1 Measurements & Parameter Extraction

1.1 Line Width/Misalignment

1.1.1 Measured line widths

Nominal	ACTV	POLY	CONT	METAL
Linewidth	(dark field)	(clear field)	(dark field)	(clear field)
$2\mu\mathrm{m}$	3	4	1.869	2.520

1.1.2 Misalignment

1.2 Four-Point Resistors [2a, 2b]

1.2.1 Measurement Setup

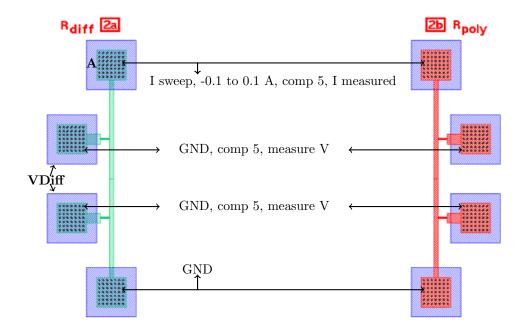


Figure 1: Device 2a is a diffusion resistor and 2b is a poly resistor.

1.2.2 I-V plot for the diffusion resistor, 2a

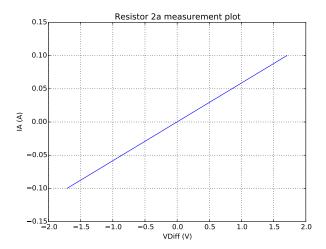


Figure 2: A plot of the measurement data taken for resistor 2a. The plot is based off of 2 data points.

From the plot above we can calculate our resistance. Note that the slope of the above plot will be equal to 1/R. Since I = V/R, where I is our dependent variable (y axis) and V is our independent variable (X axis). A resistance of $R = 17 \Omega$ was calculated. Our width and length values are $10\mu m$ and $200\mu m$. However our final $2\mu m$ line after the ACTV mask was $3 \mu m$ which means that we had a overetch of about 50%. This means that

$$R_s = \frac{W}{L}R_{\text{diff}} = \frac{10(1.50)}{200}17 = 1.28\,\Omega$$

From the previous lab report we have a junction depth of $1 \mu m$. This means that our Resistivity is $\rho = R_s x_j = 1.07 \times 10^{-4}$ Ω -cm. Using the Irvin curves in Jaeger [1], we can estimate the surface concentration $N_0 \approx 10^{21}$. Now the mobility can be calculated using a table of values from Appendix xx.

$$\mu_e = \mu_{\min} + \frac{\mu_0}{1 + (N/N_{\text{ref}})^{\alpha}} = 92 + \frac{1268}{1 + (10^{21}/1.3 \times 10^{17})^{0.91}} = 92.4 \,\text{cm}^2/V - s$$

1.2.3 I-V plot for the poly resistor, 2b

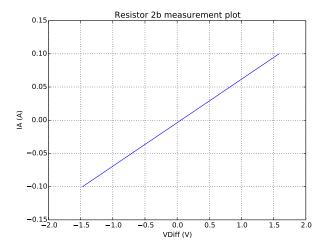


Figure 3: A plot of the measurement data taken for resistor 2b. The plot is based off of 2 data points.

From the plot above we calculate a 1/slope value of 15. Hense $R = 15 \Omega$. This means that

$$R_s = \frac{W}{L}R_{\text{poly}} = \frac{10(1.26)}{200}15 = 0.945\,\Omega$$

Our Resistivity is then $\rho = R_s t_{\text{poly}}$ where t_{poly} is the polysilicon thickness which is 0.4 μm , Hense $\rho = 0.378 \,\Omega$ - μm .

1.3 Four-Point Contact Resistor [17a, 17b]

1.3.1 Measurement Setup

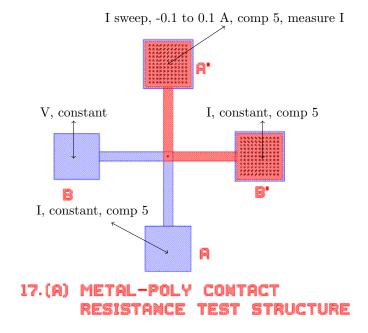


Figure 4: Measurement setup for 17a poly contact resistor. The same setup is used for the diffusion contact resistor, 17b.

1.3.2 I-V plot for 17a, poly reisistor

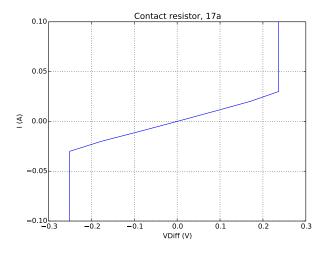


Figure 5: A plot of the measurement data taken for resistor 17a.

