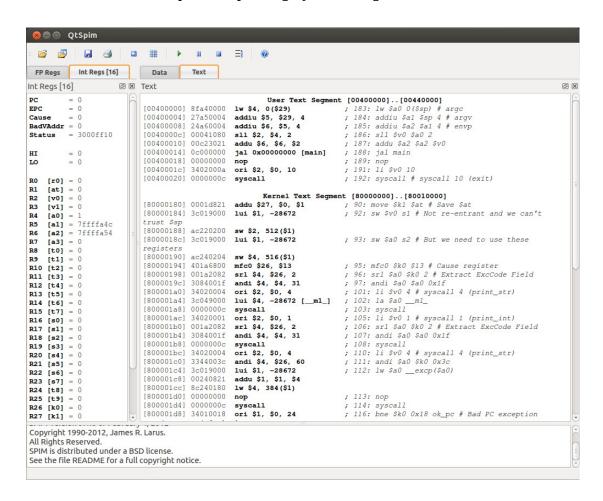
After the QtSpim application installation has been complete and the sample program has been created, you can execute the program to view the results. The use of QtSpim is described in the following sections.

13.4.1 Starting QtSpim

For Windows, this is typically, performed with the standard "Start Menu -> Programs -> QtSpim" operation. For MAC OS, enter LaunchPad and click on QtSPim. For Linux, find the QtSpim icon (location is OS distribution dependent) and click on QtSpim.

13.4.2 Main Screen

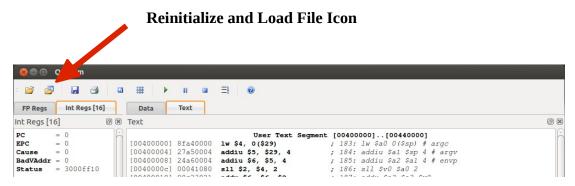
The initial QtSpim screen will appear as shown below. There will be some minor difference based on the specific Operating System being used.



13.4.3 Load Program

To load the example program (and all programs), you can select the standard "File → Reinitialize and Load File" option from the menu bar. However, it is typically easier to select the Reinitialize and Load File Icon from the main screen (second file icon on right side).

Note, the Load File option can be used on the initial load, but subsequent file loads will need to use the Reinitialize and Load File to ensure the appropriate reinitialization occurs.



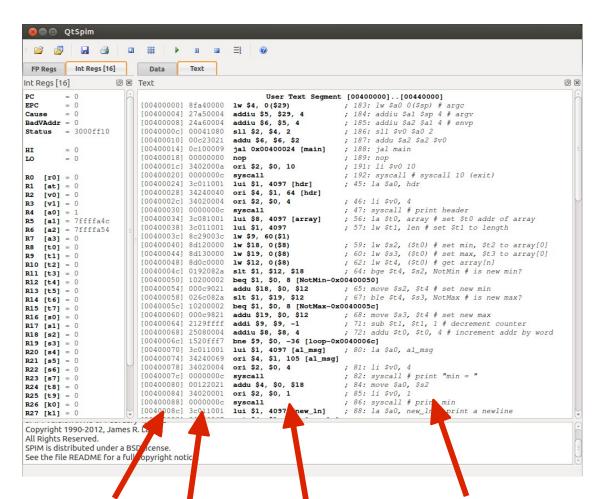
Once selected, a standard open file dialog box will be displayed. Find and select 'asst0.asm' file (or whatever you named it) created in section 3.0.



Navigate as appropriate to find the example file previously created. When found, select the file (it will be highlighted) and click Open button (lower right hand corner).

The assembly process occurs as the file is being loaded. As such, any assembly syntax errors (i.e., misspelled instructions, undefined variables, etc.) are caught at this point. An appropriate error message is provided with a reference to the line number that caused the error.

When the file load is completed with no errors, the program is ready to run, but has not yet been executed. The screen will appear something like the following image.



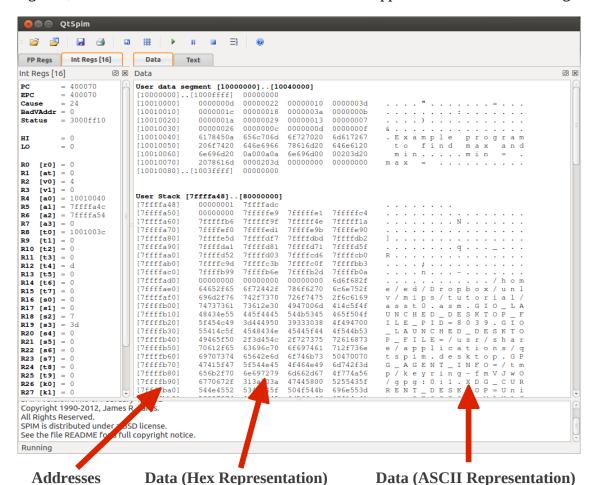
Addresses OpCodes Bare-Instructions Psuedo-Instructions

The code is placed in Text Window. The first column of hex values (in the []'s) is the address of that line of code. The next hex value is the OpCode or hex value of the 1's and 0's that the CPU understands to be that instruction.

