

COMPUTER ARCHITECTURE & ASSEMBLY LANGUAGE

14:332:331

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Fall 2016

Homework 2 Solution

1. Consider the following MIPS loop:

```
LOOP: slt $t2, $0, $t1
      beq $t2, $0, DONE
      subi $t1, $t1, 1
      addi $s2, $s2, 2
```

j LOOP

DONE:

- Assume that the register \$t1 is initialized to the value 10. What is the value in register \$s2 assuming \$s2 is initially zero?
- For each of the loop above, write the equivalent C code routine. Assume that the registers \$s1, \$s2, \$t1, and \$t2 are integers A, B, i, and temp, respectively
- For the loop written in MIPS assembly above, assume that the register \$t1 is initialized to the value N. How many MIPS instructions are executed?

Solution:

- \$t2 is set to 1 when \$t1 will be equal to 0. In each iteration, \$t1 is subtracted by 1, so there will be 10 iterations. In every iteration, \$s2 is incremented by 2, thus \$s2 will be 20 at the end of the loop.
- ```
while(i>0){
 i--;
 B = B + 2;
}
```
- Each iteration contains 5 instructions. N iterations have 5\*N instructions and the first two instructions need to be executed to jump out of the loop. So the answer is 5\*N+2.

2.

- Suppose that the current value of PC is 0x00004000. Can we use a single jump instruction to go to PC=0x20014924 ?(if yes, write the jump instruction and show the value of the immediate field in Hex. If not, use a combinations of instructions to do so and show the immediate values in Hex)

**Solution** JUMP address is found by concatenating 4 MSB bits of PC+4, 26 bit immediate value in JUMP, and "00". So from PC=0x00004000, the farthest address that we can jump to is: 0000 1111 1111 1111 1111 1111 1100 which is 0xFFFFFC. So we cannot directly jump to PC=0x20014924. We can use a combination of instructions to do this jump. The following is one of these combinations:

```
lui $t0, 0x2001
ori $t0, $t0, 0x4924
jr $t0
```

Another option can be as follows:

```
PC: 0x00004000 J 0b1111 1111 1111 1111 1111 1111 11 # new pc=0x0FFFFFFC
PC: 0x0FFFFFFC J 0b1111 1111 1111 1111 1111 1111 11 # new pc=0x1FFFFFFC
PC: 0x1FFFFFFC J 0b0000 0000 0001 0100 1001 0010 01 # new pc=0x20014924
```

- b) Suppose that the current value of PC is 0x00004000. Can we use a single branch instruction to go to PC=0x20014924? (if yes, write the branch instruction and show the value of the immediate field in Hex. If not, use a combinations of instructions to do so and show the immediate values in Hex)

### Solution

Branch address is found by PC+4+A where A is found by sign extending the branch address (which is 16 bits 2's complement number) and make a 30 bit value and then adding "00" as the LSB bits to make 32 bit value. So the farthest address we can go forward by a branch is PC<sub>new</sub>= PC(of branch instruction)+4+ "0000 0000 0000 0001 1111 1111 1111 1100"=PC+4+0x0001FFFC , which is 0x00024000. So we cannot go directly from PC=0x00004000 to PC=0x20014924. We should use a combination of instructions to perform this branch. One such combination is as below:

```
PC: 0x00004000 beq $0, $0, 0b0111 1111 1111 1111 # new pc=0x00024000
PC: 0x00024000 J 0b1111 1111 1111 1111 1111 1111 11 # new pc=0x0FFFFFFC
PC: 0x0FFFFFFC J 0b1111 1111 1111 1111 1111 1111 11 # new pc=0x1FFFFFFC
PC: 0x1FFFFFFC J 0b0000 0000 0001 0100 1001 0010 01 # new pc=0x20014924
```

- c) Suppose that the current value of PC is 0x1FFFF000. Can we use a single branch instruction to go to PC=0x20014924? (if yes, write the branch instruction and show the value of the immediate field in Hex. If not, use a combinations of instructions to do so and show the immediate values in Hex)

**Solution** With a single branch, the farthest place we can go is the PC+4+0x0001FFFC, which is 0x2001F000. The target PC (0x20014924) is in this range. The immediate value in HEX is 0x5648. Thus,

```
beq $0,$0,0x5648
```

3. Compile the assembly code for the following C code.

```
int func (int a, int b, int c){
 if (a<=c)
 return 4;
 else if (a<b)
 return 8
 else
 return a+c
}
```

**Solution** Caller: jal func //\$a0 holds a, \$a1 holds b and \$a3 holds c.

```

func: ble $a0, $a3, Label1 // branch less than or equal
 blt $a0, $a1, Label2
 j Label3
Label1: addi $v0, $zero, 4
 jr $ra
Label2: addi $v0, $zero, 8
 jr $ra
Label3: add $v0, $a0, $a3
 jr $ra

```

4. Compile the assembly code for the following C code.

```

int f1 (int m, int n){
 return f2(4*n+m);
}

```

**Solution** Caller: jal f1 //\$a0 holds m, \$a1 holds n.

```

f1: addi $sp, $sp, -4
 sw $ra, 0($sp)
 sll $t0, $a1, 2 // 4*n
 add $t0, $t0, $a0 // 4*n+m

)
 or $v0, $zero, $t0
 jal f2
 lw $ra, 0($sp)
 addi $sp, $sp, 4
 jr $ra

f2: ...

```

5. Compile the assembly code for the following C code.

```

int f3 (int n){
 if (n>20)
 return 0;
 else if (n<=1)
 return 1;
 else return (4*f3(n-2)+2)
}

```

**Solution** Caller: jal f3 //\$a0 holds n

```

f3: ori $t0, $zero, 21
 slt $t1, $a0, $t0 // Reset $t1 if n>=21 which is equivalent to n>20
 ori $t0, $zero, 1
 slt $t2, $t0, $a0 // Reset $t2 if n<=1
 beq $t1, $zero, Label1
 beq $t2, $zero, Label2
else: addi $sp, $sp, -8 //Save in the stack the $ra and $a0
 sw $ra, 0($sp)
 sw $a0, 4($sp)

```

```

addi $a0,$a0,-2 // reduce input by 2
jal f3 // call f3 again
sll $v0,$v0,2 // $v0 has f3(n-2). Create 4*f3(n-2)
addi $v0,$v0,2 // Add 2. $v0 = 4*f3(n-2)+2
lw $ra, 0($sp) //pop $ra from the stack
lw $a0, 4($sp) //pop $a0 from the stack
addi $sp, $sp, 8 //reduce the stack size
jr $ra //return
Label1: or $v0, $zero, $zero
 jr $ra
Label2: ori $v0, $zero, 1
 jr $ra

```