From the above plot we calculated a resistance of $R=8.54\Omega$. Note that the slope above gives us 1/R so we need to take the inverse to find the resistance.

1.3.3 I-V plot for 17b, diffusion resistor

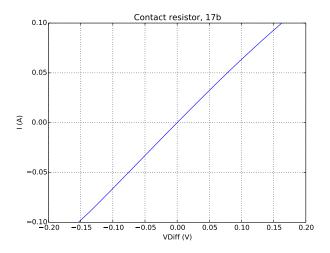


Figure 6: A plot of the measurement data taken for resistor 17b.

Similarly, from the above plot we calculated a resistance of $R = 1.46\Omega$.

1.4 Four-Point Contact-Chain Resistor [2c, 2d]

1.4.1 Measurement Setup

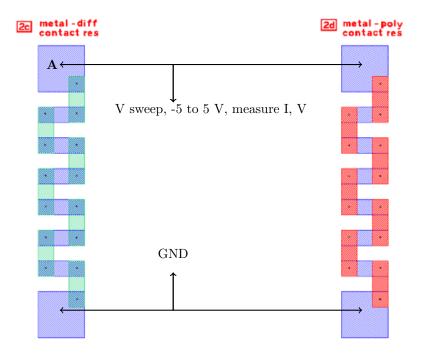


Figure 7: Chain resistor setup for diffusion and poly resistors.

1.4.2 b. I-V plot for diffusion resistor, 2c

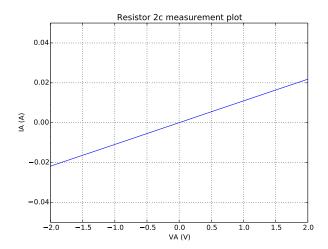


Figure 8: A plot of the measurement data taken for resistor 2c. The plot is based off of 2 data points.

The resistance calculated from the graph here is $R = 91.2\Omega$. Using sheet resistance from 2a/b and the total resistance from the slope above, we can solve for the contact resistance

$$R_{\rm total~diff} = 7(\eta R_{\rm S~diff} + R_{\rm C~diff}) \Rightarrow R_{\rm C~diff} = \frac{1}{7} R_{\rm total~diff} - \eta R_{\rm S~diff} = \frac{1}{7} (91.2\Omega) - 2.3(1.07\Omega) = 10.6\Omega$$

.4.3 b. I-V plot for poly resistor, 2d

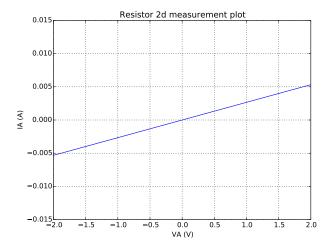


Figure 9: A plot of the measurement data taken for resistor 2d. The plot is based off of 2 data points.

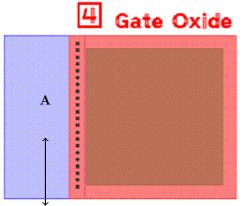
The resistance calculated from the graph here is $R = 370\Omega$. Using sheet resistance from 2a/b and the total resistance from the slope above, we can solve for the contact resistance

$$R_{\rm total~poly} = 7(\eta R_{\rm S~poly} + R_{\rm C~poly}) \Rightarrow R_{\rm C~poly} = \frac{1}{7} R_{\rm total~poly} - \eta R_{\rm S~poly} = \frac{1}{7} (370\Omega) - 2.3(0.945\Omega) = 50.7\Omega$$

1.5 Gate Oxide Capacitor, 4

1.5.1 Measurement Setup

Stage connector set to GND



V sweep, -10 to 10 V, step 0.2 V, oscillation 0.02Hz, integration medium

Figure 10: Gate capacitor setup.

1.5.2 C-V plot of gate oxide capacitor w/ lights ON

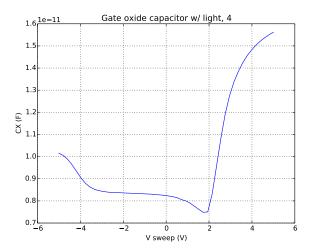


Figure 11: A plot of the measurement data taken for the gate capacitor, 4. Lights on.