MIPS includes psuedo-instructions. That is an instruction that the CPU does not execute, but the programmer is allowed to use. The assembler, QtSpim here, accepts the instruction and inserts the real or *bare* instruction as appropriate.

13.4.4 Data Window

The data segment contains the data declared by your program (if any). To view the data segment, click on the Data Icon. The data window will appear similar to the following:



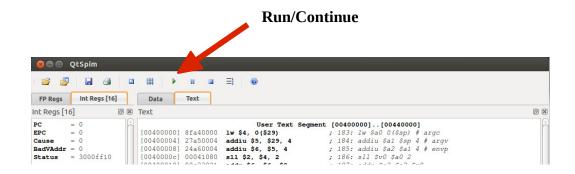
As before, the addresses are shown on the left side (with the []'s). The values at that address are shown in hex (middle) and in ASCII (right side). Depending on the specific type of data declarations, it may be easier to view the hex representation (i.e., like the

array of numbers from the example code) or the ASCII representation (i.e., the declared strings).

Note, right clicking in the Data Window will display a menu allowing the user to change the default hex representation to decimal representation (if desired).

13.4.5 **Program Execution**

To execute the entire program (uninterrupted), you can select the standard "**Simulator** → **Run/Continue**" option from the menu bar. However, it is typically easier to select the **Run/Continue Icon** from the main screen or to type the **F5** key.



Once typed, the program will be execution.

If a program performs input and/or output, it will be directed to the Console window.

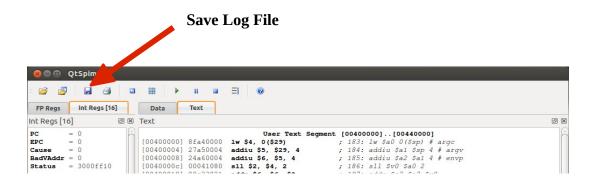
For example, the sample program (from Appendix B) will display the following in the Console window when executed.



For the sample program and the initial data set, these are the correct results.

13.4.6 Log File

QtSpim can create a log file documenting of the program results. To create a log file, you can select the standard "**File** \rightarrow **Save Log File**" option from the menu bar. However, it is typically easier to select the **Save Log File Icon** from the main screen.



When selected, the Save Windows to Log File dialog box will be displayed as shown below on the left.

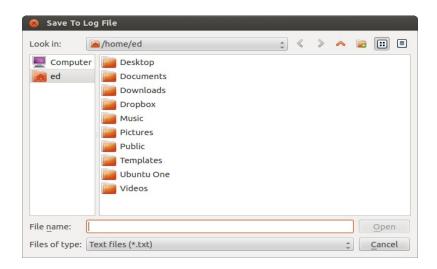




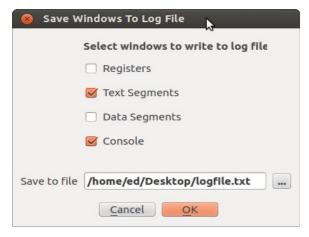
In general, the Text Segments and Console options should be selected as shown on the left. Based on the current version, selecting all will cause the simulator to crash.

Additionally, there is no default file name or location (for the log file). As such, a file name must be entered before it can be saved. This can done by manually entering the name in the Save to file box or by selecting the ... box (on the lower right side).

When the ... option is selected, a Save to Log File dialog box is displayed allowing selection of a location and the entry of a file name.



When completed correctly, the Save Windows To Log File box will appear similar the the below image.



When the options are selected and the file name entered, the OK box can be selected which will save the log file. This log file will need to be submitted as part the assignment submission.

13.4.7 Making Updates

In the highly unlikely event that the program does not work the first time or the program requirements are changed, the source file will need to be updated in a text editor. After the program source file is updated, it must be explicitly reloaded into QtSpim. The Reinitialize and Load File option must be used as described in section 4.3. Every change made to the source file must be re-loaded into QtSpim.

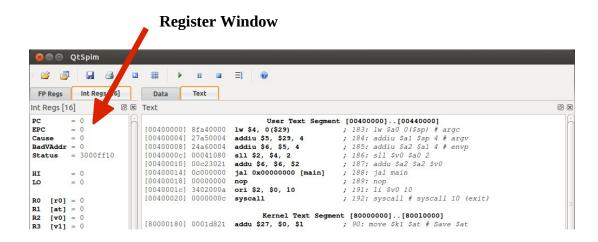
Once re-loaded, the program can be re-executed as noted in section 4.5. Refer to section 5.0 for information regarding debugging and controlled program execution.

13.5 Debugging

Often, looking at program source code will not help to find errors. The first step in debugging is to ensure that the file assembles correctly (or "reads" in the specific case of QtSpim). However, even if the file assembles, it still may not work correctly. In this case, the program must be debugged. In a broad sense, debugging is comparing the expected program results to actual program results. This requires a solid understanding of what the program is supposed to do and the specific order in which it does it \rightarrow that is understanding the algorithm being used to solve the program. The algorithm should be noted in the program comments and can be used as a checklist for the debugging process.

