

Master in Computer Engineering, Master in Embedded Computing Systems  
**SECURITY IN NETWORKED COMPUTING SYSTEMS**  
**20 JUNE 2016**

LMCE+LMECS

LMCE

**EXERCISE NO. 1 (♦)**

**#MARKS: 10**

With reference to the RSA crypto-system,

1. Illustrate the key generation, encryption, decryption algorithms;
2. Argue why it is considered secure;
3. Argue whether it can be considered perfect according to Shannon's theory.

**EXERCISE NO. 2 (♦)**

**#MARKS: 10**

In an electronic auction, bidder B cast his bid  $\beta$  encrypting it by mean of the auctioneer Alice's public key  $\Pi_A$ . Let us assume that a bid is an integer number on  $b$ -bits,  $b = 32$ . Argue whether the following protocols are secure w.r.t. to a passive adversary.

1.  $B \rightarrow A: \{B, \beta\}_{\Pi_A}$
2.  $B \rightarrow A: \{B, \beta, H(\beta)\}_{\Pi_A}$
3.  $B \rightarrow A: \{B, H(\beta)\}_{\Pi_A}$
4.  $B \rightarrow A: \{B, \rho, \beta\}_{\Pi_A}$
5.  $B \rightarrow A: \{B, K\}_{\Pi_A}, \{B, \beta\}_K$

where  $H$  is a secure hash function whose output is  $t$ -bit,  $\rho$  is a random number of  $r$ -bits and,  $K$  is a random cryptographic key on  $k$  bits. Bob generates  $\rho$  and  $K$  upon casting his bid. Assuming that the encryption and the hash function are secure, determine the size in bit of  $\rho$  and  $K$  so that an attack requires  $2^{128}$  steps.

**EXERCISE NO. 3 (♦)**

**#MARKS: 10**

With reference to the Kerberos system, argue the need for the Ticket Granting Service (TGS)?

# June 20th, 2016

martedì 23 maggio 2017 16:22

## Exercise 1

With reference to RSA,

1. .
2. .
3. .

## Exercise 2

In an electronic auction, bidder B cast his bid BETA encrypting it by means of the auctioneer Alice's public key  $pk_A$ .

Let us assume that a bid is an integer number on  $b$ -bits,  $b = 32$ .

Argue whether the following protocols are secure w.r.t. a passive adversary.

1.  $B \rightarrow A: \{B, \text{Beta}\}_{pk_A}$
2.  $B \rightarrow A: \{B, \text{Beta}, H(\text{Beta})\}_{pk_A}$
3.  $B \rightarrow A: \{B, H(\text{Beta})\}_{pk_A}$
4.  $B \rightarrow A: \{B, p, \text{Beta}\}_{pk_A}$
5.  $B \rightarrow A: \{B, K\}_{pk_A}, \{B, \text{Beta}\}_K$

Where  $H$  is a secure hash function whose output is  $t$ -bit,  $p$  is a random number of  $r$ -bits and,  $K$  is a random cryptographic key on  $k$  bits. Bob generates  $p$  and  $K$  upon casting his bid.

Assuming that the encryption and the hash function are secure, determine the size in bit of  $p$  and  $K$  so that an attack requires  $2^{128}$  steps.

## Solution



June 20th,

2016

1. Se l'avversario ha un'idea di Beta, non ha nemmeno bisogno di provare  $2^{32}$  valori per Beta.

2. Uguale al primo ma con un hash in più.

? 3. ...

4. Dipende dalla lunghezza del numero random  $p$ .

Beta is on 32 bits, therefore  $p$  has to be at least  $128 - 32 = 96$  bits long.

5. L'avversario deve:

a. Provare le possibili chiavi

## Exercise 3