TRends Analysis Guided Interfaces COllection: TRAGICO

1 Introduction

This paper provides a comprehensive guide on the application of routines included in the TRAGICO.

TRAGICO (TRends Analysis Guided Interfaces COllection) is a collection of functions for the extraction and analysis of experimental parameters from 1D and pseudo-2D NMR spectra acquired on Bruker instruments, designed to streamline the process of identifying trends in NMR data and facilitate various analytical tasks.

Key features include:

- Versatility: These functions are highly adaptable and can be integrated with external tools to accommodate a wide range of analytical needs.
- Customizability: Easily modify the functions to suit specific analysis requirements, ensuring flexibility and precision.
- User-Friendly: Clear examples and step-by-step instructions guide users through the application of the functions, making the process accessible to users of all levels.

The primary application of these functions is to analyze intensity trends of modeled signals or regions within experimental NMR data. By default, the functions employ an exponential decay model to estimate longitudinal relaxation rates.

Beyond the default application, this tutorial explores several other analytical techniques that can be achieved using these functions. These examples demonstrate the versatility and power of the tools provided.

By the end of this section, you will be able to:

- Understand the purpose and capabilities of the included functions.
- Apply the functions to analyze intensity trends in NMR data.
- Customize the functions for specific analytical tasks.
- Explore additional analytical techniques supported by these tools.

Additionally, this small package can be considered an example application of KLASSEZ functions (*vide infra*).

In this guide, the section indicated as:

```
1 # example code
```

represent code sections, while those reported as:

```
$ python main.py
Output
```

represent code printouts in the execution terminal. The content of input and output files will be presented as:

```
Output file ...
```

2 Requirements

The code folder contains three python scripts: main4test.py, which contains the example codes used in this tutorial, f_fit.py, containing all the functions which can be called in the main code, and f_functions.py, a collection of all-purpose functions used in by the analysis tools. Additionally, all the data obtained from the examples are saved in the same folder.

In order to run the codes you need to install python (version 3.12). The additional dependencies and their versions are: numpy (version 2.0.2)[1], matplotlib (version 3.9.2)[2], lmfit (version 1.3.2)[3] and nmrglue (version 0.10)[4]. However, the program could work also for different versions of the packages. The one that could be the most labile is the matplotlib version, due to the heavy use of graphical interfaces.

The functions have been tested on Ubuntu 22.04 LTS inside a dedicated Anaconda environment.

One way to set up the proper environment to run the codes is through the use of miniconda, available at https://docs.anaconda.com/miniconda. Miniconda is a free, lightweight version of Anaconda that installs only Python and the conda package manager. It's a good option if you only need Python and don't need all the scientific packages that come with Anaconda. Once installed, it can be activated using:

```
$ conda activate
```

the confirmation of the correct activation is confirmed by the presence of (base) in the terminal line:

```
(base) $
```

All the packages can be in principle installed with the command:

```
(base) $ conda install <package_name>
```

The nmrglue library could be not available on the default channel, therefore one could try with the conda-forge or bioconda ones (complete explanation at: https://docs.conda.io/projects/conda/en/latest/user-guide/concepts/channels.html). The complete guide to environment managing and package installation is given at https://docs.conda.io/projects/conda/en/latest/user-guide/

index.html.

Some functions in the f_functions.py file are directly taken from the package for monodimensional and multidimensional NMR data processing and visualization: KLASSEZ (available at https://github.com/MetallerTM/klassez). In fact, this tutorial serves as a practical example of how to integrate routines from KLASSEZ within an external package, demonstrating its versatility and potential for broader applications.

Warning: Since these are simply python scripts, and NOT an actual installable package, they need always to be present in the execution folder!

3 Analysis of intensity trends via integration

3.1 Single 1D spectrum or series of 1D spectra

In this example, the objective is to extract the intensities from a series of monodimensional spectra acquired at different time steps for the monitoring of a reaction. The main in this case is composed as follows:

```
2 # saved in main4test.py
4 from f_fit import *
6 path = "path/to/spectra"
s # automatic definition of the list of experiment folder inside path.
9 # the name of the spectra must conduct to the processed data.
_{
m 10} # the followign two lines could be substituted with a list of strings, e.g.:
     list_sp = ['1/pdata/1', '2/pdata/1', ...]
num_sp = list(np.arange(101,128,1))
12 list_sp = [str(i)+'/pdata/1' for i in num_sp]
14 # this is the list of delays characterizing the experiments in list_sp
15 # can be just list of progressive numbers with no meaning
delays = np.linspace(0, 1, len(list_sp))
_{18} # intensity_fit_1D is the function for the estimation of the intensity of the
     peaks in the 1D spectra via integration of a defined spectral region.
19 intensity_fit_1D(
                  path,
                  delavs.
21
                  list_sp,
                  area=True,
23
                   cal_lim = (-72.52, -72.94),
                  baseline=True,
                   delta = 10
26
```

The variable path is the path to the spectra folder, while list_sp is the list of experiment names down to the processed data (inside the "pdata" folder). If the processed-data folder is not specified, by default the path "/pdata/1" will be used for each experiment. delays is a list of variables, containing the same number of elements as the list_sp list, which in this case represents the time steps of the spectra acquisition.