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One potentially useful way to check the program status is to view the register contents. The current register contents are show in registers window (left side) as shown in the image below.



The overall debugging process can be simplified by using the QtSpim controlled execution functions. These functions include single stepping through the program and using one or more breakpoints. A breakpoint a programmer selected location in the program where execution will be paused. When the program is paused the current program status can be checked by viewing the register contents and/or the data segment. Typically, a breakpoint will be set, the program executed (to that point), and from there single stepping through the program watching execution and checking the results (via register contents and/or data segment).

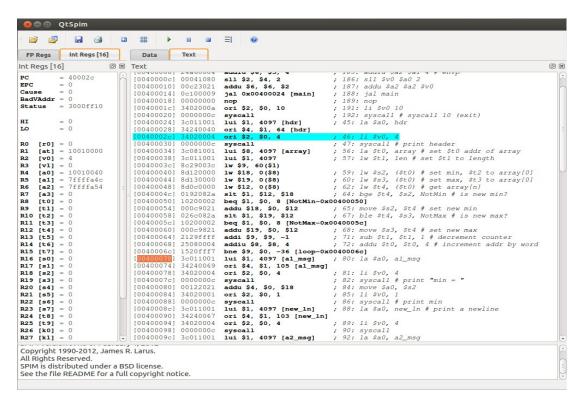
When stepping through the program, the *next instruction to be executed* is highlighted. As such, that instruction has **not** yet been executed. This highlighting is how to track the progress of the program execution.

To set a breakpoint, select an appropriate location. This should be chosen with a specific expectation in mind. For example, if a program does not produce the correct average for a list of numbers, a typical debugging strategy would be to see of the sum is correct (as it is required for the average calculation). As such, a breakpoint could be set after the loop and before the average calculation.

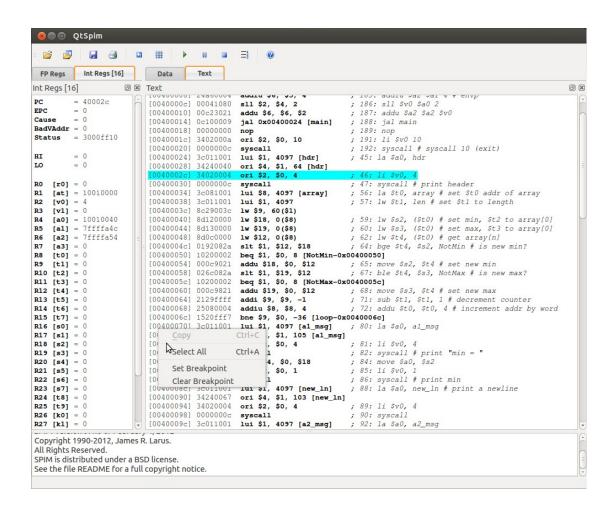
As an example, to set a breakpoint after the loop in the sample program (from Appendix B), the first instruction after the loop can be found in the Text Window. This will require looking at the pseudo-instructions (on the right side of the Text Window).

The first instruction after the loop in the example program is highlighted in orange (for reference) in the image below.

Note, the orange highlighting was added in this document for reference and will not be displayed in QtSpim during normal execution.

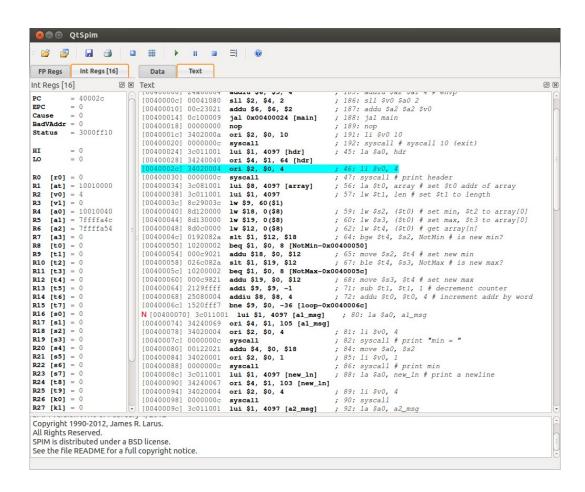


When an appropriate instruction is determined, move the cursor to the instruction address and right-click. The right-click will display the breakpoint menu as shown in the image below.



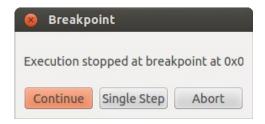
To set a breakpoint, select the Set Breakpoint option. If a breakpoint has already been set, it can be cleared by selecting the Clear Breakpoint option.

Once the breakpoint has been set, it will be highlighted with a small red icon such as an **N** as shown in the following image. *Note*, different operating systems may use a different icon.