The minimum capacitance from the plot above is 7.48 pF. The accumulation region capacitance at about 5 V is 15.7 pF. The active area is 200 μm by 200 μm while the pad+ring area is 240 μm by 335 μm . Also note the gate oxide thickness calculated below for the field oxide capacitors is 1.15 μm .

$$C_{\rm measured} = A_{\rm active} \frac{\epsilon_{\rm ox}}{t_{\rm gox}} + A_{\rm pad\text{-}ring} \frac{\epsilon_{\rm ox}}{t_{\rm fox}}$$

$$t_{\rm gox} = [\frac{1}{A_{\rm active}}(\frac{C_{\rm measured}}{\epsilon_{\rm ox}} - \frac{A_{\rm pad\text{-}ring}}{t_{\rm fox}})]^{-1} = [\frac{1}{4\times10^{-8}}(\frac{15.7\times10^{-12}}{(3.9)8.85\times10^{-12}} - \frac{8.04\times10^{-8}}{1.15\times10^{-6}})]^{-1} = 0.104\,\mu{\rm m}$$

The capacitance per unit area in this case would be 15.7 pF / $(240\mu m \times 335\mu m)$. C/area = 1.95 pF/ μ m. Now in order to calculate the maximum depletion region we use an equation from lecture notes. Note the max and min capacitance we calculated earlier,

$$\frac{1}{C_{\min}} = \frac{1}{C_{\max}} + \frac{1}{A_{\text{pad-ring}}C_{\text{Dmin}}}, \text{ where } C_{\text{Dmin}} = \frac{\epsilon_{\text{si}}}{x_{\text{dmax}}}$$
(1)

Solving for the maximum depletion region we get,

$$x_{\rm dmax} = A_{\rm pad\text{-}ring} \epsilon_{\rm si} (\frac{1}{C_{\rm min}} - \frac{1}{C_{\rm max}}) = (8.04 \times 10^{-8}) (11.7 \times 8.85 \times 10^{-12}) (\frac{1}{7.48 \times 10^{-12}} - \frac{1}{15.7 \times 10^{-12}}) = 0.583 \mu m$$

Another equation from lecture will help us solve for the substrate doping concentration,

$$x_d = \sqrt{\frac{2\epsilon_{\rm si}}{q} \frac{1}{N_A} |\psi_s|} \tag{2}$$

where ψ_s is the potential drop and has a typical value of 0.3, q is the charge of an electron 1.602×10⁻¹⁹ C, and N_A is the doping concentration.

$$N_A = \frac{2\epsilon_{\rm si}|\psi_s|}{qx_d^2} = \frac{2(11.7 \times 8.85 \times 10^{-12})(0.3)}{1.602 \times 10^{-19}(0.583 \times 10^{-6})^2} = 1.14 \times 10^{21} \,\rm cm^{-3}$$

From the curve above (Figure 11) we can see that the flatband voltage is $V_{FB} \approx 5.5$ and the corresponding $C_{FB} \approx 15.5 \text{pF}$. To find the charge per unit area at the oxide silicon interface we can use the Q = CV equation.

$$\frac{Q_{ss}}{A} = \frac{C_{FB}V_{FB}}{A_{\text{pad-ring}}} = \frac{(5.5)(15.5 \times 10^{-12})}{8.04 \times 10^{-8}} = 1.06 \,\text{mF/m}^2$$

To calculate the threshold voltage we will assume that $V_{SB} = 0$. First we must also calculate Q_{BO} which is the charge stored in the depletion region,

$$Q_{BO} = \sqrt{2q\epsilon_{si}N_B 2\phi_F} = \sqrt{2(1.602 \times 10^{-19})(11.7 \times 8.85 \times 10^{-12})(1.14 \times 10^{21})(2 \times 0.3)} = 1.51 \times 10^{-4} \, \text{C/m}^2$$

Now to calculate/estimate threshold voltage. Note that the work function ϕ_{ms} is zero for n+ doped poly gate.

$$V_t = \phi_{ms} - 2\phi_f - \frac{Q_{ss}}{C_{\max}} - \frac{Q_{BO}}{C_{\max}} = 0 - 0.6 - \frac{2.06 \times 10^{-3}}{15.7 \times 10^{-15}} - \frac{1.51 \times 10^{-4}}{15.7 \times 10^{-15}} = -1.41 \times 10^{11} V_{max}$$

1.5.3 C-V plot of gate oxide capacitor w/ lights OFF

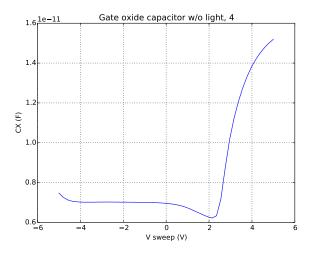


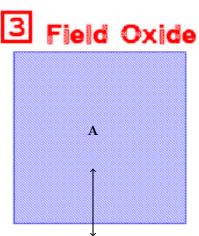
Figure 12: A plot of the measurement data taken for the gate capacitor, 4. Lights off.

minimum capacitance ...