The function for intensity collection and plot is called with intensity_fit_1D(). Besides already specified variables, the additional flags have the following meaning:

- area = True or False defines the way of estimation of the peaks intensity. If True the integral of the peak is computed using the trapezoid rule implemented in numpy, whereas if False the intensity is estimated as the maximum point in the peak region.
- cal_lim = (<min>,<max>) or None defines the calibration region enclosed between <min> ppm and <max> ppm. If None is given, no calibration is performed. The calibration method consists of the estimation of a shift value which is applied to the experimental spectra to minimize the difference between the first spectral calibration region and the regions in the subsequent spectra.
- baseline = True or False defines whether or not the baseline correction, defined as a polynomial function of fourth degree, is performed (*vide infra*).
- delta = <value> or 0.0 sets the augmentation of <value> in ppm of the region for the baseline correction for each peak (vide infra).

Once the code is started, a folder named spectra folder>_integral/ is created, where the result files will be saved.

```
(base) $ python main4test.py
Writing directory <spectra folder>_integral
Performing calibration...
...done
```

In case cal_lim is not None, the calibration is performed and the first part of the output file, named <spectra folder>.out, is saved inside the result folder, is generated:

```
SPECTRA PATH:
path/to/spectra
CALIBRATION: (-72.52000:-72.94000) ppm
in points
         -4 -4 -5 -2 -2 -5 -5 -6 -3 -5 -7 -7 -4 -6
  -1 0
         -5 -4 -7 -8
                           -8 -6
                                   -7 -6
in ppm
0.00000
       -0.00307 0.00000 -0.01228 -0.01228 -0.01535
                                                      -0.00614
   -0.00614 -0.01535 -0.01535 -0.01842 -0.00921 -0.01535 -0.02149
    -0.02149 -0.01228 -0.01842 -0.02149 -0.01535 -0.01228 -0.02149
     -0.02457 -0.02457 -0.01842 -0.02149 -0.01842 -0.02149
Points:
1 0.000
2 0.038
3 0.077
4 0.115
5 0.154
6 0.192
7 0.231
8 0.269
9 0.308
10 0.346
11 0.385
12 0.423
13 0.462
```

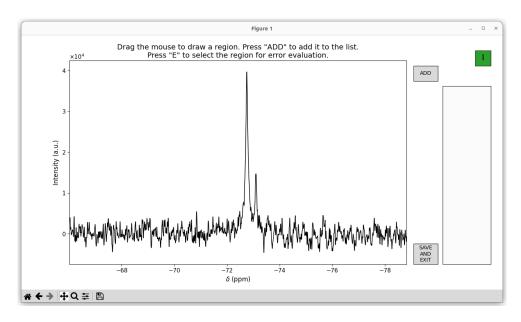


Figure 1: First graphical interface for the selection of the integration regions.

```
0.500
14
15
    0.538
16
    0.577
    0.615
17
18
    0.654
19
    0.692
20
    0.731
    0.769
21
22
    0.808
23
    0.846
24
    0.885
25
    0.923
26
    0.962
    1.000
```

where the path to the spectra and calibration parameters are saved. The list of parameters, preceded by spectra indices, is also reported.

At this point, the interface for the selection of the peak regions opens (see figures 1-3):

- 1. Drag the mouse to select the region of the spectra (in red) and then press ADD to save the region (in green). The list of saved regions will appear on the left. The image can be zoomed using the button Q or using the mouse wheel to zoom the spectra. When dragging the rectangle for the regions selection make sure that none of the widgets of the matplotlib panel is active.
- 2. Once all the peak regions are selected, press the key "E" on the keyboard to change from the mode for peaks selection to the mode for error estimation, then select a region with no peaks and wider than the peaks region and press ADD. Only the last region selected in this mode will be considered for the error estimation.
- 3. Lastly, press SAVE AND EXIT to save everything and exit.

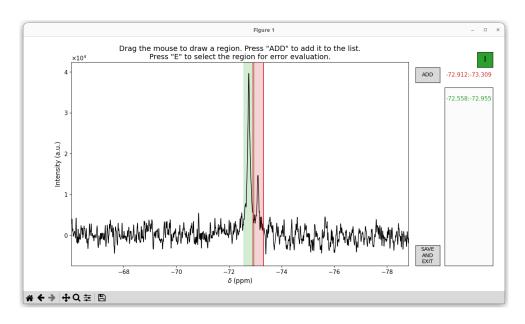


Figure 2: First graphical interface for the selection of the integration regions at step 1.

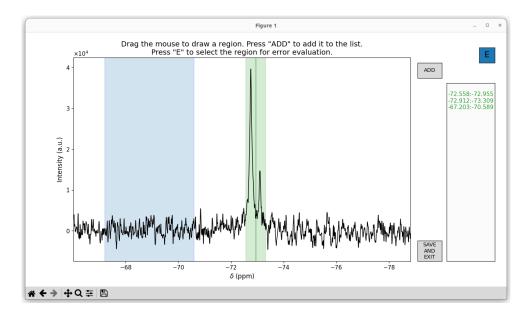


Figure 3: First graphical interface for the selection of the integration regions at step 2.

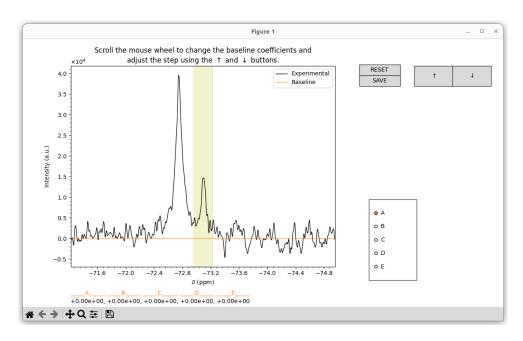


Figure 4: Second graphical interface for the definition of the baseline coefficients.