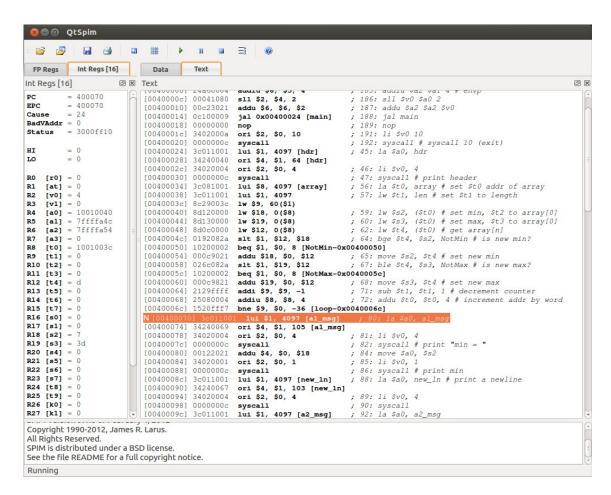
Select the Run/Continue option (as described in section 4.5) which will execute the program up to the selected breakpoint.

When program execution reaches the breakpoint, it will be paused and a Breakpoint diaglog box display as shown in the below image.



The program execution can be halted by selecting the Abort box. The breakpoint can be ignored, thus continuing to the next breakpoint or program termination, whichever comes first.

However, typically the Single Step box will be selected enter the single step mode. The following image shows the result of selecting Single Step. Note, the highlighted instruction represents the next instruction to be executed and thus has not yet been executed.



14.0 Appendix C – MIPS Instruction Set

This appendix presents a summary of the MIPS instructions as implemented within the QtSpim simulator. The instructions a grouped by like-operations and presented alphabetically.

The following table summarizes the notational conventions used.

Operand Notation	Description
Rdest	Destination operand. Must be a register. Since it is a destination operand, the contents will be over written with the new result.
FRdest	Destination operand. Must be a floating-point register. Since it is a destination operand, the contents will be over written with the new result.
Rsrc	Source operand. Must be a register. Register value is unchanged.
FRscr	Source operand. Must be a floating-point register. Register value is unchanged.
Src	Source operand. Must be a register or an immediate value. Value is unchanged.
Imm	Immediate value
Mem	Memory location. May be a variable name or an indirect reference.

Refer to the chapter on Addressing Modes for more information regarding indirection.

14.1 Arithmetic Instructions

Below are a summary of the basic integer arithmetic instructions.

abs Rdest, Rsrc Absolute Value

Sets Rdest = absolute value of integer in

Rsrc

add Rdest, Rsrc, Src Addition (with overflow)

Sets Rdest = Rscr + Src (or imm)

addu Rdest, Rsrc, Src Addition (without overflow)

Sets Rdest = Rscr + Src (or imm)

div Rsrc1, Rsrc Divide (with overflow)

Set \$lo = Rscr / Src (or imm) Remainder is placed in \$hi

divu Rsrc1, Rsrc Divide (without overflow)

Set \$lo = Rscr / Src (or imm) Remainder is placed in \$hi

div Rdest, Rsrc, Src Divide (with overflow)

Sets: Rdest = Rscr / Src (or imm)

divu Rdest, Rsrc, Src Divide (without overflow)

Sets: Rdest = Rscr / Src (or imm)

Sets: Rdest = Rscr (Src (or imm)

Sets: Rdest = Rscr * Src (or imm)

mulou Rdest, Rsrc, Src Unsigned Multiply (with overflow)

Sets: lo = Rscr * Src (or imm)

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mult Rsrc, Rsrc Multiply

Sets \$hi:\$lo = Rscr / Src (or imm)

multu Rsrc, Rsrc Unsigned Multiply

Sets \$hi:\$lo = Rscr / Src (or imm)

Rdest = negative of integer in register

Rsrc

negu Rdest, Rsrc Negate Value (without overflow)

Rdest = negative of integer in register

Rsrc

rem Rdest, Rsrc, Src Remainder after division

Rdest = remainder from Rscr / Src (or

imm)

remu Rdest, Rsrc, Src Unsigned Remainder

Rdest = remainder from Rscr / Src (or

imm)

sub Rdest, Rsrc, Src Subtract (with overflow)

Rdest = Rsrc - Src (or imm)

subu Rdest, Rsrc, Src Subtract (without overflow)

Rdest = Rsrc - Src (or imm)

14.2 Comparison Instructions

Below are a summary of the basic integer comparison instructions. Programmers generally use the conditional branch and jump instructions as detailed in the next section.

seq Rdest, Rsrc1, Src2	Set Equal - Sets register Rdest to 1 if register Rsrc1 equals Src2 and to be 0 otherwise
sge Rdest, Rsrc1, Src2	Set Greater Than Equal - Sets register Rdest to 1 if register Rsrc1 greater than or equal Src2 and to 0 otherwise
sgeu Rdest, Rsrc1, Src2	Set Greater Than Equal Unsigned - Sets register Rdest to 1 if register Rsrc1 is greater than or equal to Src2 and to 0 otherwise
sgt Rdest, Rsrc1, Src2	Set Greater Than - Sets register Rdest to 1 if register Rsrc1 greater than Src2 and to 0 otherwise
sgtu Rdest, Rsrc1, Src2	Set Greater Than Unsigned - Sets register Rdest to 1 if register Rsrc1 is greater than Src2 and to 0 otherwise
sle Rdest, Rsrc1, Src2	Set Less Than Equal - Sets register Rdest to 1 if register Rsrc1 is less than or equal to Src2 and to 0 otherwise
sleu Rdest, Rsrc1, Src2	Set Less Than Equal Unsigned - Sets register Rdest to 1 if register Rsrc1 is less than or equal to Src2 and to 0 otherwise