1.6 Field Oxide Capacitor, 3

1.6.1 Measurement Setup

Stage connector set to GND



V sweep, -5 to 5 V, step 0.2 V, oscillation 0.02Hz, integration medium

Figure 13: Field oxide capacitor setup.

1.6.2 C-V plot of field oxide capacitor

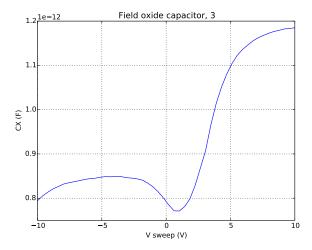


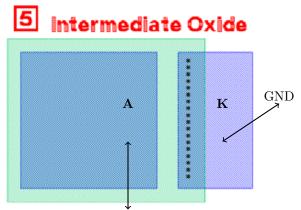
Figure 14: A plot of the measurement data taken for the field oxide capacitor, 3

From the plot above we see that at the accumulation region of ≈ 10 volts we have a corresponding capacitance of $C \approx 1.2 \mathrm{pF}$. Noting that the area of the capacitor plate is 200 μm by 200 μm , we can now solve for the dieletric (oxide) thickness.

$$C = \frac{A\epsilon_{\rm ox}}{t_{\rm fox}} \Rightarrow t_{\rm fox} = \frac{3.9A\epsilon_0}{C} = \frac{3.9(4\times 10^{-8})(8.85\times 10^{-12})}{1.2\times 10^{-12}} = 1.15\,\mu{\rm m}$$

1.7 Intermediate Oxide Capacitors, 5

1.7.1 Measurement Setup



V sweep, -5 to 0 V, step 0.2 V, oscillation 0.02Hz, integration medium

Figure 15: Intermediate oxide capacitor setup.

1.7.2 C-V plot of intermediate oxide capacitor

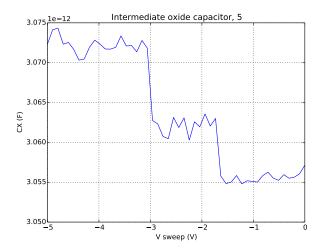


Figure 16: A plot of the measurement data taken for the Intermediate oxide, 5

The capacitance at the accumulation region of ≈ 5 V is about 3.0725 pF.

1.8 Diode, 7

1.8.1 Measurement setups for forward and reverse operations

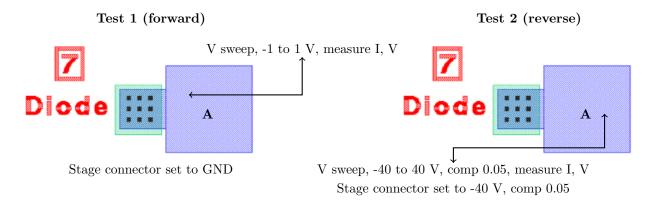


Figure 17: Two tests were performed on this diode; both measurement setups are shown above.

1.8.2 I-V plots for forward and reverse operation

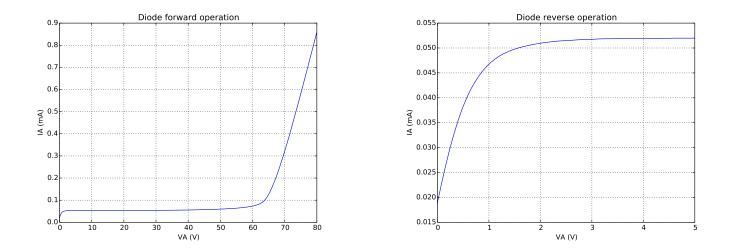


Figure 18: Plots of forward and reverse operation of Diode 7.

Looking at the plots above, the forward turn on voltage is $V_F \approx 70V$ while the reverse bias turn off voltage is about $V_{RB} \approx 0.5V$. To calculate the series resistance in the forward bias we look at the region of the curve where V is greater than 65 V. The inverse of the slope there results in $R = 17.8 \, k\Omega$. Similarly for the reverse bias plot, looking at the region below 0.5 Volts, we find that the inverse of the slope is $R = -22.1 \, k\Omega$.

1.9 MOSFETs of Varying Length, [8a-d]

1.9.1 Measurement setups

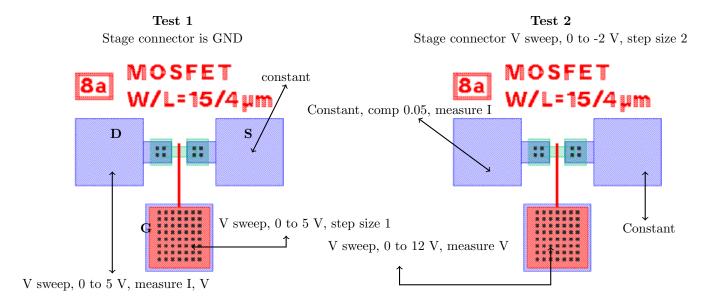


Figure 19: Measurement setup for Mosfet 8a. The same setup is used for Mosfets 8a-d. The only difference is the channel length which changes from 4 (8a) to 6 (8b) to 8 (8c) to 10 (8d) microns.