If the flag baseline is set to True a second interface, one for each selected region, will open (see figure 4):

- The panel opens over one of the previously defined regions, enlarged depending on the delta value specified in the main. The actual integration region is highlighted in yellow. To adjust the baseline coefficients, move the mouse wheel. The parameters variation step can be increased or decreased using the buttons ↑ and ↓ respectively.
- 2. Once the coefficients are satisfactory, press SAVE and close the window.

At this point, if the flag area is set to True the integral of each peak region is computed, after baseline subtraction. The same spectral regions and the same baseline coefficients are used throughout the series of spectra. The integration error is estimated based on the selected error region as:

$$\varepsilon = \overline{(S(n) - B(n))}N\tag{1}$$

where $\overline{(S(n) - B(n))}$ is the average value of the difference between the real-valued spectral region S and the baseline B, defined for the points n in the selected region and N is the number of points in the peak region. Hence, each peak region has a different error value.

The integrals and corresponding errors, together with the baseline coefficients, are saved in the <spectra folder>.out file:

```
Selected intervals (ppm):
1 -72.9740 -73.2620
2 -72.5580 -72.9100

N. interval: 1
Coefficients
```

```
A 0.00000e+00
```

- B 0.00000e+00
- C 0.00000e+00
- D 0.00000e+00
- E 0.00000e+00
- N. point Integral
- 0 165985.546 +/- 121902.903
- 1 345173.870 +/- 121296.881
- 2 317284.956 +/- 116528.034
- 3 213759.163 +/- 125611.570
- 4 341583.156 +/- 119606.831
- 5 244432.883 +/- 123446.407
- 6 462923.259 +/- 123916.245
- 7 359819.559 +/- 122942.927
- 8 496746.308 +/- 128721.257
- 9 369831.767 +/- 125325.200
- 10 307188.018 +/- 128180.112
- 11 383870.162 +/- 123464.404
- 12 547830.707 +/- 128261.690
- 13 360459.458 +/- 130269.551
- 14 453306.566 +/- 119857.537
- 15 364775.979 +/- 120367.580
- 16 446547.264 +/- 122656.430
- 17 409706.469 +/- 124273.685
- 18 517661.461 +/- 115579.361
- 19 473147.565 +/- 121448.076
- 20 418503.219 +/- 118947.072
- 21 446486.903 +/- 122518.851
- 22 411248.529 +/- 116832.207
- 23 448733.743 +/- 115934.702
- 24 508997.587 +/- 119867.107
- 25 458755.576 +/- 119941.677 26 553345.718 +/- 115752.788
- 20 0000101110 1, 1101

N. interval: 2

Coefficients

- A 0.00000e+00
- B 0.00000e+00
- C 0.00000e+00
- D 0.00000e+00
- E 0.00000e+00
- N. point Integral
- 0 552970.749 +/- 150740.148
- 1 807934.473 +/- 149990.767
- 2 1031435.615 +/- 144093.806
- 3 1153124.162 +/- 155326.134
- 4 1262848.945 +/- 147900.920
- 5 1291019.505 +/- 152648.783
- 6 1489867.487 +/- 153229.765
- 7 1450096.096 +/- 152026.200
- 8 1486294.875 +/- 159171.446
- 9 1574112.449 +/- 154972.021
- 10 1629921.066 +/- 158502.289
- 11 1579737.123 +/- 152671.037
- 12 1667395.005 +/- 158603.165
- 13 1429108.013 +/- 161086.004
- 14 1551804.589 +/- 148210.933

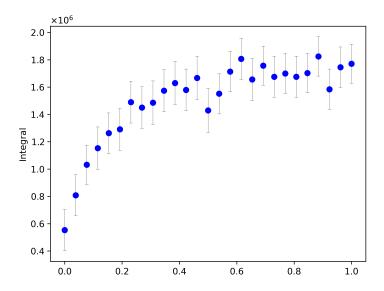


Figure 5: Integrals values are plotted against the delays list, with the corresponding error bars.

```
1713897.457 +/- 148841.632
15
    1806804.722 +/- 151671.930
16
    1656301.272 +/- 153671.761
17
    1757448.220 +/- 142920.715
18
    1675773.427 +/- 150177.729
19
20
    1699829.333 +/- 147085.089
21
    1675404.019 +/- 151501.805
22
   1703131.560 +/- 144469.934
   1824859.505 +/- 143360.115
23
    1584325.292 +/- 148222.766
25
    1745509.078 +/- 148314.976
   1771370.330 +/- 143135.168
```

The integrals, errors and delays are saved in separate files named: $y_{n>.txt}$, $exr_{n>.txt}$ and $ex_{n>.txt}$ respectively, where $ext{n>}$ is the identification number of the interval. Lastly, plots of $ext{y_{n>.txt}}$ versus $ext{x_{n>.txt}}$, with error bars from $ext{Err_{n>.txt}}$, are saved as $ext{Interval_{n>.png}}$ (see figure 5).

If the flag area is set to False the highest intensity value in the peak region is used. The result folder will be named as spectra folder>_intensity/ and the error will be estimated as the standard deviation in the error region, therefore, the same error is used for all the peak regions. For comparison, the plot for the same region but estimated using the intensity "version" of the function is reported in figure 6.

In order to use the program for a single monodimensional spectra just define two singleelement lists as list_sp and delays.