slt Rdest, Rsrc1, Src2 Set Less Than

- Sets register Rdest to 1 if register Rsrc1 is less than to Src2 and to 0 otherwise

slti Rdest, Rsrc1, Imm Set Less Than Immediate

- Sets register Rdest to 1 if register Rsrc1 is less than or equal to Imm and to 0

otherwise

sltu Rdest, Rsrc1, Src2 Set Less Than Unsigned

- Sets register Rdest to 1 if register Rsrc1 is less than to Src2 and to 0 otherwise

sltiu Rdest, Rsrc1, Imm Set Less Than Unsigned Immediate

- Sets register Rdest to 1 if register Rsrc1 is less than Src2 (or Imm) and to 0

otherwise

sne Rdest, Rsrc1, Src2 Set Not Equal

- Sets register Rdest to 1 if register Rsrc1 is not equal to Src2 and to 0 otherwise

14.3 Branch and Jump Instructions

Below are a summary of the basic conditional branch and jump instructions.

b label Branch instruction

- Unconditionally branch to the instruction

at the label

bczt label Branch Coprocessor z True

- Conditionally branch to the instruction at the label if coprocessor z's condition flag

is true (false)

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bczf label

Branch Coprocessor z False

- Conditionally branch to the instruction at the label if coprocessor z's condition flag is true (false)

beq Rsrc1, Src2, label

Branch on Equal

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 equals Src2

beqz Rsrc, label

Branch on Equal Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc equals 0

bge Rsrc1, Src2, label

Branch on Greater Than Equal

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are greater than or equal to Src2

bgeu Rsrc1, Src2, label

Branch on GTE Unsigned

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are greater than or equal to Src2

bgez Rsrc, label

Branch on Greater Than Equal Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are greater than or equal to 0

bgezal Rsrc, label

Branch on Greater Than Equal Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are greater than or equal to 0. Save the address of the next instruction in \$ra bgt Rsrc1, Src2, label

Branch on Greater Than

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 is greater than Src2

bgtu Rsrc1, Src2, label

Branch on Greater Than Unsigned

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are greater than Src2

bgtz Rsrc, label

Branch on Greater Than Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are greater than 0

ble Rsrc1, Src2, label

Branch on Less Than Equal

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are less than or equal to Src2

bleu Rsrc1, Src2, label

Branch on LTE Unsigned

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are less than or equal to Src2

blez Rsrc, label

Branch on Less Than Equal Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are less than or equal to 0

bgezal Rsrc, label

Branch on Greater Than Equal Zero And Link

- Conditionally branch to the instruction at the label if the contents of Rsrc are greater or equal to 0 or less than 0, respectively. Save the address of the next instruction in register \$ra

Appendix C – MIPS Instruction Set

bltzal Rsrc, label

Branch on Less Than And Link

- Conditionally branch to the instruction at the label if the contents of Rsrc are less than 0 or less than 0, respectively. Save the address of the next instruction in register \$ra

blt Rsrc1, Src2, label

Branch on Less Than

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are less than Src2

bltu Rsrc1, Src2, label

Branch on Less Than Unsigned

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are less than Src2

bltz Rsrc, label

Branch on Less Than Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are less than 0

bne Rsrc1, Src2, label

Branch on Not Equal

- Conditionally branch to the instruction at the label if the contents of register Rsrc1 are not equal to Src2

bnez Rsrc, label

Branch on Not Equal Zero

- Conditionally branch to the instruction at the label if the contents of Rsrc are not equal to 0

j label

Jump

- Unconditionally jump to the instruction at the label

jal label Jump and Link

- Unconditionally jump to the instruction at the label or whose address is in register

Rsrc. Save the address of the next

instruction in register \$ra

jalr Rsrc Jump and Link Register

- Unconditionally jump to the instruction at the label or whose address is in register

Rsrc. Save the address of the next

instruction in register \$ra

jr Rsrc Jump Register

- Unconditionally jump to the instruction

whose address is in register Rsrc

14.4 Load Instructions

Below are a summary of the basic load instructions.

la Rdest, address Load Address

- Load computed address, not the contents

of the location, into register Rdest

1b Rdest, address Load Byte

- Load the byte at *address* into register Rdest. The byte is sign-extended by the lb,

but not the lbu, instruction

1buRdest, addressLoad Unsigned Byte

- Load the byte at *address* into register Rdest. The byte is sign-extended by the lb,

but not the lbu, instruction

- Load the 64-bit quantity at *address* into

registers Rdest and Rdest + 1

lh Rdest, address

Load Halfword

- Load the 16-bit quantity (halfword) at *address* into register Rdest. The halfword

is sign-extended

lhu Rdest, address

Load Unsigned Halfword

- Load the 16-bit quantity (halfword) at *address* into register Rdest. The halfword

is not sign-extended

lw Rdest, address

Load Word

- Load the 32-bit quantity (word) at

address into register Rdest

lwcz Rdest, address

Load Word Coprocessor z

- Load the word at address into register

Rdest of coprocessor z (0-3)

lwl Rdest, address

Load Word Left

- Load the left bytes from the word at the possibly-unaligned *address* into register