1.9.2 Plots of I_D - V_D , sweeping V_G

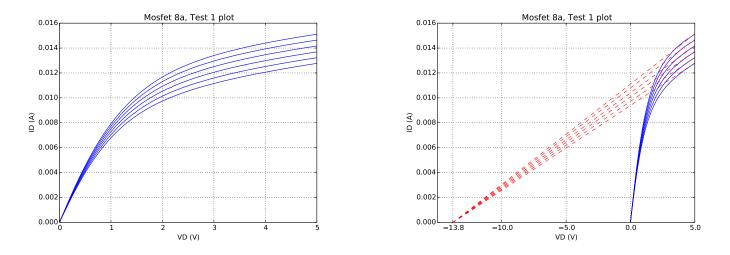
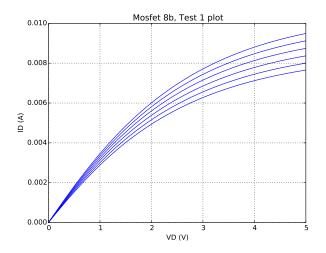


Figure 20: Test 1 for Mosfet 8a with extended x axis range in order to calculate lambda.

We see that everything intersects at about -13.8 V. This corresponds to $\lambda = \frac{1}{-13.8} = -0.0725$.



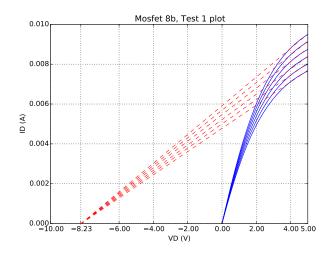
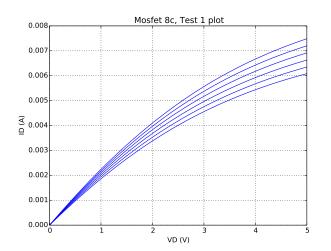


Figure 21: Test 1 for Mosfet 8b with extended x axis range in order to calculate lambda.

We see that everything intersects at about -8.23 V. This corresponds to $\lambda = \frac{1}{-8.23} = -0.122$.



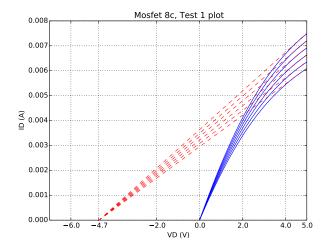
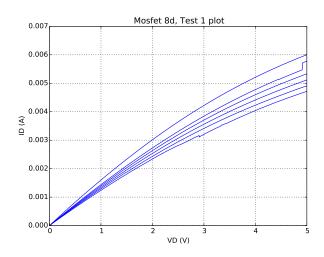


Figure 22: Test 1 for Mosfet 8c with extended x axis range in order to calculate lambda.

We see that everything intersects at about -4.70 V. This corresponds to $\lambda = \frac{1}{-4.70} = -0.213$.



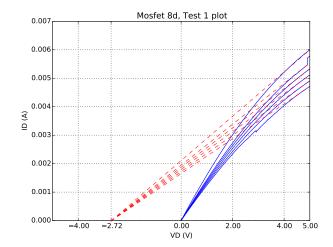


Figure 23: Test 1 for Mosfet 8d with extended x axis range in order to calculate lambda.

We see that everything intersects at about -2.72 V. This corresponds to $\lambda = \frac{1}{-2.72} = -0.368$.

1.9.3 λ vs L_{Drawn}

To summarize, here is a table of all λ values calculated,

MOSFET device	λ (V^{-1})	$L_{\text{drawn}} (\mu m)$	Fig #
8a	-0.0725	4	20
8b	-0.122	6	21
8c	-0.213	8	22
8d	-0.368	10	23

Figure 24: all λ values for mosfets 9a-d along with gate lengths.

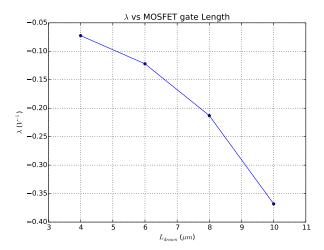
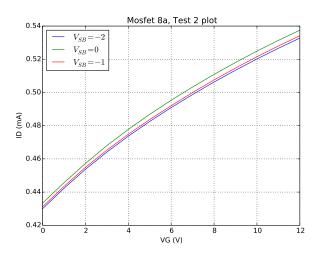


Figure 25: λ for each 8a-d device vs the gate length.

