

## BÌA ĐIỂN ĐỒ THI

(54)

Lê Tuấn Dat

B2113328

Biểu diễn đồ thi = danh sách cung.

1. Các cung của đồ thi:

1 3

1 5

1 6

2 5

2 6

3 5

3 4

5 6

7 8

9

2.  $G$

Số đồ  
tổ chức  
dữ liệu:

edges

	$u$	$v$	$n$	$m$
0	1	3	9	10
1	1	5		
2	1	6		
3	2	5		
4	2	6		
5	3	5		
6	3	4		
7	5	6		
8	7	8		
9	9			

u v

u v

u v

u v

u v

u v

u v

u v

## Bài tập lập trình

3. void initGraph(Graph<sup>+</sup> pG, int n) {  
 pG → n = n;  
 pG → m = 0;  
 } }

```

4. void addEdge(Graph *pG, int u, int v) {
    pG->edges[pG->m].u = u;
    pG->edges[pG->m].v = v;
    pG->m++;
}

```

```

5. int degree(Graph *pG, int u) {
    int e, deg_u = 0;
    for(e = 0; e < pG->m; e++) {
        if(pG->edges[e].u == u) // Cung có
            deg_u++; // dang (u, -)
        if(pG->edges[e].v == u) // Cung có dang (-, u)
            deg_u++;
    }
    return deg_u;
}

```

```
6. int adjacent(Graph *pG, int x, int y) {  
    int e;  
    for(e=0; e < pG->m, e++)  
        if((pG->edges[e].u == u) && (pG->edges[e].v == v) ||  
            (pG->edges[e].u == v) && (pG->edges[e].v == u))  
            return 1;  
    return 0;  
}
```

```
7. void neighbours(Graph *pG, int u) {  
    int v;  
    for(v=1; v <= pG->n, v++)  
        if(adjacent(pG, u, v))  
            printf("%d ", v);  
    printf("\n");  
}
```

④ Biểu diễn đồ thị = ma trận kề (ma trận định định)

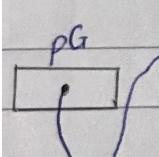
8. Ma trận kề:

	1	2	3	4	5	6	7	8	9
1	0	1	1	1	0	0	0	0	0
2	1	0	1	0	0	0	0	0	0
3	1	1	0	0	1	0	1	0	0
4	1	0	0	0	0	0	0	0	0
5	0	0	1	0	0	1	1	0	0
6	0	0	0	0	1	0	0	0	1
7	0	0	1	0	1	0	0	1	0
8	0	0	0	0	0	0	1	0	0
9	0	0	0	0	0	1	0	0	0

9. Số đồ thị có chức:

A	1	2	3	4	5	6	7	8	9
1	0	0	1	0	1	1	0	0	0
2	0	0	0	0	1	1	0	0	0
3	1	0	0	1	1	0	0	0	0
4	0	0	1	0	0	0	0	0	0
5	1	1	1	0	0	1	0	0	0
6	1	1	0	0	1	0	0	0	0
7	0	0	0	0	0	0	0	1	0
8	0	0	0	0	0	0	1	0	0
9	0	0	0	0	0	0	0	0	0

$n$   
 9  
  
 $m$   
 10



10.

```
void init_graph(Graph *pG, int n) {
    pG->n = n;
    pG->m = 0;
    for (int u = 1; u <= n; u++)
        for (int v = 1; v <= n; v++)
            pG->A[u][v] = 0;
}
```

11.

```
void add_edge (Graph *pG, int u, int v) {
    pG->A[u][v] = 1;
    pG->A[v][u] = 1;
    pG->m++;
}
```

12. Số thi không có khuynh:

```
int degree (Graph *pG, int u) {
    int deg_u = 0;
    for (int v = 1; v <= pG->n; v++)
        deg_u += pG->A[u][v];
    return deg_u;
}
```

```

13. int adjacent(Graph *pG, int u, int v) {
    return pG->A[u][v] > 0;
}

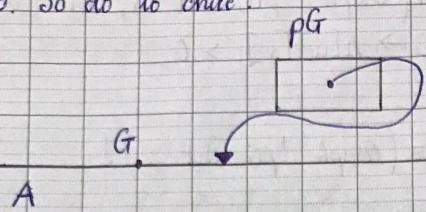
14. void neighbours(Graph *pG, int x) {
    int y;
    for(y = 1; y <= pG->n; y++)
        if (pG->A[x][y] != 0)
            printf("%d ", y);
    printf("\n");
}

```

\* Biểu diễn = ma trận định - eung:

	$e_1$	$e_2$	$e_3$	$e_4$	$e_5$	$e_6$	$e_7$	$e_8$	$e_9$
1	1	1	1	1	1	0	0	0	0
2	1	0	0	0	0	0	0	0	0
3	0	1	1	1	0	1	0	0	0
4	0	0	0	0	1	1	0	0	1
5	0	0	0	0	0	0	1	1	1
6	0	0	0	1	0	0	1	1	0
7	0	0	0	0	0	0	0	0	0

16. Số đồ thị chia:



$\#$	$e_1$	$e_2$	$e_3$	$e_4$	$e_5$	$e_6$	$e_7$	$e_8$	$e_9$	$e_{10}$	$n$
1	1	1	1	1	0	0	0	0	0	0	* 8
2	0	0	0	1	1	0	0	0	0	1	$m$
3	1	0	0	0	0	1	1	0	0	0	\$ 10
4	0	0	0	0	0	1	0	0	0	1	
5	0	1	0	1	0	0	1	1	0	0	
6	0	0	1	0	1	0	0	1	0	0	
7	0	0	0	0	0	0	0	0	1	0	
8	0	0	0	0	0	0	0	0	1	0	