Rdest

lwr Rdest, address

Load Word Right

- Load the right bytes from the word at the possibly-unaligned *address* into register

Rdest

ulh Rdest, address

Unaligned Load Halfword

- Load the 16-bit quantity (halfword) at the possibly-unaligned *address* into register Rdest. The halfword is sign-

extended.

ulhu Rdest, address Unaligned Load Halfword Unsigned

- Load the 16-bit quantity (halfword) at the possibly-unaligned *address* into register Rdest. The halfword is not sign-

extended

ulw Rdest, address Unaligned Load Word

- Load the 32-bit quantity (word) at the possibly-unaligned *address* into register

Rdest

li Rdest, imm Load Immediate

- Move the immediate imm into register

Rdest

lui Rdest, imm Load Upper Immediate

- Load the lower halfword of the

immediate imm into the upper halfword of

register Rdest. The lower bits of the

register are set to 0

14.5 Logical Instructions

Below are a summary of the basic logical instructions.

and Rdest, Rsrc1, Src2 AND

andi Rdest, Rsrc1, Imm AND Immediate

- Put the logical AND of the integers from register Rsrc1 and Src2 (or Imm) into

register Rdest

nor Rdest, Rsrc1, Src2 NOR

- Put the logical NOR of the integers from register Rsrc1 and Src2 into register Rdest

not Rdest, Rsrc NOT

- Put the bitwise logical negation of the integer from register Rsrc into register

Rdest

or Rdest, Rsrc1, Src2 OR

- Put the logical OR of the integers from register Rsrc1 and Src2 into register Rdest

ori Rdest, Rsrc1, Imm OR Immediate

- Put the logical OR of the integers from register Rsrc1 and Imm into register Rdest

rol Rdest, Rsrc1, Src2 Rotate Left

- Rotate the contents of register Rsrc1 left by the distance indicated by Src2 and put

the result in register Rdest

ror Rdest, Rsrc1, Src2 Rotate Right

- Rotate the contents of register Rsrc1 left (right) by the distance indicated by Src2

and put the result in register Rdest

sll Rdest, Rsrc1, Src2 Shift Left Logical

- Shift the contents of register Rsrc1 left by the distance indicated by Src2 and put

the result in register Rdest

sllv Rdest, Rsrc1, Rsrc2 Shift Left Logical Variable

- Shift the contents of register Rsrc1 left by the distance indicated by Rsrc2 and put

the result in register Rdest

sra Rdest, Rsrc1, Src2 Shift Right Arithmetic

- Shift the contents of register Rsrc1 right by the distance indicated by Src2 and put

the result in register Rdest

srav Rdest, Rsrc1, Rsrc2 Shift Right Arithmetic Variable

- Shift the contents of register Rsrc1 right by the distance indicated by Rsrc2 and put

the result in register Rdest

> - Shift the contents of register Rsrc1 right by the distance indicated by Src2 and put

the result in register Rdest

srlv Rdest, Rsrc1, Rsrc2 Shift Right Logical Variable

- Shift the contents of register Rsrc1 right by the distance indicated by Rsrc2 and put

the result in register Rdest

xor Rdest, Rsrc1, Src2 XOR

- Put the logical XOR of the integers from register Rsrc1 and Src2 into register Rdest

xori Rdest, Rsrc1, Imm XOR Immediate

- Put the logical XOR of the integers from register Rsrc1 and Imm into register Rdest

14.6 Store Instructions

Below are a summary of the basic store instructions.

sb Rsrc, address Store Byte

- Store the low byte from register Rsrc at

address

sd Rsrc, address Store Double-Word

- Store the 64-bit quantity in registers Rsrc

and Rsrc + 1 at *address*

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sh Rsrc, address Store Halfword

- Store the low halfword from register

Rsrc at address

sw Rsrc, address Store Word

- Store the word from register Rsrc at

address

swcz Rsrc, address Store Word Coprocessor z

- Store the word from register Rsrc of

coprocessor z at address

swl Rsrc, address Store Word Left

- Store the left bytes from register Rsrc at

the possibly-unaligned address

swr Rsrc, address Store Word Right

- Store the right bytes from register Rsrc

at the possibly-unaligned address

ush Rsrc, address Unaligned Store Halfword

- Store the low halfword from register

Rsrc at the possibly-unaligned address

usw Rsrc, address Unaligned Store Word

- Store the word from register Rsrc at the

possibly-unaligned address

14.7 Data Movement Instructions

Below are a summary of the basic data movement instructions. The data movement implies data movement between registers.

move Rdest, Rsrc

Move the contents of Rsrc to Rdest.

- The multiply and divide unit produces its result in two additional registers, hi and lo. These instructions move values to and from these registers. The multiply, divide, and remainder instructions described above are pseudoinstructions that make it appear as if this unit operates on the general registers and detect error conditions such as divide by zero or overflow.

mfhi Rdest

Move from hi

- Move the contents of the hi register to

register Rdest

mflo Rdest

Move from lo

- Move the contents of the lo register to

register Rdest

mthi Rdest

Move to hi

- Move the contents register Rdest to the

hi register.