1.9.4 Plots of I_D - V_G , sweeping V_B



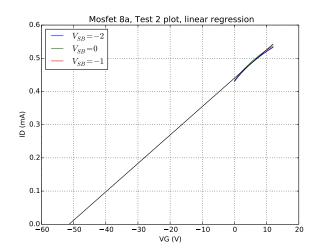
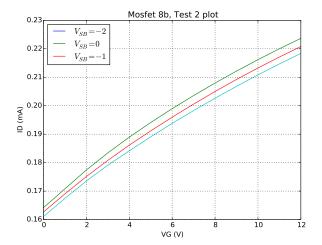


Figure 26: Test 2 for Mosfet 8a. On the right side we did a linear regression on the $V_{SB} = 0$ line in order to get a estimate of the threshold voltage.

Since it is quite difficult to see where a slope change occurs in order to find the threshold voltage, we can do a linear regression using the $V_{SB}=0$ line. With linear regression, $V_t=-51.4V$. One reason why there is no slope change might have to do with the fact that most of our MOSFETS show characteristics of junction leakage.



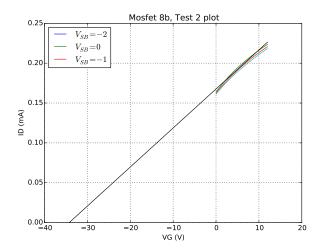
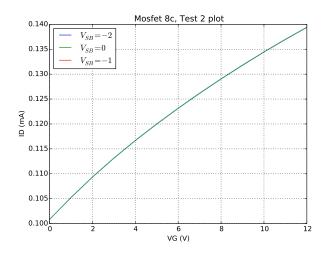


Figure 27: Test 2 for Mosfet 8b. On the right side we did a linear regression on the $V_{SB} = 0$ line in order to get a estimate of the threshold voltage.

Similarly, the threshold voltage is not clear in the figure above. Using linear regression again with $V_{SB} = 0$ we get $V_t = -34.2$.



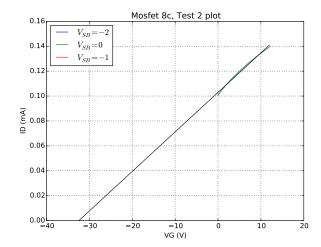
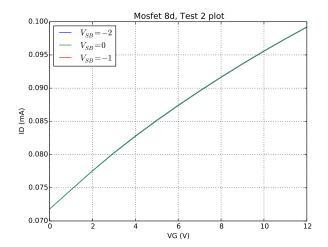


Figure 28: Test 2 for Mosfet 8c. On the right side we did a linear regression on the $V_{SB} = 0$ line in order to get a estimate of the threshold voltage.

Similarly, the threshold voltage is not clear in the figure above. Using linear regression again with $V_{SB} = 0$ we get $V_t = -32.4$.



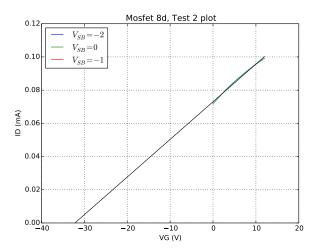


Figure 29: Test 2 for Mosfet 8d. On the right side we did a linear regression on the $V_{SB} = 0$ line in order to get a estimate of the threshold voltage.

Similarly, the threshold voltage is not clear in the figure above. Using linear regression again with $V_{SB} = 0$ we get $V_t = -32.2$.

1.9.5 Estimate of ΔL

To summarize the threshold voltages calculated in the last section,

MOSFET device	$V_t(V)$	$L_{\text{drawn}} (\mu m)$	Fig #
8a	-51.4	4	26
8b	-34.2	6	27
8c	-32.4	8	28
8d	-32.2	10	29

Figure 30: Threshold voltages for all MOSFET 8 devices.