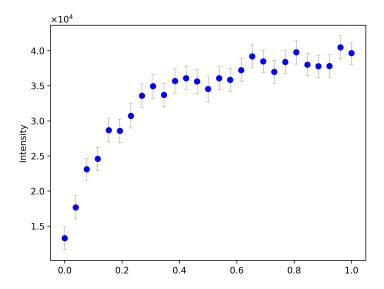


Figure 6: Intensity values are plotted against the delays list, with the corresponding error bars.

3.2 Single pseudo-2D spectrum or series of pseudo-2D spectra

In this part of the tutorial, the program is applied for the analysis of a series of pseudo-2D experiments acquired on the Bruker instrument for high-resolution relaxometry (HRR) measurements, for the analysis of longitudinal relaxation rates (R_1) at different fields. Each transient of the single pseudo-2D corresponds to a certain t_1 (named delay in the code) and each pseudo-2D corresponds to a particular "relaxation-field" (named VCLIST in the code).

```
# saved in main4test.py
4 from f_fit import *
  path = "path/to/spectra"
  list_sp = [int(f) for f in os.listdir(path) if not f.startswith('.')]
9 list_sp = [str(f) for f in np.sort(list_sp)]
^{11} #list of delays values for each experiment
12 delays_list = [np.loadtxt(path+"/"+list_sp[i]+"/vdlist")+0.003 for i in range(
      len(list_sp))]
14 intensity_fit_pseudo2D(
                        path,
                        delays_list,
16
                        list_sp,
                        prev_lims = True,
18
19
                        prev_coeff = True,
                        area=True,
20
21
                        VCLIST=None,
                        cal_lim = (1.2, 0.888),
22
23
                        baseline=True,
24
                        doexp=True,
25
```

The variables defined in subsection 3.1 maintain the same meaning also in this case, with only a few differences:

- delays_list is not a single list, but is a list of delays, one for each experiment (since we are dealing with pseudo-2D and not with monodimensional spectra).
- prev_lims = True or False defines whether the integration regions used for all the pseudo-2Ds are the same as those selected for the first spectrum.
- prev_coeff = True or False defines whether the baseline coefficients used for all the pseudo-2Ds are the same as those selected for the first spectrum.
- VCLIST = vclist> or None represent the identification parameter for the series of pseudo-2D. If None is passed, no VCLIST.txt is generated at the end of the analysis (vide infra).
- doexp = True or False activates the fit of the extracted integrals (or intensities) using the default exponential function (*vide infra*).

The types of interfaces generated when running this script are the same as those of the previous subsection. The main difference in the result folder is that, inside the principal one, a folder is generated for each pseudo-2D, named as the experiments. In each of these folders, the same files and plots as those saved for the monodimensional case are stored: $y_{n>.txt}$, $ext_{n>.txt}$ and $ext_{n>.txt}$ are the following:

```
SPECTRA PATH:
path/to/spectra
CALIBRATION: (1.20000:0.88800) ppm
in points
   0 -1
                               Λ
                                       1
                                                          10
in ppm
                                                                    0.00000
0.00000 0.00000 -0.00037 0.00000 0.00000 0.00000
                                                          0.00000
    0.00000 0.00037 0.00037 0.00037 0.00037 0.00073 0.00147
   0.00367
Points:
1 0.004
2 0.013
3 0.053
4 0.083
5 0.103
6 0.153
7 0.253
8 0.353
9 0.453
10 0.553
  0.703
11
12 0.903
   1.203
13
14 2.003
15 4.003
16 5.003
VCLIST point: 14092.38 T
```

```
Selected intervals (ppm):
1 5.4200 5.3460
2 5.5580 5.4250
______
N. interval: 1
Baseline coefficients
A 0.00000e+00
B 0.00000e+00
C 0.00000e+00
D 0.00000e+00
E 0.00000e+00
N. point Integral
0 10883151.711 +/- 247847.095
1 10842182.793 +/- 221316.031
2 10453531.484 +/- 240856.177
3 10121184.129 +/- 244094.444
4 9861177.082 +/- 246413.179
5 9399847.906 +/- 245201.390
6 8521047.199 +/- 211876.305
7 7678852.941 +/- 191353.523
8 6851356.035 +/- 178254.787
9 6122744.348 +/- 171963.327
10 5184510.312 +/- 140945.652
11 4093542.816 +/- 116844.732
12 2869853.590 +/- 78003.623
13 1045959.492 +/- 36695.294
14 80827.332 +/- 4354.397
15 15026.227 +/- 7535.681
N. interval: 2
Baseline coefficients
A 0.00000e+00
B 0.00000e+00
C 0.00000e+00
D 0.00000e+00
E 0.00000e+00
N. point Integral
0 64161591.539 +/- 444161.626
1 63026166.023 +/- 396615.858
2 61119717.199 +/- 431633.346
3 59565170.301 +/- 437436.578
4 58689047.344 +/- 441591.934
5 56127886.422 +/- 439420.312
6 51364765.262 +/- 379699.121
7 46921859.371 +/- 342920.670
8 42890940.488 +/- 319446.698
9 39151038.102 +/- 308171.904
10 33974751.348 +/- 252585.772
11 28107159.000 +/- 209395.014
12 21027525.922 +/- 139788.671
13 9598216.477 +/- 65760.873
14 1280816.441 +/- 7803.425
```

