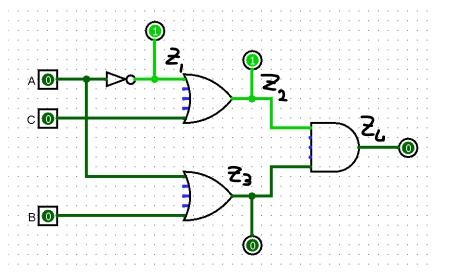
# Esercizio 1



+=OR, \*=AND, ~ =NOT

Z1 = ~A

 $Z2 = Z1+C=^A+C$ 

Z3 = A+B

 $Z4 = Z2*Z3=(^{\sim}A+C)*(A+B)$ 

Α	В	С	Z1=~A	Z2=~A+C	Z3=A+B	Z4=Z2*Z3
0	0	0	1	1	0	0
0	0	1	1	1	0	0
0	1	0	1	1	1	1
0	1	1	1	1	1	1
1	0	0	0	0	1	0
1	0	1	0	1	1	1
1	1	0	0	0	1	0
1	1	1	0	1	1	1

# Esercizio 2

La XNOR identifica quando i due bit in ingresso sono identici. In questo caso l'output vale 1, altrimenti 0.

Α	В	Z=A XNOR B
0	0	1
0	1	0
1	0	0
1	1	1

 $Z = (^{A*}B) + (A*B) = ^{(A+B)} + (A*B)$ 

## Esercizio 3

 $X=^A+^(B+^C)$ 

Α	В	С	~A	~C	B+~C	~(B+~C)	X=~A+~(B+~C)
0	0	0	1	1	1	0	1
0	0	1	1	0	0	1	1
0	1	0	1	1	1	0	1
0	1	1	1	0	1	0	1
1	0	0	0	1	1	0	0
1	0	1	0	0	0	1	1
1	1	0	0	1	1	0	0
1	1	1	0	0	1	0	0

### Esercizio 4

DISTRIBUTIVA(AND) = X\*(Y+Z) = X\*Y + X\*Z

ASSORBIMENTO II = X\*(-X + Y) = X\*Y

E1=~(~A\*B\*~C+A\*B\*~C)\*A

E2=(~B\*A)+(A\*C)

E1=E2?

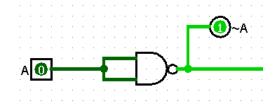
 $E1=^(^A*B*^C+A*B*^C)*A = DISTRIBUTIVA(AND), COMMUTATIVA(AND) = ^((^A*B+A*B)*^C)*A = DISTRIBUTIVA(AND), COMMUTATIVA(AND) = ^(((^A+A)*B)*^C)*A = INVERSO(OR) = ^((1*B)*^C)*A = IDENTITA'(AND) = ^(B*^C)*A=DeMorgan(AND)=(^B+C)*A = DISTRIBUTIVA(AND) = ^B*A + C*A = COMMUTATIVA(AND) = ^B*A + A*C$ 

## Esercizio 5

E1=(A NOR B)\*(C+ $\sim$ B) tramite solo porte NAND

Α	В	Z=A NAND B=~(A*B)
0	0	1
0	1	1
1	0	1
1	1	0

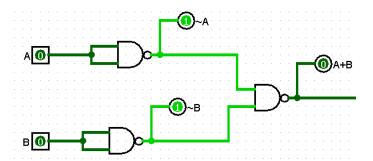
#### ~A=A NAND A



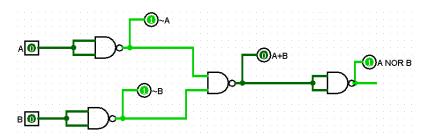
4	1	В	Z=A NOR B=~(A+B)
C	)	0	1

0	1	0
1	0	0
1	1	0

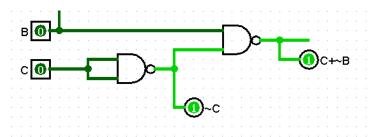
 $A+B = \sim (A+B) = DeMorgan(OR) = \sim (\sim A * \sim B) = \sim A NAND \sim B$ 



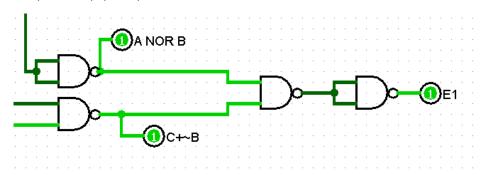
A NOR B =  $^{(A+B)}$  = ( $^{A}$  NAND  $^{B}$ ) NAND ( $^{A}$  NAND  $^{B}$ ) = ((A NAND A) NAND (B NAND B)) NAND ((A NAND A) NAND (B NAND B))



 $C+^B = ^C NAND B$ 



E1=(A NOR B)\*(C+~B)



E2 = ~A\*~B

### E1=E2?

 $E1=^(A+B)^*(C+^B)=DeMorgan(OR)=(^A*^B)^*(C+^B)=DISTRIBUTIVA(AND)=(^A*^B*C)+(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B*C)+(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B*C)+(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B*C)+(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B*C)+(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B)=(^A*^B)=DISTRIBUTIVA(AND)=(^A*^B)=(^A*$