- *Note*, Coprocessors have their own register sets. This instructions move values

between these registers and the CPU's

registers.

mtlo Rdest

Move to lo

- Move the contents register Rdest to the

lo register.

- *Note*, Coprocessors have their own

register sets. This instructions move values

between these registers and the CPU's

registers.

mfcz Rdest, CPsrc Move From Coprocessor z

- Move the contents of coprocessor z's register CPsrc to CPU register Rdest

mfc1.d Rdest, FRsrc1 Move Double From Coprocessor 1

- Move the contents of floating point registers FRsrc1 and FRsrc1 + 1 to CPU

registers Rdest and Rdest + 1

mtcz Rsrc, CPdest Move To Coprocessor z

- Move the contents of CPU register Rsrc

to coprocessor z's register CPdest

14.8 Floating Point Instructions

The MIPS has a floating point coprocessor (numbered 1) that operates on single precision (32-bit) and double precision (64-bit) floating point numbers. This coprocessor has its own registers, which are numbered *f0-f31*. Because these registers are only 32-bits wide, two of them are required to hold doubles. To simplify matters, floating point operations only use even-numbered registers - including instructions that operate on single floats. Values are moved in or out of these registers a word (32-bits) at a time by lwc1, swc1, mtc1, and mfc1 instructions described above or by the l.s, l.d, s.s, and s.d pseudoinstructions described below. The flag set by floating point comparison operations is read by the CPU with its bc1t and bc1f instructions. In all instructions below, FRdest, FRsrc1, FRsrc2, and FRsrc are floating point registers (e.g., \$f2).

abs.d FRdest, FRsrc

Floating Point Absolute Value Double
- Compute the absolute value of the
floating float double in register FRsrc and
put it in register FRdest

abs.s FRdest, FRsrc

Floating Point Absolute Value Single
- Compute the absolute value of the
floating float single in register FRsrc and
put it in register FRdest

add.d FRdest, FRsrc1,
FRsrc2

Floating Point Addition Double
- Compute the sum of the floating float
doubles in registers FRsrc1 and FRsrc2
and put it in register FRdest

add.s FRdest, FRsrc1,
FRsrc2

Floating Point Addition Single
- Compute the sum of the floating float
singles in registers FRsrc1 and FRsrc2 and
put it in register FRdest

c.eq.d FRsrc1, FRsrc2

Compare Equal Double
- Compare the floating point

- Compare the floating point double in register FRsrc1 against the one in FRsrc2 and set the floating point condition flag true if they are equal

c.eq.s FRsrc1, FRsrc2

Compare Equal Single

- Compare the floating point single in register FRsrc1 against the one in FRsrc2 and set the floating point condition flag true if they are equal

c.le.d FRsrc1, FRsrc2

Compare Less Than Equal Double

- Compare the floating point double in register FRsrc1 against the one in FRsrc2 and set the floating point condition flag true if the first is less than or equal to the second

c.le.s FRsrc1, FRsrc2

Compare Less Than Equal Single
- Compare the floating point simgle in
register FRsrc1 against the one in FRsrc2

and set the floating point condition flag true if the first is less than or equal to the second

c.lt.d FRsrc1, FRsrc2

Compare Less Than Double

- Compare the floating point double in register FRsrc1 against the one in FRsrc2 and set the condition flag true if the first is less than the second

c.lt.s FRsrc1, FRsrc2

Compare Less Than Single

- Compare the floating point single in register FRsrc1 against the one in FRsrc2 and set the condition flag true if the first is less than the second

cvt.d.s FRdest, FRsrc

Convert Single to Double

- Convert the single precision floating point number in register FRsrc to a double precision number and put it in register FRdest

cvt.d.w FRdest, FRsrc

Convert Integer to Double

- Convert the integer in register FRsrc to a double precision number and put it in register FRdest

cvt.s.d FRdest, FRsrc

Convert Double to Single

- Convert the double precision floating point number in register FRsrc to a single precision number and put it in register FRdest

cvt.s.w FRdest, FRsrc

Convert Integer to Single

- Convert the integer in register FRsrc to a single precision number and put it in register FRdest

cvt.w.d FRdest, FRsrc

Convert Double to Integer

- Convert the double precision floating point number in register FRsrc to an integer and put it in register FRdest

cvt.w.s FRdest, FRsrc

Convert Single to Integer

- Convert the single precision floating point number in register FRsrc to an integer and put it in register FRdest

div.d FRdest, FRsrc1,
FRsrc2

Floating Point Divide Double

- Compute the quotient of the floating float doubles in registers FRsrc1 and FRsrc2 and put it in register FRdest.

div.s FRdest, FRsrc1,
FRsrc2

Floating Point Divide Single

- Compute the quotient of the floating float singles in registers FRsrc1 and FRsrc2 and put it in register FRdest.

