CS061 - Programming Assignment 06

O	hi	'n	~	۲i	T 7	^
ι,	U	c	u	u	v	c

You may not know it, but in C++, you can use <u>manipulators</u> to alter the base of a number when displaying it on the console. The purpose of this assignment is to bring you to a deep understanding of how this kind of process works and to implement it yourself in LC3.

High Level Description

Build a decimal-to-hex converter <u>as a subroutine</u>, and build an appropriate test harness for it. The range of possible input numbers is [0, 65535].

Examples

Fun Fact:

In C++, the following will print the value of x in hexadecimal format:

int x = 12092; cout<< hex << x; // outputs "2f3c"

For this assignment:

User enters "#64222", the program outputs "xFADE"
User enters "#10", the program outputs "xA" or "x000A"
User enters "#2468", the program outputs "x9A4" or "x09A4"

Your Tasks

This programming assignment can be broken into four steps:

- 1. The testbed asks the user to enter a decimal number between [0, 65535].
- 2. The testbed then calls the DEC_TO_HEX subroutine.
- 3. The DEC_TO_HEX subroutine translates the decimal number into a hexadecimal representation and stores it as a null-terminated string in an array.
- 4. The testbed prints out the array i.e. the hexadecimal number.
- Zero-padded input is inappropriate at this point (you can do better!). The user should NOT be asked to input numbers in the form "#00025".
- No error checking required you may assume always valid input (yay!!◎)

Uh...help?

There are a number of things to consider for this assignment:

- The input can be anything up to #65535. Nut the LC3 can only handle 16-bit 2's complement numbers, so any number that goes beyond 32767 will overflow to the negative range of numbers (for example: in LC3, 32767 + 1 == -32768 – make sure you understand this!).
- If the number entered is in the range [0,32767] then you can convert it the way you would do it on paper
- If the number entered is in the range of [32768, 65535], your algorithm will have to act in a slightly different way until, as you are translating, the number returns to the [0,32767] range.

 In order to perform the translation algorithm, it helps to reinvent the natural number line.



Now the "biggest" possible number is #-1 and the "smallest" possible number is #0. The standard paper-based algorithm for translating decimal numbers to 4-digit hexadecimal representation (which you already know) is:

Normal Decimal To Hex Translation Algorithm:

- (1) How many 16³ are there in this number? (that's the first hex digit)
- (2) How many 16² are there in the remaining number? (that's the second hex digit)
- (3) How many 16¹ are there in the remaining number? (that's the third hex digit)
- (4) How many 16^0 are there in the remaining number? (that's the fourth hex digit)

This is nearly identical to Exercise 01 from Lab 06, where you took a number in a register and printed it out in base-10 (decimal).

The only difference between the "normal" algorithm and the algorithm you will write is that your algorithm will proceed in two steps:

- (1) Modified part
- (2) Normal part

For the modified part, instead of seeing how many 16^x you can *subtract* from the number until the remaining number becomes *negative*, you check how many times you can *add* 16^x before the remaining number becomes *positive*.

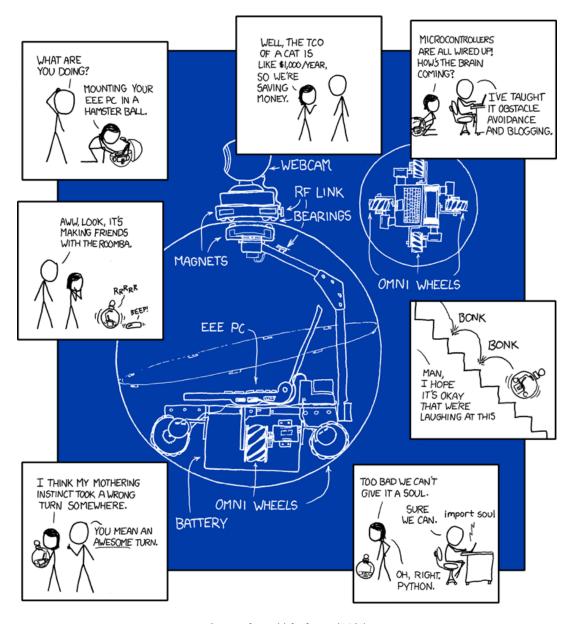
For the normal part, follow the normal paper-based algorithm for converting numbers to hex.

Rubric



- Code does not assemble: -10 points (no reshow)
- No header: -10 points (no reshow)
- Zero-padded input: (-2 points)
- Not following specifications: -??? points (depending on severity)
- Well commented code: +2 points
- Proper input of decimal number from user: +2 points
- Proper hex translation for numbers in the range [0, 32767]: +3 points
- Proper hex translation for numbers in the range [32768, 65535]: +3 points

Comics?!Sweet!!



Source: http://xkcd.com/413/