

Input: Roadmap G , edge length $D(u, v)$, visible faces $S(u, v)$.

Input: Root state v_0 , and faces seen S_0 .

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1: procedure SEARCH( $G, S_0, v_0$ )
2:    $d_0, q_0, D_0 \leftarrow 0$                                  $\triangleright$  Depth, score, and distance.
3:    $U_0 \leftarrow \text{NEIGHBORS}(G, v_0)$                      $\triangleright$  Unvisited neighbors.
4:   for  $i \leftarrow 1$  to  $N_{iter}$  do
5:      $p_i \leftarrow \arg \min_{v: U_v \neq \emptyset} (d_v)$          $\triangleright$  Most shallow leaf.a
6:      $v_i \leftarrow \text{PICK}(U_{p_i})$ 
7:      $d_i \leftarrow d_{p_i} + 1$ 
8:      $D_i \leftarrow D_{p_i} + D(v_{p_i}, v_i)$ 
9:      $S_i \leftarrow S_{p_i} \cup S(v_{p_i}, v_i)$ 
10:     $q_i \leftarrow q_{p_i} + s(S_i, D_i)$ 
11:     $U_i \leftarrow \text{NEIGHBORS}(G, v_i)$ 
12:     $U_{p_i} \leftarrow U_{p_i} \setminus \{v_i\}$ 
13:   return PATH( $\arg \max_v (q_v)$ )
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^aTaking the most shallow leaf, i.e. leaf of smallest depth, results in a BFS-like search order. An alternative is to minimize the distance D_u instead, however, that would effectively prevent searching beyond jump edges as the distance would be significantly higher.