1.d FRdest, address

Load Floating Point Double

- Load the floating float double at address into register FRdest

1.s FRdest, address

Load Floating Point Single

- Load the floating float single at address into register FRdest

mov.d FRdest, FRsrc

Move Floating Point Double

- Move the floating float double from register FRsrc to register FRdest

mov.s FRdest, FRsrc

Move Floating Point Single

- Move the floating float single from register FRsrc to register FRdest

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mul.d FRdest, FRsrc1, FRsrc2	Floating Point Multiply Double - Compute the product of the floating float doubles in registers FRsrc1 and FRsrc2 and put it in register FRdest
mul.s FRdest, FRsrc1, FRsrc2	Floating Point Multiply Single - Compute the product of the floating float singles in registers FRsrc1 and FRsrc2 and put it in register FRdest
neg.d FRdest, FRsrc	Negate Double - Store the floating float double in register FRdest at address
neg.s FRdest, FRsrc	Negate Single Store the floating float single in register FRdest at address
s.d FRdest, address	Store Floating Point Double - Store the floating float double in register FRdest at address
s.s FRdest, address	Store Floating Point Single - Store the floating float single in register FRdest at address
<pre>sub.d FRdest, FRsrc1, FRsrc2</pre>	Floating Point Subtract Double - Compute the difference of the floating float doubles in registers FRsrc1 and FRsrc2 and put it in register FRdest
<pre>sub.s FRdest, FRsrc1, FRsrc2</pre>	Floating Point Subtract Single - Compute the difference of the floating float singles in registers FRsrc1 and FRsrc2 and put it in register FRdest

14.9 Exception and Trap Handling Instructions

Below are a summary of the exception and trap instructions.

rfe Return From Exception

- Restore the Status register

syscall System Call

- Transfer control to system routine. Register \$v0\$ contains the number of the

system call

break n Break

- Cause exception *n*.

- Note, Exception 1 is reserved for the

debugger

nop No operation

- Do nothing

Appendix C – MIPS Instruction Set

15.0 Appendix D – ASCII Table

This appendix provides a copy of the ASCII Table for reference.

Char	Dec	Hex
NUL	0	0x00
SOH	1	0x01
STX	2	0x02
ETX	3	0x03
ЕОТ	4	0x04
ENQ	5	0x05
ACK	6	0x06
BEL	7	0x07
BS	8	0x08
TAB	9	0x09
LF	10	0x0A
VT	11	0x0B
FF	12	0x0C
CR	13	0x0D
so	14	0x0E
SI	15	0x0F
DLE	16	0x10
DC1	17	0x11
DC2	18	0x12
DC3	19	0x13
DC4	20	0x14
NAK	21	0x15
SYN	22	0x16
ЕТВ	23	0x17
CAN	24	0x18

Char	Dec	Hex
spc	32	0x20
!	33	0x21
**	34	0x22
#	35	0x23
\$	36	0x24
%	37	0x25
&	38	0x26
•	39	0x27
(40	0x28
)	41	0x29
*	42	0x2A
+	43	0x2B
,	44	0x2C
-	45	0x2D
•	46	0x2E
/	47	0x2F
0	48	0x30
1	49	0x31
2	50	0x32
3	51	0x33
4	52	0x34
5	53	0x35
6	54	0x36
7	55	0x37
8	56	0x38

Char	Dec	Hex
a	64	0x40
A	65	0x41
В	66	0x42
С	67	0x43
D	68	0x44
E	69	0x45
F	70	0x46
G	71	0x47
Н	72	0x48
I	73	0x49
J	74	0x4A
K	75	0x4B
L	76	0x4C
M	77	0x4D
N	78	0x4E
О	79	0x4F
P	80	0x50
Q	81	0x51
R	82	0x52
S	83	0x53
Т	84	0x54
U	85	0x55
V	86	0x56
W	87	0x57
X	88	0x58

Char	Des	II
Char	Dec	Hex
`	96	0x60
a	97	0x61
b	98	0x62
c	99	0x63
d	100	0x64
e	101	0x65
f	102	0x66
g	103	0x67
h	104	0x68
i	105	0x69
j	106	0x6A
k	107	0x6B
l	108	0x6C
m	109	0x6D
n	110	0x6E
0	111	0x6F
p	112	0x70
q	113	0x71
r	114	0x72
s	115	0x73
t	116	0x74
u	117	0x75
v	118	0x76
w	119	0x77
X	120	0x78

Appendix D – ASCII Table

EM	25	0x19
SUB	26	0x1A
ESC	27	0x1B
FS	28	0x1C
GS	29	0x1D
RS	30	0x1E
US	31	0x1F

9	57	0x39
:	58	0x3A
;	59	0x3B
<	60	0x3C
=	61	0x3D
>	62	0x3E
?	63	0x3F

Y	89	0x59
Z	90	0x5A
[91	0x5B
\	92	0x5C
]	93	0x5D
^	94	0x5E
_	95	0x5F

у	121	0x79
z	122	0x7A
{	123	0x7B
-	124	0x7C
}	125	0x7D
~	126	0x7E
DEL	127	0x7F

For additional information and a more complete listing of the ASCII codes (including the extended ASCII characters), refer to http://www.asciitable.com/

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