15 326027.543 +/- 13504.537

```
-----
N. PEAK: 1
Fit Parameters:
Mono
y = a + A \exp(-t/T1)
fit: T1=-2.6979e-02, a=-1.259e+05, A=1.118e+07
[[Fit Statistics]]
           # fitting method = leastsq
           # function evals = 9
           # data points
                                                               = 16
           # variables
                                                               = 1
           chi-square
                                                               = 1.0485e+11
           reduced chi-square = 6.9898e+09
           Akaike info crit = 363.650761
           Bayesian info crit = 364.423350
[[Variables]]
           t1: -0.02697852 +/- 0.00655241 (24.29\%) (init = 0)
Вi
y = a + A (f \exp(-t/T1a) + (1-f) \exp(-t/T1b))
 \texttt{fit:} \ \ \texttt{f=5.006e-01} \ , \ \ \texttt{T1a=-2.6979e-02} \ , \ \ \texttt{T1b=-2.6976e-02} \ , \ \ \texttt{a=-1.259e+05} \ , \ \ \texttt{A=1.118e+07} \ , \ 
[[Fit Statistics]]
           # fitting method = leastsq
           # function evals = 38
           # data points
                                                            = 16
           # variables
                                                               = 3
           chi-square
                                                              = 1.0485e+11
           reduced chi-square = 8.0651e+09
           Akaike info crit = 367.650761
           Bayesian info crit = 369.968527
[[Variables]]
           f: 0.50064330 +/- 22059.5395 (4406238.81\%) (init = 0.5)
           t1a: -0.02697872 +/- 4446.27987 (16480689.99\%) (init = 0)
           t1b: -0.02697646 + /- 4457.74644 (16524578.30\%) (init = 0)
 [[Correlations]] (unreported correlations are < 0.100)
           C(t1a, t1b) = -1.0000
-----
N. PEAK: 2
Fit Parameters:
Mono
y = a + A exp(-t/T1)
fit: T1=4.6071e-02, a=-6.235e+05, A=6.496e+07
[[Fit Statistics]]
           # fitting method = leastsq
           # function evals = 11
           # data points
          # variables
                                                               = 1
           chi-square
                                                               = 1.1449e+12
           reduced chi-square = 7.6328e+10
```

```
Akaike info crit = 401.900298
   Bayesian info crit = 402.672887
[[Variables]]
   t1: 0.04607109 +/- 0.00397011 (8.62\%) (init = 0)
Вi
y = a + A (f \exp(-t/T1a) + (1-f) \exp(-t/T1b))
fit: f=5.051e-01, T1a=4.6071e-02, T1b=4.6071e-02, a=-6.235e+05, A=6.496e+07
[[Fit Statistics]]
   # fitting method = leastsq
   # function evals = 47
   # data points
                   = 16
   # variables
                    = 3
                = 1.1449e+12
   chi-square
   reduced chi-square = 8.8071e+10
   Akaike info crit = 405.900298
   Bayesian info crit = 408.218065
[[Variables]]
        0.50512397 +/- 283655.021 (56155526.24\%) (init = 0.5)
   f:
   t1a: 0.04607102 +/- 75170.7217 (163162711.93\%) (init = 0)
        0.04607099 + - 76727.3588 (166541600.17\%) (init = 0)
[[Correlations]] (unreported correlations are < 0.100)
   C(t1a, t1b) = -1.0000
   C(f, t1a) = -0.2663
   C(f, t1b) = +0.2663
______
```

The last section of the output collects the result relative to the fit of the integral (or intensity) trends, for each spectral region, numbered accordingly (but called N. PEAK since this type of fit assumes that each region contains a single peak). The exponential fit is performed to estimate the longitudinal relaxation rates, fitting the \log_{10} of $T_1 = 1/R_1$, either in a monoexponential or a biexponential fashion. The fit reports, automatically generated by the lmfit library, are also saved (more information on the content of this kind of report can be found at https://lmfit.github.io/lmfit-py/fitting.html).

In this example, the absurdly high values of uncertainties for the parameters of the biexponential fit are due to the high correlations among parameters, meaning that the monoexponential model is enough to reproduce the experimental trend.

Additionally, the T_1 values, with errors, are saved in t1.txt files in each experiment folder:

```
n.peak T1 (s) err (s) f

1 9.3977e-01 2.2825e-01

1 9.3977e-01 1.5488e+05 9.3977e-01 1.5529e+05 0.5006

2 1.1119e+00 9.5818e-02

2 1.1119e+00 1.8142e+06 1.1119e+00 1.8518e+06 0.5051
```

where the elements, for each peak region, are

```
n T1 error
n T1a error1 T1b error2 f
```

and plots, of the type in figure 7, are generated for each interval.

Lastly, a function for the global analysis of the extracted R_1 at different fields can be used

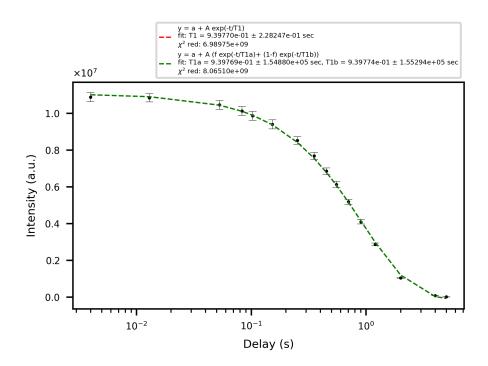


Figure 7: Intensity fit with monoexponential and biexponential functions. The fit results are reported in the figure captions.

at this point,

```
1
2 # saved in main4test.py
3
4 # function for the global analysis of the T1 determined at each VCLIST points
5 theUltimatePlot(dir_result, list_sp, bi_list=[], colormap = 'hsv', area=True)
```

where:

- dir_result = "<folder name>" is the name of the folder generated by the principal function, where all the data from the previous analysis are saved.
- bi_list = [<n. peak 1>, <n. peak 2>,] contains the list of peak indices whose intensity decay has to be treated with the biexponential model.
- colormap = "<name of colormap>" defines the color palette used in the plots (the complete list of colors can be found at https://matplotlib.org/stable/users/explain/colors/colormaps.html).
- area = True or False refers to the flag used in the intensity extraction.