Now the first step in calculating ΔL is to find the extended Resistance. We can do this by plotting the measured resistance vs gate Length at various voltages (from lecture). This plot looks like the following:

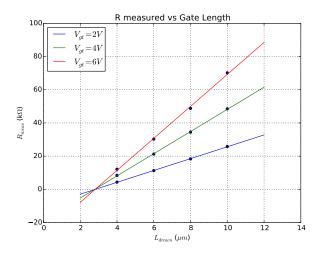


Figure 31: Measured Resistance vs Gate length for various lengths and voltages

The Y value from the origin (0) to the point of intersection would be the extended Resistance value. However in our case the lines intersect at just about 0; this means that $R_{\rm ext} \approx 0$. Now we can solve for ΔL by using the following equation from lecture:

$$R_{\text{meas}} = \frac{L_{\text{drawn}} - \Delta L}{\mu W C_{\text{gox}}(V_{\text{gs}} - V_t)} + R_{\text{ext}}$$
(3)

Solving for ΔL and noting that from earlier that $C_{\rm gox}=1.95 {\rm pF}/\mu m^2$ and $\mu_n=92.4 {\rm cm}^2/{\rm V}$ -s. We will also choose $V_{gs}-V_t=2V$, $L_{\rm drawn}=4\mu m$, and $R_{\rm meas}=8.368 k\Omega$. Note that W = 15 μm and $R_{ext}=0$.

$$\Delta L = L_{\rm drawn} - R_{\rm meas} \mu_n C_{\rm gox} (V_{\rm gs} - V_t) = (8.368 \times 10^3 \Omega) (92.4 {\rm cm}^2 / {\rm V \cdot s}) (15 \times 10^{-6} {\rm m}) (1.95 \times 10^{-7} {\rm F/cm}^2) (2 {\rm V}) = 1.59 \, \mu m^2 / {\rm V \cdot s}$$

1.10 MOSFETs of varying width [9a-c]

1.10.1 Measurement setup

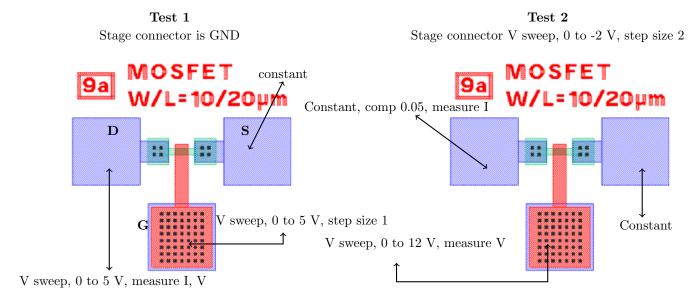


Figure 32: Measurement setup for Mosfet 9a. The same setup is used for Mosfets 9a-c. The only difference is the channel widths which changes from 10 (9a) to 15 (9b) to 20 (9c) microns.

1.10.2 Plots of I_D - V_D , sweeping V_G

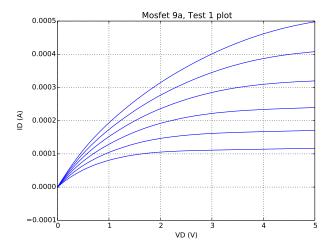


Figure 33: Test 1 for Mosfet 9a

Calculate stuff here...

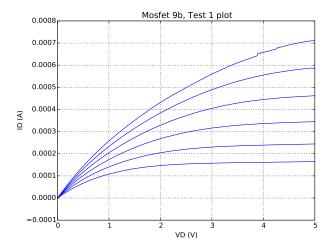


Figure 34: Test 1 for Mosfet 9b

Calculate stuff here...

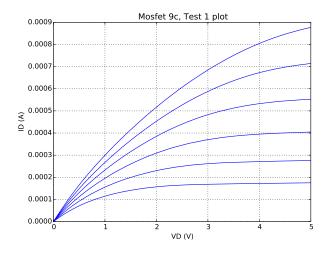


Figure 35: Test 1 for Mosfet 9c

Calculate stuff here...

1.10.3 Plots of I_D - V_G , sweeping V_B

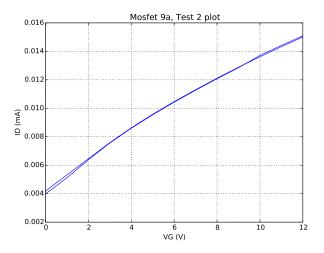


Figure 36: Test 2 for Mosfet 9a

Calculate stuff here...

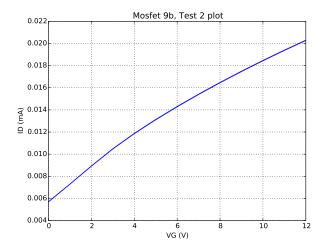


Figure 37: Test 2 for Mosfet 9b

Calculate stuff here...

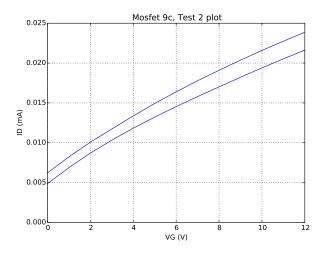


Figure 38: Test 2 for Mosfet 9c

 ${\bf Calculate\ stuff\ here...}$

1.11 Large MOSFET, 10

Test 1

1.11.1 Measurement setup

Stage connector is GND

Stage connector V sweep, 0 to -2 V, step size 2

MOSFET

W/L=100/100

Constant, comp 0.05, measure I

V sweep, 0 to 5 V, step size 1

V sweep, 0 to 12 V, measure V

Test 2

Figure 39: Measurement setup for Mosfet 10. This mosfet has very large dimensions compared to others.