17. void init\_graph(Graph \*pG, int n, int m){

int u, e;

pG → n = n;

pG → m = m;

for (u = 1; u <= n; u++)

for (e = 1; e <= m; e++)

pG → A[u][e] = 0;

}

```
18. void add_edge(Graph *pG, int e, int x, int y) {  
    pG->A[u][e] = 1;  
    pG->A[v][e] = 1;  
}
```

```
20. int adjacent(Graph *pG, int x, int y) {  
    int e;  
    for(e=1; e<=pG->m; e++)  
        if ((pG->A[u][e] == 1 &&  
            pG->A[v][e] == 1)  
            return 1;  
    return 0;  
}
```

```
20.19. int degree(Graph *pG, int x) {  
    int e, deg_u = 0;  
    for(e=1; e<=pG->m; e++)  
        if (pG->A[x][e] == 1)  
            deg_u++;  
    return deg_u;  
}
```

```

21. void neighbours (Graph *pG, int x) {
    int y;
    for (y = 1; y <= pG->n; y++)
        if (pG->A[x][y] != 0)
            printf ("%d ", y);
    printf ("\n");
}

```

④ Biểu diễn = danh sách đỉnh kề:

22.

$$\text{adj}[1] = [3, 5, 6]$$

$$\text{adj}[2] = [5, 6]$$

$$\text{adj}[3] = [1, 4, 5]$$

$$\text{adj}[4] = [3]$$

$$\text{adj}[5] = [1, 2, 3, 6]$$

$$\text{adj}[6] = [1, 2, 5]$$

$$\text{adj}[7] = [8]$$

$$\text{adj}[8] = [7]$$

$$\text{adj}[9] = []$$

23.

$$\text{adj}[1] = [2, 3, 4]$$

$$\text{adj}[2] = [1, 3, 6]$$

$$\text{adj}[3] = [1, 2, 5, 7]$$

$$\text{adj}[4] = [1]$$

$$\text{adj}[5] = [3, 6, 7]$$

$$\text{adj}[6] = [2, 5, 9]$$

$$\text{adj}[7] = [3, 5, 8]$$

$$\text{adj}[8] = [7]$$

$$\text{adj}[9] = [6]$$

số đồ tò

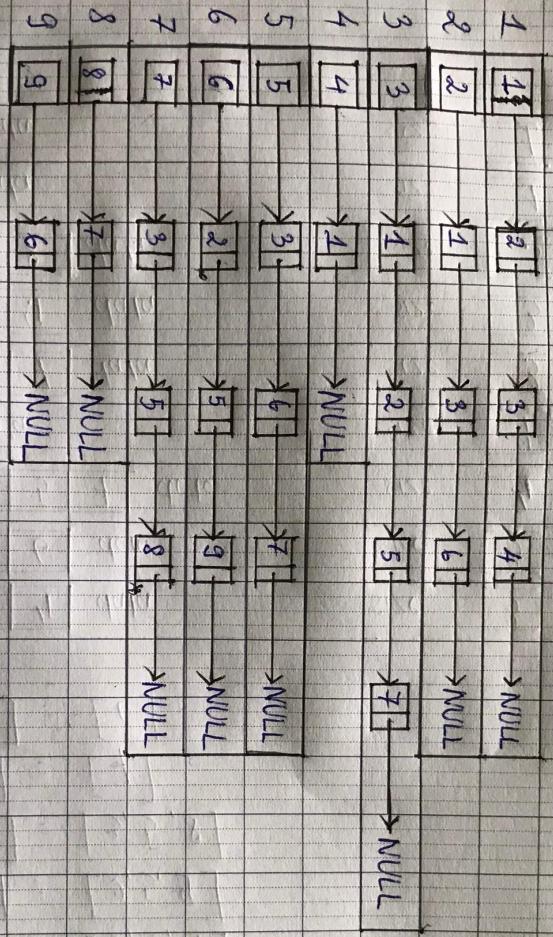
chíp (danh

sách ~~đầu~~ <sup>đầu</sup> A)

adj

1	2	3	4	data	size	3	
2	1	3	6	data	size	3	
3	1	2	5	7	data	size	4
4	1	data			size	1	
5	3	6	7	data	size	3	
6	2	5	9	data	size	3	
7	3	5	8	data	size	3	
8	7	data			size	1	
9	6	data			size	1	

23. Sắp xếp từ chục dữ liệu bằng danh sách định rõ:  
(danh sách liên kết)



m  
g  
m

11

Graph

```
25. void addEdge(Graph *pG, int x, int y) {  
    push_back(&pG->adj[x], y);  
    push_back(&pG->adj[y], x);  
}
```

```
26. int degree(Graph *pG, int x) {  
    return size(&pG->adj[x]);  
}
```

```
27. int adjacent(Graph *pG, int x, int y) {  
    int u;  
    for(u = 1; u < pG->adj[x].size; u++)  
        if(element_at(&pG->adj[x], u) == y)  
            return 1;  
    return 0;  
}
```

```
28. void neighbours (Graph *pG, int x){  
    int y;  
    for(y=1; y<= pG->n; y++)  
        if (adjacent (pG, x, y))  
            printf ("%d ", y);  
    printf ("\n");
```