The theUltimatePlot() function reads the files contained in each experiment folder and generates files R1_<n.peak>.csv of the type,

```
VCLIST R1 err
14092.38 1.06409038888853 0.258440984476471
9437.8 1.41200949035261 0.0467318739515697
```

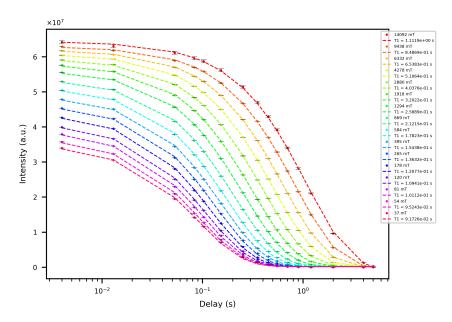


Figure 8: Intensity trends for each VCLIST element, with corresponding error bars and T_1 values from monoexponential curve fitting.

```
6331.66
            2.02480929250211 0.029168530591605
4278.02
            2.85065936512452 0.0166335078566074
2879.67
            3.94691678812708 0.0209886838188778
1917.61
            5.46601111816607
                             0.0447457733261291
1293.54
            7.27254732450316
                             0.0557456589534411
868.59
            9.29066447965837
                             0.0560800385773115
584.1
         11.7595424156602 0.0625965114973621
395.07
            14.5487546597909 0.0805150817280265
264.67
            17.6661522591158 0.136887472802053
178.23
             20.384758032573 0.217390022971099
120.07
             21.984904994356 0.252407370211354
80.69
          23.8009281723884 0.29504808485878
54.37
          23.5809838485677
                            0.274279943954481
36.66
          22.8147956437819
                            0.174327125094509
```

and plots of the intensity trends n. peakprox. png (see figure 8) and of the R_1 dispersion curve R_1 . peakprox. png (see figure 9).

The use of doexp = True and of the function the UltimatePlot() is an example of an analysis of trends that can be performed in this program (for doexp = False the plot generated are the same as the one in the previous section). In the following examples, a more detailed explanation of how to add your routine to the main functions for the analysis of the trends with different functions than those in doexp is presented.

Also in this case, the very same functions can be used for the analysis of a single pseudo-2D spectrum, just by definition of a single element list_sp and delays_list as

```
1
2 list_sp = ["spectrum1/pdata/10"]
3
4 delays_list = [np.array([0.0, 0.1, 0.2, 0.3, 0.4, 0.5])]
```

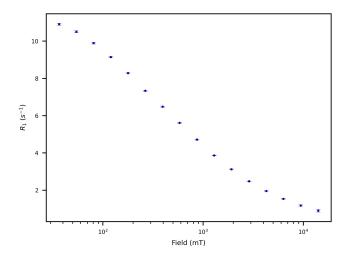


Figure 9: R_1 dispersion curve from intensity decays in figure 8.

4 Analysis of intensity trends via spectra modeling

In these functions for signal fitting, the cost function is defined by the minimization of difference between the real-valued NMR signal and the spectra model composed of a hard model for the peak shapes combined with a fourth-order polynomial representing the baseline. To compensate for slight distortions of the pure Lorentzian shape, different fractions of Gaussianity are introduced through the application of the Voigt model. The model signals are thus simulated, in the time domain, according to the equation:

$$s(t) = k \exp[i(\omega t + \phi)] \exp[-(1 - x_g)\sigma t/2] \exp[-x_g \Gamma^2 t^2/2]$$
 (2)

where $\Gamma = \sigma/(2\sqrt{2\ln 2})$. The parameters that describe each peak are: the relative intensity k, the frequency with respect to the carrier ω (which will then be translated into the chemical shift δ), the full width at half maximum σ , the phase distortion ϕ , and the fraction of gaussianity x_g ($x_g = 0$ for pure Lorentzian, $x_g = 1$ for pure Gaussian). The timed-domain signal of the peaks is then transformed and summed to the baseline model:

$$y = A + Bx + Cx^2 + Dx^3 + Ex^4 (3)$$

where the coefficients A, B, C, D and E are included as fitting variable.

4.1 Single 1D spectrum or series of 1D spectra

The same series of monodimensional spectra used in subsection 3.1 is used also in this example.