1.11.2 Plots of I_D - V_D , sweeping V_G

V sweep, 0 to 5 V, measure I, V

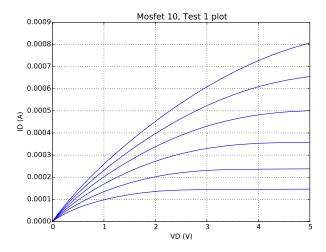


Figure 40: Test 1 for Mosfet 10

Calculate stuff here...

1.11.3 Plots of I_D - V_G , sweeping V_B

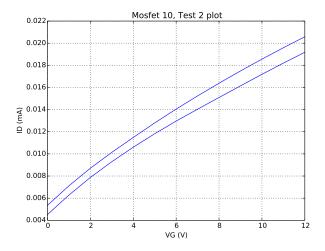


Figure 41: Test 2 for Mosfet 10

Calculate stuff here...

1.12 Inverter, 14

1.12.1 Measurement setup

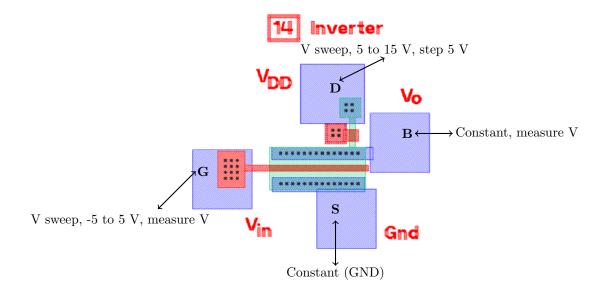


Figure 42: Setup for the inverter. Note that the source is connected to a GND and not the stage connector.

1.12.2 b. $V_{in} - V_{out}$ plot

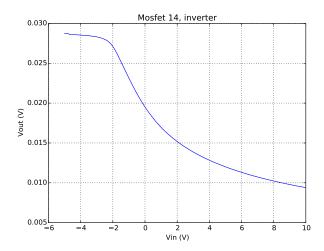


Figure 43: Plot for Inverter. Note both axis are in units of Volts.

1.12.3 Estimate V_M

calculations here....

2 Theoretical Calculations

2.1 Measured Physical Dimensions and Parameters

Parameter	Measured Value	
Field t_{ox}	477.2 nm	
Gate $t_{\rm ox}$	86.5 nm	
Intermediate t_{ox}	320 nm	
X_j	1000 nm	
$X_{j, \text{lateral}}$	880 nm	
N_D	$10^{21}\mathrm{cm}^{-3}$	

2.2 Resistors [2a,2b]

2.3 Contact Resistances [17a,17b]

From jaeger Figure 7.6 [1] we that the specific contact resistivity $10^{-2} \mu\Omega$ -cm². The contact area of resistors 17a and 17b is $5\mu m$ by $5\mu m$. This means the theoretical contact resistance for our contact resistors is

$$R_c = \frac{\rho_c}{A} = \frac{10^{-2}\mu\Omega - \text{cm}^2}{25\mu m} = \frac{10}{25} = 0.4\Omega$$

2.4 Contact-Chain Resistors [2c, 2d]

2.4.1 Diffusion chain resistor, 2c

 R_c is the contact resistance calculated earlier and R_s is the sheet resistance calculate for the diffused resistor. η is a geometrical constant that has a value of 2.3

$$R_{\text{total}} = 7(\eta R_s + R_c) = 7((2.3)(R_s) + (0.4)) = ?$$

2.4.2 Poly chain resistor, 2d

 R_c is the contact resistance calculated earlier and R_s is the sheet resistance calculate for the poly resistor. η is a geometrical constant that has a value of 2.3

$$R_{\text{total}} = 7(\eta R_s + R_c) = 7((2.3)(R_s) + (0.4)) = ?$$

- $2.5 \quad {\rm Gate/Field~Oxide~Capacitors} [3,\!4]$
- 2.6 Diode
- 2.7 MOSFETs
- 2.7.1 MOSFETs of varying length [8] and width [9]
- 2.7.2 Large MOSFET
- 2.8 Inverter
- 3 Discussion
- 4 Optional Questions
- 5 Appendix
- 6 References
 - 1. Jaeger, Richard. Introduction to microelectronic fabrication. New Jersey: Prentice Hall, 2002. Print.