The main for the modeling of the peaks and baseline looks like the following:

```
1
2 # saved in main4test.py
3
4 from f_fit import *
```

```
6 # folder containing the spectra
7 path = "path/to/spectra/"
9 # in this case the experiment names correspond to consecutive numbers (from 101
     to 128)
10 num_sp = list(np.arange(101,128,1))
11 list_sp = [str(i)+"/pdata/1" for i in num_sp]
delays = np.linspace(0, 1, len(list_sp))
15 # POSSIBLE KEYS: "shift", "k", "lw", "ph", "xg", "A", "B", "C", "D", "E"
17 # limits for the fit parameters defined in absolute terms as "key":(min,max)
_{\rm 18} # if the max and min are defined equal, the parameter is fixed
19 # if the limit is not defined, the parameter is free to vary between +np.inf and
       -np.inf
20 lim1 = ["shift":(-1,1), "lw":(1e-4,2.5), "ph":(-np.pi/20,np.pi/20), "A":(0,0), "B
      ":(0,0), "C":(0,0), "D":(0,0), "E":(0,0)}
22 # the second limits are defined not in absolute terms but as a percentage of the
       initial value
23 \lim 2 = {"shift":(0.9,1.1), "lw":(0,0), "ph":(0,0), "xg":(0,0)}
24
25 model_fit_1D(
              path,
26
              delays,
              list_sp,
              cal_lim = (-72.52, -72.94),
              fast = True,
              limits1 = lim1,
31
              limits2 = lim2
33
```

The variables path, delays, list_sp and cal_lim keep the same meaning as those of the function intensity_fit_1D() in subsection 3.1, the additional one are specific for the peak modeling, where:

- fast = True or False defines the fitting algorithm used for the minimization of the target function. If fast = True the least squares minimization is used, else, a two cycle minimization is used, where the first cycle of minimization is performed via the Nelder-Mead simplex algorithm, while the second cycle is performed using the least squares minimization[5]. The second option should be used in presence of strong baseline distortions and/or complex multiplets since the simplex algorithm, even if less efficient, is very effective in sampling the variables space and therefore is better than least squares in finding the global minima (or deeper minima), while the least squares is more efficient and better for refinement of already good guesses and/or less complex variable spaces.
- limits1 = <dict> or None is a dictionary where limits for the fit parameters are defined in absolute terms as "key": (<min>,<max>). This dictionary will be used for the first spectra of the series. The shift is the only parameter whose limits are defined in terms of a delta value to be applied to the initial guess. Possible keys include: "shift", "k", "lw", "ph", "xg", "A", "B", "C", "D" and "E". If the <max> and <min> are defined equal, the parameter is fixed to the initial guess value, and, if the limits are not defined (hence if the parameters "key" is not written in the dictionary), the parameter is free to vary between +∞ and -∞. If some of the keys are not included in the dictionary, default limits will be used, equivalent to the application of the follow-

```
ing dictionary: lim1 = "shift": (-2,2), "k": (0,1), "lw": (0.0001,3.5), "ph": (-np.pi,np.pi), "xg": (0,1).
```

• limits2 = <dict> or None is a dictionary where limits for the fit parameters are defined as a percentage of the initial value, e.g. if "shift": (0.9, 1.1) means that the value of the shift is allowed to vary between 0.9*initial value and 1.1*initial value. This second dict will be used for the spectra subsequent to the first one. If lim2 is None, the same limits as those defined in lim1 are used also for the subsequent spectra. In either of the two cases, the parameters value will be set equal to the fitting result of the preceding fit.

Once the script is executed, the result folder will be generated, named as <spectra folder>_modelfit, and the terminal will ask for the input files:

```
(base) $ python main4test.py
Writing directory <spectra folder>_modelfit
DIR: <spectra folder>_modelfit
PATH TO SPECTRA: path/to/spectra
Write new input1? ([y]|n) n
Type input1 filename: inp1
Write new input2? ([y]|n) n
Type input2 filename: inp2
```

Two input files are needed for this fit. The first input, if not already available in the execution folder, can be generated with the graphical interface in figures 10-12 with the following steps:

- 1. Select the fit intervals around single peaks or group of peaks by dragging regions around them and pressing ADD (analogously to the graphical interface described in section 3.1). Be sure to include portions of baseline around in the selected window.
- 2. Once all the fit regions are selected, perform peak picking by left-double click with the mouse over the signal to be selected. A red line will be added at the click position. To delete unwanted peak selections double click with the right button on the red line. The radio button true/false refers to the intensity estimation, if false is selected a black line will be placed at the selection position and the positioned peaks will be used just for fitting purposes, hence the integral will not be evaluated for them. For each selected signal, a Voigt model will be placed centered at the selected frequency.
- 3. Lastly, press SAVE AND EXIT to save all the selections and peaks.

The generated input file looks like the following:

```
name ppm1 ppm2 v mult
true -71.17900 -74.75500 -73.09469 0
true -71.17900 -74.75500 -72.74464 0
```

where the type of peak, limits of the fitting region and chemical shift of each component are saved. The last column represents a flag for the definition of peaks multiplicity (*vide infra*).

Analogously, the graphical interface for the generation of the second input looks like figure 13:

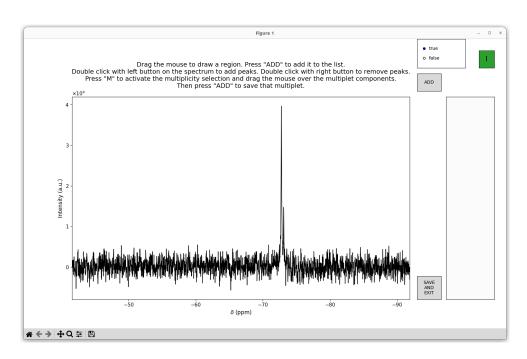


Figure 10: Graphical interface for the generation of the first input file for spectra fit.

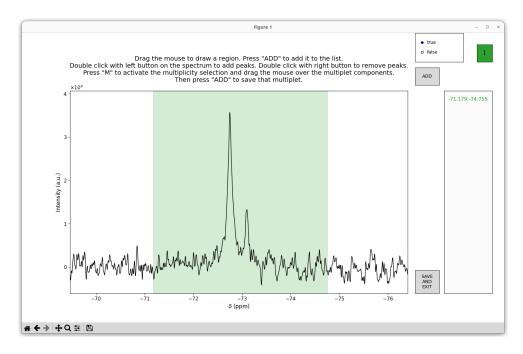


Figure 11: Graphical interface for the generation of the first input file for spectra fit at the first step.

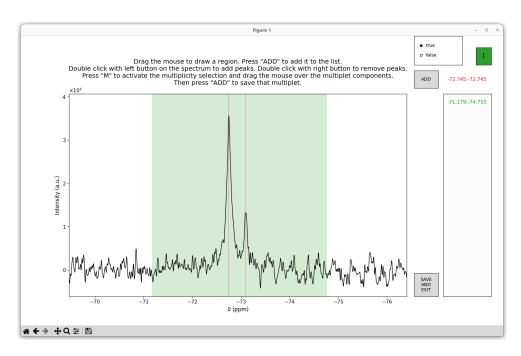


Figure 12: Graphical interface for the generation of the first input file for spectra fit at the second step.

- 1. Use the sliders to adjust the fit parameters of the model peaks and the mouse wheel to set the baseline coefficients.
- 2. Once the guess is satisfactory, press SAVE AND EXIT.

This second input looks like the following:

The output file <spectra folder>.out, saved in the result folder together with a copy of the input files, is generated as:

```
SPECTRA PATH:
path/to/spectra

Points:
1 1.000
2 0.962
3 0.923
4 0.885
5 0.846
6 0.808
7 0.769
8 0.731
9 0.692
10 0.654
11 0.615
```

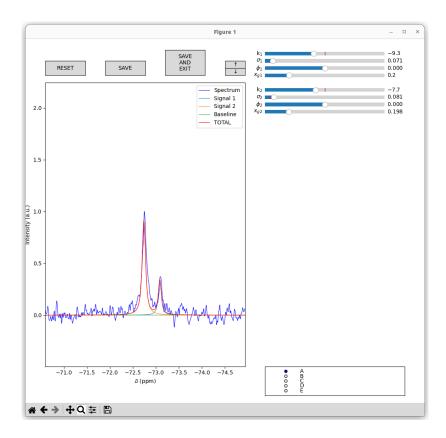


Figure 13: Graphical interface for the generation of the second input file for spectra fit.

```
12 0.577
13
   0.538
   0.500
14
   0.462
    0.423
16
    0.385
17
18
   0.346
19
   0.308
20
   0.269
   0.231
21
22
   0.192
23 0.154
24
   0.115
25
   0.077
   0.038
26
   0.000
27
INPUT1: inp1_3
{\tt n. peak name ppm1 ppm2 v mult}\\
        -71.17900 -74.75500 -73.09469 0
        -71.17900 -74.75500 -72.74464 0
INPUT2: inp2_3
{\tt n. peak i ppm1 ppm2 k fwhm}
                                   phi
                                                Α
                                                    В
                                          хg
1\ 0\ -71.2\ -74.8\ 1.98815e-03\ 7.56087e-02\ 0.00000e+00\ 2.00000e-01\ 0.000e+00\ 0.000e
    +00 0.000e+00 0.000e+00 0.000e+00
```

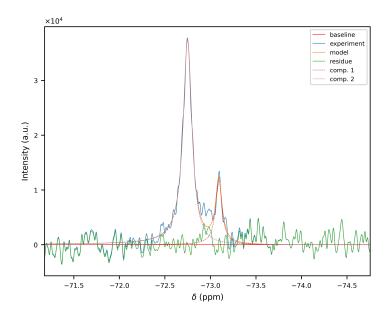


Figure 14: Enter Caption

```
2 1 -71.2 -74.8 4.83487e-03 8.24822e-02 0.00000e+00 2.00000e-01 0.000e+00 0.000e
+00 0.000e+00 0.000e+00 0.000e+00
```

At this point the fit starts. At the end of each fit iteration, two plots are saved, i.e. the plot of the target function <code><spectra folder>_P<n>_I<n>.png</code> (see figure 14) and the histogram of the residuals <code><spectra folder>_P<n>_I<n>_hist.png</code> (see figure 15). For the latter, the more the histogram resembles the Gaussian shape the better.

TO BE CONTINUED ...

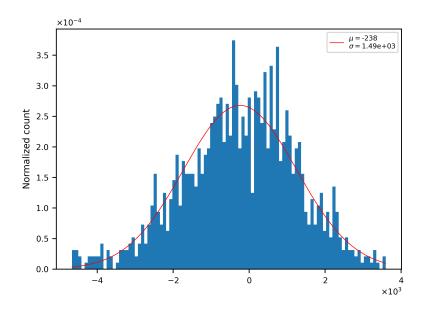


Figure 15: Enter Caption

References

- [1] Travis E Oliphant et al. *Guide to numpy*. Vol. 1. Trelgol Publishing USA, 2006.
- [2] Sandro Tosi. Matplotlib for Python developers. Packt Publishing Ltd, 2009.
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- [4] Jonathan J Helmus and Christopher P Jaroniec. "Nmrglue: an open source Python package for the analysis of multidimensional NMR data". In: *Journal of biomolecular NMR* 55 (2013), pp. 355–367.
- [5] Per Christian Hansen, Victor Pereyra, and Godela Scherer. *Least squares data fitting with applications*. JHU Press, 2013.